#### Recurrent Neural Network for Stock Prediction

!pip install numpy pandas matplotlib scikit-learn tensorflow yfinance

Show hidden output

#### 1. Import Libraries and Setup

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import yfinance as yf
from sklearn.preprocessing import MinMaxScaler
from sklearn.metrics import mean_squared_error
from tensorflow.keras.models import Sequential
from tensorflow.keras.layers import Dense, LSTM, Dropout
from tensorflow.keras.optimizers import Adam
from sklearn.model_selection import ParameterGrid
import math
from datetime import datetime, timedelta
np.random.seed(42)
```

#### 2. Choose and Download Stock Data

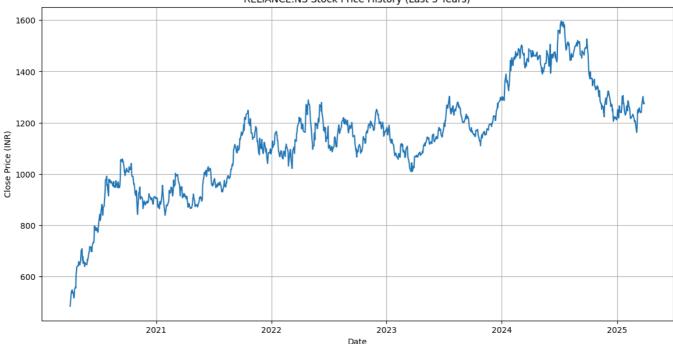
We choose the stock data of Reliance Industries Limited for training the LSTM model. We set the end date as the current data and download the data of last 5 years.

```
stock_symbol = 'RELIANCE.NS'
end date = datetime.now()
start_date = end_date - timedelta(days=5*365) # 5 years of data
print(f"Downloading data for {stock_symbol} from {start_date.strftime('%Y-%m-%d')}") to {end_date.strftime('%Y-%m-%d')}")
stock_data = yf.download(stock_symbol, start=start_date, end=end_date)
print(f"Data downloaded: {len(stock_data)} trading days")
Data downloaded: 1236 trading days
stock_data.head()
→
    Price
              Close
                         High
                                                           Volume
                                    Low
                                                0pen
    Ticker
              RELIANCE.NS RELIANCE.NS RELIANCE.NS RELIANCE.NS
         Date
     2020-04-03
               483.925659
                          509.526647
                                     474.426354
                                                 509.526647
                                                             41367807
    2020-04-07
               541.707581
                           545.255744
                                      494.053824
                                                 494.997020
                                                             54373624
                                                             49880330
    2020-04-08
               535.441956
                           551.992793
                                      521.002134
                                                 529.984913
     2020-04-09
               547.928040
                           553.699471
                                      535.823739
                                                 545.255644
                                                             33032857
    2020-04-13
               534.094543
                           545.704804
                                      529.984882
                                                 540.741802
                                                             23673784
```

#### 3. Visualize Historical Stock Data

```
plt.figure(figsize=(14, 7))
plt.title(f'{stock_symbol} Stock Price History (Last 5 Years)')
plt.plot(stock_data['Close'])
plt.xlabel('Date')
plt.ylabel('Close Price (INR)')
plt.grid(True)
# plt.savefig('stock_history.png')
# plt.close()
```





## 4. Create Training and Test Datasets

In the dataset, we see that all columns other than Date are numeric and hence Date can be dropped. We make the last 4 months of the dataset as the testing data and earlier ones as the training data

```
stock_data_reset = stock_data.reset_index()

features = stock_data.columns.tolist()  # All columns except Date
print(f"Features used for prediction: {features}")

# Split into train and test sets
test_size = 120  # Approximately 4 months of trading days
train_data = stock_data.iloc[:-test_size]
test_data = stock_data.iloc[-test_size:]

print(f"Training data size: {len(train_data)} days")
print(f"Test data size: {len(test_data)} days")

Features used for prediction: [('Close', 'RELIANCE.NS'), ('High', 'RELIANCE.NS'), ('Low', 'RELIANCE.NS'), ('Open', 'RELIANCE.NS')
Training data size: 1116 days
Test data size: 120 days
```

The 'Close' column is set as the target variable and other features as the predictor variables

```
# Scale all features between 0 and 1
scaler_X = MinMaxScaler(feature_range=(0, 1))
scaler_y = MinMaxScaler(feature_range=(0, 1))

