## OPEN SOURCE APPLICATION FOR THE UNDERSTANDING OF POLARIZATION

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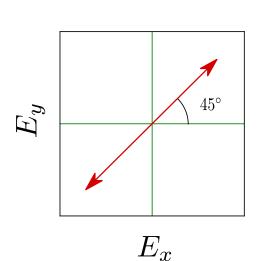
#### Abstract

This block must contain the abstract that I submitted to SPIE. Or maybe a made up abstract Some points to include here in the introduction:

- Polarization of light is an often underestimated topic.
- There are many ways to represent the polarization of light and each has cons and pros.
- In certain experiments such as characterization of birrefringent optical elements, or null ellipsometry, one must be able to generate and analyze arbitrary elliptical polarization states in the laboratory.
- People who are new to the 'practical' or experimental approaches of polarization might have some difficulties at generating non standard polarization states, from their mathematical representation.
- We identified the need to easily translate book definitions of polarization states into positions of the elements that generate states.
- A very intuitive python based graphical application was built in order to quickly translate polarization states into angles of physical elements.

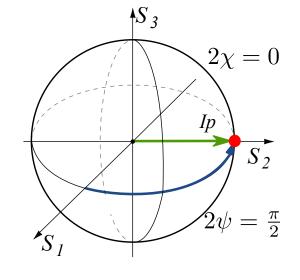
#### Motivation

Suppose you are given the task to experimentally generate a linear state of polarization defined by any of the following descriptions:



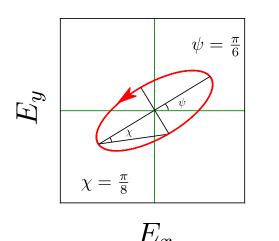
$$\mathbf{J} = \frac{1}{\sqrt{2}} \begin{bmatrix} 1\\1 \end{bmatrix}$$

$$|J\rangle = \left|\frac{\pi}{4}, 0\right\rangle$$

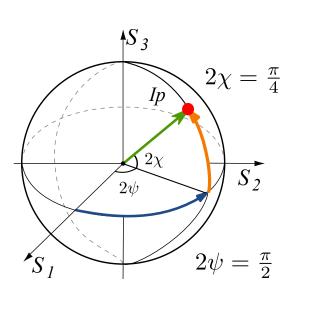


This is an easy task because it is one of the most basic states of polarization. We could either: a) Use a  $\lambda/2$  retarder at an angle of 22,5° with respect to horizontal polarization. Or b) locate a polarizer at an angle of 45° along a circularily polarized beam.

If on the other hand, you are supposed to generate uncommon states of polarization such as the one defined below, you may encounter great difficulties no matter which definition you decide to follow.



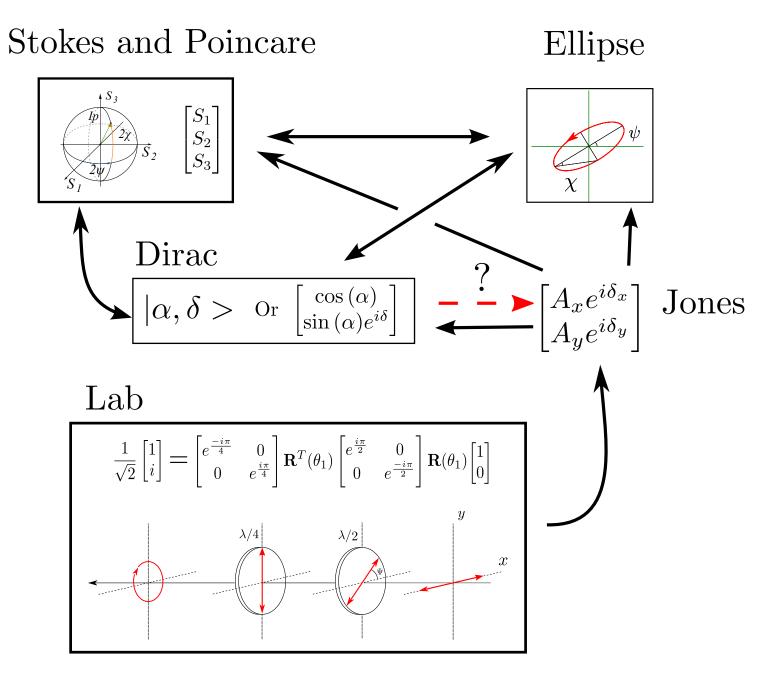
$$\mathbf{J} = \begin{bmatrix} -0.8522 + 0.5232j \\ -0.1122 + 0.6819j \end{bmatrix} |J\rangle = |\frac{7\pi}{24}, -0.857\rangle$$



