OpenCMISS-iron examples and tests used by OpenCMISS developers at University of Stuttgart, Germany

Christian Bleiler, Andreas Hessenthaler, Thomas Klotz, Aaron Krämer, Benjamin Maier, Sergio Morales, Mylena Mordhorst, Harry Saini

> June 30, 2017 17:09

CONTENTS

1	Introduction						
	1.1	Cmgu	ıi files for cmgui-2.9	4			
	1.2	Variat	tions to consider	4			
	1.3	Folde	r structure	5			
2	Hov	v to wo	to work on this document				
3	Diffusion equation						
-	3.1	Equat	tion in general form	6			
	3.2 Example-0001						
		3.2.1	Mathematical model - 2D	7			
		3.2.2	Mathematical model - 3D	7			
		3.2.3	Computational model	7			
		3.2.4	Result summary	8			
	ple-0001-u	11					
		3.3.1	Mathematical model - 2D	11			
		3.3.2	Mathematical model - 3D	11			
		3.3.3	Computational model	11			
		3.3.4	Result summary	12			
	3.4	Exam	ple-0002	15			
		3.4.1	Mathematical model - 2D	15			
		3.4.2	Mathematical model - 3D	15			
		3.4.3	Computational model	15			
		3.4.4	Result summary	16			
	3.5	Exam	ple-0003	19			

^{*} Institute of Applied Mechanics (CE), University of Stuttgart, Pfaffenwaldring 7, 70569 Stuttgart, Germany

[†] Institute for Parallel and Distributed Systems, University of Stuttgart, Universitätsstraße 38, 70569 Stuttgart, Germany

[‡] Lehrstuhl Mathematische Methoden für komplexe Simulation der Naturwissenschaft und Technik, University of Stuttgart, Allmandring 5b, 70569 Stuttgart, Germany

3D results, iron reference w/ command line argu-

3D results, current run w/ command line arguments 17

18

Figure 11

Figure 12

Figure 13	2D results, iron reference w/ command line argu-					
0 9	ments [2.0 1.0 0.0 8 4 0 1 0]	21				
Figure 14	2D results, current run w/ command line arguments					
	[2.0 1.0 0.0 8 4 0 1 0]	21				
Figure 15	3D results, iron reference w/ command line argu-					
0 3	ments [2.0 1.0 1.0 8 4 4 1 0]	22				
Figure 16	3D results, current run w/ command line arguments					
O	[2.0 1.0 1.0 8 4 4 1 0]	22				
Figure 17	2D results, iron reference w/ command line argu-					
	ments [8 4 0 2 0]	24				
Figure 18	2D results, current run w/ command line arguments					
	[8 4 0 2 0]	24				
Figure 19	2D results, iron reference w/ command line argu-					
	ments [2.0 1.0 0.0 8 4 0 1 0 1 1]	27				
Figure 20	2D results, current run w/ command line arguments					
	[2.0 1.0 0.0 8 4 0 1 0 1 1]	27				
Figure 21	3D results, iron reference w/ command line argu-					
	ments [2.0 1.0 1.0 8 4 4 1 0 1 1 1]	28				
Figure 22	3D results, current run w/ command line arguments					
	[2.0 1.0 1.0 8 4 4 1 0 1 1 1]	28				
Figure 23	Results, analytical solution	30				
Figure 24	Results, Abaqus reference	31				
Figure 25	Results, iron reference	31				
Figure 26	Results, current run	32				
LIST OF TABLES						
Table 1	Initials of people working on examples, in alphabeti-					
	cal order (surnames)	5				

INTRODUCTION 1

This document contains information about examples used for testing OpenCMISSiron. Read: How-to¹ and [1].

- Cmgui files for cmgui-2.9
- Variations to consider
 - Geometry and topology

1D, 2D, 3D

Length, width, height

Number of elements

Interpolation order

Generated or user meshes

quad/hex or tri/tet meshes

- Initial conditions
- Load cases

Dirichlet BC

Neumann BC

Volume force

Mix of previous items

- Sources, sinks
- Time dependence

Static

Quasi-static

Dynamic

Material laws

Linear

Nonlinear (Mooney-Rivlin, Neo-Hookean, Ogden, etc.)

Active (Stress, strain)

- Material parameters, anisotropy
- Solver

Direct

Iterative

Test cases

Numerical reference data

Analytical solution

• A mix of previous items

¹ https://bitbucket.org/hessenthaler/opencmiss-howto

1.3 Folder structure

TBD..

