

# Performance Measurement

## Chapter 18

# Key Points: Performance Measures

1. We should not compare past returns. We need to account for risk.
  - Positive relation between risk and performance
2. Different measures for different aspects of risk
  - Total Risk: Sharpe Ratio
  - Passive Risk (following a benchmark): Treynor Ratio
  - Active Risk (deviating from a benchmark): Jensen's  $\alpha$  or information ratio
3. Different measures for different purposes
  - Choosing among optimal portfolios: Sharpe Ratio
  - Choosing among portfolios/Assets to add to the optimal portfolio: Treynor Ratio
  - To measure the value added of a manager: Jensen's  $\alpha$  or information ratio

# Key Points: Performance Attribution + Reality

## 4. Performance Attribution: a tool to decompose overall performance into three components

- ① – Asset allocation choices (Equity vs. bonds vs. cash)
- ② – Sector Choice within each asset class (within equity, tech or consumer)
- ③ – Security choice within each sector (within tech, Alibaba or Apple)

## 5. Reality Check

- It is hard to disentangle skill from luck
- Alpha is very sensitive to the model used
- Evidence for manager skill is weak
  - Low persistence in performance
  - If skillful, most not skillful enough to earn back fees

# Performance Appraisal

- My fund earned an 9% return last year.
  - Is this good or bad?
- Compared to what?
  - Opportunity cost: compared to a **similar** foregone alternative
  - What makes investments similar?
- Compare to a **benchmark** or **model** to reflect the risk-return relationship for **normal returns**
  - CAPM, APT, Fama-French
  - Test for a **statistically significant** difference in **abnormal** returns.
    - “statistically significant” = <5% chance that random (note: 5% is arbitrary/convention)

# Example: Is Investing No Monkey Business?



A blindfolded monkey throwing darts at a newspaper's financial pages could select a portfolio that would do just as well as one carefully selected by experts,

— Burton Malkiel —

AZ QUOTES

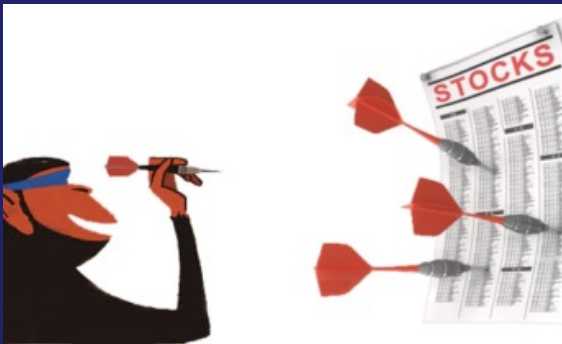
- Researchers at Research Affiliates (Investment advisors):

- Simulated 100 monkeys throwing 30 darts at 1000 large stocks
- Formed an equally weighted portfolio
- Repeated every year from 1964 to 2010

may ↓ put weight small stock → may have higher return

- Compared to the 1000-stock value-weighted portfolio

- 98 of 100 “monkeys” beat the market
- Average monkey outperformed the market by 1.7%



[https://www.researchaffiliates.com/en\\_us/publications/journal-papers/p\\_2013\\_aug\\_surprising\\_alpha.html](https://www.researchaffiliates.com/en_us/publications/journal-papers/p_2013_aug_surprising_alpha.html)

<https://www.forbes.com/sites/rickferri/2012/12/20/any-monkey-can-beat-the-market/#6c1d8928630a>

How do we know our fund manager is  
earning their keep?

# Return-based performance measures

1. Simple Benchmark
  2. Sharpe Ratio
  3.  $M^2$  Measure
  4. Treynor Ratio
  5. Alpha
  6. Information Ratio
- Each measure captures different aspects of the risk-return relation
    - Depending on what is important to you, different measures can be better or worse.

# 1. Simple Benchmark

- Unambiguous
  - Names and weights in securities are known in advance
- Tradable
  - It should be an easy passive option for the manager
- Measurable
  - Must be possible to calculate return periodically
- Appropriate
  - Must reflect the manager's style, i.e. the fund's risk exposures(s)



# 1. Simple Benchmark: Example

- Suppose you want to evaluate the performance of a portfolio comprised mainly of large, listed Australian stocks.
- What would make a good benchmark?
  - ASX200 Index *good, but can't be traded*
  - Even more fair: An ASX200 ETF.

# 1. Simple Benchmark: Problems

- Is the benchmark, truly the next best alternative?
- It is easy to game a benchmark.
  - How do we know that the benchmark truly has the same risk?
- Solutions:
  1. Use Style Analysis to assign or check the benchmark
    - This is what Morningstar does.
  2. Assume a particular model of behavior or asset pricing
    - Sharpe Ratio,  $M^2$ , Treynor Ratio, Alpha, Information Ratio

# Style Analysis

- How to interpret the fund with risk exposures
- $r_{i,t} - r_{f,t} = \alpha_i + \beta_{M,i}(r_{M,t} - r_{f,t}) + \beta_{SMB,i}SMB_t + \beta_{HML,i}HML_t + \varepsilon_{i,t}$

- $r_{i,t} - r_{f,t} = 0.01 + 1.1(r_{M,t} - r_{f,t}) + 0.3SMB_t - 0.2HML_t + \varepsilon_{i,t}$

- $R^2$  is 73%

↑  
over-weighting  
small stock

↓  
over-weighting  
growth stock

- Style analysis: *'walks like a duck'*
  - High market beta
  - Overweight small and growth stocks
  - Relatively high idiosyncratic risk
    - Other risk factors, e.g., momentum?

# Style Analysis

- The idea is to make sure that the chosen benchmark and the fund to be evaluated load similarly on the risks.
  - This is how Morningstar.com.au does it
- An alternate method is NOT to use factor models, but instead examine any portfolio return to see how the fund is correlated.
  - For example:
    - Oil, Coal, Large stock, Value stock, Pharmaceuticals, etc...
- Or just assume a particular model of behavior or asset pricing
  - Sharpe Ratio,  $M^2$ , Treynor Ratio, Alpha, Information Ratio

## 2. Sharpe Ratio

- When selecting an optimal, complete portfolio, we care about the **total** risk
  - Assuming mean-variance optimizing investors, total risk (standard deviation or variance) is the right measure of risk.