Even if you are an expert in polarimetry you will have a tedious time trying to figure out the configuration in which you have to set  $\lambda/4$  and  $\lambda/2$  retarders in order to generate this state. We propose an easy to use application to translate polarization states, as given earlier, into angles of laboratory optical elements that generate them. This can be useful for educational and research purposes.

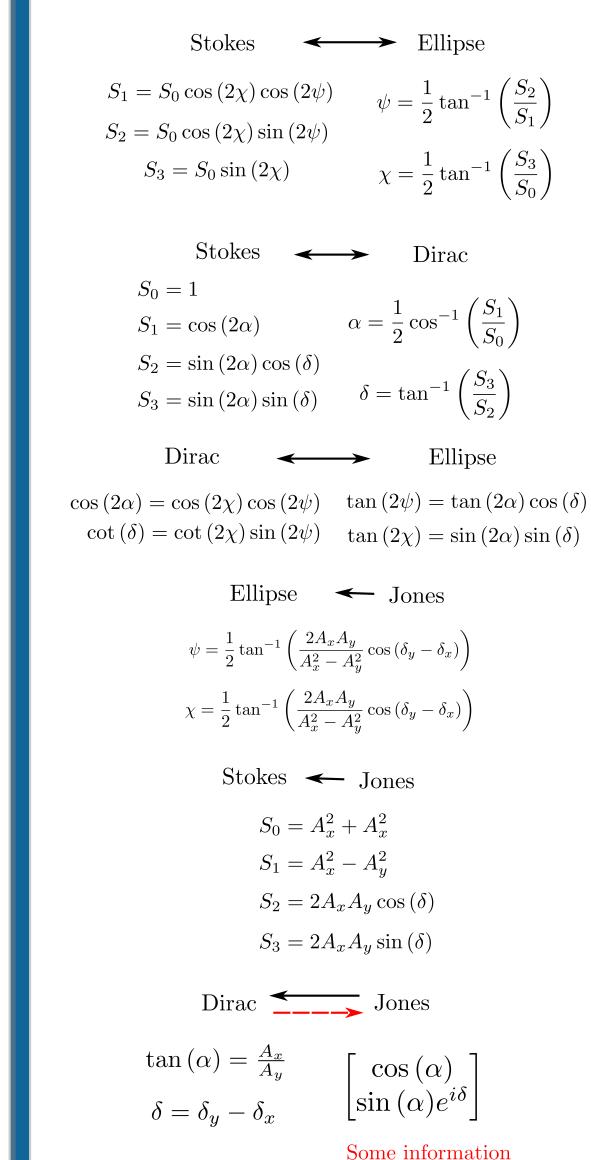
### **Transformations**

As illustrated in the Motivation, the state of polarization of light can be parametrized in different ways. There are pros and cons on using each of them such as ease of visualization, compactness, and ease on performing calculations. When using coherent light, optical elements in the laboratory are best represented by Jones Matrices acting on Jones vectors. There is however, no direct mathematical relation between representations of polarization states and the position of the retarders that generate a state. What we can do instead is to simulate the elements using Jones matrices, propagate a known Jones vector, and then see if the vector representation is equivalent to the others.



Roughly speaking there are 4 commonly used representations of polarization states. There are analytical transformations between representations and most of them are bidirectional, with the exception of general Jones vectors that have more variables.

