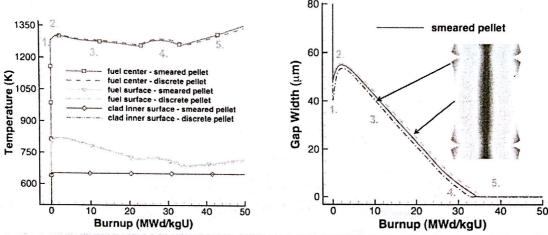
Name: Sage Dorsheimel

## Question 1 (25 points):

1. Reactor Startup

0

The temperature and gap width of a fuel pellet, as predicted by a fuel performance code, is shown below. Using the plots as your guide, determine what is currently occurring within the cladding, gap, and pellet at each number. Note that the numbers are at the same burnups on the two plots.



For each number, describe what is occurring in the cladding, gap, and pellet. Also, describe what features in the plots indicated these behaviors.

-5, You didn't discuss how these things impact temperature

a = 8 Nm = 8×10-4cm

Question 2 (30 points) R<sub>b</sub> = 8,6173303×10<sup>-5</sup> e T = 900°C + 273,15

A fuel pellet with an average grain size of 8 microns is irradiated with a volumetric neutron flux of  $2.0e\overline{13}$  fissions/(cm<sup>3</sup> s). Assume the pellet is at a uniform temperature of 900 °C.

- a) What is the fission gas diffusion coefficient at this temperature? (5 pts)  $O_{1} = (7.6 \times 10^{-6}) \times P(\frac{2.03}{R_{D}7}) \Rightarrow D_{1} = (7.6 \times 10^{-6}) \times P(\frac{2.03}{(8.617 \times 10^{-5})(1173.15)})$   $O_{2} = (1.41 \times 10^{-18}) \times P(\frac{1.19}{R_{D}7}) \times P(\frac{1.19}{R_{D}7}) \times P(\frac{1.19}{R_{D}7}) \times P(\frac{1.19}{(8.617 \times 10^{-5})(1173.15)}) \times P(\frac{1.19}{(8.617 \times 10^{-5})(1173.15)})$
- $2_{\text{Years}} = 2(365)(24)$  b) How many gas atoms/cm<sup>3</sup> are released from the fuel after 2 years of irradiation? Assume the chain yield y = 0.3017. (10 pts)

Ngas = 7Ft => Ngas = 0.3017 (2.0×1013) (6367200) => Ngas = 3.8058×1020 5:55:00

c) After 2 years of irradiation, the pellet is removed from the reactor and from its cladding, venting all released gas. It is then moved to a furnace and annealed at 2000 °C. Estimate how long before 10% of the gas trapped in the pellet is released. How many gas atoms/cm³ will have been released during this time? (15 pts)

-4, D from wrong temp, T = 2273 K

-6, You need to calculate the number of gas atoms produced during the time

-9, 21/30

Problem 3 (30 points)

7 t= 365 d

A ZIRLO cladding tube is in reactor at 600 K for one year. The initial wall thickness is

a) What is the oxide weight gain in mg/dm<sup>2</sup> after this time? (10 pts)

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$$\int_{-\infty}^{\infty} = 5.1 \exp\left(\frac{-350}{T}\right) \Rightarrow \int_{-\infty}^{\infty} = 5.1 \exp\left(\frac{-350}{600}\right) \Rightarrow \int_{-\infty}^{\infty} = 2.0392 \text{ Mm}$$

$$+^{**} = (6.62 \times 10^{-7}) \exp\left(\frac{11949}{T}\right) \Rightarrow \int_{-\infty}^{\infty} = (6.62 \times 10^{-7}) \exp\left(\frac{11949}{600}\right) \Rightarrow \frac{1}{14} \Rightarrow 295.607d$$

$$K_{1} = (7.48 \times 10^{6}) \exp\left(\frac{-12500}{T}\right) \Rightarrow K_{1} = (7.48 \times 10^{6}) \exp\left(\frac{-12500}{600}\right) \Rightarrow K_{2} = 0.0067 \frac{Mm}{d}$$

$$J = \int_{-\infty}^{\infty} + K_{1} \left(1 - \int_{-\infty}^{\infty} + \int_{-\infty}^{\infty} = 2.0392 + 0.0067 \left(365 - 795\right) \Rightarrow J = 2.508 \text{ M}$$

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b) What is the ZIRLO wall thickness after this time? (5 pts)

-2, metal lost = oxide thickness/1.56 -2, thickness lost not gained

c) Assuming the hydrogen pickup fraction is 15%, what is the weight PPM of

-5, use the equation, should be in wgt PPM

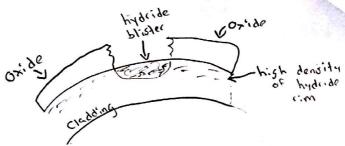
hydrogen in the cladding after one year? (10 pts)

$$N_0 = \frac{wN_0}{m_0} = \frac{0.03687 (6.022 \times 10^{23})}{16} \Rightarrow N_0 = 1.36769 \times 10^{21} \frac{a^{40}m_0}{dm^2}$$

on,

 $N_{H} = 2N_0 = 2 (1.368 \times 10^{21}) \Rightarrow N_{H} = 2.7754 \times 10^{21} \frac{a^{40}m_0}{dm^2}$ 
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(5 pts)



## Problem 4 (15 points)

a) What are the primary differences between a loss of coolant accident and a reactivity insertion accident, regarding the fuel and cladding behavior? (5 pts)

PLOCA

· Celocation in fuel

· higher pressure

· higher pressure

· higher pressure

· higher impact on high burnup fuel

in fuel

· fuel breaks into pieces

· decrease in coolant pressure

· faster (large consequence quicker)

· undergoes a and  $\beta$ · PCMI

- b) What are similarities between the fuel and cladding behavior in a RIA and a LOCA? (5 pts)
  - · ballooning
  - · fuel temperature rise
    - -1, Fuel fragmentation
- c) List a potential accident tolerant fuel concept and describe how it could meet the primary goal of the accident tolerant fuel program. (5 pts)

Microen capsulated fuel

This has a high thermal conductivity, so it's good as a feel.

Resistant to melting, therefore can withstand higher temperatures if an accident were to occur.

Itas excellent fission product retention, so it's a safe material