

INTRODUCTION TO TELECOMMUNICATIONS

SCADA Hackers BNE – April 2020

@beLarge



This Evening's Agenda

1. Introduction and what does a Telecommunications engineer study?
2. Limited Highschool Revision and background
3. The Time Domain
4. The Frequency Domain
5. Filtering
6. Modulation

/whois @beLarge

- Graduated Bachelor Engineering (Telecommunications) First Class Honours at QUT in 2009
- Worked as a telecommunications engineer at QR (QR National -> Aurizon) for 7 and a bit years – as a Data Communications Engineer (IP Route & Switch, Network Security & Network Monitoring)
- Did some other stuff – went back to Uni and studied a Master of Business in Applied Finance and I am now interested in engineering Asset Management
- You might know me from events such as the MC For BSides Brisbane!
- Committee Member of the College of Information Technology, Telecommunications and Electronics Engineers (ITEE), Engineers Australia
- Involved with the Brisbane Branch of the International Society of Automation (ISA)

What is Telecommunications?

Telecommunications is the body of knowledge that enables the transmission of data (*information?*) between participants over distances by manipulating the properties of a transmission medium, for example:

- visual signals (signs, semaphore flags, signal lamps, rude hand gestures)
- written symbols (e.g. letters, books, memes)
- air (sound, yelling, music)
- smoke signals
- electromagnetic radiation (e.g. Electrical, Optical)
- Quantum?

What does a Telecomms Engineer Study?

- Telecommunications
 - Introduction to Telecommunications
 - Classical Signal Processing
 - Digital Communications
 - Digital Signal Processing
 - Modern Signal Processing (elective)
- Wireless
 - Fields, Transmission and Propagation
 - Wireless Communications
 - RF Communication Technologies
 - Wireless and Mobile Networks (IT)
- Analogue and Digital Electronics
 - Electrical Circuits and Measurements
 - Analogue and Digital Electronics
 - Advanced Electronics and Embedded Systems
 - Introduction to Design
 - Advanced Design
- Computer Networking
 - Networking Systems (IT)
 - Internet Protocols and Services (IT)
 - Network Planning and Deployment (IT)
- Programming and Real Time Computing
 - Problem Solving and Programming (IT)
 - Object Orientated Programming (IT)
 - Programming Abstraction (IT)
 - Real-Time Computer Based Systems
 - Communication Environments for Embedded Systems
- Elective (yes, 1 - haha)
 - Lasers and Photonics
- Core Units
 - Engineering Mathematics (1A, 1B, 3, 4)
 - Physics
 - "Professional Studies" units x2
- Final year project!

Highschool Revision

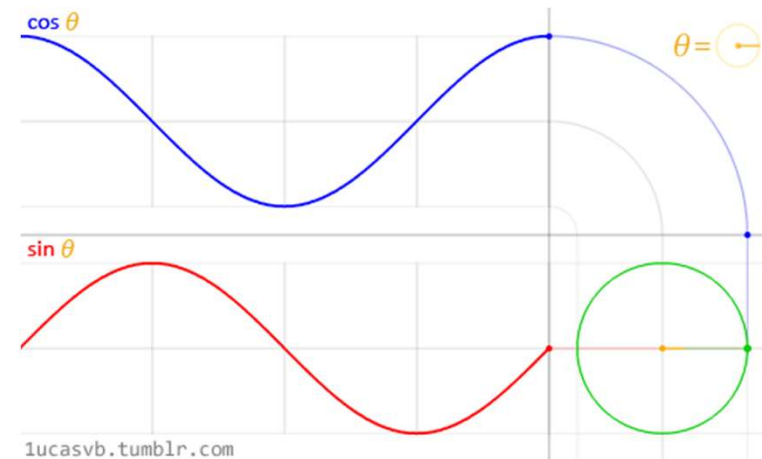
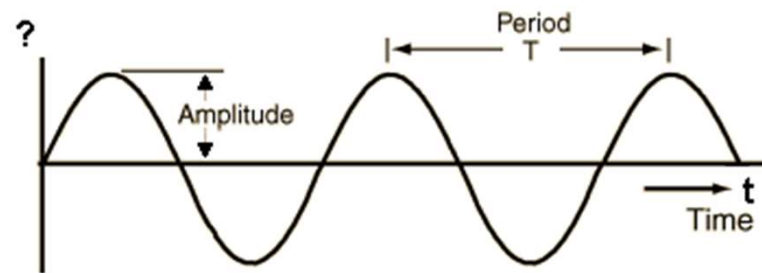
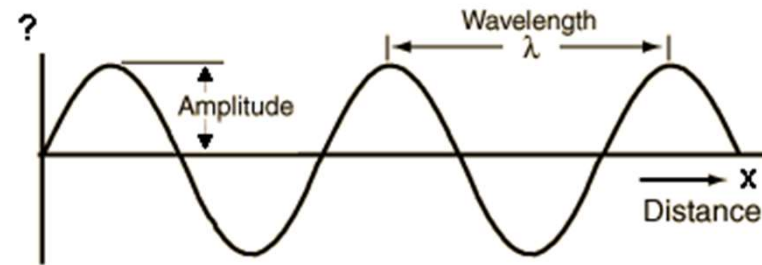
- Periodic Functions

- A - Amplitude
- Period (T in seconds)
- Wavelength (λ) (meters) denoted as $c = \lambda \cdot f$ where c is the speed of light in a vacuum
- f - Frequency (Hz)
- Frequency (cycle per second) is $\frac{1}{\text{Period}}$
- Phase Offset – how signals of the same frequency can be offset from each other

- Trigonometric Functions (periodic functions)

- Cosine (cos)
- Sine (sin)
- Tangent (tan) (Also, $\tan = \frac{\sin}{\cos}$)

Source - <http://www.sengpielaudio.com/calculator-wavegraphs.htm> & <https://www.iflscience.com/brain/math-gifs-will-help-you-understand-these-concepts-better-your-teacher-ever-did/page-2/>