- Realized Sharpe Ratio:

historic average return →

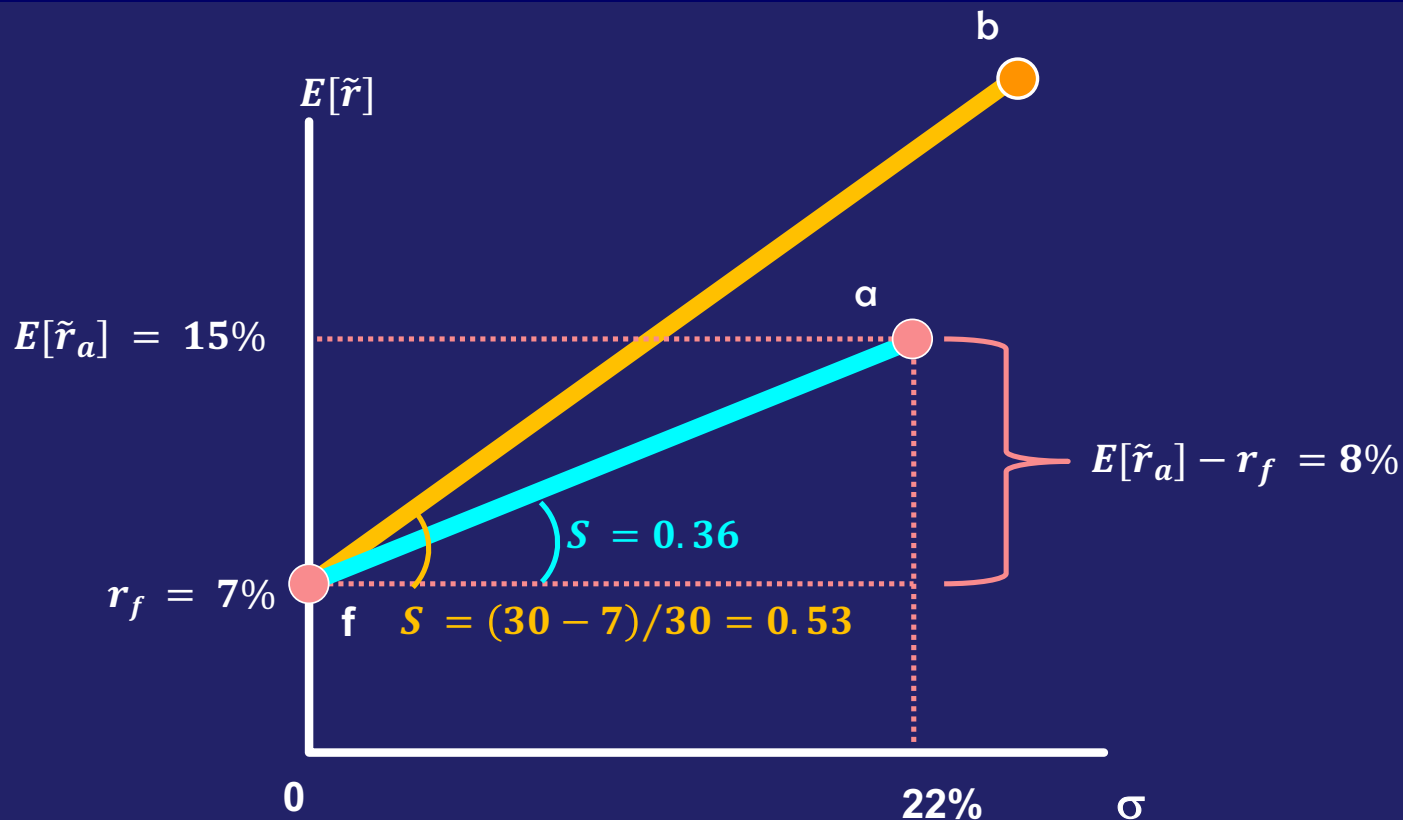
$$\text{Sharpe Ratio} = \frac{\bar{r}_P - \bar{r}_f}{\sigma_P}$$

if we believe iid, then average will cancel error and close to true value

Why are these historic average returns when we care about future (expected) returns?


- Returns and standard deviation should be measured over the same period.

# The better price of risk: Choosing between portfolios a and b?



## AB Managed Volatility Equities

Retail

Fund Report | Report generated 30 Sep 2019 | [Read the Analyst Research Report](#)

### Performance

31 Aug 2019

#### Growth of \$10,000



- Fund: AB Managed Volatility Equities
- Index: S&P/ASX 200 TR AUD
- Category: Equity Australia Large Blend

#### Financial Year Total Returns

	Jun-17	Jun-18	Jun-19	Aug-19
Fund	11.46	13.83	11.85	3.56
+/- Cat	-1.35	0.66	4.62	2.87
+/- Index	-2.63	0.81	0.30	3.05

### Current Investment Style

as at 31 Aug 2019

Value Blend Growth

			Large
			Medium
			Small

Size | Large Style | Growth

### Asset Allocation

% as at 31 Aug 2019

Domestic Equity	76.496
International Equity	19.503
Listed Property	0.000
Unlisted Property	0.000
Domestic Fixed Interest	0.000
International Fixed Interest	0.000
Cash	4.001
Other	0.000

**Trailing Total Returns**

as at 31 Aug 2019

	Total Return	+/- Cat	+/- Index	Cat Rank
1 Month	0.31	2.50	2.67	7 / 354
3 Month	8.44	4.70	4.21	6 / 353
1 Year	13.34	7.89	4.30	4 / 347
3 Year	12.32	2.71	0.95	16 / 311
5 Year	13.22	6.58	5.32	1 / 291

**Risk Analysis**

as at 31 Aug 2019

3-Year Risk Measures	Fund	Category	Index
Standard Deviation	7.83	9.14	8.8
Sharpe Ratio	1.3	0.85	1.07
R-Squared	68.81	88.27	--
Beta	0.74	0.97	--
Alpha	3.24	-1.48	--

**Fees & Expenses**

## One-Time

Entry Fee/Contribution Fee	0.00%
Exit Fee/Withdrawal Fee	0.00%
Buy/Sell Spread	0.5068

## Annual

ICR pa (30 Jun 2019)	0.5500
Max Management Fee pa ⓘ	0.55%
Max Admin Fee pa ⓘ	0.00%
Performance Fee pa (30 Jun 2019)	0.00%
Max Brokerage	0.0000