# Extract close prices for y
y_train = train_data[['Close']].values
y_test = test_data[['Close']].values

# Scale y data
y_train_scaled = scaler_y.fit_transform(y_train)
y_test_scaled = scaler_y.transform(y_test)

# Remove 'Close' from X features, as it will be our target
X_features = [col for col in features if col != 'Close']
X_train = train_data[X_features].values
X_test = test_data[X_features].values
# Scale X data
```

```
X_train_scaled = scaler_X.fit_transform(X_train)
X_test_scaled = scaler_X.transform(X_test)

def create_dataset(X_data, y_data, time_steps=60):
    X, y = [], []
    for i in range(len(X_data) - time_steps):
        X.append(X_data[i:(i + time_steps)])
        y.append(y_data[i + time_steps])
    return np.array(X), np.array(y)
```

#### 5. Build LSTM Model Function

We build a model using **3 LSTM layers** of **50** units each with **Dropout** layers between each layer. We use Adam optimizer while training the model. We train the model for 20 epochs.

```
def build_lstm_model(time_steps, dropout_rate=0.2, batch_size=32):
   X_train_seq, y_train_seq = create_dataset(X_train_scaled, y_train_scaled, time_steps)
   X_test_seq, y_test_seq = create_dataset(X_test_scaled, y_test_scaled, time_steps)
   n_features = X_train_seq.shape[2]
   # Build LSTM model with 3 LSTM layers
   model = Sequential()
   # First LSTM layer with dropout
   model.add(LSTM(units=50, return_sequences=True, input_shape=(time_steps, n_features)))
   model.add(Dropout(dropout_rate))
   # Second LSTM layer with dropout
   model.add(LSTM(units=50, return_sequences=True))
   model.add(Dropout(dropout_rate))
   # Third LSTM layer with dropout
   model.add(LSTM(units=50))
   model.add(Dropout(dropout rate))
   # Output layer
   model.add(Dense(units=1))
   model.compile(optimizer=Adam(), loss='mean_squared_error')
   model.fit(X_train_seq, y_train_seq, epochs=20, batch_size=batch_size, verbose=0)
   train_predict = model.predict(X_train_seq)
   test_predict = model.predict(X_test_seq)
   # Invert predictions back to original scale
   train_predict = scaler_y.inverse_transform(train_predict)
   y_train_inv = scaler_y.inverse_transform(y_train_seq.reshape(-1, 1))
   test_predict = scaler_y.inverse_transform(test_predict)
   y_test_inv = scaler_y.inverse_transform(y_test_seq.reshape(-1, 1))
   # Calculate RMSE
   train_rmse = math.sqrt(mean_squared_error(y_train_inv, train_predict))
   test_rmse = math.sqrt(mean_squared_error(y_test_inv, test_predict))
   return {
       'model': model,
       'X_test_seq': X_test_seq,
        'y_test_inv': y_test_inv,
       'test_predict': test_predict,
       'y_train_inv': y_train_inv,
        'train_predict': train_predict,
        'train_rmse': train_rmse,
       'test_rmse': test_rmse,
        'time_steps': time_steps,
       'dropout_rate': dropout_rate,
       'batch_size': batch_size
   }
```

#### 6. Train Default LSTM Model

Initially, the model is trained with the default parameters

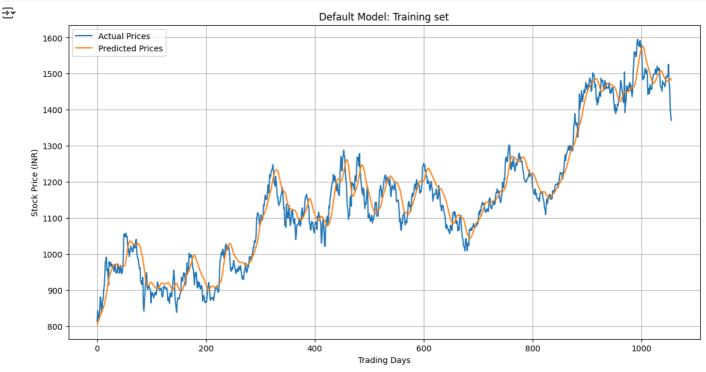
- Time steps = 60
- Dropout Rate = 0.2
- Batch Size = 32

#### 7. Plot Default Model Results

