

lab1 zhongyun_zhang

zhongyun zhang

2019/10/6

Problem 1

a)

First, we need to import vets.txt Second, we read in the first column of data as a vector and call it vet.time

```
vets <- read.table("~/Desktop/2019 Fall/PSTAT 175/lab1/vets.txt", quote="\"", comment.char="")
head(vets)
```

```
##      V1 V2
## 1   72  1
## 2  411  1
## 3  228  1
## 4  126  1
## 5  118  1
## 6   10  1
```

```
vet.time<-vets$V1
```

b)

We read second column as a vector vet.cns, in this column, 1 is an event occurred for that patient and 0 is when that patient is censored

```
vet.cns<-vets$V2
```

c)

First, we need to load library survival. Second, we create a function called vet.surv by using the Surv function. Third, we print out the result.

```
#install.packages("survival")
library(survival)
vet.surv<-Surv(vet.time,vet.cns)
print(vet.surv)
```

```
##      [1] 72  411  228  126  118  10  82  110  314  100+  42  8  144  25+
##      [15] 11  30  384  4  54  13  123+  97+  153  59  117  16  151  22
##      [29] 56  21  18  139  20  31  52  287  18  51  122  27  54  7
##      [43] 63  392  10  8  92  35  117  132  12  162  3  95  177  162
##      [57] 216  553  278  12  260  200  156  182+  143  105  103  250  100  999
##      [71] 112  87+  231+  242  991  111  1  587  389  33  25  357  467  201
##      [85] 1  30  44  283  15  25  103+  21  13  87  2  20  7  24
##      [99] 99  8  99  61  25  95  80  51  29  24  18  83+  31  51
##     [113] 90  52  73  8  36  48  7  140  186  84  19  45  80  52
##     [127] 164  19  53  15  43  340  133  111  231  378  49
```

d)

There are 137 patients in the data, and we use function mean to compute the average survival time of patients

```
mean(vet.time)
```

```
## [1] 121.6277
```

This may be a biased estimate of the average time until an event, since this calculated mean time(121.6677) contains survival time for patients with an event occurred and survival time for patients who were censored. In this way, the mean is not the mean time for patients who got the event. In order to get the accurate average time until an event, we need to exclude those time that patients were censored.

e)

Calculate `sum(vet.cns)` and `sum(vet.time*vet.cns)` by using function `sum`

```
sum(vet.cns)
```

```
## [1] 128
```

```
sum(vet.time*vet.cns)
```

```
## [1] 15632
```

For `sum` of `vet.cns`, it is actually adding up all patients who had an event occurred. There are 128 people who had an event occurred. For `sum` of `vet.time*vet.cns`, 15632 is the total amount of time for all patients who had an event occurred on themselves.

f)

We calculate function `mean(vet.surv)`.

```
mean(vet.surv)
```

```
## [1] 61.28102
```

This mean is the mean time for patients who had event happen.(Exclude patients who were censored)

Problem2

a)

Construct a survival object `ret.surv` by using `Surv` function. First, we need to load library `survival`

```
#install.packages("survival")  
library(survival)
```

Second, we need to import `retire.txt`

```
setwd("~/Desktop/2019 Fall/PSTAT 175/lab1")  
retire <- read.table("retire.txt", header=TRUE, skip=2)
```

Third, we can construct `surv` function

```
ret.time<-retire$time  
ret.death<-retire$death  
ret.surv<-Surv(ret.time,ret.death)
```

b)