<https://www.morningstar.com.au/Funds/FundReport/40678>



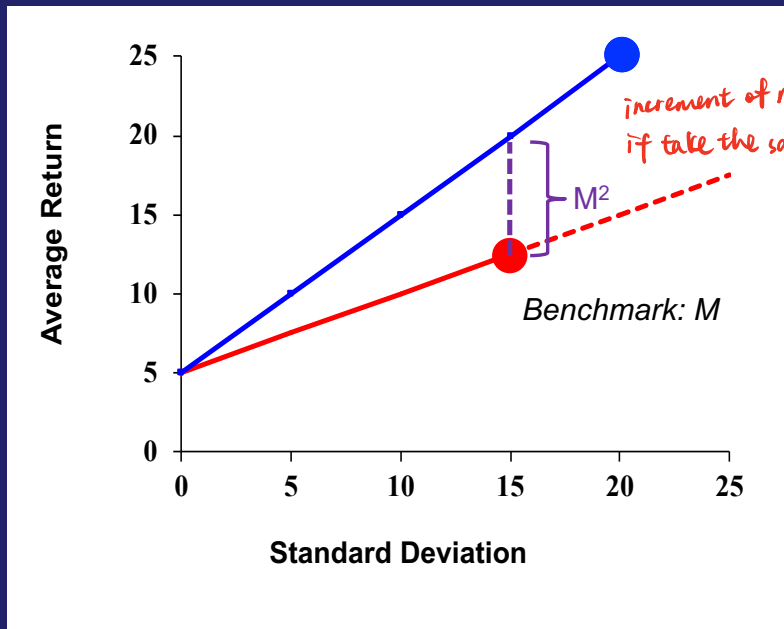
# M<sup>2</sup> Measure

- Problem with the Sharpe ratio:
  - Suppose one fund has a Sharpe ratio of 0.74 and another of 0.69
  - What does the 0.05 difference mean?



$$M^2 = (S_P - S_M)\sigma_M$$

- Intuitively, M<sup>2</sup> is the extra reward you get if you invest in portfolio P and take only  $\sigma_M$  amount of risk.
  - Your book walks through the math

# M<sup>2</sup>: Pictorially



# Risk-Adjusted Measures

- The Sharpe ratio and the M<sup>2</sup> measure are good only for choosing your optimal risky portfolio to mix with risk-free assets. 
  - If you are considering the performance of a portfolio or asset you are considering adding to an already well diversified portfolio: 
4. Treynor Ratio
  5. Alpha
  6. Information Ratio *also called the Appraisal Ratio*

## 4. Treynor Ratio: Assuming (CAPM or 1-Factor APT)

- Treynor compares the excess return per unit of beta with that of its benchmark, M

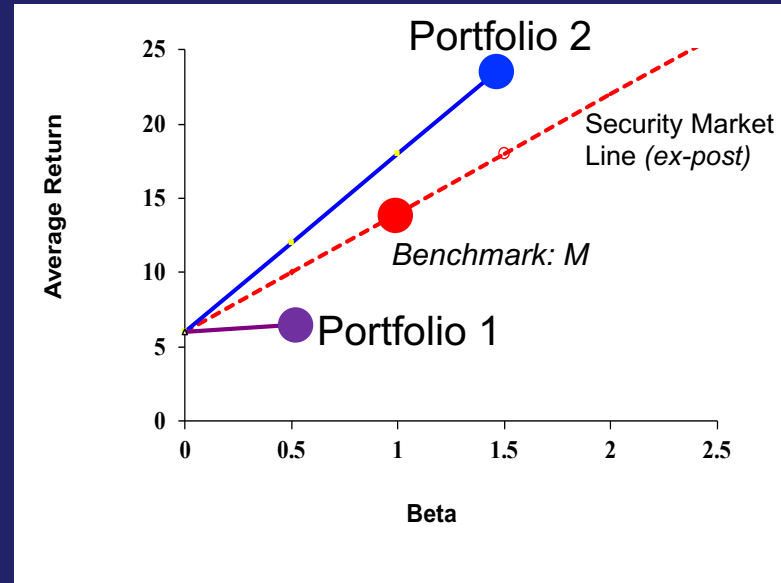


$$T_p = \frac{\bar{R}_p - \bar{r}_f}{\beta_p} \text{ vs. } T_M = \frac{\bar{R}_M - \bar{r}_f}{\beta_M}$$

*reward for systematic risk*

*only work for one benchmark*

- Which is better 1 or 2?
- Who got a better price for systematic risk taken?



# 5. Alpha

- The return of a fund has two components:

- Systematic/Passive
- Active

$$r_{P,t} = \alpha_P + r_f + \beta_P(r_{F,t} - \boxed{r_f}) + \varepsilon_{P,t} \approx \underbrace{\alpha_P + \beta_P(r_{F,t})}_{\alpha \text{ on average}} + \varepsilon_{P,t}$$

*in practical, small and less impact on  $\beta_P$ . throw away*

$$r_{P,t} = \underbrace{\beta_P(r_{F,t})}_{\text{Systematic/Passive}} + \underbrace{\alpha_P + \varepsilon_{P,t}}_{\text{Active}}$$

*$\alpha$  on average*  
*0 on average*

$$\sigma_i^2 = \underbrace{\beta_i^2 \sigma_M^2}_{\text{Systematic Risk}} + \underbrace{\sigma_{\varepsilon_i}^2}_{\text{Active Risk}}$$

## Trailing Total Returns

as at 31 Aug 2019

	Total Return	+/- Cat	+/- Index	Cat Rank
1 Month	0.31	2.50	2.67	7 / 354
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R-Squared	68.81	88.27	--
Beta	0.74	0.97	--
Alpha	3.24	-1.48	--

*seems good*

## Fees & Expenses

### One-Time

Entry Fee/Contribution Fee	0.00%
Exit Fee/Withdrawal Fee	0.00%
Buy/Sell Spread	0.5068

### Annual

ICR pa (30 Jun 2019)	0.5500
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Performance Fee pa (30 Jun 2019)	0.00%
Max Brokerage	0.0000

<https://www.morningstar.com.au/Funds/FundReport/40678>

## Trailing Total Returns

as at 31 Aug 2019

	Total Return	+/- Cat	+/- Index	Cat Rank
1 Month	-2.84	-0.65	-0.48	304 / 354
3 Month	4.06	0.32	-0.18	150 / 353
1 Year	5.01	-0.44	-4.03	194 / 347
3 Year	10.76	1.14	-0.62	92 / 311
5 Year	6.84	0.21	-1.05	117 / 291

## Risk Analysis

as at 31 Aug 2019

3-Year Risk Measures	Fund	Category	Index
Standard Deviation	9.62	9.14	8.8
Sharpe Ratio	0.93	0.85	1.07
R-Squared	95.72	88.27	--
Beta	1.07	0.97	--
Alpha	-1.15	-1.48	--

*easily replicated  
with benchmark  
portfolio*

## Fees &amp; Expenses

## One-Time

Entry Fee/Contribution Fee	0.00%
Exit Fee/Withdrawal Fee	0.00%
Buy/Sell Spread	0.4008