```
def plot_predictions(actual, predicted, title):
    plt.figure(figsize=(14, 7))
    plt.title(title)
    plt.plot(actual, label='Actual Prices')
    plt.plot(predicted, label='Predicted Prices')
    plt.xlabel('Trading Days')
    plt.ylabel('Stock Price (INR)')
    plt.legend()
    plt.grid(True)
```

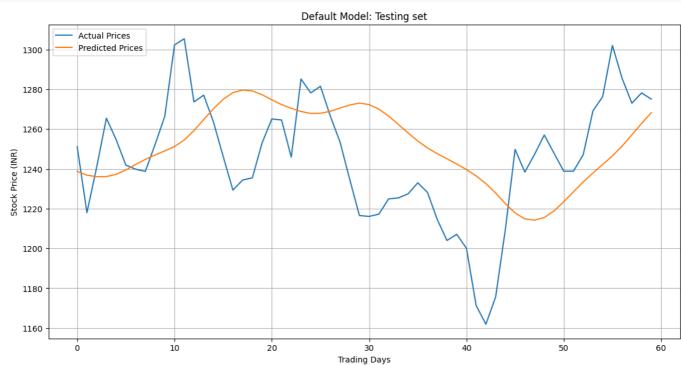
## Plotting the fitted default model on the training dataset

```
plot_predictions(
    default_results['y_train_inv'],
    default_results['train_predict'],
    f"Default Model: Training set"
)
```



#### Plotting the fitted default model on the testing dataset

```
plot_predictions(
   default_results['y_test_inv'],
   default_results['test_predict'],
   f"Default Model: Testing set"
)
```



# 8. Optimize Hyperparameters with Grid Search

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A 3x3 grid is formed with 3 possible values for each of Time Steps, Dropout Rate and Batch Size. So, overall 27 possible combinations are possible.

```
param_grid = {
    'time_steps': [30, 60, 90],
    'dropout_rate': [0.1, 0.2, 0.3],
    'batch_size': [16, 32, 64]
}

# Create all combinations of parameters
grid = list(ParameterGrid(param_grid))
print(f"\nPerforming grid search with {len(grid)} parameter combinations...")
```

Performing grid search with 27 parameter combinations...

We train the same LSTM model which was earlier built using all possible combinations in the parameter grid

```
grid_results = []
# Loop through parameter combinations
for params in grid:
    print(f"Training model with parameters: {params}")
    results = build_lstm_model(**params)
    grid_results.append(results)
    print(f"Test RMSE: {results['test_rmse']:.2f}")
Training model with parameters: {'batch_size': 16, 'dropout_rate': 0.1, 'time_steps': 30}
                             -- 1s 10ms/step
    34/34 -
     3/3 -
                             • 0s 10ms/step
    Test RMSE: 33.22
     Training model with parameters: {'batch_size': 16, 'dropout_rate': 0.1, 'time_steps': 60}
     33/33 -
                               - 0s 4ms/step
    2/2 -
                             - 0s 365ms/step
    Test RMSE: 42.24
    Training model with parameters: {'batch_size': 16, 'dropout_rate': 0.1, 'time_steps': 90}
    33/33 -
                              - 1s 23ms/step
    1/1 -
                            - 0s 32ms/step
    Test RMSE: 35.96
```