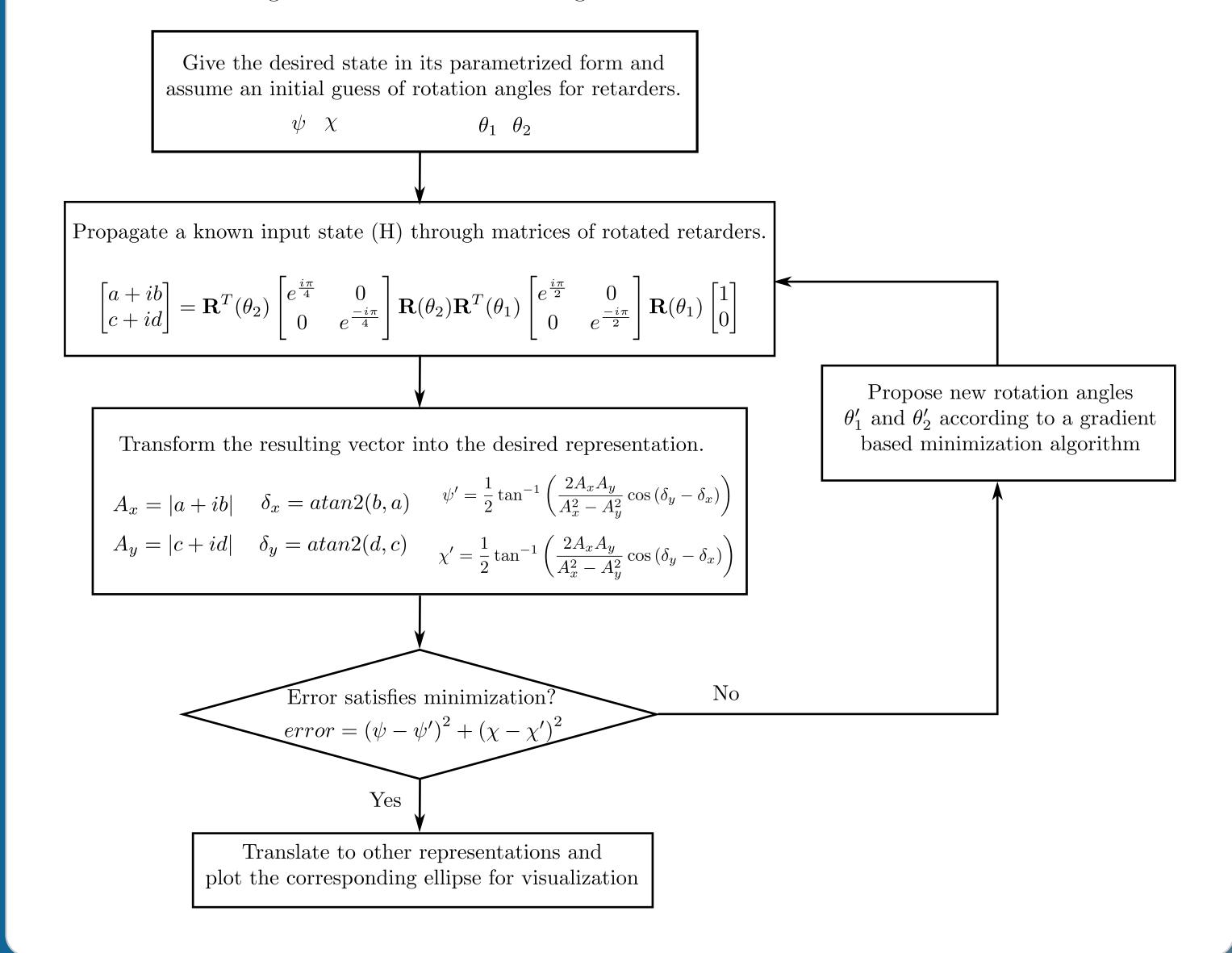
Detail on the transformations between representations of polarization:



can be lost!