Highschool Revision (pt 2)

- You can have a square root (two even) of a negative number; it's defined as an imaginary number
 - $\sqrt{-1} = i; i^2 = -1; i = \frac{1}{-i}$; (but we use j in electrical engineering because I denotes Current)
- Electrical engineering uses complex numbers for:
 - The conversion from the time domain to the frequency domain (Fourier Transform, Fourier Series)
 - As a vector notation to denote in phase and out of phase (quadrature) signals
 - Phasor Notation – it allows phase offsets to be considered in circuit calculations
- Euler's Expansion
 - $e^{j\omega t} = \cos(\omega t) + j \sin(\omega t)$ - this is really useful – we will come back to this

Octave (Open Source MATLAB)

- In my degree I spent a lot of time in MATLAB
- Octave is an open source MATLAB project!
 - <https://www.gnu.org/software/octave/>
- You can follow along with my code if you would like

<https://github.com/belarge/loT-SCADAHackersBNE>



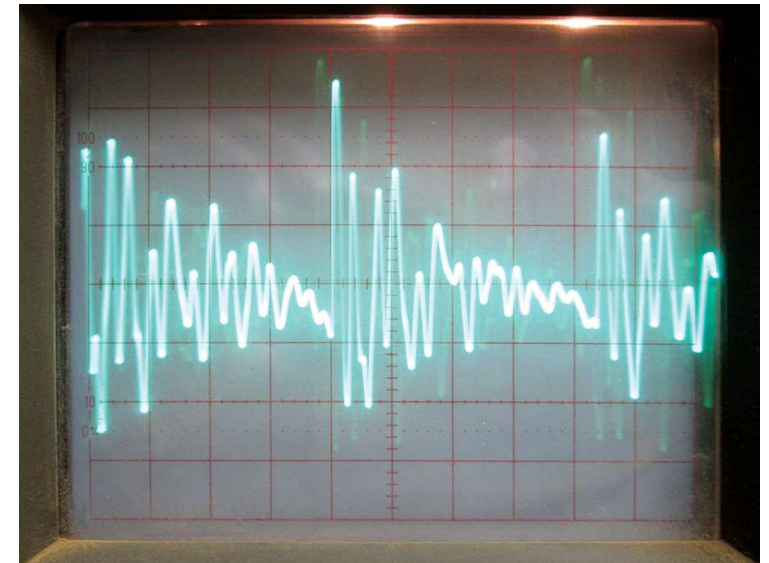
The Time (t) Domain

The Time Domain

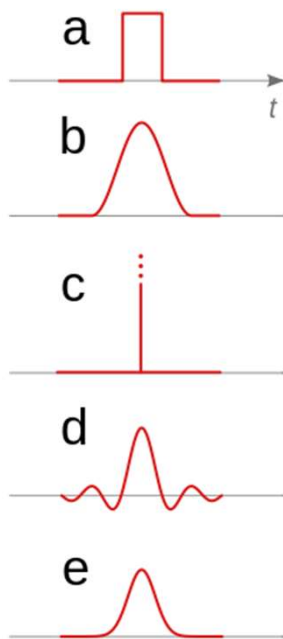
- Everyone understands and has used the time domain!
- Measured using an oscilloscope
- Think in Winamp – it's the oscilloscope



