

# 1 Definitions

**Definition 1.1.**  $L$  oriented link with Seifert matrix  $A$ , then the first homology of the infinite cyclic covering of the link complement,  $H_1(X_\infty; \mathbb{Z})$ , has square presentation matrix  $tA - A^T$ .

The *Alexander polynomial* of  $L$  is given by

$$\Delta_L(t) \doteq \det(tA - A^T)$$

where  $\doteq$  means “up to a multiplication with a unit  $\{\pm t^n\}$  of the Laurent ring  $\mathbb{Z}[t, t^{-1}]$ ”.

*Remark 1.2.*  $\mathbb{Z}[t^{\pm 1}]$  is **not** a PID.

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