

Dataset



Type of data

- Great collection of piano rolls
- ~20000 different Multitrack objects
- For each beat of the song is known what notes are being played
- Five different instruments

Preprocessing



Reduced note range

- Most notes in a few octaves
- Improvement in memory and time
- Little loss of information

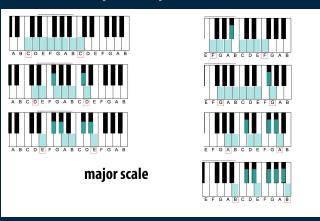


Normalization

- First experiments sounded weird
- Analysis showed different note distribution from dataset
- Train only on a single scale
- Music theory knowledge needed
- Source of claims is a domain expert

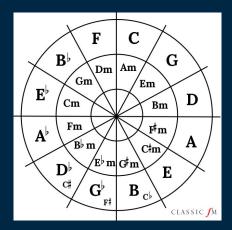
Major scales

- Typical note pattern
- All equal, but translated by a certain offset
- They sound the same to 99.99% of people
- Used in 75% of dataset



Major or natural minor?

- Same notes but with different roles
- Possible to distinguish with clustering
- Natural minor not really used in practice



Other scales

- Melodic/harmonic minor, pentatonic, hexatonic, blues, the list goes on
- Little representation for single type
- Decided to train on major scales

What was done

- Look at note frequency and determine scale
- If major scale, transpose every note, so that it becomes a C major song
- If other type of scale, discard

Approach

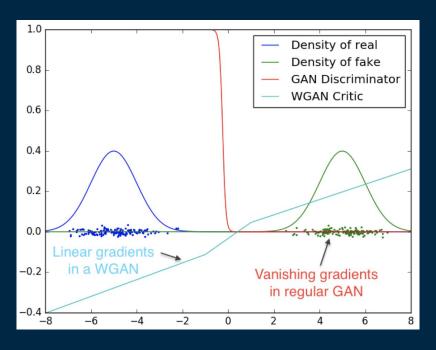




Wasserstein Metric

$$W(\mathbb{P}_{r}, \mathbb{P}_{g}) = \min_{\gamma \in \prod (\mathbb{P}_{r}, \mathbb{P}_{g})} \mathbb{E}_{(x, y) \sim \gamma} [\|x - y\|]$$

Wasserstein Metric



Reference: Wasserstein GAN, Arjovsky et al.

Algorithm

Require: α , the learning rate. m, the batch size. n_{critic} , the number of iterations of the critic per generator iteration. , β he step-size of the gradient penalty. **Inputs**: $W_{\Omega'}$ initial critic parameters. $\theta_{\Omega'}$ initial generator parameters.

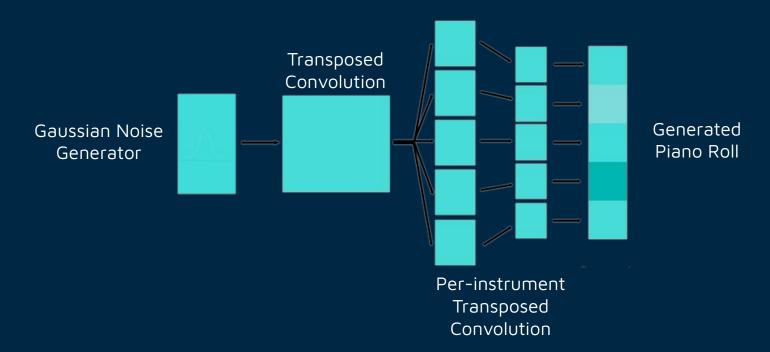
- 1: **while** θ has not converged **do**
- for $t=0,\ldots,n_{critic}$ do
- Sample $\{x^{(i)}\}_{i=1}^m \sim \mathbb{P}$ a batch from the real data Sample $\{z^{(i)}\}_{i=1}^{m} \sim p(z)$ a batch of prior samples 4:
- 5: $\left|g_{w}\leftarrow\nabla_{w}\right|\frac{1}{m}\sum_{i=1}^{m}f_{w}(x^{(i)})-\frac{1}{m}\sum_{i=1}^{m}f_{w}(g_{\theta}(z^{(i)}))\right|$
- $w \leftarrow w + \alpha \cdot RMSProp(w, g_w) \beta \cdot \nabla_w g_w$ 6:
- 7: end for
- 8: Sample $\{z^{(i)}\}_{i=1}^m \sim p(z)$ a batch of prior samples

9:
$$g_{\theta} \leftarrow \nabla_{\theta} \left[\frac{1}{m} \sum_{i=1}^{m} f_{w}(g_{\theta}(z^{(i)})) \right]$$

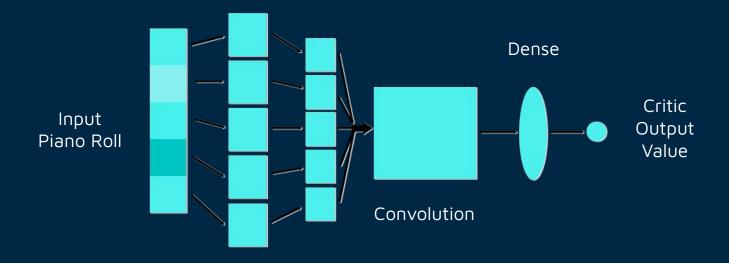
10:
$$\theta \leftarrow \theta + \alpha \cdot RMSProp(\theta, g_{\theta})$$

11: end while

Generator Architecture



Critic Architecture



Per-instrument Convolution

Training & Results



What we expect:

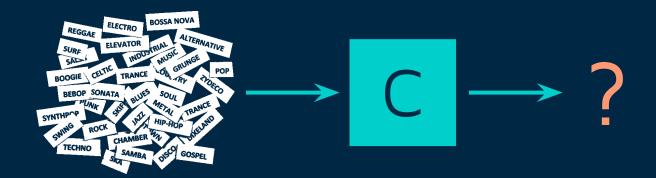
- Not an hit
- A catchy musical motif
- No dissonances and no random notes

Training details:

- "Supervised" training
- Google Colab for memory needs
- Random noise taken from a Gaussian Distribution
- 1:5 ratio of weights update between G and C

First attempt:

Give all the dataset to the network



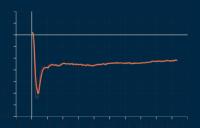
The critic is confused, there is no clarity in the dataset: its value is meaningless

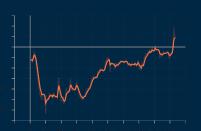
Second attempt:

Helping the networks by training on one genre

Increased data consistency

The critic is more reliable



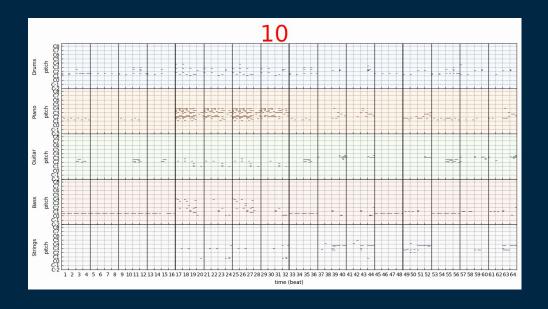


The generator work is facilitated (WGAN)



Diversification of the generated songs

Results analysis:



At the minimum of the G loss:

- Notes are less piled up
- Patterns became more definite
- Instruments are synchronized
- Consistent pauses