HOW TO WORK ON THIS DOCUMENT

In the Google Doc at https://docs.google.com/spreadsheets/d/1RGKj8vVPqQ-PH0UwMX_ e9TAzqaYavKi0z0D4pKY9RGI/edit#gid=0 please indicate what you are working on or if a given example was finished

- no mark: to be done
- x: currently working on it
- xx: done

Initials	Full name
СВ	Christian Bleiler
AH	Andreas Hessenthaler
TK	Thomas Klotz
AK	Aaron Krämer
BM	Benjamin Maier
SM	Sergio Morales
MM	Mylena Mordhorst
HS	Harry Saini

 Table 1: Initials of people working on examples, in alphabetical order (surnames).

3 DIFFUSION EQUATION

3.1 Equation in general form

The governing equation is,

$$\partial_t \mathbf{u} + \nabla \cdot [\boldsymbol{\sigma} \nabla \mathbf{u}] = \mathbf{f}, \tag{1}$$

with conductivity tensor $\boldsymbol{\sigma}.$ The conductivity tensor is,

- defined in material coordinates (fibre direction),
- diagonal,
- defined per element.

Example uses generated regular meshes and solves a static problem, i.e., applies the boundary conditions in one step.

3.2.1 Mathematical model - 2D

We solve the following scalar equation,

$$\nabla \cdot \nabla u = 0 \qquad \qquad \Omega = [0, 2] \times [0, 1], \tag{2}$$

with boundary conditions

$$u = 0 x = y = 0, (3)$$

$$u = 1$$
 $x = 2, y = 1.$ (4)

No material parameters to specify.

3.2.2 Mathematical model - 3D

We solve the following scalar equation,

$$\nabla \cdot \nabla \mathbf{u} = 0 \qquad \qquad \Omega = [0, 2] \times [0, 1] \times [0, 1], \tag{5}$$

with boundary conditions

$$u = 0 \qquad \qquad x = y = z = 0, \tag{6}$$

$$u = 1$$
 $x = 2, y = z = 1.$ (7)

No material parameters to specify.

3.2.3 Computational model

• Commandline arguments are:

float: length along x-direction float: length along y-direction

float: length along z-direction (set to zero for 2D)

integer: number of elements in x-direction integer: number of elements in y-direction

integer: number of elements in z-direction (set to zero for 2D)

interger: interpolation order (1: linear; 2: quadratic)

integer: solver type (o: direct; 1: iterative)

• Commandline arguments for tests are:

2.0 1.0 0.0 2 1 0 1 0

2.0 1.0 0.0 4 2 0 1 0

2.0 1.0 0.0 8 4 0 1 0

2.0 1.0 0.0 2 1 0 2 0

2.0 1.0 0.0 4 2 0 2 0

2.0 1.0 0.0 8 4 0 2 0

2.0 1.0 0.0 2 1 0 1 1

2.0 1.0 0.0 4 2 0 1 1

3.2.4 Result summary

We use CHeart rev. 6292 to produce numerical reference solutions.

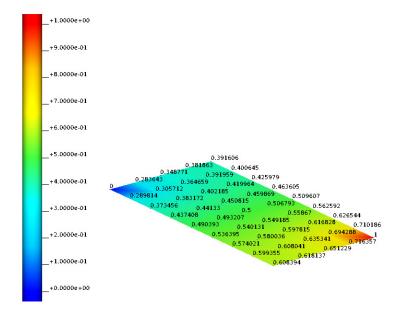


Figure 1: 2D results, iron reference w/ command line arguments [2.0 1.0 0.0 8 4 0 1

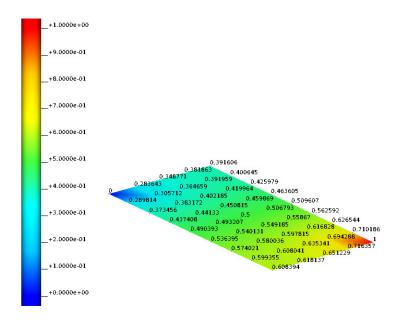


Figure 2: 2D results, current run w/ command line arguments [2.0 1.0 0.0 8 4 0 1 0].

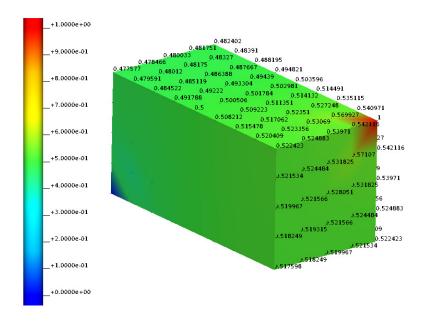


Figure 3: 3D results, iron reference w/ command line arguments [2.0 1.0 1.0 8 4 4 1 o].