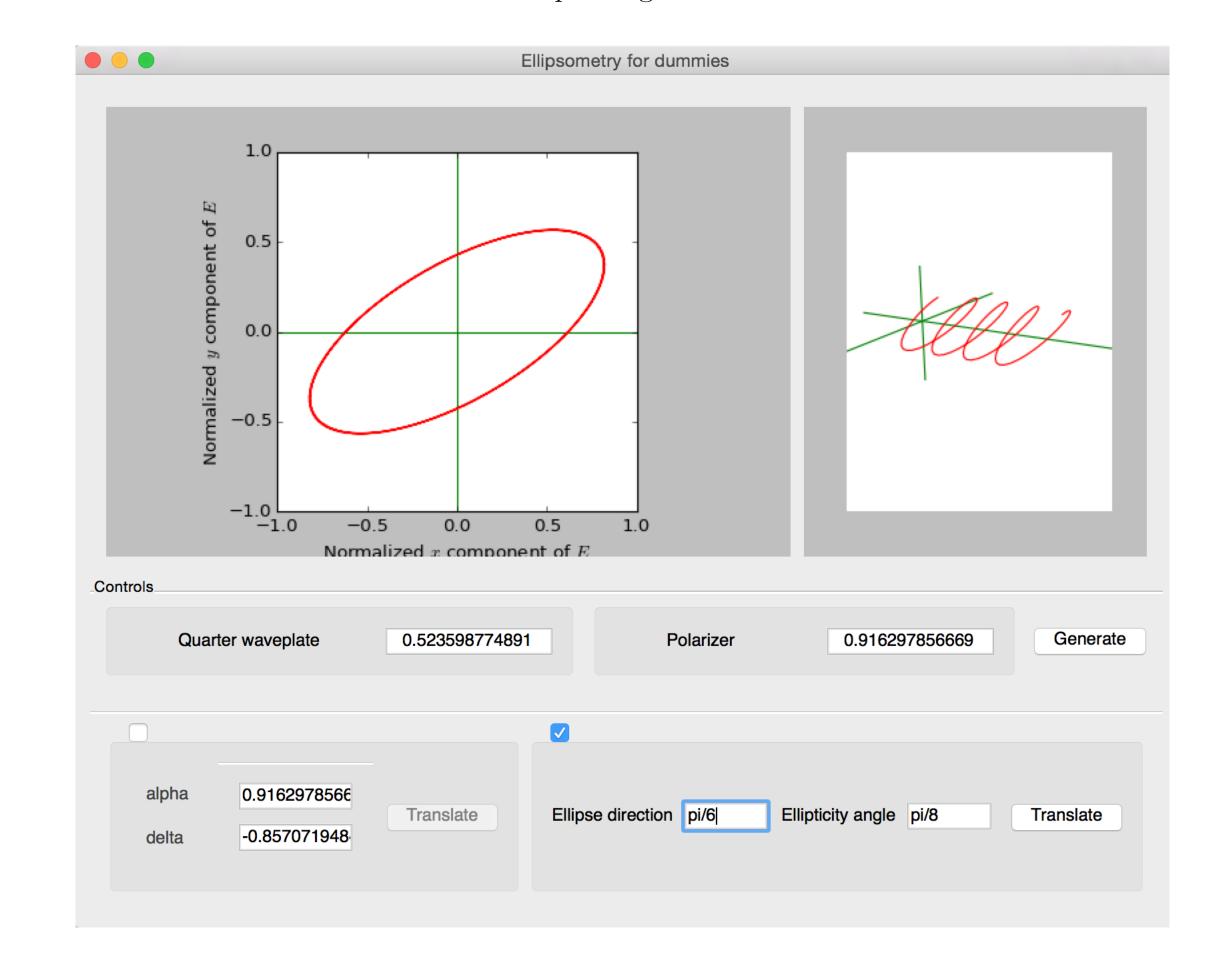
# Minimization Procedure

We implemented a minimization procedure that uses matrix multiplication operations based on Jones vector calculus. The following flow chart illustrates the algorithm:



# Graphical Interfase

The result of this work is a Python based interactive application that runs under the Qt4 graphical interfase. It is a simple but intuitive platform in which you can visualize and translate states of polarization defined from three differen representations. On the bottom right pannel you can set the ellipse direction and ellipticity angle and then translate those parameters to the Dirac and Lab representations. This will automatically plot the trajectory of the pointing vector from a frontal and isometric perspective, allowing the user to see the polarization ellipse and sense of rotation for non linear states. On the bottom left pannel you can give the state in terms of Dirac kets and then translate it to ellipse angles.



# Conclusions

- This app is amazing and super useful
- Polarization can be confusing, but is very interesting
- Some transformations are not straightforwards and need a minimization procedure.

References