Image Source -
<https://www.kitplanes.com/aero-lectrics-13/>

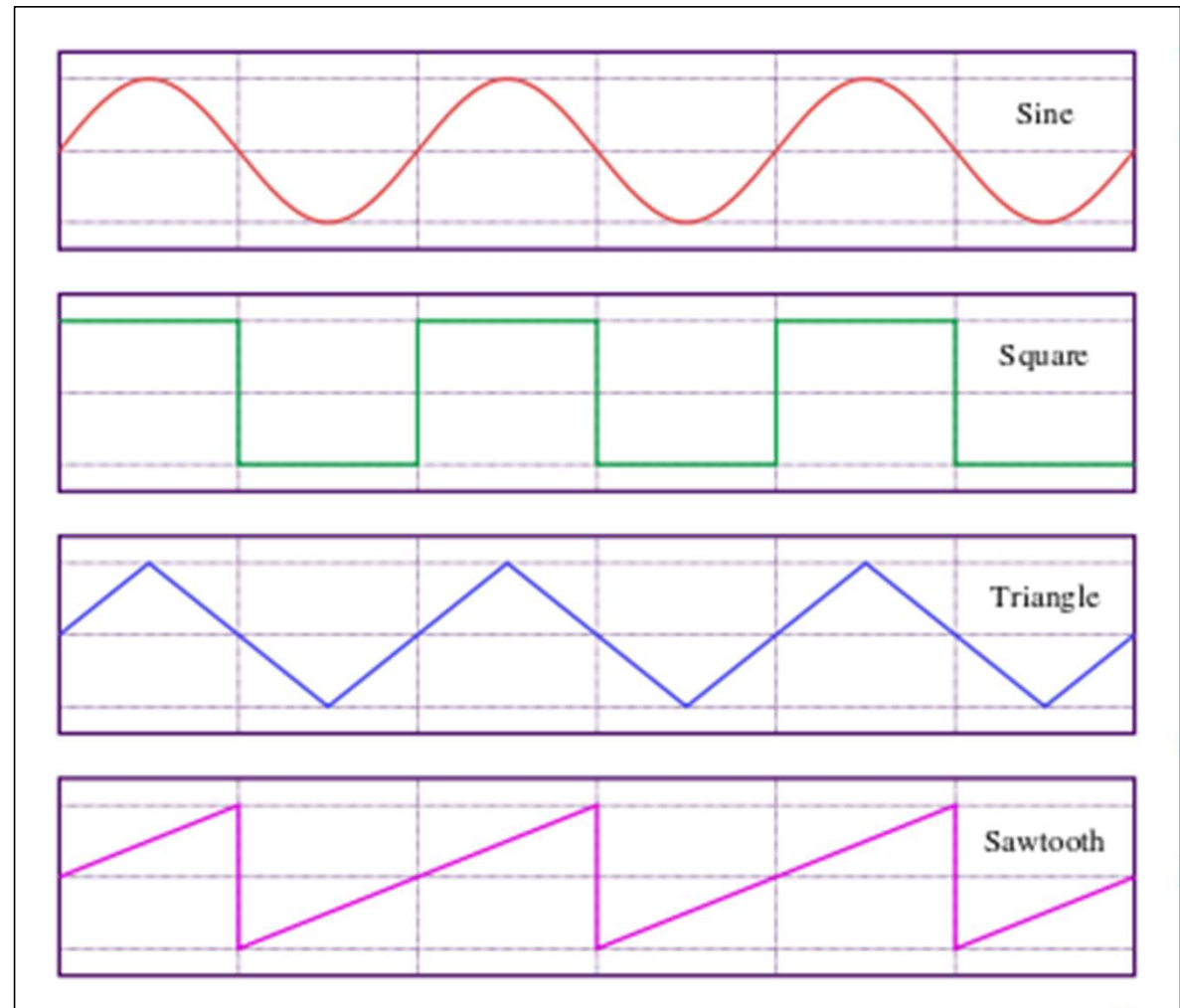


The Time Domain (cont.)



<https://en.wikipedia.org/wiki/Waveform>

[https://en.wikipedia.org/wiki/Pulse_\(signal_processing\)](https://en.wikipedia.org/wiki/Pulse_(signal_processing)) (Thanks Wikipedia! you should donate!)





BUT, WHAT IF I TOLD YOU

**ANY SIGNAL COULD BE MADE
FROM AN INFINITE SET OF SINUSOIDS**

The Time Domain (cont.)

- A time signal, $s(t)$ can be made by adding many periodic signals together
- The Classic Example is the Square wave - the source of this image is a cool visualisation tool

