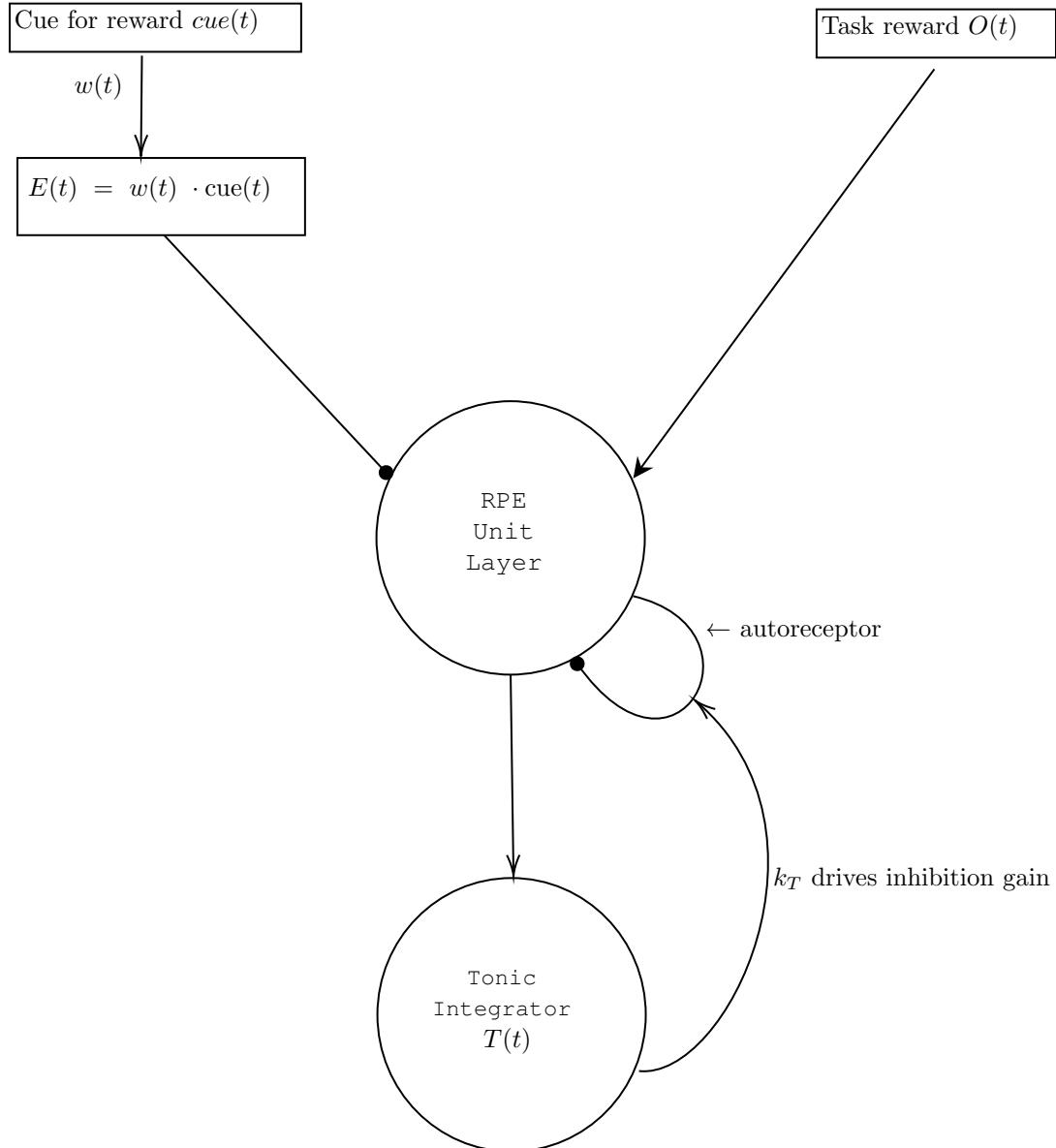


Computational Model of RPE Dynamics with Tonic Dopamine Modulation



$$\frac{dV_i}{dt} = I_i(t) - (k_0 + k_T T(t)) V_i(t) + (\sigma \cdot \sqrt{dt} \cdot \mathcal{N}(u, 1)) \quad (1)$$

$$I_i(t) = O_i(t) - E_i(t) \quad (2)$$

$$E_i(t) = w(t) \cdot \text{cue}(t) \quad (3)$$

$$\frac{dw}{dt} = \eta \cdot V_i(t) \cdot \text{cue}(t) \quad (4)$$

$$\frac{dT}{dt} = \frac{-T(t) + I_T(t)}{\tau_T} \quad (5)$$

$$I_T(t) = \sum_{\forall i} V_i \quad (6)$$

RPE Update Rule Key

- $V_i(t)$ Membrane variable of RPE neuron i ; $I_i(t)$ is its corresponding input.
- $w(t)$ is the weighted sum of active cues.
- η is the learning rate of the RPE weight update.
- $T(t)$ Integrator of the RPE unit layer, intended to represent tonic dopamine.
- k_0 Baseline leak constant.
- k_T Tonic feedback gain that determines how strongly tonic dopamine modulates self-inhibition.
- σ Noise amplitude.
- $\mathcal{N}(u, 1)$ Additive Gaussian noise over u units. In MATLAB, this would be

```
numUnits = u
randn(numUnits,1) % N(u,1)
```

Essentially, when tonic dopamine $T(t)$ is low, phasic bursts from each RPE unit can persist. When tonic dopamine is high, the leak term ($k_0 + k_T T(t)$) increases and sustained phasic RPE activity is suppressed.