

Basic Beamer Talk

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Introduction

- MOTIVATION: Literature on determining the alternative optima for combinatorial optimization problems, especially NP-Hard problems, is minimal (e.g. determining multiple solutions to TSP [1]).
- The Minimum Cardinality Set Covering Problem (MCSCP) is a combinatorial integer programming problem with many applications (e.g. ingot mold selection [2]).
- GOAL: Develop a methodology for predicting the qualitative number of alternative optima for MCSCP.

Formulation of MCSCP

Let $A = [a_{ij}]$ be an $m \times n$ matrix, where $m < n$, and the entries of A are zeros and ones. Let $x = [x_j]$ be a bit string, then

$$\text{Minimize: } z = \sum_{j=1}^n x_j \quad (1)$$

Subject to:

$$\sum_{j=1}^n a_{ij} x_j \geq 1 \quad \text{for } i = 1, 2, \dots, m \quad (2.1)$$

$$\sum_{j=1}^n a_{ij} \geq 1 \quad \text{for } i = 1, 2, \dots, m \quad (2.2)$$

$$\sum_{i=1}^m a_{ij} \geq 1 \quad \text{for } j = 1, 2, \dots, n \quad (2.3)$$

Figures

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Me using $\frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$ to find

roots of $x^2 - 1 = 0$.



Selected References



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Operations Research: An Introduction, 10th edition.

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