## Annual

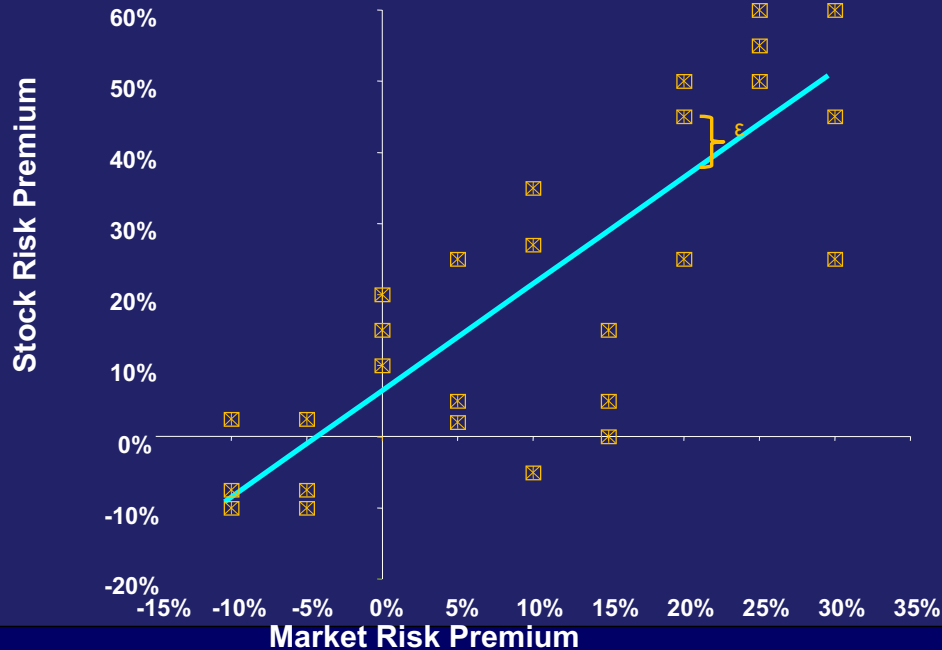
ICR pa (30 Jun 2018)	2.0895
Max Management Fee pa ⓘ	1.85%
Max Admin Fee pa ⓘ	0.00%
Performance Fee pa (30 Jun 2018)	--
Max Brokerage	0.0000

*huge fee*

<https://www.morningstar.com.au/Funds/FundReport/9105>

# High $R^2$ : Security Characteristic Line

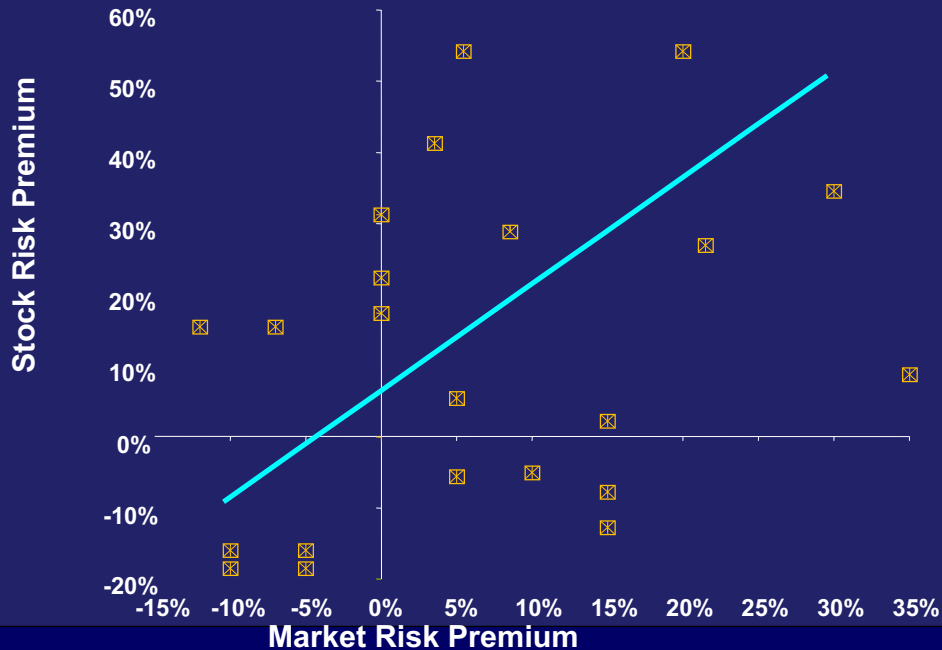
$R^2 \uparrow \Rightarrow$  data are closely around the regression line



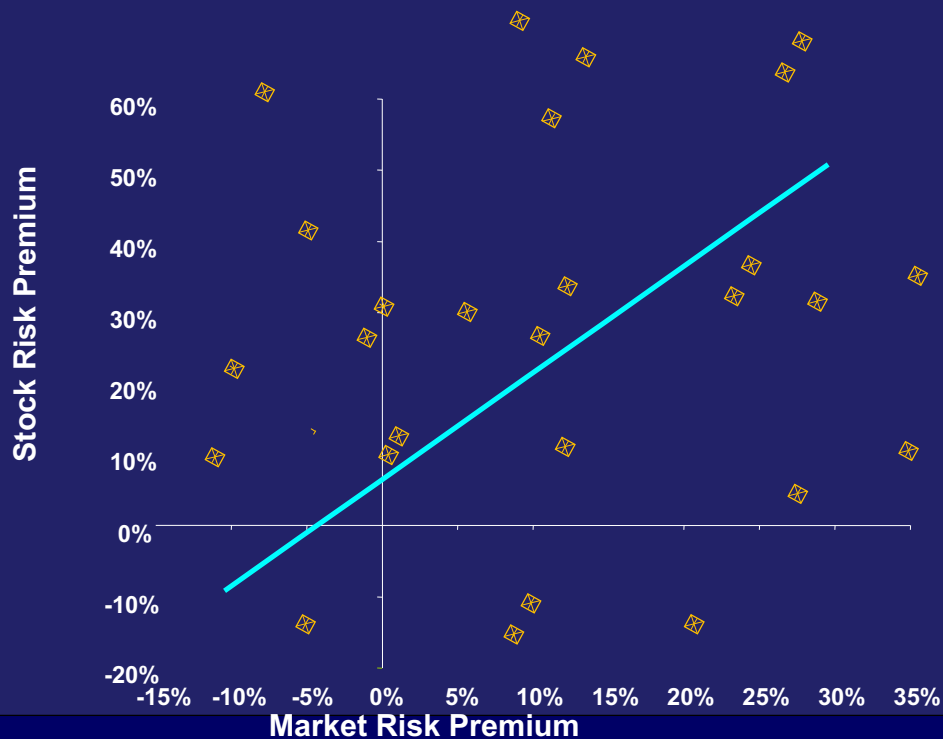


# Low $R^2$ : Security Characteristic Line

$R^2 \downarrow \Rightarrow$  data spread out



# Very Low $R^2$ : Security Characteristic Line



## 5. Alpha

$$r_{P,t} = \underbrace{\beta_P(r_{F,t})}_{\text{Systematic/Passive}} + \underbrace{\alpha_P + \varepsilon_{P,t}}_{\text{Active}}$$

$$\sigma_P^2 = \underbrace{\beta_i^2 \sigma_F^2}_{\text{Systematic Risk}} + \underbrace{\sigma_{\varepsilon_P}^2}_{\text{Active Risk}}$$

- The closer  $\beta$  is to 1, the more similar the risk of the portfolio is to the benchmark
- The higher  $R^2$  is the more the portfolio can be replicated by the benchmark or passive portfolio.