```
34/34 -
                          - 2s 35ms/step
3/3 -
                        - 0s 38ms/step
Test RMSE: 31.38
Training model with parameters: {'batch_size': 16, 'dropout_rate': 0.2, 'time_steps': 60}
33/33 -
                        --- 0s 4ms/step
                       -- 0s 228ms/step
2/2 -
Test RMSE: 38.98
Training model with parameters: {'batch_size': 16, 'dropout_rate': 0.2, 'time_steps': 90}
                          - 1s 12ms/step
33/33 -
1/1 -
                        - 0s 34ms/sten
Test RMSE: 54.08
Training model with parameters: {'batch_size': 16, 'dropout_rate': 0.3, 'time_steps': 30}
34/34 -
                         -- 1s 10ms/step
                        - 0s 10ms/step
3/3 -
Test RMSE: 32.32
Training model with parameters: {'batch_size': 16, 'dropout_rate': 0.3, 'time_steps': 60}
33/33 -
                         -- 0s 4ms/step
2/2 -
                        - 0s 303ms/step
Test RMSE: 40.80
Training model with parameters: {'batch size': 16, 'dropout rate': 0.3, 'time steps': 90}
33/33 ---
                         -- 1s 14ms/step
1/1 -
                       -- 0s 32ms/step
Test RMSE: 46.30
Training model with parameters: {'batch_size': 32, 'dropout_rate': 0.1, 'time_steps': 30}
                         -- 1s 10ms/step
34/34 -
3/3 -
                       -- 0s 10ms/step
Test RMSE: 33.48
Training model with parameters: {'batch_size': 32, 'dropout_rate': 0.1, 'time_steps': 60}
33/33 -
                          - 0s 4ms/step
2/2 -
                       -- 0s 336ms/step
Test RMSE: 33.05
Training model with parameters: {'batch_size': 32, 'dropout_rate': 0.1, 'time_steps': 90}
33/33 -
                        --- 1s 11ms/step
                       -- 0s 33ms/step
1/1 -
Test RMSE: 35.80
Training model with parameters: {'batch_size': 32, 'dropout_rate': 0.2, 'time_steps': 30}
34/34 -
                    ----- 1s 10ms/step
                       -- 0s 11ms/step
3/3 -
Test RMSE: 40.89
Training model with parameters: {'batch_size': 32, 'dropout_rate': 0.2, 'time_steps': 60}
33/33 ---
                         -- 1s 5ms/step
2/2 -
                       -- 0s 233ms/step
Test RMSE: 48.49
Training model with parameters: {'batch_size': 32, 'dropout_rate': 0.2, 'time_steps': 90}
33/33
                        --- 1s 12ms/step
```

Training model with parameters: {'batch\_size': 16, 'dropout\_rate': 0.2, 'time\_steps': 30}

### 9. Analyze Grid Search Results

The model with the least test RMSE is selected as the best model.

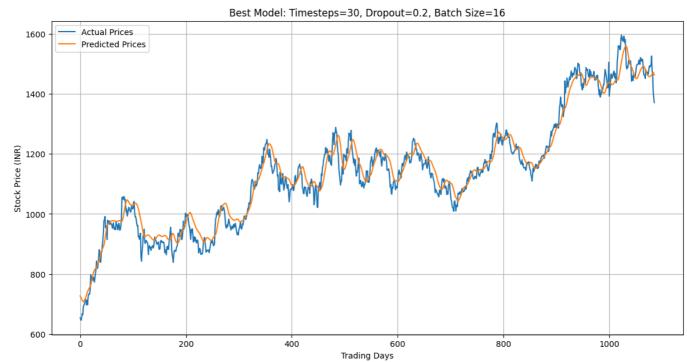
```
best_model = min(grid_results, key=lambda x: x['test_rmse'])
print("\nBest model parameters:")
print(f"Time Steps: {best_model['time_steps']}")
print(f"Dropout Rate: {best_model['dropout_rate']}")
print(f"Batch Size: {best_model['batch_size']}")
print(f"Best model - Test RMSE: {best_model['test_rmse']:.2f}")
```

```
Best model parameters:
Time Steps: 30
Dropout Rate: 0.2
Batch Size: 16
Best model - Test RMSE: 31.38
```

Plotting the fitted best model on the training dataset

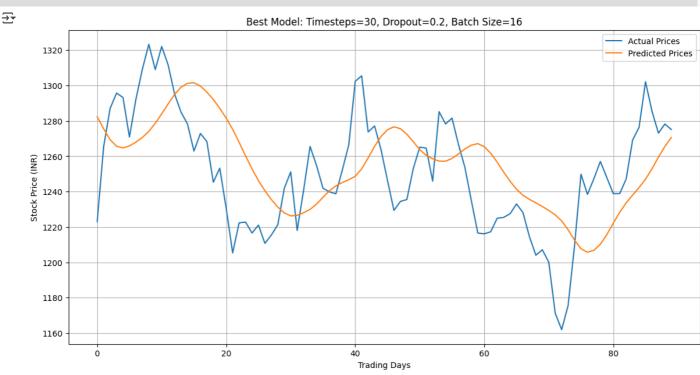
```
# Plotting the training set
plot_predictions(
   best_model['y_train_inv'],
   best_model['train_predict'],
   f"Best Model: Timesteps={best_model['time_steps']}, Dropout={best_model['dropout_rate']}, Batch Size={best_model['batch_size']}"
)
```





### Plotting the fitted best model on the testing dataset

