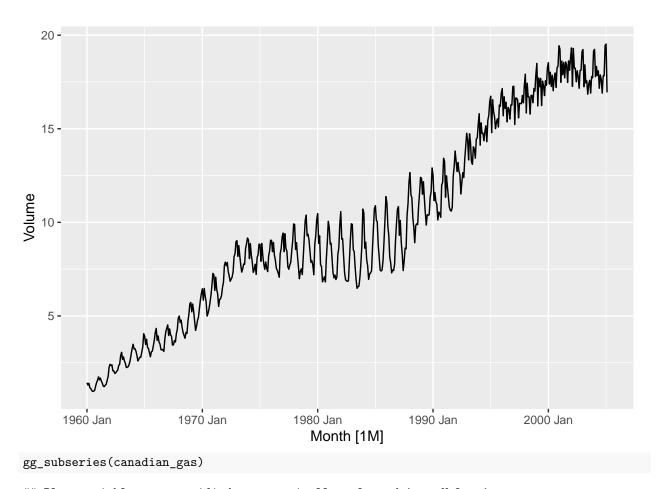
621 hw3

2023-01-30

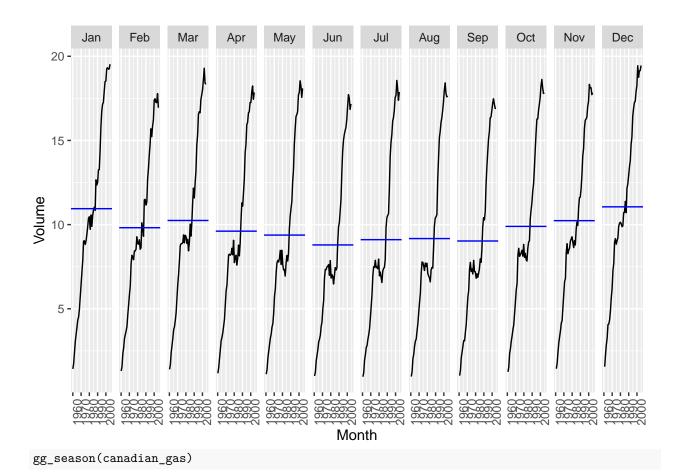
Problem 2

```
library(fpp3)
## -- Attaching packages ------ fpp3 0.4.0 --
## v tibble
               3.1.8
                        v tsibble
                                   1.1.3
## v dplyr
               1.0.9
                        v tsibbledata 0.4.1
## v tidyr
                       v feasts 0.3.0
               1.2.0
## v lubridate 1.8.0
                       v fable
                                   0.3.2
## v ggplot2
               3.3.6
## -- Conflicts -----
                                        ----- fpp3_conflicts --
## x lubridate::date() masks base::date()
## x dplyr::filter() masks stats::filter()
## x tsibble::intersect() masks base::intersect()
## x tsibble::interval() masks lubridate::interval()
## x dplyr::lag()
                 masks stats::lag()
## x tsibble::setdiff() masks base::setdiff()
## x tsibble::union()
                     masks base::union()
library(seasonal)
## Attaching package: 'seasonal'
## The following object is masked from 'package:tibble':
##
##
      view
library(ggfortify)
data(canadian_gas)
autoplot(canadian_gas)
```

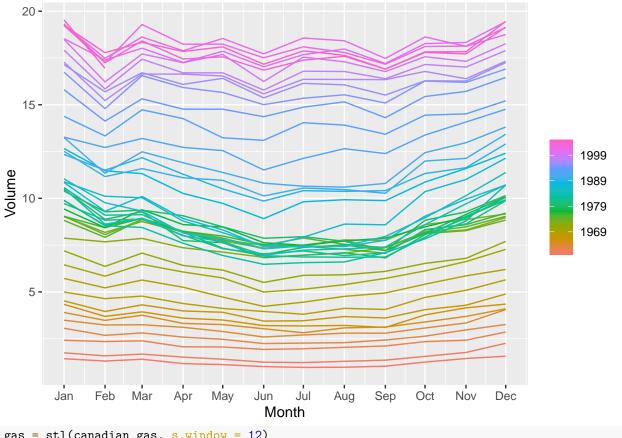
Plot variable not specified, automatically selected `.vars = Volume`