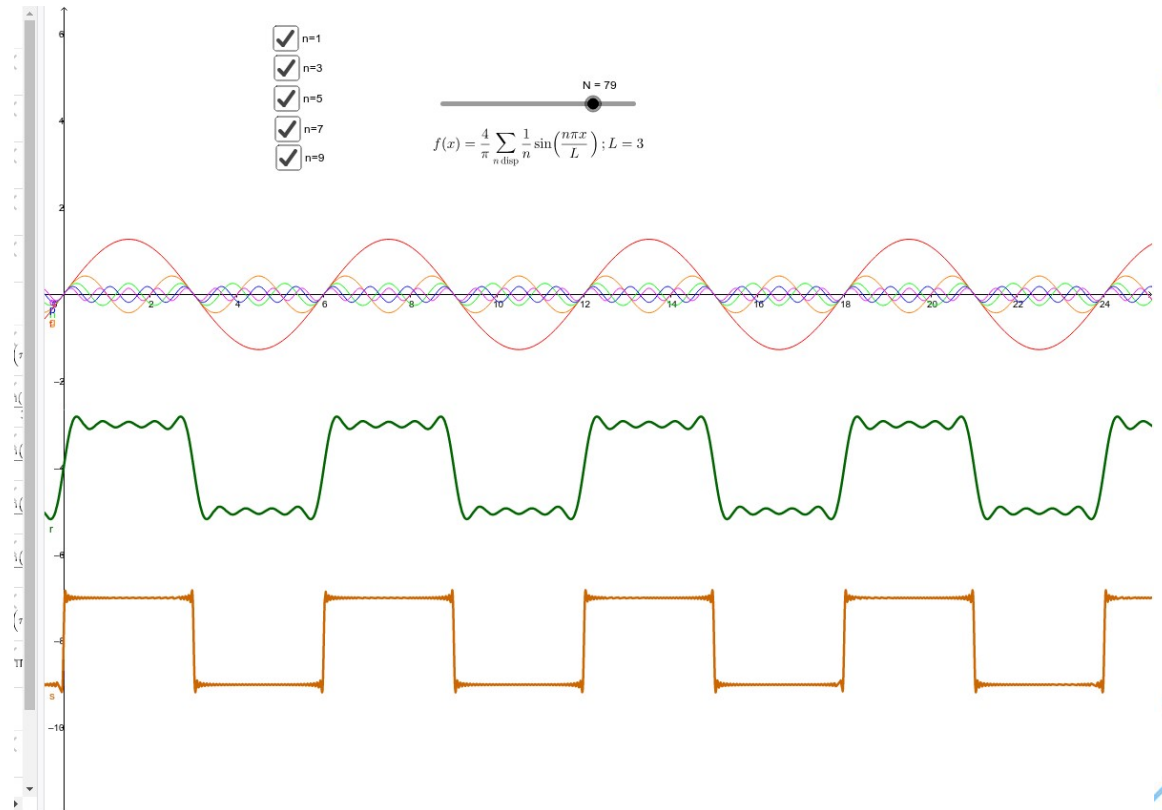


Image source - <https://www.geogebra.org/m/wUanseCs>



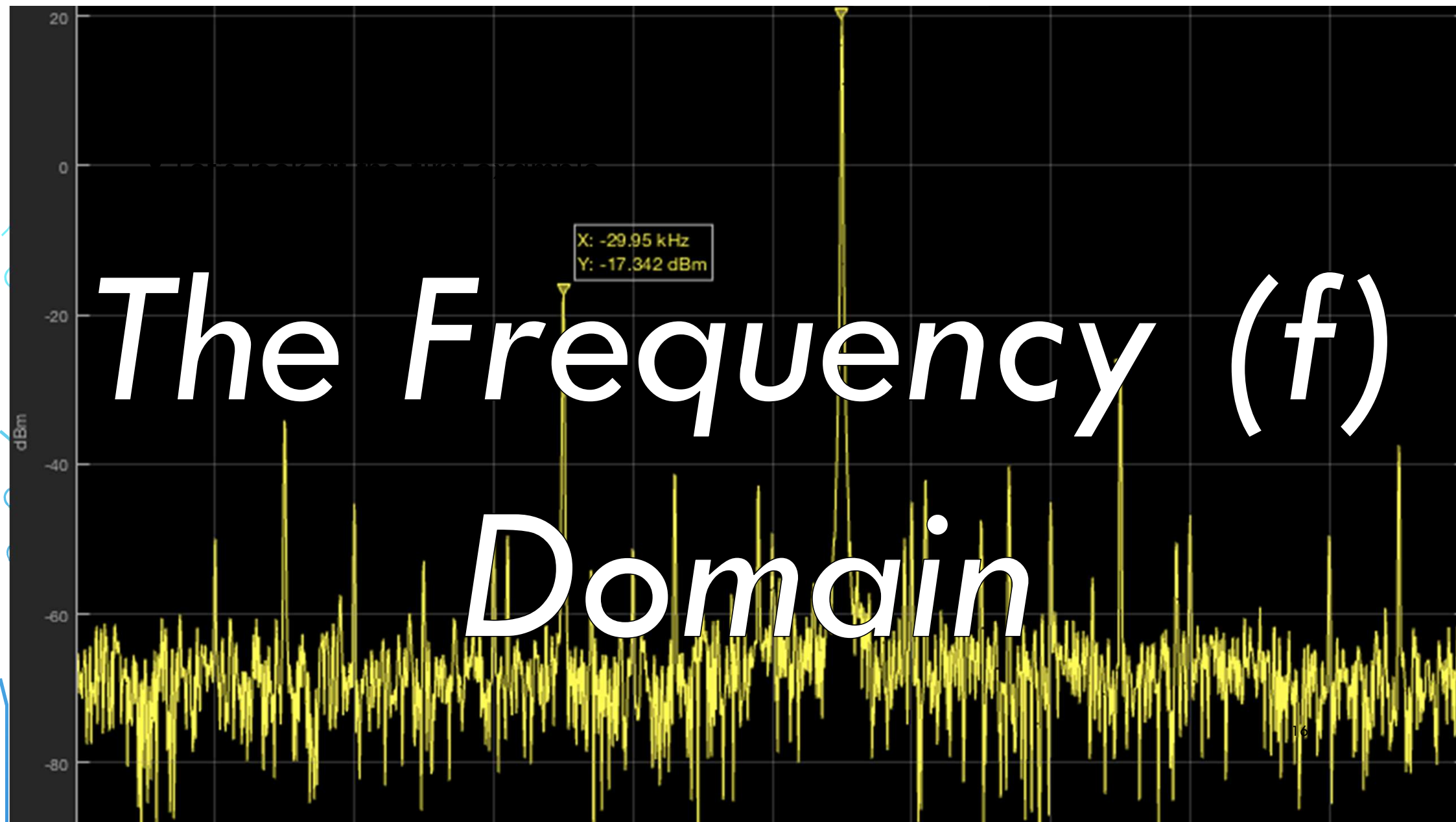
Demo Time (Octave)





Questions?





The Frequency (f) Domain

The Frequency domain

- The frequency domain is the most important concept to understand for telecommunications!
- Think of the VU meter setting in Winamp