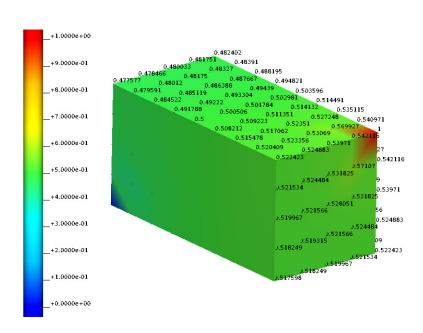


Figure 4: 3D results, current run w/ command line arguments [2.0 1.0 1.0 8 4 4 1 0].

3.3 Example-0001-u

Example uses user-defined regular meshes in CHeart mesh format and solves a static problem, i.e., applies the boundary conditions in one step.

3.3.1 Mathematical model - 2D

We solve the following scalar equation,

$$\nabla \cdot \nabla \mathbf{u} = 0 \qquad \qquad \Omega = [0, 2] \times [0, 1], \tag{8}$$

with boundary conditions

$$u = 0 x = y = 0, (9)$$

$$u = 1$$
 $x = 2, y = 1.$ (10)

No material parameters to specify.

3.3.2 Mathematical model - 3D

We solve the following scalar equation,

$$\nabla \cdot \nabla \mathbf{u} = 0 \qquad \qquad \Omega = [0, 2] \times [0, 1] \times [0, 1], \tag{11}$$

with boundary conditions

$$u = 0 \qquad \qquad x = y = z = 0, \tag{12}$$

$$u = 1$$
 $x = 2, y = z = 1.$ (13)

No material parameters to specify.

3.3.3 Computational model

Commandline arguments are:

float: length along x-direction float: length along y-direction

float: length along z-direction (set to zero for 2D)

integer: number of elements in x-direction integer: number of elements in y-direction

integer: number of elements in z-direction (set to zero for 2D)

interger: interpolation order (1: linear; 2: quadratic)

integer: solver type (o: direct; 1: iterative)

Commandline arguments for tests are:

2.0 1.0 0.0 2 1 0 1 0

2.0 1.0 0.0 4 2 0 1 0

2.0 1.0 0.0 8 4 0 1 0

2.0 1.0 0.0 2 1 0 2 0

2.0 1.0 0.0 4 2 0 2 0

2.0 1.0 0.0 8 4 0 2 0

2.0 1.0 0.0 2 1 0 1 1

2.0 1.0 0.0 4 2 0 1 1

```
2.0 1.0 0.0 8 4 0 1 1
2.0 1.0 0.0 2 1 0 2 1
2.0 1.0 0.0 4 2 0 2 1
2.0 1.0 0.0 8 4 0 2 1
2.0 1.0 1.0 2 1 1 1 0
2.0 1.0 1.0 4 2 2 1 0
2.0 1.0 1.0 8 4 4 1 0
2.0 1.0 1.0 2 1 1 2 0
2.0 1.0 1.0 4 2 2 2 0
2.0 1.0 1.0 8 4 4 2 0
2.0 1.0 1.0 2 1 1 1 1
2.0 1.0 1.0 4 2 2 1 1
2.0 1.0 1.0 8 4 4 1 1
2.0 1.0 1.0 2 1 1 2 1
2.0 1.0 1.0 4 2 2 2 1
2.0 1.0 1.0 8 4 4 2 1
```

• Note: Binary uses command line arguments to search for the relevant mesh files.

3.3.4 Result summary

We use CHeart rev. 6292 to produce numerical reference solutions.

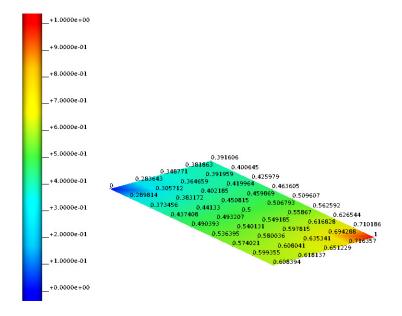


Figure 5: 2D results, iron reference w/ command line arguments [2.0 1.0 0.0 8 4 0 1 o].