# The definition of alpha depends on the asset pricing model

- **Alpha** tells us how much return we get over and above our compensation for risk

- CAPM alpha

$$E[\tilde{r}_i] - r_f = \alpha_i + \beta_{M,i}(E[\tilde{r}_M] - r_f)$$

$$\alpha_i = \bar{r}_i - \beta_{M,i}(\bar{r}_M - \bar{r}_f) - \bar{r}_f$$

- Fama-French 3-factor alpha

$$E[\tilde{r}_i] - r_f = \alpha_i + \beta_{M,i}(E[\tilde{r}_M] - r_f) + \beta_{SMB,i}E[\widetilde{SMB}] + \beta_{HML,i}E[\widetilde{HML}]$$

$$\alpha_i = \bar{r}_i - \beta_{M,i}(\bar{r}_M - \bar{r}_f) + \beta_{SMB,i}\bar{r}_{SMB} + \beta_{HML,i}\bar{r}_{HML}$$

# Example: Calculating Alpha in Excel

= managed funds

- One of the oldest mutual funds in the US:
  - American Funds American Balanced Fund, Class A. (2010-2018)

SUMMARY OUTPUT							
Regression Statistics							
Multiple R		0.975					
R Square		0.951	$R^2 \uparrow$				
Adjusted R Square		0.949					
Standard Error		0.00535332					
Observations		114					
ANOVA							
	df	SS	MS	F	Significance F		
Regression	4	0.060570692	0.015142673	528.3918405	2.28564E-70		
Residual	109	0.003123726	2.8658E-05				
Total	113	0.063694418					
	Coefficients	Standard Error	t Stat	P-value	Lower 95%	Upper 95%	
Intercept $\alpha$	0.001029	0.000532	1.936	0.056	-0.000025	0.002083	
rm-rf	0.632496	0.014507	43.599	0.000	0.603743	0.661249	
SMB	-0.142830	0.023781	-6.006	0.000	-0.189963	-0.095697	
HML	-0.011781	0.024628	-0.478	0.633	-0.060593	0.037031	
WML	-0.013629	0.017592	-0.775	0.440	-0.048495	0.021236	

low  $\beta$

# Interpreting $\alpha$

- If the model (CAPM, Fama-French, etc.) is correct, we expect  $\alpha$  to be zero.  
*if  $\alpha \neq 0$  { model is wrong  
model is right & manager find some underpriced (overpriced) stock  
model is wrong, manager loads extra risk*
- We run a regression, like on the previous slide, using gross returns (ignoring fees) and find  $\alpha$  is:
  - Insignificantly different from 0:
    - There is no evidence of particular asset or strategy picking skill by the manager.
  - Significantly negative:
    - Suggests the manager has a perverse skill to pick underperforming assets/strategies
  - Significantly positive:
    - Suggests the fund manager has skill picking assets for the portfolio
- This interpretation is only as valid as the model.

$\alpha > 0$  could also mean that the model is wrong, and the manager is loading on unmodeled risks.

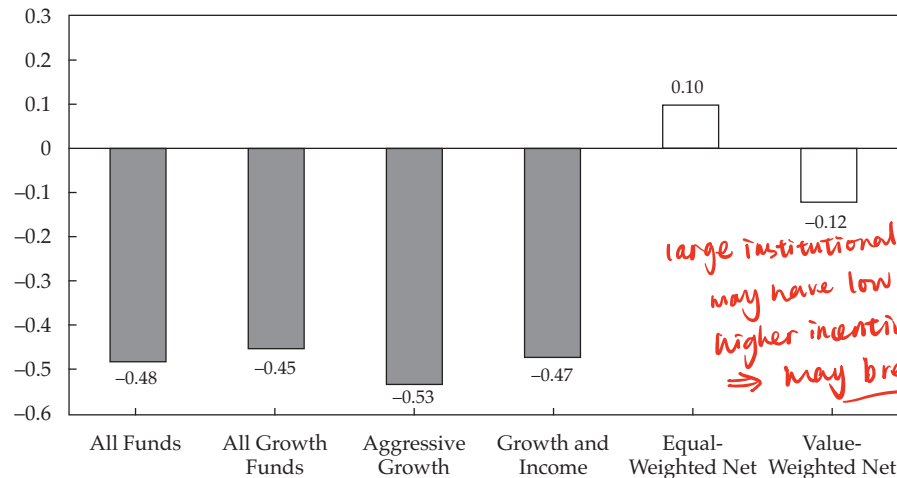
# Alphas and Managed Funds

- $\alpha$  can be interpreted (when using gross returns to calculate fund returns) as the maximum you should be willing to compensate a fund manager.
- **Some would argue**, that the risk-return model you use to compute  $\alpha$  should only reflect modeled risks that you can trade easily.
  - This way  $\alpha$  represents the returns you cannot replicate yourself with ETFs or other simple and cheap portfolios.
  - For example, if you can't easily trade a momentum strategy, then you shouldn't use the Carhart 4-factor model.

# Managed/Mutual Fund $\alpha$ 's – Returns are net of fees

**Figure 1. Four-Factor Alphas for Active Equity Mutual Funds and Active Equity ISAs, Net of Fees and Expenses**

Annualized Four-Factor Alpha (%)



■ Based on Active Equity Mutual Fund Data (January 1975–December 2006)

□ Based on Active Equity Institutional Separate Account Data (1991–2007)

Sources: Barras, Scaillet, and Wermers (2010) for mutual fund data; Busse, Goyal, and Wahal (2010) for ISA data.