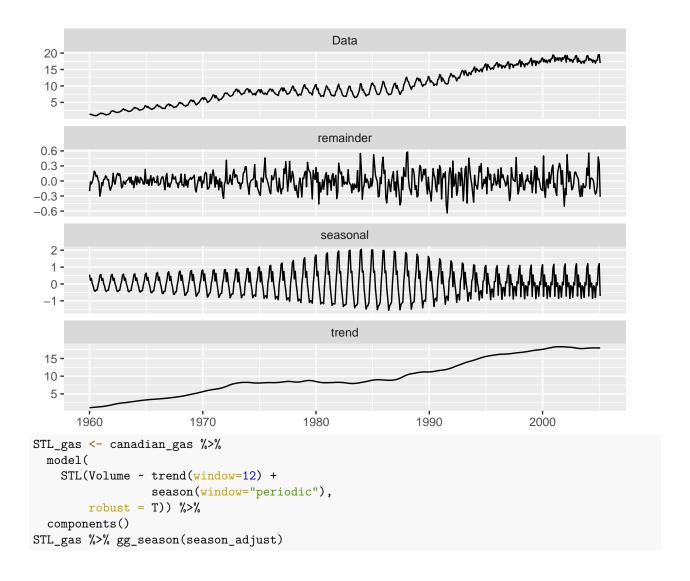


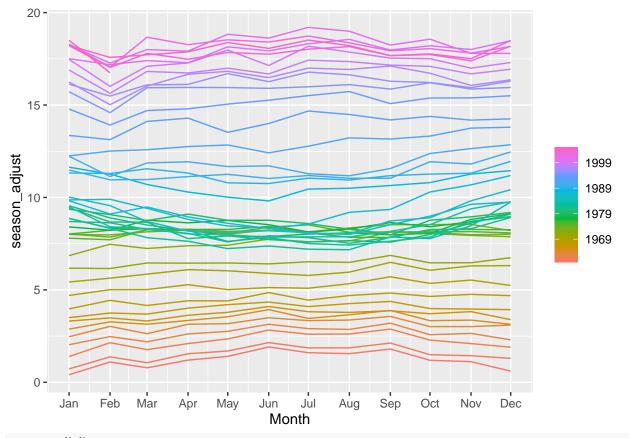
Plot variable not specified, automatically selected \dot{y} = Volume



Plot variable not specified, automatically selected `y = Volume`

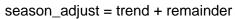


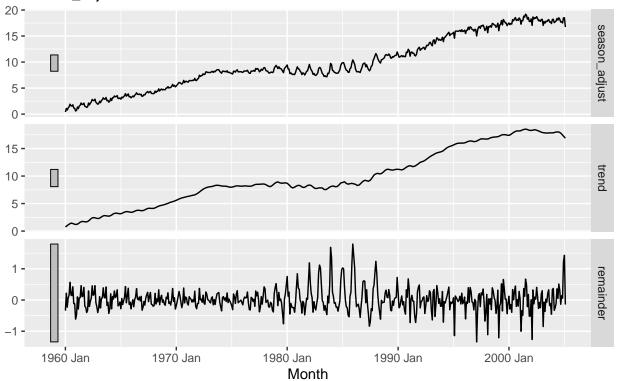




STL_gas %>%
 autoplot(season_adjust)