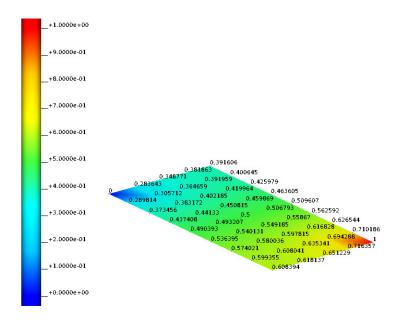


Figure 6: 2D results, current run w/ command line arguments [2.0 1.0 0.0 8 4 0 1 0].

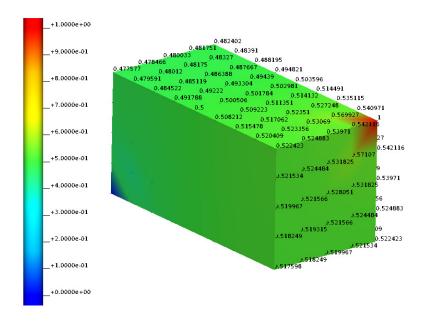


Figure 7: 3D results, iron reference w/ command line arguments [2.0 1.0 1.0 8 4 4 1 o].

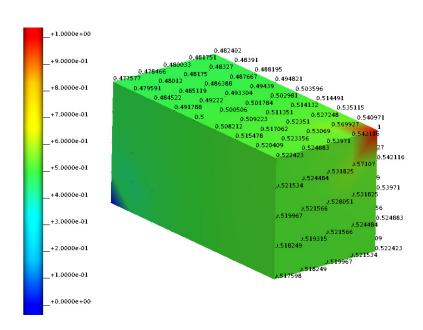


Figure 8: 3D results, current run w/ command line arguments [2.0 1.0 1.0 8 4 4 1 0].

3.4 Example-0002

Example uses generated regular meshes and solves a static problem, i.e., applies the boundary conditions in one step.

3.4.1 Mathematical model - 2D

We solve the following scalar equation,

$$\nabla \cdot \nabla \mathbf{u} = 0 \qquad \qquad \Omega = [0, 2] \times [0, 1], \tag{14}$$

with boundary conditions

$$u = 15y$$
 $x = 0$, (15)

$$u = 25 - 18y$$
 $x = 2.$ (16)

No material parameters to specify.

3.4.2 Mathematical model - 3D

We solve the following scalar equation,

$$\nabla \cdot \nabla \mathbf{u} = \mathbf{0} \qquad \qquad \Omega = [0, 2] \times [0, 1] \times [0, 1], \tag{17}$$

with boundary conditions

$$u = 15y x = 0, (18)$$

$$u = 25 - 18y$$
 $x = 2.$ (19)

No material parameters to specify.

3.4.3 Computational model

• Commandline arguments are:

float: length along x-direction float: length along y-direction

float: length along z-direction (set to zero for 2D)

integer: number of elements in x-direction integer: number of elements in y-direction

integer: number of elements in z-direction (set to zero for 2D)

interger: interpolation order (1: linear; 2: quadratic)

integer: solver type (o: direct; 1: iterative)

Commandline arguments for tests are:

2.0 1.0 0.0 2 1 0 1 0

2.0 1.0 0.0 4 2 0 1 0

2.0 1.0 0.0 8 4 0 1 0

2.0 1.0 0.0 2 1 0 2 0

2.0 1.0 0.0 4 2 0 2 0

2.0 1.0 0.0 8 4 0 2 0

2.0 1.0 0.0 2 1 0 1 1

2.0 1.0 0.0 4 2 0 1 1

3.4.4 Result summary

We use CHeart rev. 6292 to produce numerical reference solutions.

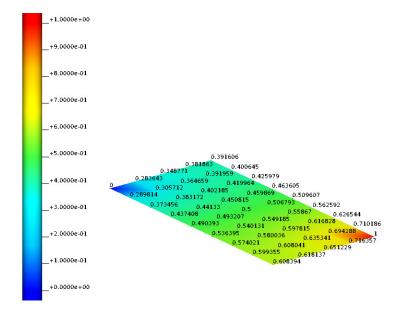


Figure 9: 2D results, iron reference w/ command line arguments [2.0 1.0 0.0 8 4 0 1

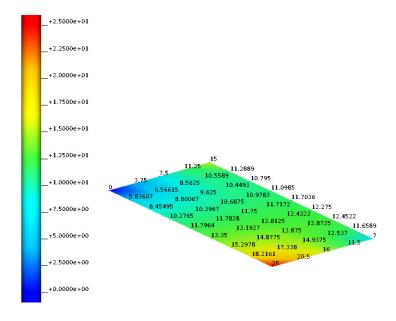


Figure 10: 2D results, current run w/ command line arguments [2.0 1.0 0.0 8 4 0 1 $\,$ o].