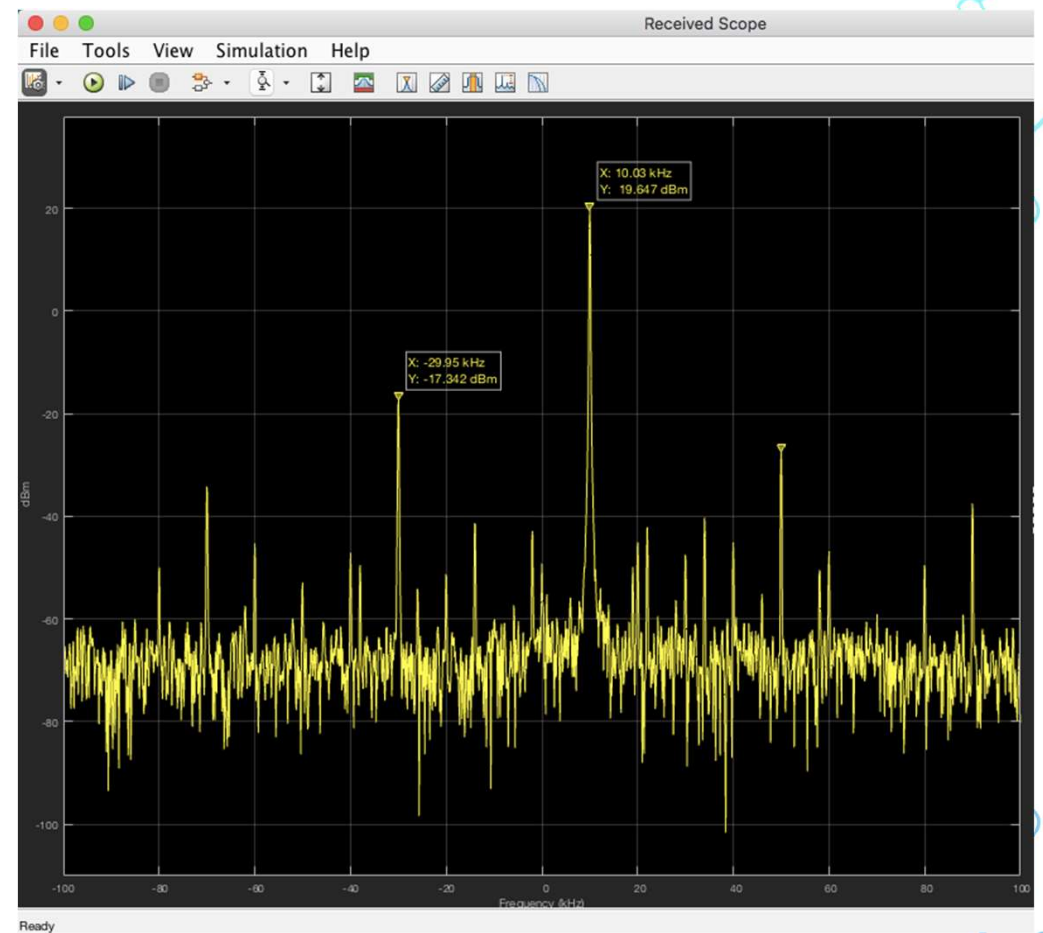
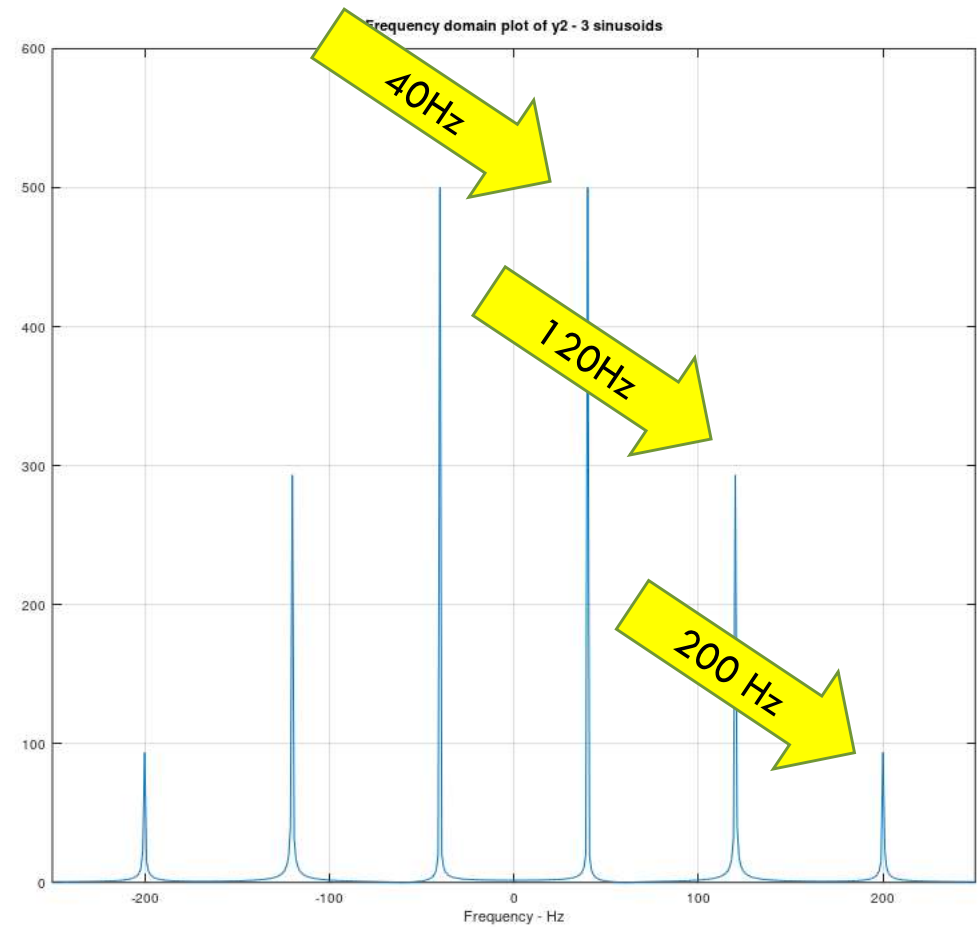
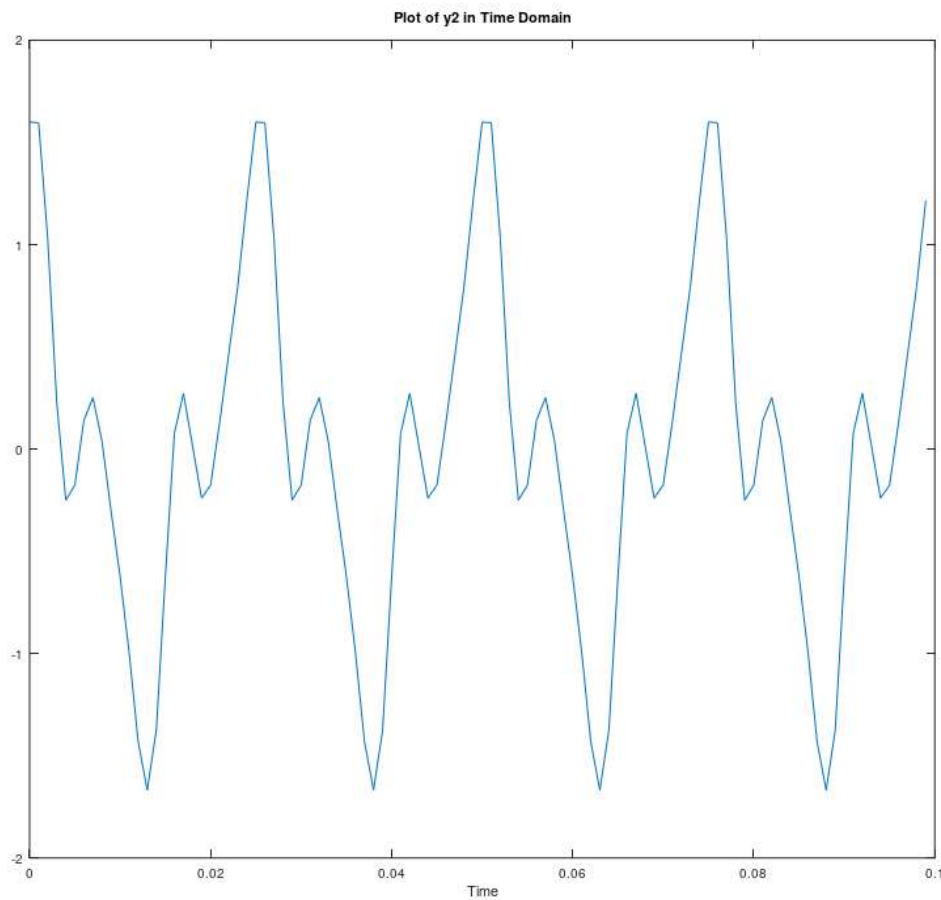


