



$\forall G \in Ob(Graph), \text{ Tricolorings of } G = G \rightarrow TC$

$\forall A, G \in Ob(Graph), x \in A \rightarrow G$

Tricolorings induced by $x = tc \circ x \ \forall tc \in G \rightarrow TC$

$\forall A \in Ob(Graph), x \in A \rightarrow G, y \in \text{ Tricolorings induced by } x,$

$\exists tc \in G \rightarrow TC \mid tc \circ x = y$

$tc \circ x \in A \rightarrow TC \implies$

$y \in A \rightarrow TC \implies$

$y \in \text{ Tricolorings of } A \implies$

$(y \in \text{ Tricolorings induced by } x \implies y \in \text{ Tricolorings of } A) \implies$

Tricolorings induced by $x \subseteq \text{ Tricolorings of } A$

$\forall A, G \in Ob(Graph), x \in A \rightarrow G$

Induced tricoloring is a tricoloring