

Exam 2 NE 591

80

1/ True Stress Strain the  $\frac{F}{A_0}$   
Stress is measured according to the  
current area of applied force  
and same for the strain so the  
initial area  $A_0$  and measurement of elongation —  
change through time meanwhile, in  
engineering stress strain the area  
is constant and it's the initial area  
prior to any applied force same for  
the strain the elongation it's the  
strain  $\frac{\Delta L}{L_0}$

Same prior to any load and

$$\sigma_{\text{engineering}} = \frac{F}{A_0} \quad \epsilon_{\text{true}} = \frac{\Delta L}{L_0}$$

$$E_{\text{engineering}} = \frac{\Delta L}{L_0} \quad E_{\text{true}} = \ln\left(\frac{L}{L_0}\right)$$

2) elastic deformation  $\frac{7}{8}$   
The material deforms and after removing the applied force it returns to its original state

plastic Deformation. is a permanent Deformation so the material won't be able to return to its original shape after Deformation

3) OD: Vacancies  $\frac{4}{4}$

3D: Voids

4) - melting temperature

- thermal conductivity

- grain Growth

$\frac{6}{6}$

5) Grain size  $\frac{6}{6}$   
doping on the size of the grains we have affected

not the chemical properties

If we have bigger grains <sup>not true</sup> we have  
more density of dislocation inside the  
grain So more ductile material  
<sup>directionally correct, but reasoning wrong</sup>  
Smaller grain means less density of defect  
which means harder material and all  
of that depends on the processing etc.  
6) Strain hardening after plastic deform-  
ation in the sample it still has  
the permanent strain, so now a  
material becomes harder but less  
ductile what causes strain hardening  
is the evolution of the microstructure  
as our ~~one~~ grain will become thinner  
after strain So more plastic  
so it's harder but less ductile

X

7) all fuel performance codes must  
be able to predict:

- The technical interact: -  
- between fuel and cladding <sup>say?</sup>  
- the Temperature profile  
- the Stress and Volumetric change

8) for fuel desificant is burnup  
"fission"  $\propto$   $\frac{1}{3}$

9) Temperature ~~reduction~~ can  
affect grain growth more  
Temperature more grain  
grain Faster grain growth

- what inhibits  
GG?

10]

a) Thin-walled

$$\bar{\sigma}_0 = \frac{pR}{\delta}$$

$$\bar{\sigma}_3 = \frac{pR}{2\delta}$$

$\gamma_M$

$$\bar{\sigma}_r = -\frac{1}{2} p$$

$$\bar{\sigma}_0 = 135 \text{ MPa} \quad \checkmark$$

$$\bar{\sigma}_3 = \frac{\bar{\sigma}_0}{2} = 67.5 \text{ MPa}$$

$$\bar{\sigma}_r = -\frac{1}{2} p = -10 \text{ MPa}$$

b) Thick-walled approx:-

$$\sigma_{rr}(r) = -p \frac{((R_o/r)^2 - 1)}{((R_o/R_i)^2 - 1)}$$

$$\sigma_{00} = p \frac{(R_o/r)^2 + 1}{(R_o/R_i)^2 - 1}$$

$$\sigma_{33} = p \frac{1}{(R_o/R)^2 - 1}$$

at the midpoint

$$\Rightarrow r = 5,4 + \frac{0,8}{2} = 5,8 \text{ m}$$

~~$$6_{rr} = -20 \left( \frac{6,2}{5,8} \right)^2 - 1$$~~

$5,4$  is midpoint

$$6_{rr} = -g 20 \frac{\left( \frac{6,2}{5,8} \right)^2 - 1}{\left( \frac{6,2}{5,8} \right)^2 - 1}$$

$$6_{rr} = -6,77 \text{ MPa}$$

✓/8

$$6_{00} = 20 \frac{\left( \frac{6,2}{5,8} \right)^2 + 1}{\left( \frac{6,2}{5,8} \right)^2 - 1}$$

$$6_{00} = 106,64 \text{ MPa}$$

$$6_{33} = 20 \frac{1}{\cancel{\left( \frac{6,2}{5,8} \right)^2 - 1}}$$

$$6_{33} = 140,96 \text{ MPa}$$

c] :

$\frac{1}{4}$

$$G_{rr} = \overline{G_{rr}}$$

- where are  
they equal?  
at what  $r$ ?