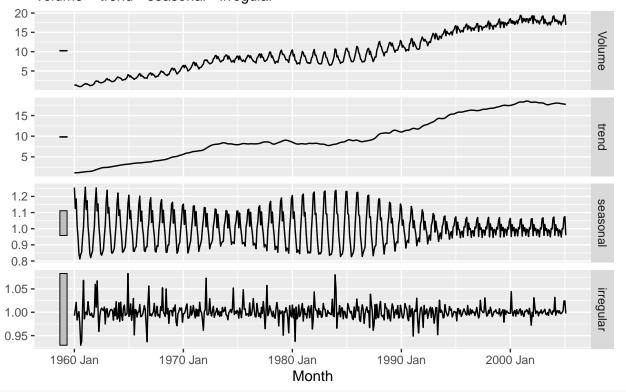
STL decomposition





```
x11_gas <- canadian_gas %>%
  model( x11 = X_13ARIMA_SEATS(Volume ~ x11())) %>%
  components()
autoplot(x11_gas)
```

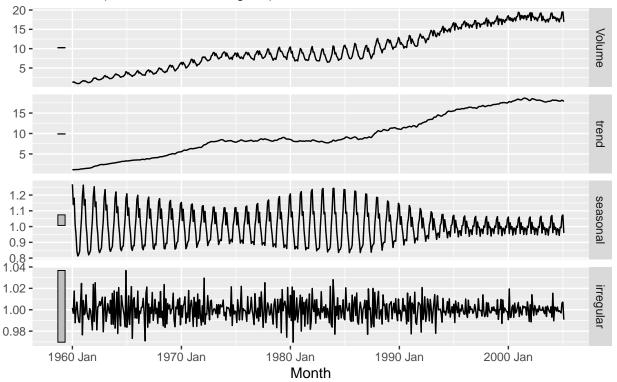
X-13ARIMA-SEATS using X-11 adjustment decomposition Volume = trend * seasonal * irregular



seats_gas <- canadian_gas %>%
 model(seats = X_13ARIMA_SEATS(Volume ~ seats())) %>%
 components()
autoplot(seats_gas)

X-13ARIMA-SEATS decomposition

Volume = f(trend, seasonal, irregular)

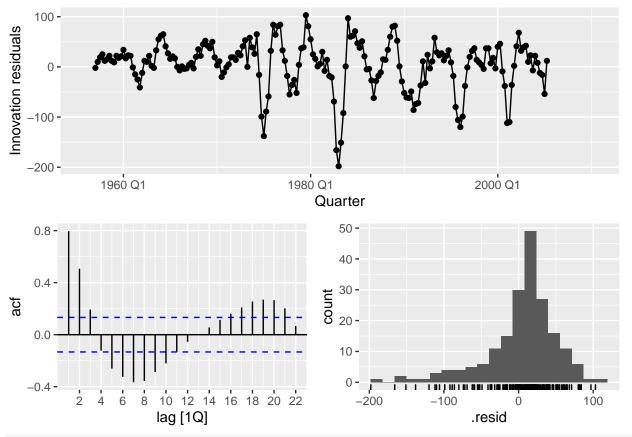


According to the plot, there is an increasing trend between 1960 and 2000. Besides, there is an obvious increase during winter. After STL decomposition, the variability becomes larger. x11 and SEATS have different seasonal variance.

Problem 3

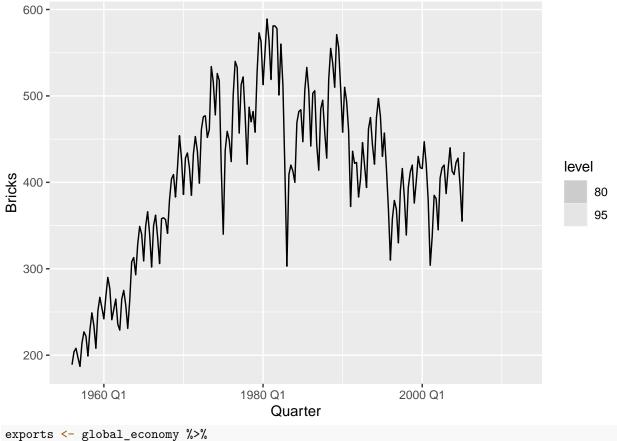
```
bricks_production <- aus_production %>%
    select(Bricks)
fit <- bricks_production %>% model(SNAIVE(Bricks))
fit %>% gg_tsresiduals()

## Warning: Removed 24 row(s) containing missing values (geom_path).
## Warning: Removed 24 rows containing missing values (geom_point).
## Warning: Removed 24 rows containing non-finite values (stat_bin).
```



fit %>% forecast() %>% autoplot(bricks_production)