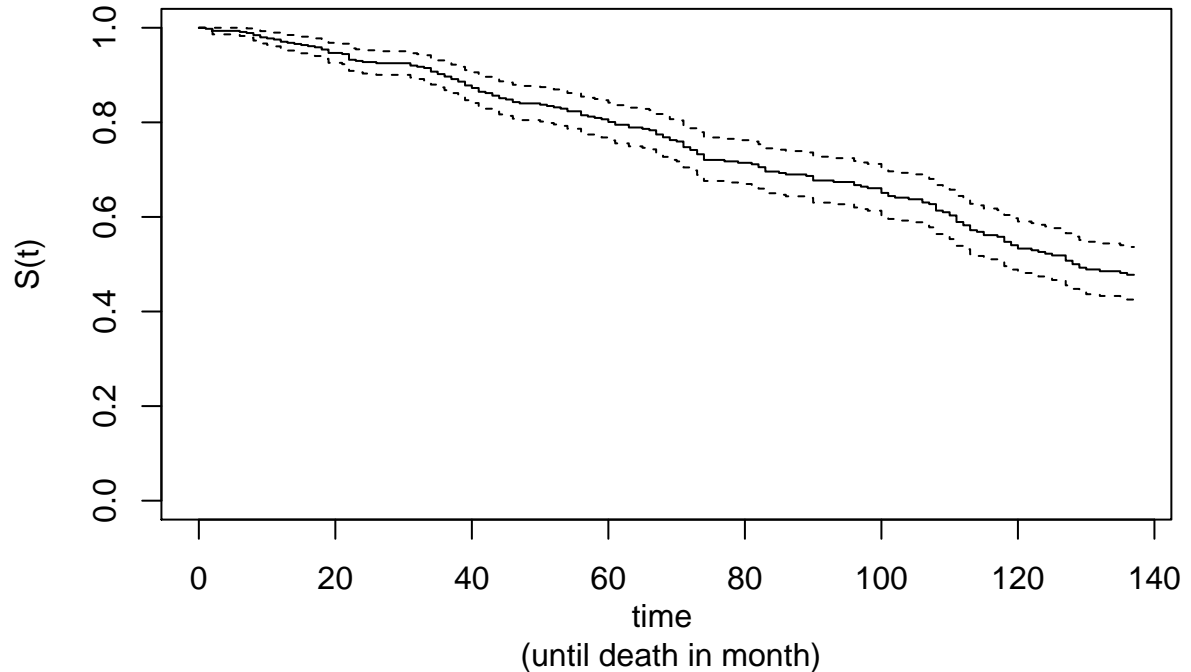
The function `survfit` calculates a Kaplan–Meier estimate of the survival function.

```
retire.fit<-survfit(ret.surv ~ 1)
```

c)

Use plot function on the results from survfit to generate a picture of the estimate of the survival func-

Kaplan–Meier Curves for retired people death



tion.

##d) Use the summary function on the results from survfit to generate a summary of the survival function.

```
summary(retire.fit)
```

```
## Call: survfit(formula = ret.surv ~ 1)
##
##   time n.risk n.event survival std.err lower 95% CI upper 95% CI
##   1     458     1    0.998 0.00218    0.994    1.000
##   2     457     2    0.993 0.00377    0.986    1.000
##   6     440     1    0.991 0.00439    0.983    1.000
##   7     438     1    0.989 0.00492    0.979    0.999
##   8     434     2    0.984 0.00586    0.973    0.996
##   9     427     2    0.980 0.00668    0.967    0.993
##  10     424     1    0.977 0.00705    0.964    0.991
##  11     423     1    0.975 0.00740    0.961    0.990
##  12     420     2    0.970 0.00806    0.955    0.986
##  13     415     1    0.968 0.00838    0.952    0.985
##  14     412     1    0.966 0.00868    0.949    0.983
##  15     411     1    0.963 0.00897    0.946    0.981
##  16     408     1    0.961 0.00926    0.943    0.979
##  17     406     1    0.959 0.00953    0.940    0.978
##  18     404     2    0.954 0.01006    0.934    0.974
##  19     399     3    0.947 0.01080    0.926    0.968
##  21     393     1    0.944 0.01104    0.923    0.966
##  22     392     5    0.932 0.01214    0.909    0.956
##  23     386     1    0.930 0.01235    0.906    0.954
##  24     384     1    0.928 0.01255    0.903    0.952
```