$$G_{33} = \overline{G_{33}}$$

$$\overline{G_{00}} = G_{00}$$

11

10/12

$$\sigma_{00}(\eta) = -\sigma^*(1-3\eta^2)$$

$$\sigma^* = \alpha \frac{F(T_0 - T_S)}{4(1-\gamma)}$$

~~6~~

$$T_0 - T_S = \frac{LHR}{4\pi K}$$

$$T_0 - T_S = \frac{250}{4\pi \times 0,1} \quad T_0 - T_S = 198,94 \text{ K}$$

$$\sigma^* = \alpha \frac{8,8 \times 10^{-6} \times 290 \times 198,94}{4(1-0,5)}$$

$$\sigma = 168,95 \text{ MPa}$$

The maximum stress is when  $\gamma = 1$

So

$$\sigma_{00} = -168,95 \times (-2) \\ = 337,91 \text{ MPa}$$

191

10%/  
10

$$\Delta \delta_{S^{\circ}P} = R_C \times C (T_C - T_{fa}) \\ - R_f \text{ auf } (T_B - T_{fa})$$

~~T<sub>C</sub>?~~ ~~T<sub>F</sub>?~~ + T<sub>C</sub>? T<sub>F</sub>?

~~$T_C - T_{fa} = LHR$~~

~~$T_o - T_{fa} = LHR$~~

$$T_{Fuel} - T_{S^{\circ}P} = \frac{LHR}{2\pi R_f h_{g^{\circ}P}}$$

$$T_B - T_{S^{\circ}P} = \frac{325}{2\pi \times 0,5 \times \frac{0,01}{0,02}}$$

$$= 51,72$$

$$T_{fuel} = 51,72 + 6,50$$

$$= 58,22$$

$$T_{gap} - T_{cold} = \frac{LHR \cdot t_{cold}}{2\pi R_{fuel} K_{cold}}$$

= need  $\bar{T}_f = \frac{T_0 - T_s}{2}$

$$\cancel{T_{gap} - T_{cold}} = T_{ic} \quad \text{what is } T_0 \text{ initially?}$$

$$\text{so } S_{gap} = \bar{R}_c \propto_c (T_c - T) \\ - \bar{R}_f \propto_f (T_f - T_{cold})$$

$$S_{gap} = R_d(0,6 + 0,02) \{ \times 4,5 \times 10^{-6} \\ \times (1150 - 300) - 0,1 \times 10 \times 10^{-8} \\ \times (501,72 - 300)$$

$$S_{gap} = 0,0011$$

the new temperature

$$T_{fuel} - T_{gap} = \frac{LHR}{2\pi R_{fuel} h_g} = \frac{325}{2\pi \times 0,001,002,001} \\ = 1,8,88$$

$$so T_{fuel} = 498,88K$$

- I didn't follow how you  
got to this number

$$\begin{array}{r} -6 \\ \times 10^{-28} \\ \hline \end{array}$$

$$\begin{array}{r} 5 \\ \times 0,05 \frac{0,01}{0,02-0,01} \\ \hline \end{array}$$

1311

$$G_{\text{oo}}(\eta) = -G(1-3n^2) \quad \checkmark \quad \frac{7}{8}$$

$$G = \frac{\alpha E(T_0 - T_S)}{4(1-\nu)}$$

$$T_0 - T_S = \frac{LHR}{4\pi \times K_B} = \frac{200}{4\pi \times 0.05}$$

$$T_0 - T_S = 636,61 \text{ K}$$

- calculator error?

- factor of 2

~~$$G = 10,15 \times 10^{-6} \times 210 \times 10^3$$~~

$$\hat{G} = \frac{10,15 \times 10^{-6} \times 210 \times 10^3 \times 636,61}{4 \times 0.05}$$

$$G = 1,67,52 \text{ MPa}$$

$$\Delta T = 318 \text{ K}$$

$$-6F_r/10^4 = 1 - 3n^2 \quad \checkmark$$

$$3n^2 = 1 + 6F_r/10^4$$

$$n^2 = \sqrt{\frac{1 + 6F_r/10^4}{3}} \quad \checkmark$$

$$n = \sqrt{\frac{1 + 120/462,57}{3}}$$

$$n = 0,647 \quad \checkmark$$

- wrong answer, right process