



# Convex Optimization for Computer Vision Data Selection

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## Introduction

To assist with X-ray image classification we present the 'Convex Pseudo-Spread Maximizer' (CPSM) for optimized data selection, this has multiple advantages:

- Decreased need for massive datasets
- Faster computation than alternative data selection methods

## Related Work & Motivation

- Demand for radiology and its data
- Data selection : pick valuable data points to boost performance and evaluate individual samples.
- Truncated Monte Carlo Data Shapley (TMC) method is our benchmark

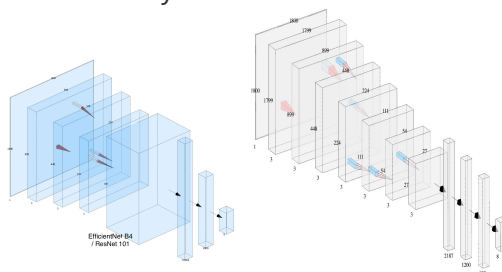
## Data



- PadChest , 1000 (1800 x 1800) PA images
- classes:[Normal, COPD, pneumonia, scoliosis, infiltrates, cardiomegaly, pleural effusion, OTHER]

## Predictors

We train raw models and sandwich existing ResNet and EfficientNet in trainable layers.



## Pseudo-Spread

New metric for evaluating a subset of training data:

$$S = \sum \omega^T D + \frac{\alpha}{N} \sum \omega^T ((A - \Theta)^T (A - \Theta))$$

$\underline{D}$  is the distance matrix for vectors in dataset  $\underline{A}$ , an  $\underline{M}$  by  $\underline{K}$  matrix

Diagonal matrix  $\underline{\omega}$  selects datapoints  
Matrix  $\underline{\Theta}$  is a repeated vector of  $\underline{\theta}$ , the median of  $\underline{A}$ .

Weigh  $\alpha$  regulates the impact of each side.

Left element is a sum of distances of all points with chosen points' columns present.

Right element is a convex adaptation of variance with respect to  $\underline{\omega}$ , the problem variable.

## Convex Optimization

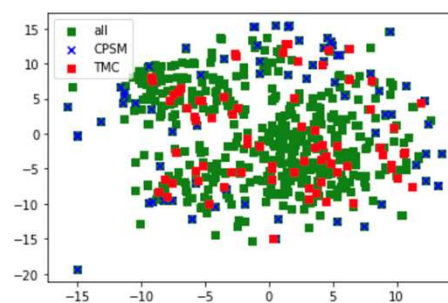
Maximize  $S$ ,

such that  $0 \leq \omega \leq I_M$ , and  $\sum \omega \leq N$

Where  $I_M$  is the size  $M$  identity matrix and  $N$  is the number of points to sample from  $A$ .

## Feature Space

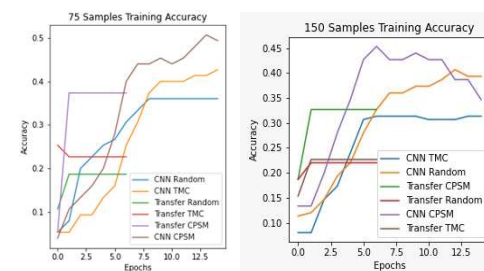
A pre-trained conv model generates size 1200 vectors in its second dense layer. Training images (600) fed through the model produce  $\underline{A}$  of size 600 by 1200. CPSM acts on this  $\underline{A}$ .



A plot of **t-SNE** representation of  $\underline{A}$  and samples selected by CPSM and TMC methods. TMC's subset is denser than CPSM's, which includes outliers.

## Results

- CPSM and TMC outperform methods without data selection
- CPSM on our CNN architecture increased accuracy by 10% compared to TMC method
- Transfer learning models failed



## Conclusion

CPSM outperforms TMC and runs 100x faster, but requires high RAM  
Future Work:

- Improve transfer learning
- Investigate density in chosen subsets
- Tune  $\alpha$  and  $N$  hyperparameters

## Acknowledgements

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Find the code at:

[https://github.com/elsirdavid/Convex\\_Pseudo\\_Spread\\_Maximizer](https://github.com/elsirdavid/Convex_Pseudo_Spread_Maximizer)