```
# Plotting the testing set
plot_predictions(
   best_model['y_test_inv'],
   best_model['test_predict'],
   f"Best Model: Timesteps={best_model['time_steps']}, Dropout={best_model['dropout_rate']}, Batch Size={best_model['batch_size']}'
)
```



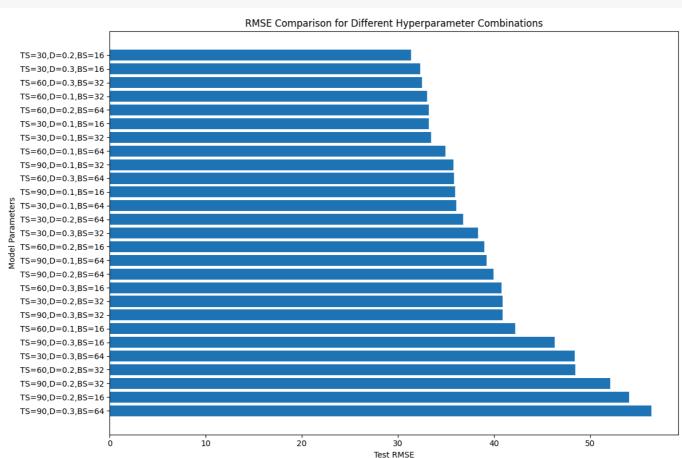
# → 10. Compare All Models

```
plt.figure(figsize=(12, 8))
plt.title('RMSE Comparison for Different Hyperparameter Combinations')

# Sort results by test RMSE
sorted_results = sorted(grid_results, key=lambda x: x['test_rmse'])
model_names = [f"TS={r['time_steps']},D={r['dropout_rate']},BS={r['batch_size']}" for r in sorted_results]
rmse_values = [r['test_rmse'] for r in sorted_results]

plt.barh(model_names[::-1], rmse_values[::-1])
plt.xlabel('Test RMSE')
plt.ylabel('Model Parameters')
plt.tight_layout()
```

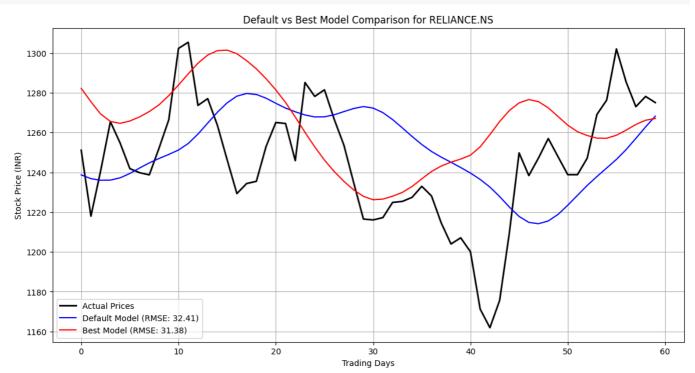




We can see that the model with (TS =90, D=0.3, BS=64) performed the worst on the test data, while (TS =30, D=0.2, BS=16) performed the best with the lowest RMSE.

```
# Compare default vs best model
plt.figure(figsize=(14, 7))
plt.title(f'Default vs Best Model Comparison for {stock_symbol}')
min_length = min(
   len(default_results['y_test_inv']),
   len(default_results['test_predict']),
    len(best_model['y_test_inv']),
   len(best_model['test_predict'])
)
# Truncate arrays to same length
y_test_actual = default_results['y_test_inv'][:min_length]
default_pred = default_results['test_predict'][:min_length]
best_pred = best_model['test_predict'][:min_length]
plt.plot(y_test_actual, label='Actual Prices', color='black', linewidth=2)
plt.plot(default_pred, label=f'Default Model (RMSE: {default_results["test_rmse"]:.2f})', color='blue')
plt.plot(best_pred, label=f'Best Model (RMSE: {best_model["test_rmse"]:.2f})', color='red')
plt.xlabel('Trading Days')
```





#### Conclusions from the LSTM Stock Price Prediction Model

### Model Performance Comparison

- . The best model achieved an RMSE of 31.38, outperforming the default model which had an RMSE of 32.41
- The model with parameters (Time Steps=30, Dropout=0.2, Batch Size=16) performed best among all 27 parameter combinations tested
- The worst-performing model had parameters (Time Steps=90, Dropout=0.3, Batch Size=64) with significantly higher RMSE

#### Hyperparameter Impact Analysis

- **Time Steps**: Shorter time steps (30) worked better than longer sequences (90), suggesting that more recent data has stronger predictive power for this particular stock
- Dropout Rate: A moderate dropout rate (0.2) provided optimal regularization, balancing between underfitting and overfitting
- Batch Size: Smaller batch sizes (16) allowed for more frequent model updates and better convergence compared to larger batches (64)
- The difference in RMSE between the best and default models (1.03 points) represents approximately a 3.2% improvement