

$$\textcircled{2} \quad 0x0013 \rightarrow 0000\ 0000\ 0001\ 0011 = 19$$

Leading bit 0, so treat normally

$$0xffff \rightarrow 1111\ 1111\ 1111\ 1111 = -1$$

Leading bit 1, so subtract 1 then flip the bits.

$$\text{Sub. } 1 : 1111\ 1111\ 1111\ 1110$$

$$\text{Flip bits: } 0000\ 0000\ 0000\ 0001 = 1 \\ \therefore -1$$

$$0x8000 \rightarrow 1000\ 0000\ 0000\ 0000 = -128$$

Leading bit 1, so convert

$$\text{Sub. } 1 : 0111\ 1111\ 1111\ 1111$$

$$\text{Flip bits: } 1000\ 0000\ 0000\ 0000 = 128$$

Now, interpret as unsigned, $\therefore -128$
and make negative.

\textcircled{3} Positive values are calculated as-normal (100000 is too large)

-5: Represent +5 in binary:

$$0000\ 0000\ 0000\ 0101$$

Flip bits:

$$1111\ 1111\ 1111\ 1010$$

Add 1:

$$1111\ 1111\ 1111\ 1011$$

-100: Represent +100 in binary:

$$0000\ 0000\ 0110\ 0100$$

Flip bits:

$$1111\ 1111\ 1001\ 1011$$

Add 1:

$$1111\ 1111\ 1001\ 1100$$

④ Formula: sign $\times (1 + \text{frac}) \times 2^{\text{exp}-127}$.
 Special values: bits represent decreasing powers of 2: i.e. first bit = 2^{-1} , second bit = 2^{-2} , and so on...

(+/-) zero: exp and frac. both 0 - sign bit 0 or 1

(+/-) infinity: exp. bits all 1, frac all 0. - sign bit 0 or 1

NaN: exp. bits all 1, >1 frac bit 1. frac != 0

c) 0 01111111 100000000000000000000000000000

sign = 0 \Rightarrow +ve

$$\text{exp} = 127 \Rightarrow 2^{127-127} = 2^0$$

$$\text{frac} = 2^1 \Rightarrow 0.5 \Rightarrow (1+0.5)$$

$$\therefore (1+0.5) \times 2^0$$

$$= 1.5$$

d) 0 01111100 000000000000000000000000000000

sign = 0 \Rightarrow +ve

$$\text{exp} = 126 \Rightarrow 2^{126-127} = 2^{-1}$$

$$\text{frac} = 0 \Rightarrow (1+0)$$

$$\therefore (1+0) \times 2^{-1}$$

$$= 0.5$$

e) 0 10000000 011000000000000000000000000000

sign = 0 \Rightarrow +ve

$$\text{exp} = 128 \Rightarrow 2^{128-127} = 2^1$$

$$\text{frac} = 2^{-2} + 2^{-3} = 0.25 + 0.125 = 0.375$$

$$\therefore (1+0.375) \times 2^1$$

$$= 1.375 \times 2$$

$$= 2.75$$

⑤ To go from floating point rep. to binary,

find largest 2^n smaller than our number, and divide.

Then, express in $(1+\text{frac}) \times 2^{\text{exp}-127}$ form.

a) 2.5

First, divide by 2^1 :

$$1.25 \times 2^1$$

Now, express in $(1 + \text{frac}) \times 2^{\text{exp}-127}$ form:

$$(1 + 0.25) \times 2^{128-127}$$

$$\therefore \text{Sign} = 0$$

$$\text{Exp} = 128$$

$$\text{frac} = 0.25 = 2^{-2}$$

0 10000000 01000000000000000000000000000000

b) 0.375

First, divide by 2^{-2} :

$$1.5 \times 2^{-2}$$

Now, express in $(1 + \text{frac}) \times 2^{\text{exp}-127}$ form:

$$(1 + 0.5) \times 2^{125-127}$$

$$\therefore \text{Sign} = 0$$

$$\text{Exp} = 125$$

$$\text{frac} = 0.5 = 2^{-1}$$

0 01111101 10000000000000000000000000000000

c) 27.0

First, divide by 2^4 :

$$1.6875 \times 2^4$$

.. $\therefore (1 + \text{frac}) \times 2^{\text{exp}-127}$ form:

1.6875×2^7

Now, express in $(1 + \text{frac}) \times 2^{\text{exp}-127}$ form:
 $(1 + 0.6875) \times 2^{131-127}$

Sign = 0

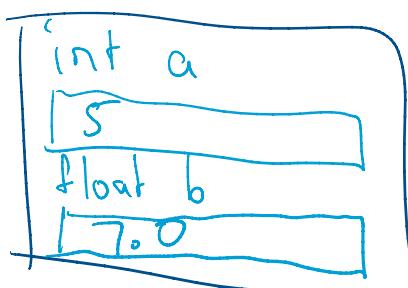
Exp = 131

$$\text{Frac} = 0.6875 = 0.5 + 0.125 + 0.0625 = 2^{-1} + 2^{-3} + 2^{-4}$$

0 10000100 10110600000000000000000000000000

⑦ Unions vs. structs:

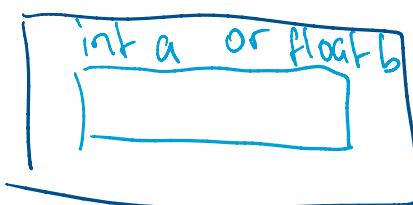
Struct x1:



$x1.a = 5$

$x1.b = 7.0$

union x2:

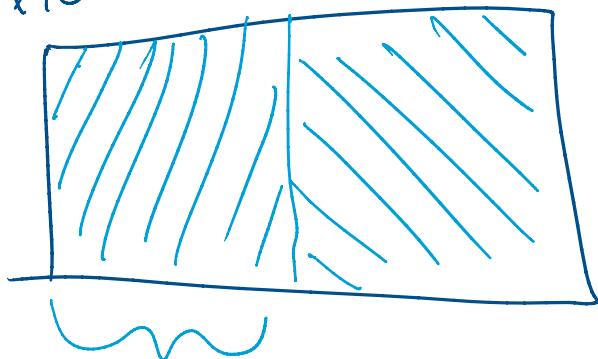


$x2.a = 5$

$x2.b = 7.0$

struct

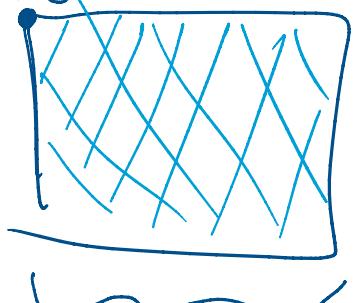
0x1000 0x1004



4

union

0x2000



4