Networks-complete

September 21, 2022

0.1 Notebook for ENCN375 Lecture A: Systems Analysis

In this notebook, we will look a little bit at networks, network analysis, Open Street Map, and plotting.

To run notebook cells, click inside the block (add to the code or write your own) and press Ctrl+Enter If you've never used a Jupyter notebook before, you can practice with the first two blocks of code below

```
[2]: # We'll start by defining a simple function
def hello_world(name):
    # name is a string input
    print('Hello, world this is '+name+'!')
```

```
[3]: # Now we can practice calling our function - try inputting the code you need_
below
hello_world("Bec")
```

Hello, world this is Bec!

0.1.1 Coding begins here

Now that you've practiced, you can use the notebook below for the lecture activities. Blocks will add themselves to the notebook automatically, or you can use the '+' button on the top ribbon to add more. You can save your notebook and outputs when you're finished.

```
[4]: # Often we start by loading any packages we think we might need for our code

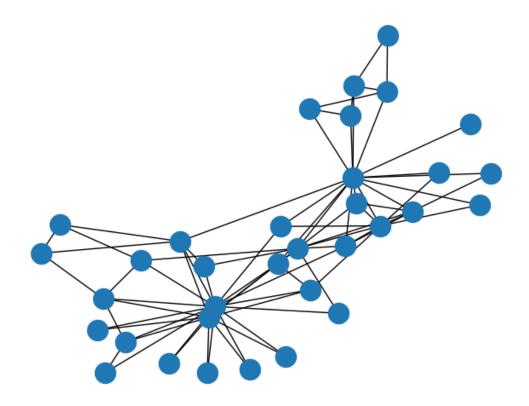
# There's a few key ones we require for today, but you can call more if you're_
getting fancy:
import pandas as pd
import numpy as np
import networkx as nx
import osmnx as ox
import matplotlib.pyplot as plt
from matplotlib import cm
%matplotlib inline
```

We'll start by looking at some network data and doing some simple network analysis. The networkx package has some empirical data that we will take advantage of for this lecture.

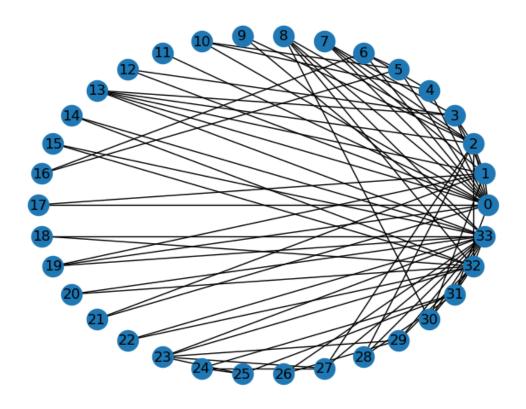
We'll be loading and investigating the dataset called Zachary's Karate Club, a dataset that describes social connections between members of a university Karate Club. The network has 34 members of a karate club, and shows links between members who interacted outside the club. This club was studied (for social cohesion and conflict) and during the study, a conflict between the administrator "John A" and instructor "Mr. Hi" (pseudonyms) led to the split of the club.

We'll refer to the package documents to help us find useful functions within networkx. They can be found here.

- [5]: # first step is to load in the data I've done this one for you g_karate = nx.karate_club_graph()
- [6]: # now, use the in-built functions to visualise the network nx.draw(g_karate)



[7]: # plot the network with a different layout using the built-in functions nx.draw_circular(g_karate, with_labels=True)



```
[8]: # Get a bit of information about the network. What sort of data are we looking at?

# Each node contains information about the club that person belongs to. How amany belong to Mr. Hi vs John A?

# nx.info(g_karate)

nx.get_node_attributes(g_karate, "club")

[8]: {0: 'Mr. Hi',
```

```
[8]: {0: 'Mr. Hi',
    1: 'Mr. Hi',
    2: 'Mr. Hi',
    3: 'Mr. Hi',
    4: 'Mr. Hi',
    5: 'Mr. Hi',
    6: 'Mr. Hi',
    7: 'Mr. Hi',
    8: 'Mr. Hi',
    9: 'Officer',
    10: 'Mr. Hi',
    11: 'Mr. Hi',
    12: 'Mr. Hi',
```

```
13: 'Mr. Hi',
       14: 'Officer',
       15: 'Officer',
       16: 'Mr. Hi',
       17: 'Mr. Hi',
       18: 'Officer',
       19: 'Mr. Hi',
       20: 'Officer',
       21: 'Mr. Hi',
       22: 'Officer',
       23: 'Officer',
       24: 'Officer',
       25: 'Officer',
       26: 'Officer',
       27: 'Officer',
       28: 'Officer',
       29: 'Officer',
       30: 'Officer',
       31: 'Officer',
       32: 'Officer',
       33: 'Officer'}
 [9]: attrs = nx.get_node_attributes(g_karate, "club")
[10]: for v in attrs.values():
          print(v)
     Mr. Hi
     Officer
     Mr. Hi
     Mr. Hi
     Mr. Hi
     Mr. Hi
     Officer
     Officer
     Mr. Hi
     Mr. Hi
     Officer
     Mr. Hi
     Officer
```