- ## Warning in max(ids, na.rm = TRUE): no non-missing arguments to max; returning
 ## -Inf
- ## Warning in max(ids, na.rm = TRUE): no non-missing arguments to max; returning
 ## -Inf
- ## Warning: Removed 8 row(s) containing missing values (geom_path).
- ## Warning: Removed 20 row(s) containing missing values (geom_path).



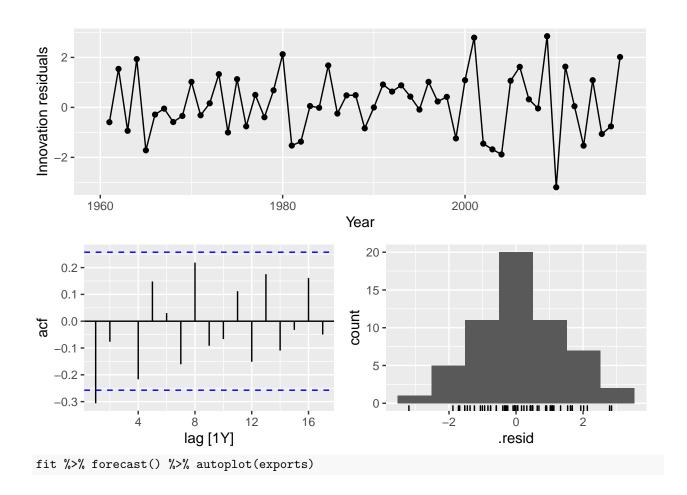
```
exports <- global_economy %>%
filter(Year>= 1960, Country == "Australia")

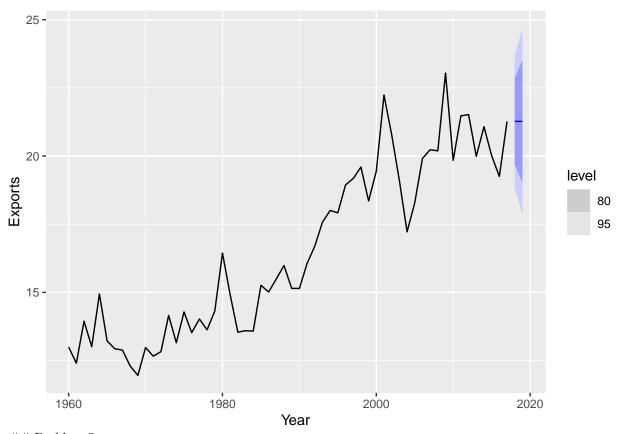
fit <- exports %>% model(NAIVE(Exports ))
fit %>% gg_tsresiduals()
```

Warning: Removed 1 row(s) containing missing values (geom_path).

Warning: Removed 1 rows containing missing values (geom_point).

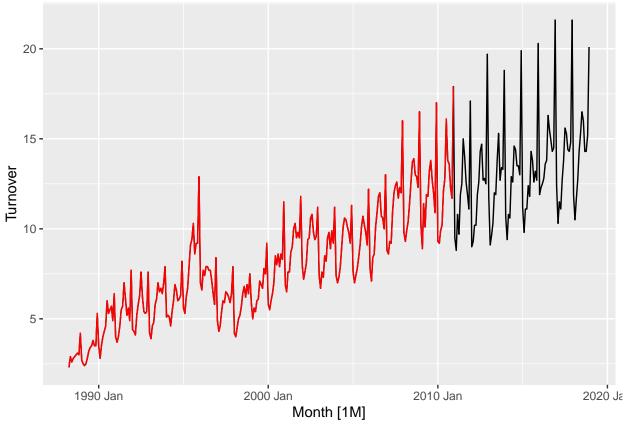
Warning: Removed 1 rows containing non-finite values (stat_bin).