Image source

<https://ez.analog.com/adieducation/university-program/f/q-a/77831/generating-cw-tones-with-pluto-in-matlab> 17

The Frequency domain (cont.)



```
// y2 = cos(2*pi*f*t) + 0.6*cos(2*pi*f*t*3) + 0.2*sin(2*pi*f*t*5); %f = 40Hz
```

The Fourier Transform

- To convert between the Time domain (t) and the Frequency domain (f) we use a Fourier Transform

$$s(t) \xrightarrow{\mathcal{F}} S(f)$$

- Because we are using discrete mathematics we are going to use a discrete Fourier transform tonight and a special one at that – the Fast Fourier Transform (FFT)

MORE ABOUT THIS
NEXT TIME!!!!

Image Source - <https://towardsdatascience.com/fun-with-fourier-591662576a77> &



$$s(t) = \int_{-\infty}^{+\infty} S(f) e^{-2\pi i f t} df$$

$$S(f) = \int_{-\infty}^{+\infty} s(t) e^{2\pi i f t} dt$$

The Fourier Transform (the hard bit)

Some sort of elvish?

$$S(f) = \int_{-\infty}^{\infty} s(t) \cdot e^{j2\pi ft} dt \quad (\text{Remember } \omega = 2\pi f)$$

$$S(f) = \int_{-\infty}^{\infty} s(t) \cdot Z(t) dt$$

$$S(f) = \int_{-\infty}^{\infty} s(t) \cdot (\cos(2\pi ft) + j \sin(2\pi ft)) dt$$

“This integral finds the inner product of a sweep of sinusoids
from $-\infty$ to $+\infty$ with the inputted signal”



Demo Time (Octave)

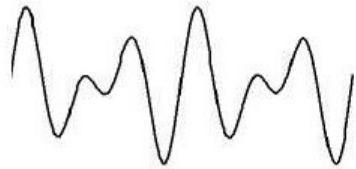




Questions?

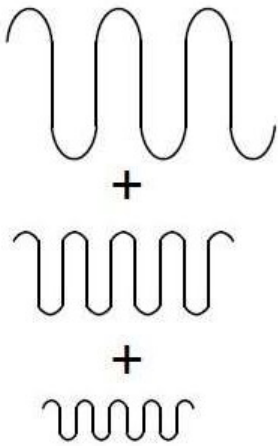


Original signal
(complex signal)

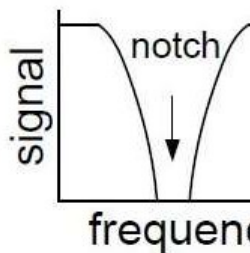
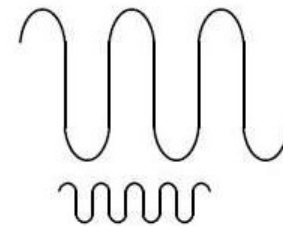
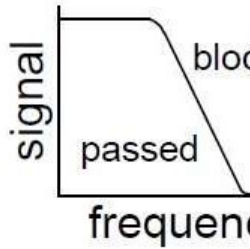
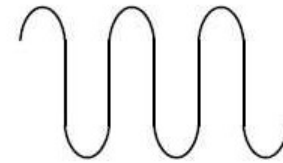
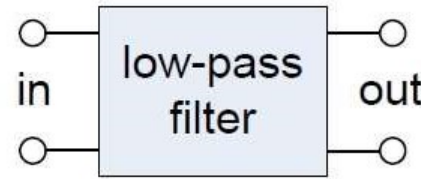