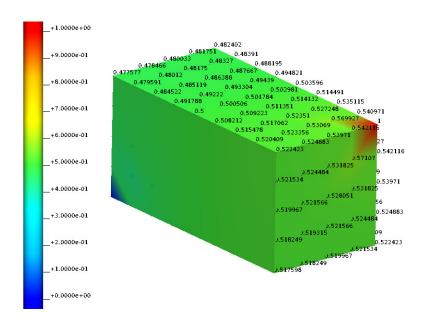


Figure 11: 3D results, iron reference w/ command line arguments [2.0 1.0 1.0 8 4 4 10].

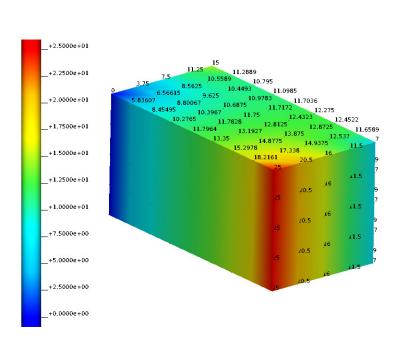


Figure 12: 3D results, current run w/ command line arguments [2.0 1.0 1.0 8 4 4 1 o].

3.5 Example-0003

Example uses generated regular meshes and solves a static problem, i.e., applies the boundary conditions in one step.

3.5.1 Mathematical model - 2D

We solve the following scalar equation,

$$\nabla \cdot \nabla u = 0 \qquad \qquad \Omega = [0, 2] \times [0, 1], \tag{20}$$

with boundary conditions

$$u = 15y \qquad x = 0, \tag{21}$$

$$u = 15y$$
 $x = 0,$ (21) $\vartheta_n u = 25 - 18y$ $x = 2.$ (22)

No material parameters to specify.

3.5.2 Mathematical model - 3D

We solve the following scalar equation,

$$\nabla \cdot \nabla \mathbf{u} = 0 \qquad \qquad \Omega = [0, 2] \times [0, 1] \times [0, 1], \tag{23}$$

with boundary conditions

$$u = 15y$$
 $x = 0$, (24)

$$\partial_n u = 25 - 18y$$
 $x = 2.$
(25)

No material parameters to specify.

3.5.3 Computational model

• Commandline arguments are:

float: length along x-direction float: length along y-direction

float: length along z-direction (set to zero for 2D)

integer: number of elements in x-direction integer: number of elements in y-direction

integer: number of elements in z-direction (set to zero for 2D)

interger: interpolation order (1: linear; 2: quadratic)

integer: solver type (o: direct; 1: iterative)

Commandline arguments for tests are:

2.0 1.0 0.0 2 1 0 1 0

2.0 1.0 0.0 4 2 0 1 0

2.0 1.0 0.0 8 4 0 1 0

2.0 1.0 0.0 2 1 0 2 0

2.0 1.0 0.0 4 2 0 2 0

2.0 1.0 0.0 8 4 0 2 0

2.0 1.0 0.0 2 1 0 1 1

2.0 1.0 0.0 4 2 0 1 1

```
2.0 1.0 0.0 8 4 0 1 1
2.0 1.0 0.0 2 1 0 2 1
2.0 1.0 0.0 4 2 0 2 1
2.0 1.0 0.0 8 4 0 2 1
2.0 1.0 1.0 2 1 1 1 0
2.0 1.0 1.0 4 2 2 1 0
2.0 1.0 1.0 8 4 4 1 0
2.0 1.0 1.0 2 1 1 2 0
2.0 1.0 1.0 4 2 2 2 0
2.0 1.0 1.0 8 4 4 2 0
2.0 1.0 1.0 2 1 1 1 1
2.0 1.0 1.0 4 2 2 1 1
2.0 1.0 1.0 8 4 4 1 1
2.0 1.0 1.0 2 1 1 2 1
2.0 1.0 1.0 4 2 2 2 1
2.0 1.0 1.0 8 4 4 2 1
```

3.5.4 Result summary

We use CHeart rev. 6292 to produce numerical reference solutions.