# Alphas and Portfolio Rankings

- Alpha does not account for risk.
- Consider:
  - A fixed-income manager with an alpha of 1.5%
  - A growth-stock manager with an alpha of 1.75%
  - Given that fixed-income funds usually have lower volatility, is 1.5% worse?
- Alpha can be altered just by changing the amount of leverage
  - But leverage increases risk

## 6. Information Ratio

- The information ratio is a measure of reward to risk from alpha.

$$IR_P = \frac{\hat{\alpha}_P}{\hat{\sigma}_{\varepsilon_P}}$$

*alpha from index model*

*residual standard deviation*

Often called the "appraisal ratio" and the variance is the variance of the residual from the regression.

$$IR_P \approx \frac{t_\alpha}{\sqrt{n}}$$

- The Sharpe Ratio of a new risky portfolio that **optimally** mixes your existing fund, M, with a new fund, P, is:

$$S_{New} = \sqrt{S_M^2 + IR_P^2}$$

# Example: Calculating Information Ratio in Excel

- One of the oldest mutual funds in the US:
  - American Funds American Balanced Fund, Class A. (2010-2018)

SUMMARY OUTPUT						
Regression Statistics						
Multiple R		0.975				
R Square		0.951				
Adjusted R Square		0.949				
Standard Error		0.00535332				
Observations		114				
ANOVA						
	df	SS	MS	F	Significance F	
Regression	4	0.060570692	0.015142673	528.3918405	2.28564E-70	
Residual	109	0.003123726	2.8658E-05			
Total	113	0.063694418				
	Coefficients	Standard Error	t Stat	P-value	Lower 95%	Upper 95%
Intercept $\alpha$	0.001029	0.000532	1.936	0.056	-0.000025	0.002083
rm-rf	0.632496	0.014507	43.599	0.000	0.603743	0.661249
SMB	-0.142830	0.023781	-6.006	0.000	-0.189963	-0.095697
HML	-0.011781	0.024628	-0.478	0.633	-0.060593	0.037031
WML	-0.013629	0.017592	-0.775	0.440	-0.048495	0.021236

Standard deviation of the residual.

$IR = \frac{.001029}{.005353} = 0.19224$

# Example: Performance evaluation through different lenses

## AB Managed Volatility Equities

Retail

### Risk Analysis

as at 31 Aug 2019

3-Year Risk Measures	Fund	Category	Index
Standard Deviation	7.83	9.14	8.8
Sharpe Ratio	1.3	0.85	1.07
R-Squared	68.81	88.27	--
Beta	0.74	0.97	--
Alpha	3.24	-1.48	--

## Alphinity Australian Share Class B

Retail

### Risk Analysis

as at 31 Aug 2019

3-Year Risk Measures	Fund	Category	Index
Standard Deviation	9.62	9.14	8.8
Sharpe Ratio	0.93	0.85	1.07
R-Squared	95.72	88.27	--
Beta	1.07	0.97	--
Alpha	-1.15	-1.48	--

Recall:

$$\sigma_P^2 = \beta_i^2 \sigma_M^2 + \sigma_{\varepsilon_P}^2$$

$$\hat{\sigma}_{\varepsilon} \approx \sqrt{\hat{\sigma}_{Fund}^2 - \hat{\beta}^2 \hat{\sigma}_M^2}$$

$$\hat{\sigma}_{\varepsilon} \approx \sqrt{(.0783)^2 - .74^2 (.088)^2} = 4.35\%$$

$$IR = \frac{\alpha_{Fund}}{\sigma_{\varepsilon}} = \frac{3.24}{4.35} = 0.75$$

Strictly:

$$\hat{\sigma}_{\varepsilon} = \sqrt{(\hat{\sigma}_{Fund}^2 - \hat{\beta}^2 \hat{\sigma}_M^2) \left( \frac{N-1}{N-2} \right)}$$

Degree of freedom adjustment.

Assuming only 1 regressor

If  $\alpha$  came from a 4-factor model, then  $N-5$ , not  $N-2$ .

Unfortunately, we don't know what  $N$  is here

# When Sharpe or $M^2$ , when Treynor, when IR?

- The appropriate performance measure depends on **what risk is the most relevant.**

*when choosing optimal portfolio (create complete portfolio).*

- The Sharpe ratio and  $M^2$  both capture (total risk).
  - Use for choosing among risky portfolios as your optimal portfolio for creating complete portfolios.

*when add a stock to a well-diversified portfolio*

- Treynor ratio, alpha and the information ratio measure reward incremental to factor or model risk. Use:
  - When considering a mix of well diversified portfolios or
  - When adding assets or portfolios to an already well diversified portfolio.
    - Treynor ratio can only be used with 1-factor asset pricing models
    - The information ratio can be used to rank any additional asset
      - Alpha is used for measuring performance, not for ranking portfolios

*! doesn't incorporate any indicator of risk it takes*

# Challenges using these measures

- You need many observations to avoid identifying mere luck as skill
- If managers shift the risk of their portfolios over the business cycle, performance evaluation becomes much trickier.
  - For example, if a portfolio manager times the market, then the portfolio beta can significantly change over time.

# Performance Attribution

# Performance attribution

- In addition to the risk adjusted performance we can identify the main drivers of performance and whether it was
  - Asset allocation (equity vs. bonds vs. cash)
  - Sector choice within each market (within equity, tech vs. consumer goods)
  - Security selection (within tech Alibaba or Apple)



# Performance attribution: Some notation

- The return on the bogey (benchmark) portfolio:

$$r_B = \sum_{i=1}^N w_{Bi} r_{Bi}$$

- The return on our managed portfolio:

$$r_P = \sum_{i=1}^N w_{Pi} r_{Pi}$$

- $i$  is an **asset class** and  $N$  is the total number of asset classes portfolio

# Performance attribution: Step 1 Establish a benchmark

- Step 1:** establish a benchmark against which performance ought to be compared (**bogey**). It measures the returns the portfolio manager would earn if she were to follow a complete passive strategy.

Bogey Performance and Excess Return			
$= (.70 \times 5.81) + (.07 \times 1.45) + (.23 \times .48) =$			
Component	Benchmark Weight	Our manager's portfolio	Return of Index during Month (%)
Equity (S&P 500)	0.60	.70	5.81
Bonds (Lehman Bros. Index)	0.30	.07	1.45
Cash (money market)	0.10	.23	0.48
Bogey = $(0.60 \times 5.81) + (0.30 \times 1.45) + (0.10 \times 0.48) = 3.97\%$			
Return of managed portfolio			5.34%
– Return of bogey portfolio			3.97
Excess return of managed portfolio			1.37%

# The difference

- The difference between the portfolio and bogey return:

$$r_P - r_B = \sum_{i=1}^N w_{Pi} r_{Pi} - \sum_{i=1}^N w_{Bi} r_{Bi} = \sum_{i=1}^N (w_{Pi} r_{Pi} - w_{Bi} r_{Bi})$$

- $i$  is an **asset class** and  $N$  is the total number of asset classes portfolio

# Performance attribution: Step 2 Asset Allocation

- Step 2: Isolate the effect of the manager's asset allocation choice.