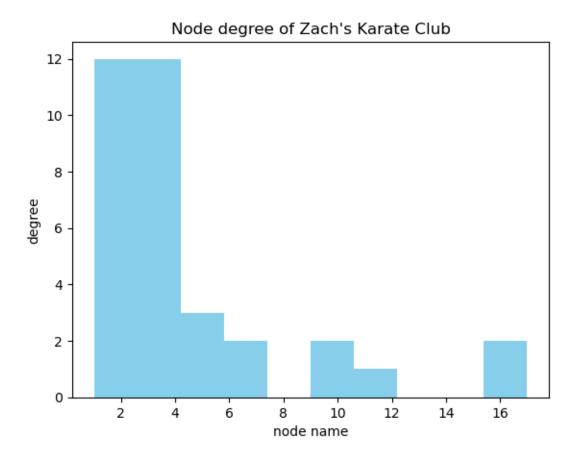
```
Mr. Hi
     Officer
     Officer
[11]: # if we wanted to sum the participants for each club and print out the answer
      count_H = 0
      for v in attrs.values():
          if v == "Mr. Hi":
              count_H += 1
          else:
              count_H = count_H
      count A = 34-count H
      print("There are {0} members in Mr. Hi's club, and {1} members in Officers's⊔
       ⇔club".format(count_H,count_A))
     There are 17 members in Mr. Hi's club, and 17 members in Officers's club
[12]: # now, use networkx to calculate some basic network statistics. Print out your
      \neg results.
      nodes = g_karate.number_of_nodes()
      links = g_karate.number_of_edges()
      beta = links/nodes
      density = nx.density(g_karate)
      print("nodes: {0}, links: {1}, beta:{2:.2f}, density: {3:.2f}".format(nodes,
       ⇔links, beta, density))
     nodes: 34, links: 78, beta: 2.29, density: 0.14
[13]: # next we'll look at the nodes themselves. Calculate the degree, closeness, and
       ⇔betweenness of the nodes
      # store your answers in a dataframe and print them out
      node = list(g_karate.nodes())
      degree = [v for (d,v) in g_karate.degree()]
      cc = list(nx.closeness_centrality(g_karate).values())
```

```
bc = list(nx.betweenness_centrality(g_karate).values())
      node_sts = pd.DataFrame(zip(*[node, degree, cc, bc]),__

→columns=['nodes','degree','closeness','betweenness'])
[14]: node_sts
[14]:
          nodes
                  degree
                           closeness
                                      betweenness
      0
              0
                      16
                            0.568966
                                         0.437635
      1
              1
                       9
                           0.485294
                                         0.053937
      2
               2
                      10
                           0.559322
                                         0.143657
      3
               3
                       6
                           0.464789
                                         0.011909
      4
              4
                       3
                           0.379310
                                         0.000631
      5
              5
                       4
                           0.383721
                                         0.029987
      6
              6
                       4
                           0.383721
                                         0.029987
      7
              7
                       4
                           0.440000
                                         0.000000
      8
              8
                       5
                           0.515625
                                         0.055927
      9
              9
                       2
                           0.434211
                                         0.000848
      10
              10
                       3
                           0.379310
                                         0.000631
      11
              11
                       1
                           0.366667
                                         0.00000
      12
              12
                       2
                           0.370787
                                         0.00000
      13
              13
                       5
                           0.515625
                                         0.045863
                       2
      14
              14
                           0.370787
                                         0.00000
                       2
      15
              15
                           0.370787
                                         0.00000
                       2
      16
              16
                           0.284483
                                         0.00000
      17
              17
                       2
                           0.375000
                                         0.00000
      18
              18
                       2
                           0.370787
                                         0.00000
      19
              19
                       3
                           0.500000
                                         0.032475
      20
              20
                       2
                           0.370787
                                         0.00000
                       2
      21
              21
                           0.375000
                                         0.00000
                       2
      22
              22
                           0.370787
                                         0.00000
      23
              23
                       5
                           0.392857
                                         0.017614
      24
              24
                       3
                           0.375000
                                         0.002210
                       3
                                         0.003840
      25
             25
                           0.375000
      26
              26
                       2
                           0.362637
                                         0.00000
      27
             27
                       4
                           0.458333
                                         0.022333
      28
             28
                       3
                           0.452055
                                         0.001795
      29
              29
                       4
                           0.383721
                                         0.002922
      30
              30
                       4
                           0.458333
                                         0.014412
      31
              31
                       6
                           0.540984
                                         0.138276
      32
              32
                           0.515625
                                         0.145247
                      12
      33
              33
                      17
                            0.550000
                                         0.304075
[15]: # lets make a quick histogram of node degrees. Change the default colour tou
       something nicer and include axis titles
      plt.hist(degree, color='skyblue')
      plt.ylabel('degree')
```

```
plt.xlabel('node name')
plt.title("Node degree of Zach's Karate Club")
```

