

Number of hours delay for this Problem Set: 0  
Cumulative number of hours delay so far: 72

I discussed this homework with: Ally Dinhofer

---

**Problem 1 - 10 points**

Suppose that we have a production  $A \rightarrow BCD$ . Each of the four nonterminals  $A$ ,  $B$ ,  $C$ , and  $D$  have two attributes:  $s$  is a synthesized attribute, and  $i$  is an inherited attribute. For each of the sets of rules below, tell whether (i) the rules are consistent with an S-attributed definition (ii) the rules are consistent with an L-attributed definition, and (iii) whether the rules are consistent with any evaluation order at all?

- a  $A : s = B : i + C : s$ .
- b  $A : s = B : i + C : s$  and  $D : i = A : i + B : s$ .
- c  $A : s = B : s + D : s$ .
- d  $A : s = D : i$ ,  $B : i = A : s + C : s$ ,  $C : i = B : s$ , and  $D : i = B : i + C : i$ .

*Solution:*

- a This is L-attributed because it uses inherited attributes but only from the left sibling and not from the right sibling. Is not S-attributed because it uses the inherited attribute of B.
- b This is neither L-attributed nor S-attributed because it uses the inherited attribute of a non-left sibling non terminal.
- c This is S-attributed because A's synthesized attribute is formed from the synthesized attributes of its children. Because it is S-attributed it is also L-attributed.
- d The rule  $B.i = A.s + C.s$  violates L-attributed definition because B's inherited attribute is dependent on the values from its right sibling C. Because there are inherited attributes this is also not S-attributed.

---

**Problem 2 - 10 points**

Construct the DAG for the expression  $((x + y) - ((x + y) * (x - y))) + ((x + y) * (x - y))$

*Solution:* For my own visualization I am going to break this expression down step by step and use letters to simplify this expression.

$((x + y) - ((x + y) * (x - y))) + ((x + y) * (x - y))$   
if  $A = x + y$   
 $(A - (A * (x - y))) + (A * (x - y))$   
if  $B = x - y$   
 $(A - (A * B)) + (A * B)$   
if  $C = A * B$

$(A - C) + C$   
 if  $D = A - C$   
 $D + C$   
 if  $E = A - C$   
 $E$

So the rules that we are left with are  $A = x + y$ ,  $B = x - y$ ,  $C = A * B$ ,  $D = A - C$ , and  $E = A - C$  which results in the following DAG for the expression:

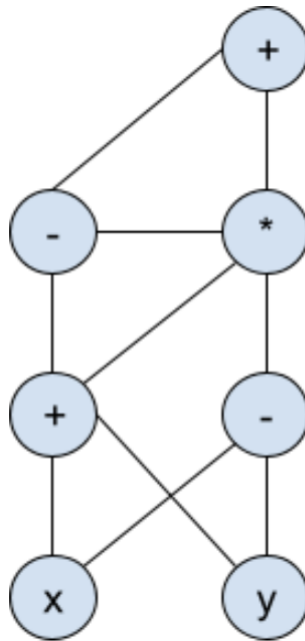


Figure 1: DAG for the above expression

---

**Problem 3 - 10 points**

Translate the arithmetic expression  $a + (b + c)$ .

- a A syntax tree.
- b Quadruples.
- c Triples.
- d Indirect triples.

*Solution:*

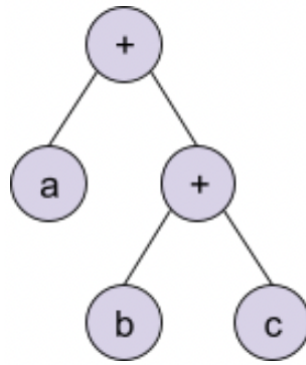


Figure 2: Syntax tree of the expression

a

	Operation	Arg 1	Arg 2	Result
0	+	b	c	t1
1	+	a	t1	t2

Figure 3: Quadruples of the expression

b

	Operation	Arg 1	Arg 2
0	+	b	c
1	+	a	(0)

Figure 4: Triples of the expression

c

	Operation	Arg 1	Arg 2
0	+	b	c
1	+	a	(0)

	Instruction
0	(0)
1	(1)

Figure 5: Indirect triples of the expression

d

#### Problem 4 - 10 points

A real array  $A[i; j; k]$  has index  $i$  ranging from 1 to 4,  $j$  ranging from 0 to 4, and  $k$  ranging from 5 to 10. Reals take 8 bytes each. If A is stored row-major, starting at byte 0, find the location of:

- a  $A[3; 4; 5]$
- b  $A[1; 2; 7]$
- c  $A[4; 3; 9]$ .