- Measure the performance of a hypothetical portfolio that would have invested in the same assets as the benchmark, **but the manager's allocation.**

- This measures the effect on returns of shifting from 60/30/10 weights to 70/7/23 weights.

- Returns if the bogey's portfolio was weighted like our manager:  
$$(.70 \times 5.81) + (.07 \times 1.45) + (.23 \times .48) = 4.28\%$$

- Contribution of asset allocation is:  $4.28\% - 3.97\% = 0.31\%$

*assume  
same  
assets  
+ same allocation  
proportion as  
the manager*

# Performance attribution: Step 2 Asset Allocation

- More generally, contribution of asset allocation is:

$$= \sum_{i=1}^N (w_{Pi} - w_{Bi}) r_{Bi}$$

*manager portfolio proportion*      *benchmark portfolio proportion*

A. Contribution of Asset Allocation to Performance					
Market	(1) Actual Weight in Market	(2) Benchmark Weight in Market	(3) Excess Weight	(4) Index Return (%)	(5) = (3) × (4) Contribution to Performance (%)
Equity	0.70	0.60	0.10	5.81	.5810
Fixed-income	0.07	0.30	-0.23	1.45	-.3335
Cash	0.23	0.10	0.13	0.48	.0624
Contribution of asset allocation					<u>0.3099</u>

- 0.31% can be attributed to advantageous asset allocation

# Performance attribution: Step 2 Asset Allocation

- The contribution from security selection is:

$$= \sum_{i=1}^N w_{Pi} (r_{Pi} - r_{Bi})$$

$\downarrow$   
same weight

selection in  
look at different asset

B. Contribution of Selection to Total Performance					
	(1)	(2)	(3)	(4)	(5) = (3) × (4)
	Portfolio	Index	Excess		
Market	Performance (%)	Performance (%)	Performance (%)	Portfolio Weight	Contribution (%)
Equity	7.28	5.81	1.47	0.70	1.03
Fixed-income	1.89	1.45	0.44	0.07	0.03
Contribution of selection within markets					1.06

- Note: We could break down Equity and Fixed-income in to sector portfolios to further identify whether returns come for different sectors or different assets within the sector. It gets repetitive.

# Value of Active Management

# Active vs. Passive Management

It almost goes without saying:

- Passive management is rule driven management, so stock selection is not considered.
  - There still may be a role for performance evaluation measures like those we just studied to see if a fund is managing the assets particularly badly, or tracking their target portfolio closely
  - But we do not expect there to be exceptional returns to passive management.
- Presumably we choose active managers (and their typically higher fees), precisely because we believe that these managers can give us extra high returns for the same or less risk.



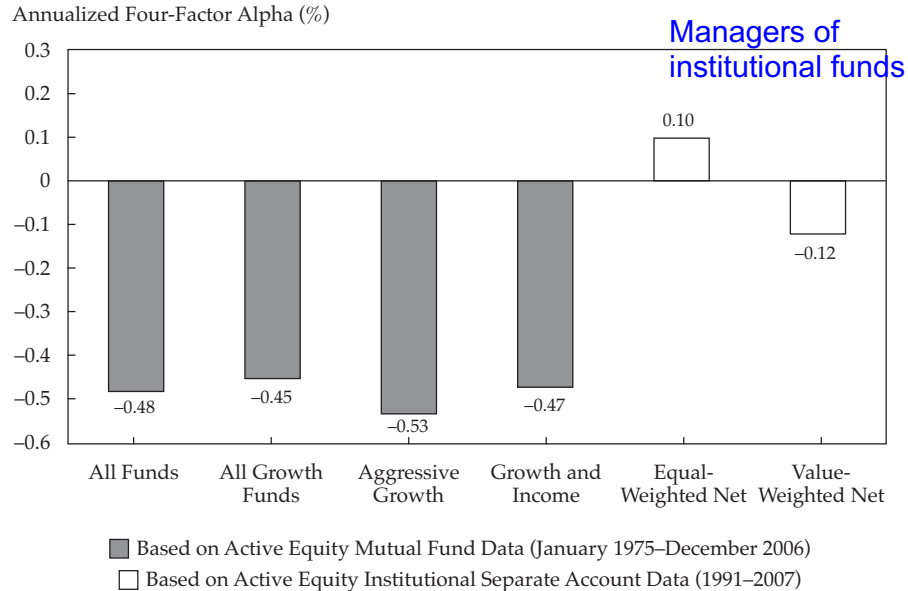
# Active Management: Questions

- Does active management add value?
- Can we identify superior asset managers and superior funds ex-ante – before we observe the returns?

# Does active management add value?

- On net and on average
- Mutual funds must under perform at least by fees and expenses
  - It is a zero sum game: on average they must earn the market – minus costs.
  - In fact, they underperform by more than just their fees.

**Figure 1. Four-Factor Alphas for Active Equity Mutual Funds and Active Equity ISAs, Net of Fees and Expenses**



Sources: Barras, Scaillet, and Wermers (2010) for mutual fund data; Busse, Goyal, and Wahal (2010) for ISA data.

# Performance net of fees comment:

- Managers of institutional funds (clear blocks) do better than other active managers.
  - Lower fees
  - Lower cost of account management
  - More performance based pay
- The average non-institutional fund manager does earn a positive alpha (*you cannot see that on the prior chart*)— BUT once you account for fees it all goes away.
  - They do have some ability to pick stock
  - But on average not quite enough ability on average to pay all their fees.

# Identifying who is better ex-ante

- Even in a zero sum game, it is possible some can consistently do better.
- Four factors to consider for identifying superior managers:
  1. Past Performance
  2. Macroeconomic forecasting
  3. Fund and manager characteristics
  4. Mutual fund holdings

# Past Performance: Is skill persistent?

## Three Periods of Top Quartile Performance

Fund Type	# Top Quartile Funds As Of September 2016	Percentage Remaining Top Quartile As Of September 2018
All Domestic Active Mutual Funds	550	7.09%

Source: S&P Dow Jones Indices SPIVA Research, September 2018

## Five Periods of Top Quartile Performance

Fund Type	# Top Quartile Funds As Of September 2014	Percentage Remaining Top Quartile As Of September 2018
All Domestic Active Mutual Funds	561	1.43%

# Macroeconomic Forecasting

- Do we see that some managers perform better in some economic environments?
- Can we predict when certain managers will do better?
- The answer appears to be yes.
  - And that suggests (a high turnover, high cost strategy) of rotating among mutual fund managers

# Variation in Manager Ability over Time

- Variation in Manager Ability over Time could be due to:
  1. Embedded macroeconomic sensitivity
    - For example, over or under weighting cyclical stocks
  2. Time varying skill
  3. Time varying opportunities to profit from their skills
    - Example: value investors, like Warren Buffet, performed poorly during the tech boom.