Problem 5

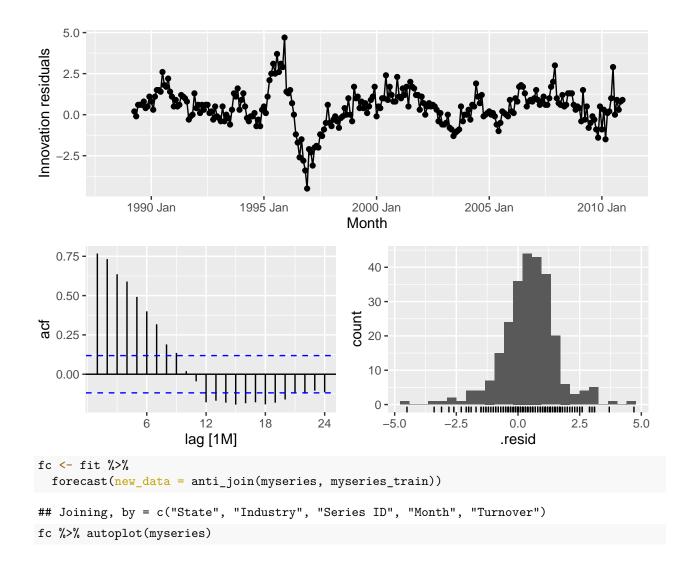
```
set.seed(12345678)
myseries <- aus_retail %>%
  filter(`Series ID` == sample(aus_retail$`Series ID`,1))
myseries_train <- myseries %>%
  filter(year(Month) < 2011)
autoplot(myseries, Turnover) +
  autolayer(myseries_train, Turnover, colour = "red")</pre>
```

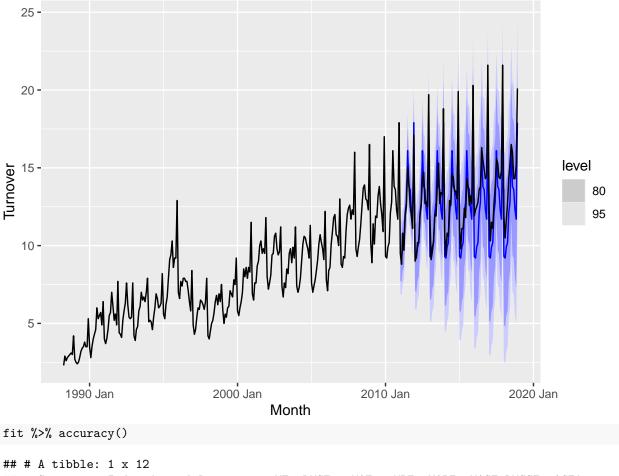


Warning: Removed 12 row(s) containing missing values (geom_path).

Warning: Removed 12 rows containing missing values (geom_point).

Warning: Removed 12 rows containing non-finite values (stat_bin).





```
Indus~1 .model .type
##
     State
                                                   MAE
                                                                     MASE RMSSE
                                        ME
                                            RMSE
                                                         MPE
##
     <chr>>
               <chr>
                       <chr> <chr> <dbl> <dbl> <dbl> <dbl> <
                                                             <dbl>
                                                                    <dbl> <dbl> <dbl>
## 1 Northern~ Clothi~ SNAIV~ Trai~ 0.439 1.21 0.915 5.23
                                                              12.4
                                                                              1 0.768
## # ... with abbreviated variable name 1: Industry
fc %>% accuracy(myseries)
```

```
## # A tibble: 1 x 12
##
     .model
                State Indus~1 .type
                                                                     MASE RMSSE ACF1
                                        ME RMSE
                                                    MAE
                                                          MPE
                                                               MAPE
                <chr> <chr>
                               <chr> <dbl> <
## 1 SNAIVE(Tu~ Nort~ Clothi~ Test 0.836 1.55 1.24 5.94 9.06
                                                                    1.36 1.28 0.601
## # ... with abbreviated variable name 1: Industry
```

From 1995 to 2000, the residuals are worse. According to the residual plot, it has a shape of normal distribution, but it does not centered in 0.