current_run/l2x1x0_n2x1x0_i1_s0/Example.part0.exnode

current_run/l2x1x1_n8x4x4_i2_s1/Example.part0.exnode

Passed tests: 0 / 24

Failed tests:

```
current_run/l2x1x0_n4x2x0_i1_s0/Example.part0.exnode
                                                            | CHeart
current_run/l2x1x0_n8x4x0_i1_s0/Example.part0.exnode
                                                            | CHeart
current_run/l2x1x0_n2x1x0_i2_s0/Example.part0.exnode
                                                             CHeart
current_run/l2x1x0_n4x2x0_i2_s0/Example.part0.exnode
                                                            | CHeart
current_run/l2x1x0_n8x4x0_i2_s0/Example.part0.exnode
                                                            | CHeart
current_run/l2x1x0_n2x1x0_i1_s1/Example.part0.exnode
                                                            | CHeart
current_run/l2x1x0_n4x2x0_i1_s1/Example.part0.exnode
                                                             CHeart
current_run/l2x1x0_n8x4x0_i1_s1/Example.part0.exnode
                                                             CHeart
current_run/l2x1x0_n2x1x0_i2_s1/Example.part0.exnode
                                                            | CHeart
current_run/l2x1x0_n4x2x0_i2_s1/Example.part0.exnode
                                                            | CHeart
current_run/l2x1x0_n8x4x0_i2_s1/Example.part0.exnode
                                                             CHeart
current_run/l2x1x1_n2x1x1_i1_s0/Example.part0.exnode
                                                             CHeart
current_run/l2x1x1_n4x2x2_i1_s0/Example.part0.exnode
                                                            | CHeart
current_run/l2x1x1_n8x4x4_i1_s0/Example.part0.exnode
                                                            | CHeart
current_run/l2x1x1_n2x1x1_i2_s0/Example.part0.exnode
                                                             CHeart
current_run/l2x1x1_n4x2x2_i2_s0/Example.part0.exnode
                                                             CHeart
current_run/l2x1x1_n8x4x4_i2_s0/Example.part0.exnode
                                                            | CHeart
current_run/l2x1x1_n2x1x1_i1_s1/Example.part0.exnode
                                                            | CHeart
\verb|current_run/l2x1x1_n4x2x2_i1_s1/Example.part0.exnode|\\
                                                             CHeart
current_run/l2x1x1_n8x4x4_i1_s1/Example.part0.exnode
                                                             CHeart
current_run/l2x1x1_n2x1x1_i2_s1/Example.part0.exnode
                                                             CHeart
current_run/l2x1x1_n4x2x2_i2_s1/Example.part0.exnode
                                                            | CHeart
```

- Iron $|_{2} = 27.3358$ - Iron $|_{-2} = 22.1869$ - Iron $|_{2} = 19.7449$ - Iron $|_{-2} = 44.2627$ - Iron $|_{2} = 37.2776$ - Iron $|_{-2} = 32.2165$ - Iron $|_{2} = 27.3358$ - Iron $|_{-2} = 22.1869$ - Iron $|_{2} = 19.7449$ - Iron $|_{-2} = 124.749$ - Iron $|_{2} = 128.672$ - Iron $|_{-2} = 143.606$ - Iron $|_{2} = 94.2619$ - Iron $|_{-2} = 98.7606$ - Iron $|_{-2} = 118.047$

| CHeart

| CHeart

- Iron $|_{-2} = 44.2627$

- Iron $|_2 = 37.2776$

- Iron $|_{-2} = 32.2165$

- Iron $|_{-2} = 124.749$

- Iron $|_{2} = 128.672$

- Iron $|_{-2} = 143.606$

- Iron $|_{2} = 94.2619$ - Iron $|_{-2} = 98.7606$

- Iron $|_{2} = 118.047$

Figure 13: 2D results, iron reference w/ command line arguments [2.0 1.0 0.0 8 4 0 10].

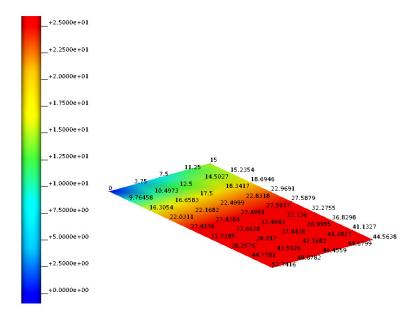


Figure 14: 2D results, current run w/ command line arguments [2.0 1.0 0.0 8 4 0 1 $\,$ o].

Figure 15: 3D results, iron reference w/ command line arguments [2.0 1.0 1.0 8 4 4 10].