[15]: Text(0.5, 1.0, "Node degree of Zach's Karate Club")



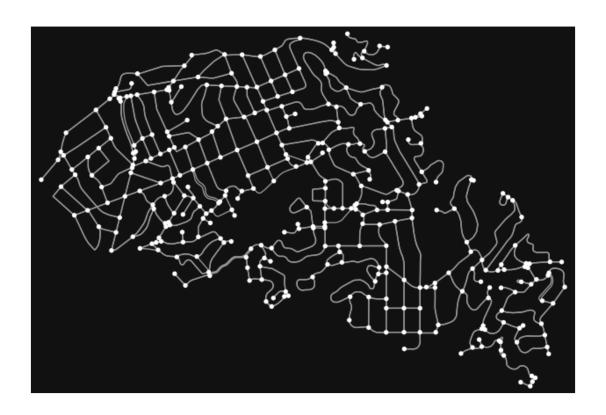
Now that we've done a bit of work with networks in Python, let's familiarise ourselves with Open Street Map (OSM). OSM is a publicly accessible database of street and building footprints across the world. The osmnx package lets us easily access this database and convert information from OSM to networks. We'll take a simple example for this tutorial of Piedmont, California, USA.

Similar to our network calculations above, we'll be referring to the docs to find the functions we need in the osmnx package - you'll find those here.

```
[16]: # download the street network for Piedmont, Califonia

G = ox.graph_from_place("Piedmont, California, USA", network_type="drive")
```

```
[17]: # visulise the street network
fig, ax = ox.plot_graph(G)
```



[18]: # take a look at the data in the network. What are the edge attributes?
gdf_nodes, gdf_edges = ox.graph_to_gdfs(G)
gdf_edges.head()