It is important to choose appropriate data consisting of training set. If there are many similar data, the accuracy of forcesting is poor, if there are less various data, there may be some important information we will ignore.

Problem 6

```
library(astsa)
```

##

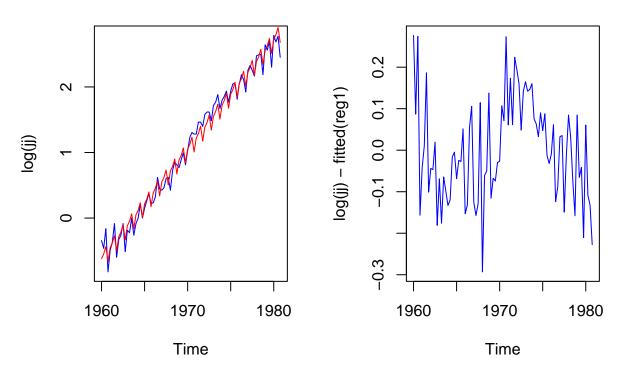
```
## Attaching package: 'astsa'
## The following object is masked _by_ '.GlobalEnv':
##
##
## The following objects are masked from 'package:seasonal':
##
##
      trend, unemp
trend = time(jj) - 1970
Q = factor(cycle(jj) )
reg1 = lm(log(jj)~0 + trend + Q, na.action=NULL)
summary(reg1)
##
## Call:
## lm(formula = log(jj) ~ 0 + trend + Q, na.action = NULL)
## Residuals:
                1Q
                     Median
       Min
                                 3Q
                                         Max
## -0.29318 -0.09062 -0.01180 0.08460 0.27644
##
## Coefficients:
##
        Estimate Std. Error t value Pr(>|t|)
## trend 0.167172 0.002259
                           74.00
                                    <2e-16 ***
                 0.027359
                            38.48
                                    <2e-16 ***
## Q1
        1.052793
## Q2
       1.080916
                 0.027365
                            39.50
                                    <2e-16 ***
## Q3
        1.151024 0.027383
                            42.03
                                    <2e-16 ***
## 04
        0.882266
                 0.027412
                            32.19
                                    <2e-16 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 0.1254 on 79 degrees of freedom
## Multiple R-squared: 0.9935, Adjusted R-squared: 0.9931
## F-statistic: 2407 on 5 and 79 DF, p-value: < 2.2e-16
reg2 = lm(log(jj)~trend + Q, na.action=NULL)
summary(reg2)
##
## Call:
## lm(formula = log(jj) ~ trend + Q, na.action = NULL)
##
## Residuals:
##
       Min
                1Q
                    Median
                                 3Q
## -0.29318 -0.09062 -0.01180 0.08460 0.27644
##
## Coefficients:
              Estimate Std. Error t value Pr(>|t|)
## (Intercept) 1.052793 0.027359 38.480 < 2e-16 ***
              ## trend
## Q2
              0.028123 0.038696
                                  0.727
                                          0.4695
## Q3
              0.098231
                         0.038708
                                 2.538
                                          0.0131 *
             ## Q4
## ---
```

```
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 0.1254 on 79 degrees of freedom
## Multiple R-squared: 0.9859, Adjusted R-squared: 0.9852
## F-statistic: 1379 on 4 and 79 DF, p-value: < 2.2e-16

par(mfrow=c(1,2))
plot(log(jj), main="Plot of data (R) & fitted value", col="blue")
lines(fitted(reg1), col="red")
plot(log(jj) - fitted(reg1), main="Plot of residuals", col="blue")</pre>
```

Plot of data (R) & fitted value

Plot of residuals



If there is an intercept in the model, there will not exist Q1. According to the plot, the residuals are fluctuating around 0, which means it fitted well.