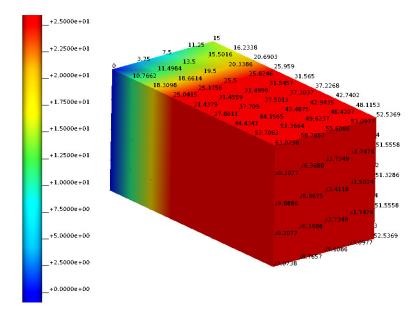


Figure 16: 3D results, current run w/ command line arguments [2.0 1.0 1.0 8 4 4 1 $\,$ o].

3.6 Example-0004

Example uses generated regular meshes and solves a static problem, i.e., applies the boundary conditions in one step.

3.6.1 Mathematical model - 2D

We solve the following scalar equation,

$$\nabla \cdot \nabla u = 0 \qquad \qquad \Omega = [0, 2] \times [0, 1], \tag{26}$$

with boundary conditions

$$u = 2.0e^{x} \cdot \cos(y)$$
 on $\partial\Omega$. (27)

No material parameters to specify.

3.6.2 Computational model

• Commandline arguments are:

integer: number of elements in x-direction integer: number of elements in y-direction

integer: number of elements in z-direction (set to zero for 2D)

interger: interpolation order (1: linear; 2: quadratic)

integer: solver type (o: direct; 1: iterative)

• Commandline arguments for tests are:

42010

84010

21020

42020

84020

42011

84011

21021

42021

84021

100 50 0 1 0 (not tested yet..)

100 50 0 2 0 (not tested yet..)

100 50 0 1 1 (not tested yet..)

100 50 0 2 1 (not tested yet..)

3.6.3 Result summary

We use CHeart rev. 6292 to produce numerical reference solutions.

Passed tests: 10 / 10

No failed tests.

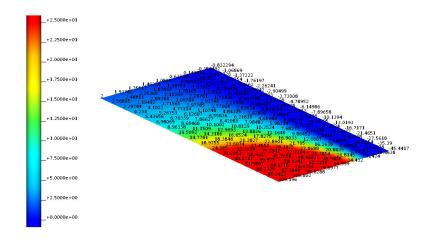


Figure 17: 2D results, iron reference w/ command line arguments [8 4 0 2 0].

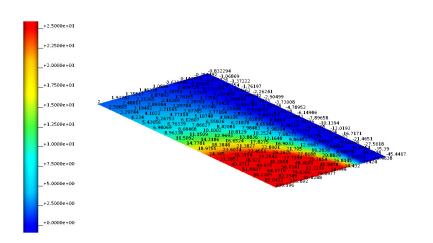


Figure 18: 2D results, current run w/ command line arguments [8 4 0 2 0].

3.7 Example-0011

Example uses generated regular meshes and solves a static problem, i.e., applies the boundary conditions in one step.

3.7.1 Mathematical model - 2D

We solve the following scalar equation,

$$\nabla \cdot [\sigma \nabla u] = 0 \qquad \qquad \Omega = [0, 2] \times [0, 1], \tag{28}$$

with boundary conditions

$$u = 0 x = y = 0, (29)$$

$$u = 1$$
 $x = 2, y = 1.$ (30)

The conductivity tensor is defined as,

$$\sigma(x,t) = \sigma = I. \tag{31}$$

3.7.2 Mathematical model - 3D

We solve the following scalar equation,

$$\nabla \cdot [\boldsymbol{\sigma} \nabla \mathbf{u}] = 0 \qquad \qquad \Omega = [0, 2] \times [0, 1] \times [0, 1], \tag{32}$$

with boundary conditions

$$u = 0$$
 $x = y = z = 0,$ (33)

$$u = 1$$
 $x = 2, y = z = 1.$ (34)

The conductivity tensor is defined as,

$$\sigma(x,t) = \sigma = I. \tag{35}$$

3.7.3 Computational model

• Commandline arguments are:

float: length along x-direction float: length along y-direction

float: length along z-direction (set to zero for 2D)

integer: number of elements in x-direction integer: number of elements in y-direction

integer: number of elements in z-direction (set to zero for 2D)

integer: interpolation order (1: linear; 2: quadratic)

integer: solver type (o: direct; 1: iterative)

float: σ_{11} float: σ_{22}

float: σ_{33} (ignored for 2D)

• Commandline arguments for tests are:

3.7.4 Result summary

We use CHeart rev. 6292 to produce numerical reference solutions.