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Component
Frequencies



Filtering



Filtering

- At the core of telecommunications systems is the ability to filter signals

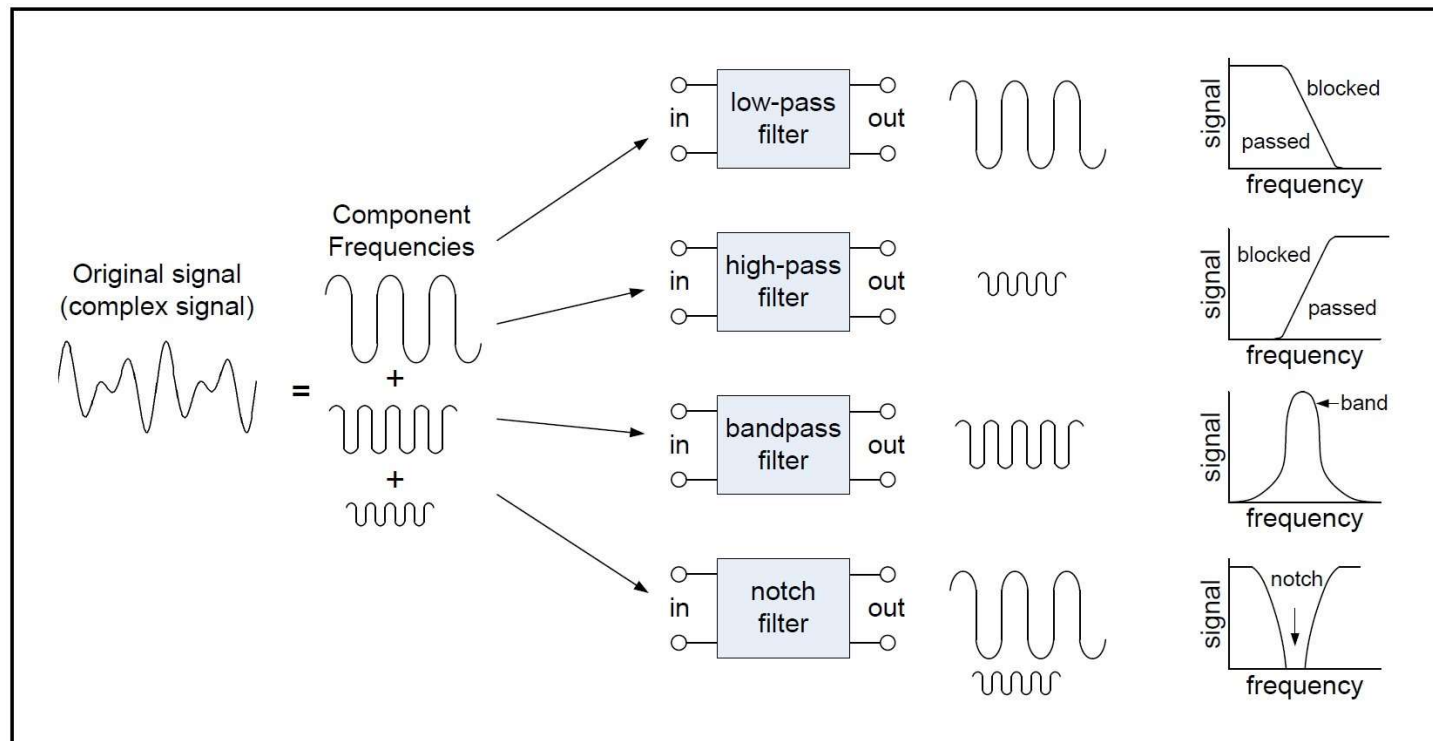


Image source <https://www.allaboutcircuits.com/technical-articles/an-introduction-to-filters/>

Filtering (cont.)

To understand how to apply filters you need to understand the Input and the System Response (system transfer function)

$$\textit{Output}(f) = \textit{Input}(f) \cdot \textit{System Response}(f)$$

Great! Life is easy
and I am happy
normal person!

$$\textit{Output}(t) = \textit{Input}(t) \otimes \textit{System Response}(t)$$

Suffering, Pain,
Despair!

Your boy – convolution!!!

Convolution – definition

Image Source - <https://en.wikipedia.org/wiki/Convolution>

$$(f * g)(t) \triangleq \int_{-\infty}^{\infty} f(\tau)g(t - \tau) d\tau.$$

1. Take two functions, $f(t)$, $g(t)$ – figure out which is the easiest to flip
2. Then, move the flipped function back to $-\infty$, then move it forwards (i.e. to the right) to its first overlap position with the other function.
3. Define the integral of those two functions multiplied – start integrating until the waveform changes the overlap
4. Take note of where it changes, break the integral, start the process at step 3 again
5. Repeat until you get to $+\infty$

If the lecture is nice, they will give you at least one function where it is constant²⁶
(This is why you never take the second exam – sit the exam even if you are dead!)

Convolution - GIF

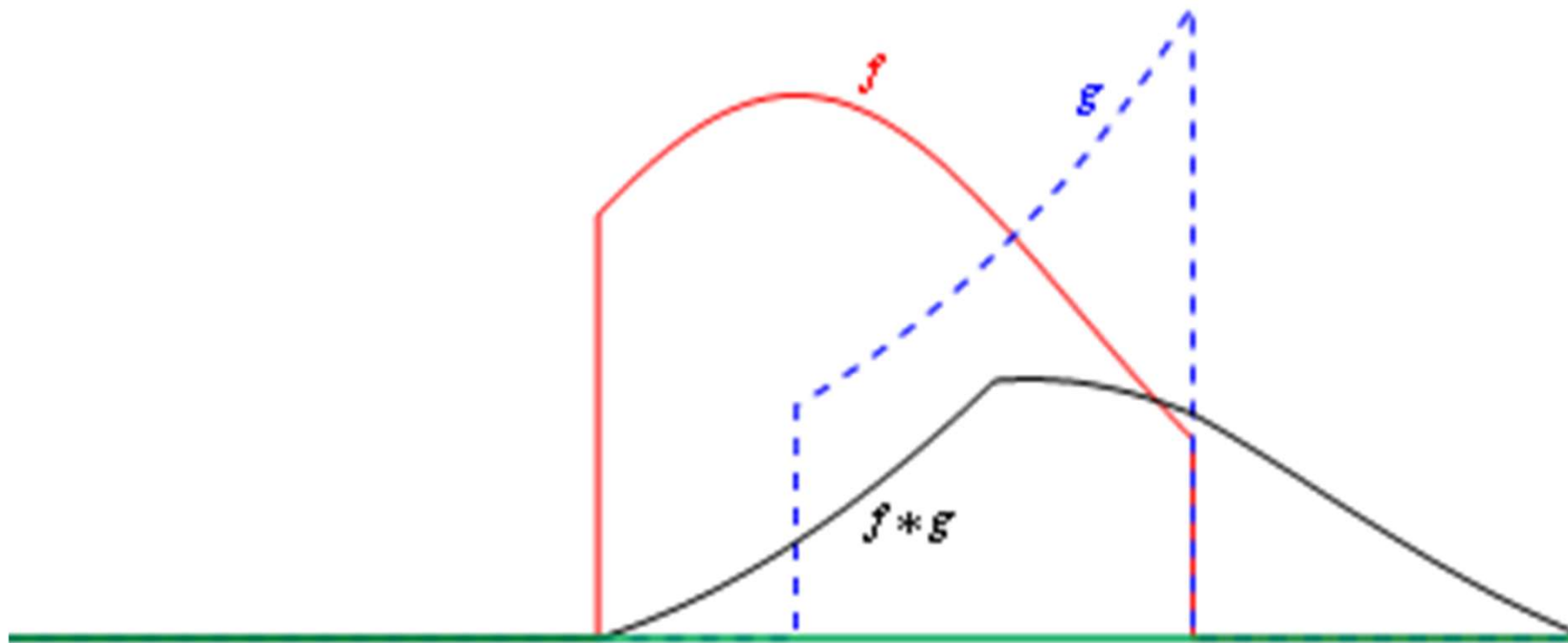


Image source

[https://commons.wikimedia.org/wiki/File:Convolution_Animation_\(Exponential_and_Gaussian\).gif](https://commons.wikimedia.org/wiki/File:Convolution_Animation_(Exponential_and_Gaussian).gif)

Convolution – **what** if there was another way?