[18]:				osmid		name	e hig	hway	oneway	length	\
	u	V	key								
	53017091	53064327	0	6345781	Rose	Avenue	e residen	tial	False	231.335	
		53075599	0	6345781	Rose	Avenue	e residen	tial	False	121.114	
	53018397	53097980	0	196739937	Linda	Avenue	e tert	iary	False	100.767	
		53018399	0	6327298	Lake	Avenue	e residen	tial	False	124.622	
		53018411	0	196739937	Linda	Avenue	e tert	iary	False	37.803	
									geon	netry \	
	u	v	key								
	53017091	53064327	0	LINESTRING	(-122.	24760	37.82625,	-122	.24551 3	37	
		53075599	0	LINESTRING	(-122.	24760	37.82625,	-122	.24770 3	37	
	53018397	53097980	0	LINESTRING	(-122.	24719	37.82422,	-122	. 24777	37	
		53018399	0	LINESTRING	(-122.	24719	37.82422,	-122	.24712 3	37	
		53018411	0	LINESTRING	(-122.	24719	37.82422,	-122	.24713 3	37	
		lanes maxspeed bridge junction									
	u	V	key								
	53017091	53064327	0	NaN I	NaN	NaN	NaN				

```
53018397 53097980 0
                               NaN
                                        NaN
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               53018399 0
                               NaN
                                        NaN
                                               NaN
                                                         NaN
               53018411 0
                               {\tt NaN}
                                        NaN
                                               NaN
                                                         NaN
[19]: # calculate some basic network statistics using the in-built functions.
      ox.basic stats(G)
[19]: {'n': 348,
       'm': 940,
       'k_avg': 5.402298850574713,
       'intersection_count': 314,
       'streets_per_node_avg': 2.9597701149425286,
       'streets per node counts': {0: 0, 1: 34, 2: 0, 3: 264, 4: 47, 5: 2, 6: 1},
       'streets_per_node_proportion': {0: 0.0,
        1: 0.09770114942528736,
        2: 0.0,
        3: 0.7586206896551724,
        4: 0.13505747126436782,
        5: 0.005747126436781609,
        6: 0.0028735632183908046},
       'edge_length_total': 113088.96999999996,
       'edge_length_avg': 120.30741489361698,
       'street_length_total': 58500.43000000003,
       'street length avg': 118.90331300813014,
       'street_segments_count': 492,
       'node density km': None,
       'intersection_density_km': None,
       'edge density km': None,
       'street_density_km': None,
       'circuity avg': 1.1132609164541127,
       'self_loop_proportion': 0.006382978723404255,
       'clean_intersection_count': None,
       'clean_intersection_density_km': None}
[20]: # what do the values above mean? Make some nice print statements to give some,
      \rightarrow of the stats highlights.
      sts = ox.basic_stats(G)
      print("There are {0} nodes and {1} edges in the Network.".

¬format(sts['n'],sts['m']))
      print("The average node degree is \{0:.2f\} and there are \{1:.0f\} total km of
       Groads in the network".format(sts['k_avg'],sts['edge_length_total']/1000))
```

There are 348 nodes and 940 edges in the Network.

53075599 0

NaN

NaN

NaN

NaN

The average node degree is 5.40 and there are 113 total km of roads in the network

```
[21]: # find the most central node in terms of betweenness centrality. What percentage of roads pass through this node?

# for this, we'll convert our graph to a digraph (no parallel links) and calculate betweenness based on road length

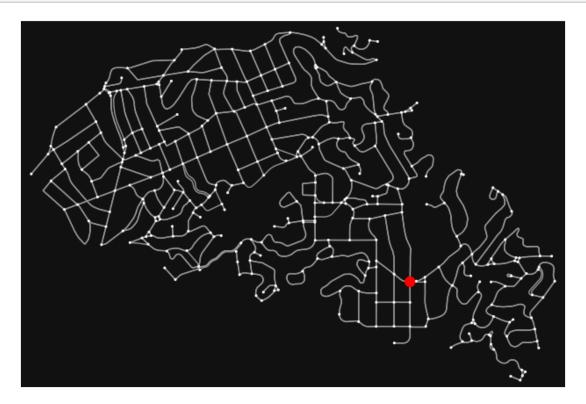
bc = nx.betweenness_centrality(ox.get_digraph(G), weight="length")

max_node, max_bc = max(bc.items(), key=lambda x: x[1])
```

[22]: print("The most central node in the network is {0}, and approximately {1:.0%}_\(\pi\) of roads pass through it.".format(max_node, max_bc))

The most central node in the network is 53124805, and approximately 32% of roads pass through it.

```
[23]: # plot the street network with the most central node highlighted
nc = ["r" if node == max_node else "w" for node in G.nodes]
ns = [80 if node == max_node else 5 for node in G.nodes]
fig, ax = ox.plot_graph(G, node_size=ns, node_color=nc)
```



Now we'll do some fancy visualisation for closeness centrality by inverting our network (so that nodes become links and vice versa). We'll make use of a colourmap from matplotlib - more details here.

```
[24]: # first, we convert our graph into a line graph, which accomplishes this "flip"

for us

G_line = nx.line_graph(G)

# then we can calculate the closeness centrality of our new "edges"

edge_cc = nx.closeness_centrality(G_line)

# and set this value as an edge attribute in our orignal (unflipped) network

with the name "edge closeness"

nx.set_edge_attributes(G, edge_cc, "edge_centrality")
```

- [25]: # to plot, we need to map our edge closeness attribute onto a colourmap e_clrs = ox.plot.get_edge_colors_by_attr(G, "edge_centrality", cmap="inferno")
- [26]: # then we can plot, setting our edge colours to our mapped ones (above) and the node size to zero (for a clean plot)

 fig, ax = ox.plot_graph(G, edge_color=e_clrs, node_size=0)