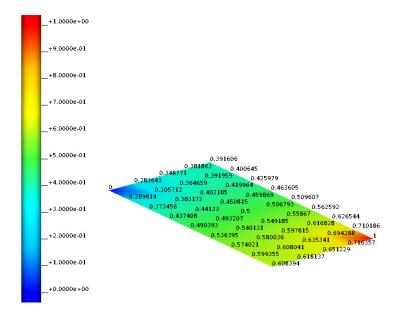


Figure 19: 2D results, iron reference w/ command line arguments [2.0 1.0 0.0 8 4 0 1011].

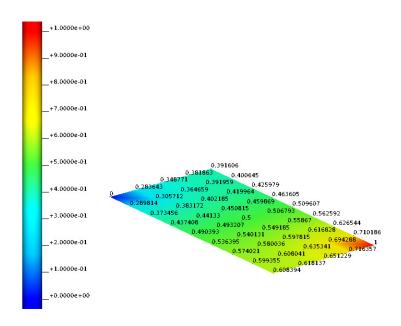


Figure 20: 2D results, current run w/ command line arguments [2.0 1.0 0.0 8 4 0 1 0 1 1].

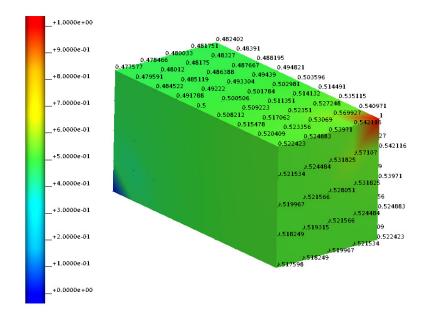


Figure 21: 3D results, iron reference w/ command line arguments [2.0 1.0 1.0 8 4 4 10111].

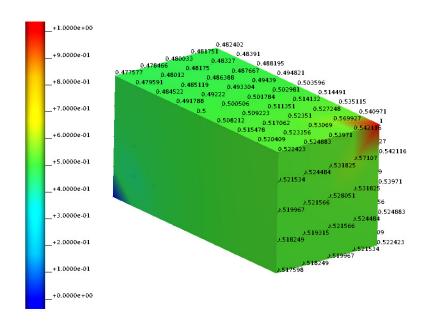


Figure 22: 3D results, current run w/ command line arguments [2.0 1.0 1.0 8 4 4 1 0 1 1 1].

4 LINEAR ELASTICITY

4.1 Equation in general form

$$\partial_{tt} \mathbf{u} + \nabla \cdot \mathbf{\sigma}(\mathbf{u}, \mathbf{t}) = \mathbf{f}(\mathbf{u}, \mathbf{t}) \tag{36}$$

4.2 Example-0101

4.2.1 Mathematical model

We solve the following equation,

$$\nabla \cdot \sigma(\mathbf{u}, \mathbf{t}) = \mathbf{0}$$
 $\Omega = [0, 160] \times [0, 120], \mathbf{t} \in [0, 5],$ (37)

with time step size $\Delta_{t}=1$ and boundary conditions

$$\dots$$
 (39)

2D: specify thickness, Young's modulus and Poisson's ratio.

4.2.2 Computational model

- Length, width, height
- Direct/iterative solver
- Generated/user mesh
- Number of elements
- Interpolation order
- Number of solver steps (time steps, load steps)

4.2.3 Results

Figure 23: Results, analytical solution.

4.2.4 Validation

CHeart rev. 6328, Abaqus 2017, analytical reference solution, whatever...

Figure 24: Results, Abaqus reference.

Figure 25: Results, iron reference.

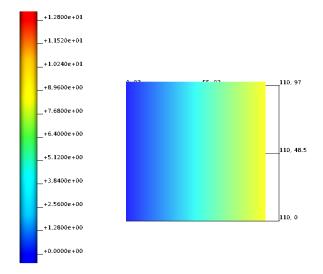


Figure 26: Results, current run.

5 FINITE ELASTICITY

6 NAVIER-STOKES FLOW

7 MONODOMAIN

8 CELLML MODEL

REFERENCES

[1] Chris Bradley, Andy Bowery, Randall Britten, Vincent Budelmann, Oscar Camara, Richard Christie, Andrew Cookson, Alejandro F Frangi, Thiranja Babarenda Gamage, Thomas Heidlauf, et al. Opencmiss: a multi-physics & multi-scale computational infrastructure for the vph/physiome project. Progress in biophysics and molecular biology, 107(1):32-47, 2011.