



**United International University**  
**Department of Computer Science and Engineering**  
**CSE-2218 Data Structures and Algorithms II Laboratory**  
Practice Problemset — — Summer 2025

Total Marks:

Any examinee found adopting unfair means will be expelled from  
the trimester / program as per UIU disciplinary rules.

1. You are attending your mid-term of the course “CS101”. The total marks of the exam is  $M$  and the total time is  $T$  minutes. You have to answer  $N$  questions, where the  $i$ -th question carries  $m_i$  marks and takes  $t_i$  minutes for you to answer.

The marks you receive will be proportional to the percentage of your answer compared to the full answer. For example, if a question contains 100 marks and you complete 30% of it, you will get 30 marks.

- Find the maximum marks you can get in this exam. Print the questions you have to answer for that.
- Find the maximum marks you can get in this exam if you are allowed to take the same exam in a group with your one friend (as long as a question is answered, both of you get marks irrespective of who answered it) and your friend’s answering capacity is exactly the same as yours.

Sample Input	Sample Output
120 20 5 20 10 20 5 30 5 30 6 20 40	Maximum 88 marks answering alone ques 3 100% done – 30 marks ques 4 100% done – 30 marks ques 2 100% done – 20 marks ques 1 40% done – 8 marks Maximum 107 marks answering with a friend

2. You are managing a multipurpose hall of your university, where seminars, lectures, and cultural events are held.  $N$  clubs have sent you booking requests for their events tomorrow. Each booking request contains the club id ( $c_i$ ), the start time ( $s_i$ ) and the duration ( $d_i$ ) of the event.

Approve the booking requests such that you can accommodate the maximum events tomorrow, without creating conflicts. Note that, after an event you need  $X$  hours to clean up and prepare for the next event.

Sample Input	Sample Output
4 UIUa 2 8 UIUb 3 4 UIUd 8 1 UIUc 7 1 0	Chosen clubs: UIUb UIUc UIUd
4 UIUa 2 8 UIUb 3 4 UIUd 8 1 UIUc 7 1 1	Chosen clubs: UIUb UIUd

3. Consider the problem of making an  $M$ -meter-long rope using smaller ropes. There are  $d$  types of ropes,  $C = \{c_1, c_2, \dots, c_d\}$ , each rope’s value is an integer, and there are an infinite number of ropes for each rope type. Joining two ropes together costs  $X$  dollars. Write an algorithm to make an  $M$ -meter-long rope at a minimum cost.

4. Given a rod of length  $n$  inches and a table of prices  $p = \{p_1, p_2, \dots, n\}$  determine the maximum revenue  $r$ , obtainable by cutting up the rod and selling the pieces. Note that if the price  $p$ , for a rod of length  $n$  is large enough, an optimal solution may require no cutting at all. Your task is to solve the rod cutting problem using dynamic programming. Print the maximum revenue.

**Pseudocode (Tabulation method):**

```

BOTTOM-UP-CUT-ROD( $p, n$ )
1  let  $r[0 \dots n]$  be a new array
2   $r[0] = 0$ 
3  for  $j = 1$  to  $n$ 
4       $q = -\infty$ 
5      for  $i = 1$  to  $j$ 
6           $q = \max(q, p[i] + r[j - i])$ 
7       $r[j] = q$ 
8  return  $r[n]$ 

```

5. You are given an array  $A$  and a number  $N$ . You need to find out whether  $N$  is a sum of any subset of  $A$ .

Example:  $A = \{2, 4, 5, 6, 8\}, N = 15 \rightarrow \text{True} \rightarrow \{4, 5, 6\}$

$A = \{2, 4, 5, 6, 8\}, N = 0 \rightarrow \text{True} \rightarrow \{\}$

$A = \{2, 4, 5, 6, 8\}, N = 3 \rightarrow \text{False}$

Hint: similar to 0-1 knapsack. Think of  $A$  as a set of items, and  $N$  as knapsack capacity.

6. There are  $n$  boxes of  $n$  different items in a warehouse. Each box has a label that says the name ( $m_i$ ), total weight ( $w_i$ ) in kg, and the total value ( $v_i$ ) in taka of that item ( $i$ ). All items are divisible.

Suppose,  $k$  thieves have come to steal from the warehouse, each with a knapsack of capacity  $W_i$ . Given each thief wants to maximize profit, how many thieves will be needed to empty the warehouse? Solve using a greedy algorithm.

Sample Input	Sample Output
4 silver-dust 300 4 gold-dust 2000 8 salt 80 10 sugar 89 10 2 15 15	Thief 1 profit: 2326.7 taka Thief 2 profit: 126.3 taka Total 2 thieves stole from the warehouse. Still following items are left: salt 2.0 kg 16.0 taka

7. You are given a directed weighted graph with  $N$  vertices and  $M$  edges. Your task is to find the shortest distance from the source vertex  $S$  to all other vertices.

If the graph contains a **negative weight cycle** that is reachable from the source, print: **Negative Cycle Detected**. If a vertex is not reachable from the source, print INF for that vertex. Otherwise, print the shortest distance from the source to each vertex.

Source node = Last 3 digits of your Student Id % 7.

**Input Format:**

- The first line contains two integers,  $N$  and  $M$ , number of vertices and edges respectively.  $0 \leq N \leq 7$
- Each of the next  $M$  lines contain  $u_i, v_i, w_i$  which denotes an edge from  $u_i$  to  $v_i$  with weight  $w_i$ .

Sample Input	Sample Output
5 8 1 2 -1 1 3 4 2 3 3 2 4 2 2 5 2 4 2 1 4 3 5 5 4 -3	Distance from 1 to 1: 0 Distance from 1 to 2: -1 Distance from 1 to 3: 2 Distance from 1 to 4: -2 Distance from 1 to 5: 1
4 5 1 2 4 2 3 -10 3 4 3 4 2 2 1 3 5	Negative cycle detected

- Sample input-outputs are given here considering a student ID 0112220001.

8. If all the edge weights for the previous problem are converted to non-negative(e.g. -10 will be 10), can you think of any greedy algorithm to solve the same problem?
9. Given a connected, undirected, weighted graph, find a spanning tree using edges that minimize the total weight. Use Prim's Algorithm to construct the algorithm.