##	26	380	1	0.925	0.01275	0.900	0.950
##	31	367	2	0.920	0.01317	0.895	0.946
##	32	362	1	0.917	0.01338	0.892	0.944
##	33	359	1	0.915	0.01358	0.889	0.942
##	34	356	3	0.907	0.01418	0.880	0.935
##	35	351	2	0.902	0.01456	0.874	0.931
##	36	343	2	0.897	0.01494	0.868	0.927
##	37	337	2	0.891	0.01532	0.862	0.922
##	38	333	2	0.886	0.01569	0.856	0.917
##	39	330	3	0.878	0.01622	0.847	0.910
##	40	327	2	0.873	0.01656	0.841	0.906
##	41	324	3	0.865	0.01705	0.832	0.899
##	42	319	1	0.862	0.01721	0.829	0.896
##	43	317	2	0.856	0.01753	0.823	0.892
##	44	315	2	0.851	0.01784	0.817	0.887
##	45	312	1	0.848	0.01799	0.814	0.884
##	46	310	2	0.843	0.01828	0.808	0.879
##	47	307	1	0.840	0.01843	0.805	0.877
##	50	304	1	0.837	0.01857	0.802	0.875
##	51	302	1	0.835	0.01872	0.799	0.872
##	52	301	1	0.832	0.01886	0.796	0.870
##	53	298	1	0.829	0.01900	0.793	0.867
##	54	296	2	0.823	0.01928	0.786	0.862
##	56	294	3	0.815	0.01968	0.777	0.854
##	57	291	1	0.812	0.01981	0.774	0.852
##	58	287	1	0.809	0.01995	0.771	0.849
##	59	283	1	0.806	0.02008	0.768	0.847
##	60	280	2	0.801	0.02035	0.762	0.842
##	61	277	2	0.795	0.02061	0.756	0.836
##	63	273	2	0.789	0.02086	0.749	0.831
##	65	270	1	0.786	0.02099	0.746	0.828
##	66	266	1	0.783	0.02112	0.743	0.826
##	67	265	3	0.774	0.02149	0.733	0.818
##	68	261	2	0.768	0.02173	0.727	0.812
##	69	258	2	0.762	0.02197	0.721	0.807
##	70	256	1	0.760	0.02208	0.717	0.804
##	71	254	4	0.748	0.02253	0.705	0.793
##	72	250	2	0.742	0.02274	0.698	0.788
##	73	247	3	0.733	0.02305	0.689	0.779
##	74	244	4	0.721	0.02344	0.676	0.768
##	77	237	1	0.718	0.02354	0.673	0.765
##	79	235	1	0.714	0.02364	0.670	0.762
##	81	232	1	0.711	0.02374	0.666	0.759
##	82	231	2	0.705	0.02393	0.660	0.754
##	83	229	3	0.696	0.02420	0.650	0.745
##	85	226	1	0.693	0.02429	0.647	0.742
##	86	224	1	0.690	0.02438	0.644	0.739
##	89	218	1	0.687	0.02447	0.640	0.736
##	90	215	3	0.677	0.02475	0.630	0.727
##	93	210	1	0.674	0.02484	0.627	0.724
##	96	206	2	0.667	0.02502	0.620	0.718
##	97	204	1	0.664	0.02511	0.617	0.715
##	98	203	1	0.661	0.02520	0.613	0.712
##	100	199	3	0.651	0.02547	0.603	0.703

##	101	195	2	0.644	0.02564	0.596	0.696
##	102	193	1	0.641	0.02572	0.592	0.693
##	104	189	1	0.637	0.02581	0.589	0.690
##	106	186	2	0.631	0.02598	0.582	0.684
##	107	184	1	0.627	0.02607	0.578	0.680
##	108	183	4	0.613	0.02638	0.564	0.667
##	109	179	1	0.610	0.02646	0.560	0.664
##	110	178	2	0.603	0.02660	0.553	0.658
##	111	174	4	0.589	0.02688	0.539	0.644
##	112	170	2	0.582	0.02700	0.532	0.638
##	113	168	3	0.572	0.02718	0.521	0.628
##	114	165	1	0.568	0.02724	0.518	0.624
##	115	164	2	0.562	0.02734	0.510	0.618
##	117	159	1	0.558	0.02740	0.507	0.614
##	118	157	3	0.547	0.02756	0.496	0.604
##	119	154	2	0.540	0.02765	0.489	0.597
##	120	152	2	0.533	0.02774	0.481	0.590
##	122	149	1	0.530	0.02779	0.478	0.587
##	123	147	1	0.526	0.02783	0.474	0.583
##	124	143	1	0.522	0.02788	0.470	0.580
##	125	142	1	0.519	0.02792	0.467	0.576
##	127	140	3	0.507	0.02805	0.455	0.566
##	128	137	2	0.500	0.02813	0.448	0.558
##	129	135	2	0.493	0.02819	0.440	0.551
##	130	133	1	0.489	0.02822	0.437	0.548
##	132	132	1	0.485	0.02825	0.433	0.544
##	135	129	1	0.481	0.02828	0.429	0.540
##	136	126	1	0.478	0.02832	0.425	0.537

The probability of surviving past 50 months in this sample is considerably high, around 80% people still survive, though the probability of surviving is decreasing.