

## Problem Statement

### Input:

- Given inputs from phase 2.
- Given a set of room:  $R = \{1, \dots, NB\}$ .
- $dpl(cc)$  represents place which classcourse  $cc$  demands. Domain of  $dpl(cc)$  is  $P$ ,  $cc \in CC$ .
- $spl(r) \subset P$ , represents set of places that room  $r$  supplies.  $spl(r)[i]$  represents place  $i$  of room  $r$ ,  $spl(r)[i] \in P$ .

### Variables:

- $x\_r[i]$  presents a room that is assigned to classcourse  $i$ ,  $i$  in  $CC$ ,  $x\_r[i]$  in  $R$ .

### Invariants:

- $mark(r)[i] \in \{true, false\}$ , represents status of place  $i$  of room  $r$ .  $mark(r)[i]$  equals *true* if place  $i$  of room  $r$  is acquired, else equals *false*.

### Output:

- Global solution:  $x\_r$

**Input:** As problem statement

**Output:** As problem statement

```
1 foreach  $class \in CL$  do
2    $F \leftarrow \{cc \in CC \mid cl(cc) = class\};$ 
3   foreach  $cc \in F$  do
4      $p \leftarrow dpl(cc);$ 
5     foreach  $r \in R$  do
6       if  $p \in spl(r) \wedge mark(r)[p] = false$  then
7          $mark(r)[p] = true;$ 
8          $x\_r[cc] = r;$ 
9       end
10    end
11  end
12 end
```

**Algorithm 1:** AssigningRoom