# Time-varying benefits strategies

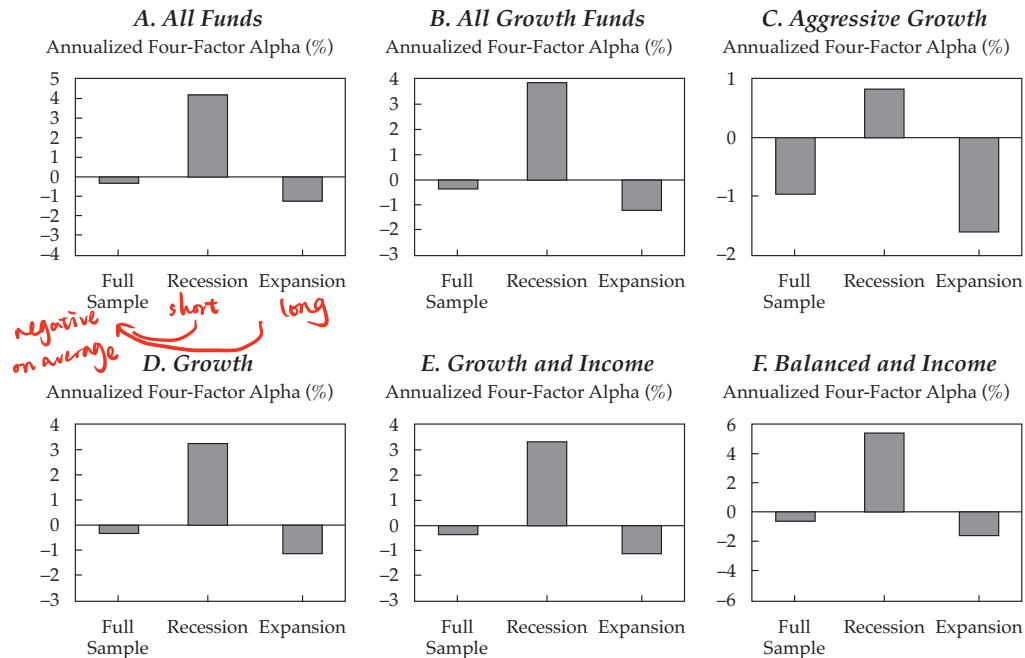
- Most evidence supports the notion that there are time varying benefits to the strategies managers follow.

We see:

- ① • Better performance during recessions
- ② • Better performance when there is higher dispersion in returns
- ③ • Better performance when there is higher volatility

# Alpha during recessions and expansions

Figure 3. Alpha Performance during Recession and Expansion, 1962–2005



Source: Kosowski (2006).

# Predicting Performance with Managerial Characteristics

- These methods involve low levels of turnover and therefore are good for both small and large investors.
- Below I list manager characteristics associate with positive alphas.

# Managerial Characteristics: Smarts - learned and innate

- Experienced managers of large funds (above median) outperform less experienced managers by 92 basis points per year.
  - Experience at small funds suggests they've done poorly [Ding and Wermers (2009)]
- High intelligence (reflected in high average SAT scores at college attended) [Chevalier and Ellison (1999)]
- Graduating high quality MBA (reflected in *Business Week* rankings or GMAT score) [Gottesman and Morey (2006)]
  - Not other degrees (e.g. PhD) or CFA designation
- But a CFA designation means lower tracking risk
  - And higher tracking risk if an MBA, but not CFA – but no difference in performance, either due to MBA, CFA or even experience (contrary to Ding and Wermers (2009)) [Dincer, Gregory-Allen and Shawky (2010)]

# Managerial Characteristics: Others

- Social connections:
  - managers take larger positions in companies that have social connections with (officers or board members come from the same college)
  - These positions out perform the investments in unconnected firms
    - Insider information? Or better assess quality?
    - Cohen, Frazzini and Malloy (2008)
- Skin in the game:
  - Hedge funds [DeSouza and Gokcan (2003)] and mutual funds [Khorana and Servaes and Wedge (2007)] in which the managers invest their own money out perform Mutual funds in which the managers invest their own money out perform
    - Greater conviction?
    - Less uncompensated risk?

# Fund Company Characteristics

- Large fund management companies (compared to small)
  - Economies of scale and scope (lower fees and costs) → *more return*
  - Greater resources for gathering information
  - Better trade execution (reducing price impact)
- More independent directors on board *directors on board ≠ manager of fund*
- Flatter organization structure
- Low cash holdings
  - High cash holdings (perhaps due to redemptions and purchases) may increase tracking error.
- Low Fees [Kinnel (2010)]

# More Fund Company Characteristics

- Fund Companies that specialize in one industry or sector
- Funds with fewer constraints on investment (allowing short sales)

# Predicting Performance Based on Fund Holdings

- Challenging because it requires a lot of difficult to get data
  - But generally involves low turnover
  - And seems to be effective.
- 1. Each quarter mutual funds report their holdings. Kacperczyk, Sialm and Zheng (2008) compare the returns to reported holdings vs. the returns actually received
  - Funds that earned lower returns than returns to holdings tend to underperform by 18 basis points per month, 216 per year.
    - Window dressing → put good stocks into portfolio but no the right time
  - Funds that earned higher returns than the returns to reported holdings tend to outperform by 10 basis points per month 120/yr.



2. Huang, Sialm and Zhang (2010) find that funds that have high or low risk in realized returns compared to the returns on reported holdings under perform

- If risk is lower, this suggest fund managers are “locking in gains” *good performance in the first 6 month → lock and take lower risk strategy*
- If risks are higher, this suggests fund managers are “doubling down” in a desperate attempt to catch up to other funds after performing poorly.
  - You want to see funds that maintain a stable risk profile.

3. Wei, Wermers and Yao (2009) find that contrarians, managers who buy when most others sell and vice versa, tend to out perform.

- Probably contrarians have to be more certain they are right

# In summary

- We've learned how to measure mutual fund performance
  - Benchmark methods
  - Factor based methods
- Characteristics of Funds and Managers that perform well.
  - Smart, well connected managers at large, low fee funds
  - With a contrarian bent, but stable tracking errors.