# Spreadsheet Column Type Inference

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This paper describes the methodology used by Pyret[1] to infer the data types of columns in the language's upcoming gdrive-sheets library.

## 1 Cell Types

Google Sheets gives us the ability to infer the following cell types[2]:

- String
- Number
- Bool
- null (AKA None)

Furthermore, cells of type Number can be specially formatted in one of the following ways:

- TEXT
- NUMBER
- PERCENT
- CURRENCY
- DATE
- TIME
- DATE\_TIME
- SCIENTIFIC
- NUMBER\_FORMAT\_TYPE\_UNSPECIFIED (implicit)

Since Pyret currently does not have a datetime type, I figure that it is currently best to leave the TIME,DATE.TIME,DATE, and (obviously) TEXT formats as string upon opening a spreadsheet.

```
c_i \coloneqq \text{The } i \text{th column}
v_i \coloneqq \text{Value in column } c_i
\tau_i \coloneqq \text{Type (differentiated by index } i)
[c_i : \tau_i, \ldots] \coloneqq \text{Schema store; "Column } i \text{ has type } \tau_i"
[] \coloneqq \text{Empty Schema Store (starting point)}
```

Figure 1: Inference Notation

## 2 Inferring Column Types

From these types, I propose inferring column types using the rules in Figure 2 (see Figure 1 for notation). Note that each inference produces a new schema store.

While it may not be the *most* robust way of doing this inference, I believe that it will be plenty sufficient for our use case.

#### References

- [1] Brown University PLT Group. Pyret. http://pyret.org, 2016. [Online; accessed 10-June-2016].
- [2] Google Inc. Collection spreadsheets Sheets API. https://developers.google.com/sheets/reference/rest/v4/spreadsheets, 2016. [Online; accessed 10-June-2016].

$$\frac{v_i : \tau_i}{\left[ \right] \vdash v_i \Rightarrow \left[ c_i : \tau_i \right] } \qquad \text{(T-INTROS)}$$
 
$$\frac{v_i : \tau_i \qquad \tau_i \neq \text{None}}{\left[ c_i : \text{None} \right] \vdash v_i \Rightarrow \left[ c_i : \text{Option} < \tau_i > \right]} \qquad \text{(T-OPTION-1)}$$
 
$$\frac{v_i : \text{None} \qquad \tau_i \neq \text{None} \neq \text{Option} < \tau_j > \left( \forall j \right)}{\left[ c_i : \tau_i \right] \vdash v_i \Rightarrow \left[ c_i : \text{Option} < \tau_i > \right]} \qquad \text{(T-OPTION-2)}$$
 
$$\frac{(v_i : \text{None}) \lor (v_i : \tau_i)}{\left[ c_i : \text{Option} < \tau_i > \right] \vdash v_i \Rightarrow \left[ c_i : \text{Option} < \tau_i > \right]} \qquad \text{(T-OPTION-3)}$$
 
$$\frac{v_i : \text{None}}{\left[ c_i : \text{None} \right] \vdash v_i \Rightarrow \left[ c_i : \text{None} \right]} \qquad \text{(T-None)}$$
 
$$\frac{v_i : \tau_i}{\left[ c_i : \tau_i \right] \vdash v_i \Rightarrow \left[ c_i : \tau_i \right]} \qquad \text{(T-CHECK)}$$
 
$$\frac{v_i : \tau_j \qquad \tau_j \neq \tau_i \neq \text{None}}{\left[ c_i : \text{Option} < \tau_i > \right] \vdash v_i \Rightarrow \text{ERROR}} \qquad \text{(T-ERROR-1)}$$
 
$$\frac{v_i : \tau_j \qquad \tau_j \neq \tau_i \neq \text{None}}{\left[ c_i : \tau_i \right] \vdash v_i \Rightarrow \text{ERROR}} \qquad \text{(T-ERROR-2)}$$

Figure 2: Schema Inference Rules