Convolution in one domain, is the same as multiplication in the other domain!

i.e.

$$\text{OUTPUT (t)} = \text{INPUT (t)} \otimes \text{FILTER (t)}$$

Is the same result as

$$\text{OUTPUT (F)} = \text{INPUT (F)} \times \text{FILTER (F)}$$

Similarly,

$$\text{OUTPUT(t)} = \text{INPUT (t)} \times \text{FILTER (T)}$$

$$\text{OUTPUT(F)} = \text{INPUT (F)} \otimes \text{FILTER (F)}$$

More on this later!



Demo Time (Octave)

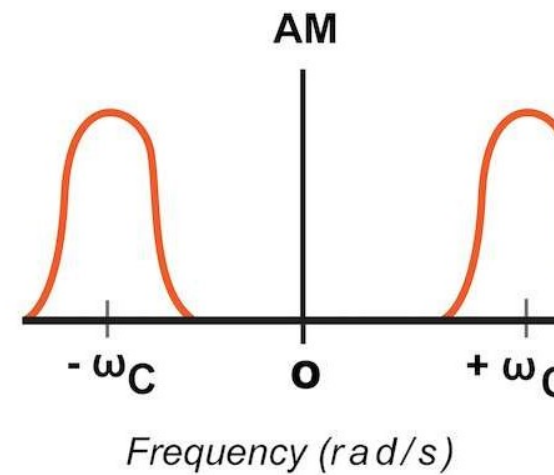
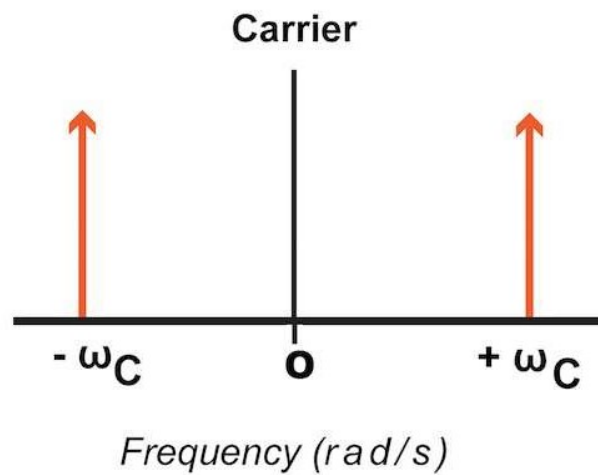
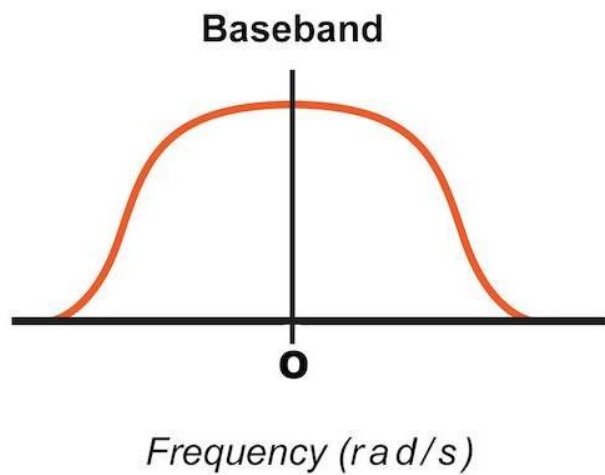




Questions?



Modulation



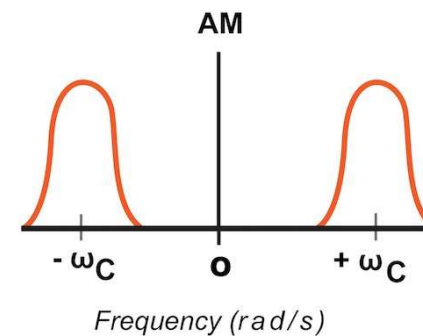
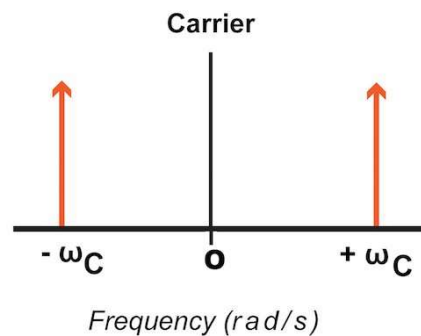
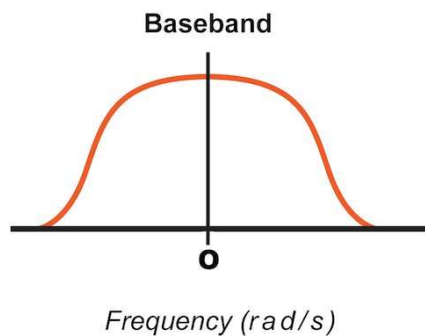
Modulation

- How to encode (modulate) one signal onto another
- You will be familiar with:
 - Amplitude Modulation (AM)
 - Frequency Modulation (FM)
- Think back to multiplication in one domain is convolution in another ...

Image source <https://www.allaboutcircuits.com/technical-articles/an-introduction-to-filters/>

Amplitude Modulation

- Take your signal you want to transmit (for example voice – bandwidth 4000 Hz) – called the baseband signal
- Modulate onto a Carrier Signal (Something in the Hundreds of KHz (i.e. 100,000 times higher)
- Multiply the two together in the time domain – convolve in frequency





Demo Time (Octave)





Questions?