Repeat the above if A is stored in column-major order.

*Solution:*

Row-major:

$$((i - 1) * 5 * 6 + j * 6 + (k - 5)) * 8$$

- a  $((3 - 1) * 5 * 6 + 4 * 6 + (5 - 5)) * 8 = 672$
- b  $((1 - 1) * 5 * 6 + 2 * 6 + (7 - 5)) * 8 = 112$
- c  $((4 - 1) * 5 * 6 + 3 * 6 + (9 - 5)) * 8 = 896$

Column-major:

$$((i - 1) + j * 4 + (k - 5) * 5 * 4) * 8$$

- a  $((3 - 1) + 4 * 4 + (5 - 5) * 5 * 4) * 8 = 144$
- b  $((1 - 1) + 2 * 4 + (7 - 5) * 5 * 4) * 8 = 384$
- c  $((4 - 1) + 3 * 4 + (9 - 5) * 5 * 4) * 8 = 760$

#### Problem 5 - 20 points

Add rules to the syntax-directed definition of Fig. 6 for the following control-flow constructs:

PRODUCTION	SEMANTIC RULES
$P \rightarrow S$	$S.next = newlabel()$ $P.code = S.code \parallel label(S.next)$
$S \rightarrow \text{assign}$	$S.code = \text{assign}.code$
$S \rightarrow \text{if} ( B ) S_1$	$B.true = newlabel()$ $B.false = S_1.next = S.next$ $S.code = B.code \parallel label(B.true) \parallel S_1.code$
$S \rightarrow \text{if} ( B ) S_1 \text{ else } S_2$	$B.true = newlabel()$ $B.false = newlabel()$ $S_1.next = S_2.next = S.next$ $S.code = B.code$ $\parallel label(B.true) \parallel S_1.code$ $\parallel gen('goto' S.next)$ $\parallel label(B.false) \parallel S_2.code$
$S \rightarrow \text{while} ( B ) S_1$	$begin = newlabel()$ $B.true = newlabel()$ $B.false = S.next$ $S_1.next = begin$ $S.code = label(begin) \parallel B.code$ $\parallel label(B.true) \parallel S_1.code$ $\parallel gen('goto' begin)$
$S \rightarrow S_1 S_2$	$S_1.next = newlabel()$ $S_2.next = S.next$ $S.code = S_1.code \parallel label(S_1.next) \parallel S_2.code$

Figure 6: Rules to the syntax-directed definition

- A repeat-statement **repeat**  $S$  **while**  $B$ .

- A for-loop **for**  $(S_1; B; S_2)S_3$ .

*Solution:*

- $S \rightarrow \text{repeat } S1 \text{ while } B$   
 $S1.next = \text{newlabel}()$   
 $B.true = \text{newlabel}()$   
 $B.false = S.next$   
 $S.code = \text{label}(B.true)$   
 $\cdot \parallel S1.code$   
 $\cdot \parallel \text{label}(S1.next)$   
 $\cdot \parallel B.code$
- A for-loop **for**  $(S_1; B; S_2)S_3$ .  $S \rightarrow \text{for}(S1; B; S2)S3$   
 $S1.next = \text{newlabel}()$   
 $B.true = \text{newlabel}()$   
 $B.false = S.next$   
 $S2.next = S1.next$   
 $S3.next = \text{newlabel}()$   
 $S.code = S1.code$   
 $\cdot \parallel \text{label}(S1.next) \parallel B.code$   
 $\cdot \parallel \text{label}(B.true) \parallel S3.code$   
 $\cdot \parallel \text{label}(S3.next) \parallel S2.code$   
 $\cdot \parallel \text{gen}('goto', S1.next)$

### Problem 6 - 10 points

Translate the following expressions using the goto-avoiding translation scheme:

- a if  $(a == b \ \&\& \ c == d \ \parallel \ e == f) \ x == 1;$
- b if  $(a == b \ \parallel \ c == d \ \parallel \ e == f) \ x == 1;$
- c if  $(a == b \ \&\& \ c == d \ \&\& \ e == f) \ x == 1;$

*Solution:*

- a ifFalse a==b goto L3  
if c==d goto L2  
L3: ifFalse e==f goto L1  
L2: x == 1  
L1:
- b if a==b goto L2  
if c==d goto L2  
ifFalse e==f goto L1  
L2: x == 1  
L1:
- c ifFalse a==b goto L1  
ifFalse c==d goto L1  
ifFalse e==f goto L1  
L2: x == 1  
L1:

**Problem 7 - 10 points**

The C code to compute Fibonacci numbers recursively is shown below. Suppose that the activation record for  $f$  includes the following elements in order: (return value, argument  $n$ , local  $s$ , local  $t$ ); there will normally be other elements in the activation record as well. The questions below assume that the initial call is  $f(5)$ .

```
int f(int n) {
    int t, s;
    if (n < 2) return 1;
    s = f(n-1);
    t = f(n-2);
    return s+t;
}
```

- a Show the complete activation tree.
- b What does the stack and its activation records look like the first time  $f(1)$  is about to return?

*Solution:*

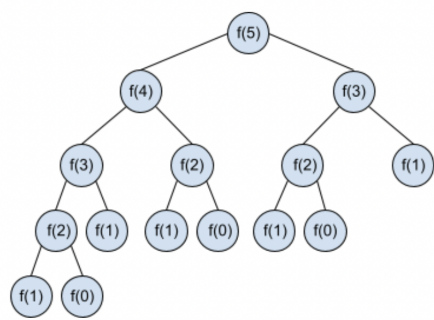


Figure 7: The activation tree for the above program

a

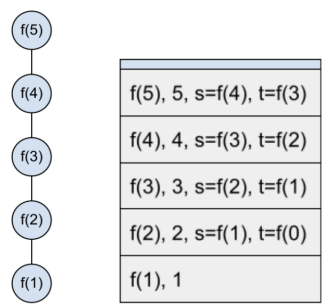


Figure 8: Stack and the activation record for the first time  $f(1)$  is about to return

b

**Problem 8 - 10 points**

In a language that passes parameters by reference, there is a function  $f(x; y)$  that does the following:

$x = x + 1;$      $y = y + 2;$     *return*  $x + y;$

If  $a$  is assigned the value 3, and then  $f(a; a)$  is called, what is returned?

*Solution:*  $f(a; a) :$

$x = x + 1;$              $\rightarrow$      $a = a + 1 = 3 + 1 = 4$

$y = y + 2;$              $\rightarrow$      $a = a + 2 = 4 + 2 = 6$

*return*  $x + y;$      $\rightarrow$      $a + a = 6 + 6 = 12$

Therefore, since the language that passes parameters by reference,  $f(a; a)$  where  $a = 3$  will return 12.

---

**Problem 9 - 10 points**

The C function  $f$  is defined by:

```
int f(int x, *py, **ppz) {
    **ppz += 1; *py += 2; x += 3; return x+*py+**ppz;
}
```

Variable  $a$  is a pointer to  $b$ ; variable  $b$  is a pointer to  $c$ , and  $c$  is an integer currently with value 4. If we call  $f(c; b; a)$ , what is returned?

*Solution:*  $f(c; b; a)$

$**ppz += 1;$      $\rightarrow$      $c = 4 + 1 = 5$

$*py += 2;$      $\rightarrow$      $c = 5 + 2 = 7$

$x += 3;$      $\rightarrow$      $x = 4 + 3 = 7$

*return*  $x + *py + **ppz;$      $\rightarrow$      $x + c + c = 7 + 7 + 7 = 21$

Some notes about the above, because  $c$  is passing into  $\text{int } x$  and not the pointer to the value of  $c$  then the value of  $c$  is passed and when  $x += 3$  it is not altering the value of  $c$  but rather just the value of  $x$ . However, when  $**ppz$  and  $*py$  are incremented the value of  $c$  is also incremented because those are pointers to the actual memory location where  $c$  is stored.

Therefore,  $f(c; b; a)$  where  $a \rightarrow b \rightarrow c = 4$  will return 21.

---