





Atmospheric correction of very high spatial resolution images using multispectral satellite images

...the first six months of my PhD

Summary

- 1. Context
- 2. Data presentation
- 3. Sensor calibration (first pipeline)
- 4. First result to come

"Atmospheric correction of very high spatial resolution images using multispectral satellite images"



"Atmospheric correction of very high spatial resolution using multispectral satellite images"



"Atmospheric correction of very high spatial resolution using multispectral satellite images"



Several block of acquisition:

"Atmospheric correction of very high spatial resolution using multispectral satellite images"

Several blocks of acquisition:

- Currently relatives radiometric equalizations (one per block)
- No absolute atmospheric corrections done

Pb: acquisition conditions changes (atmospheric conditions changes), sensor calibration is also relative to a block



"Atmospheric correction of very high spatial resolution using multispectral satellite images"

Can we use ground reflectance images, in medium resolution, acquired before and after the aerial images, to estimate the ground reflectance of HR images, correcting atmospheric impacts and variations due to sensor calibration?



"Atmospheric correction of very high spatial resolution using multispectral satellite images"

Can we use ground reflectance images, in medium resolution, acquired before and after the aerial images, to estimate the ground reflectance of HR images, correcting atmospheric impacts and variations due to sensor calibration?

-> use satellite images as references to correct aerial images

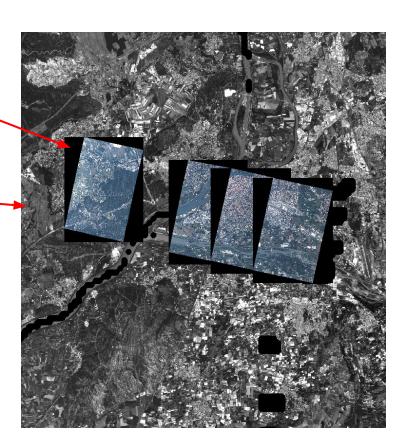


2. Data presentation

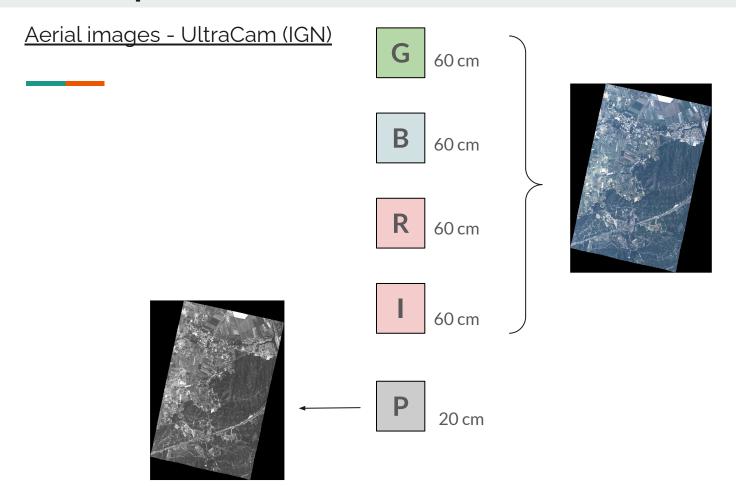
UltraCam & Sentinel-2

- High Resolution images (UltraCam)
 - OPI (1 ortho / image)
 - RGB-PIR (60 cm) + panchro (20 cm)
- Satellite images Sentinel-2 _
 - 10m
 - B2 (490 nm) / B3 (560 nm) / B4 (665 nm) / B8 (842 nm)...

->make this data compatible



2. Data presentation



2. Data presentation

Sentinel-2 Images

B2 _{10 m}

B3 _{10 m}

B4 _{10 m}

B5 20 m

B6 20 m

B7

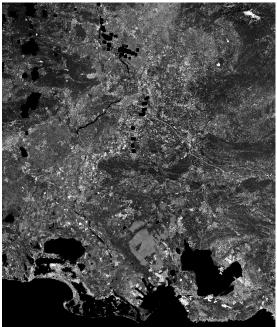
20 m

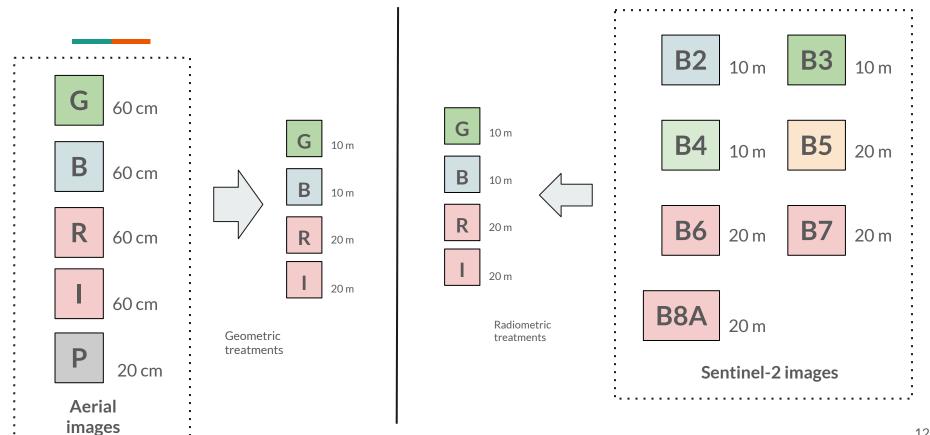
Band	Band	Central wavelength (nm)	Bandwith (nm)	Spatial resolution (m)	Objective
B1	VNIR	443	20	60	Aerosol Correction
B2		490	65	10	Aerosol Correction, Land Measurement Band
B3		560	35	10	Land Measurement Band
B4		665	30	10	Land Measurement Band
B5		705	15	20	Land Measurement Band
B6		740	15	20	Land Measurement Band
B7		783	20	20	Land Measurement Band
B8		842	115	10	Water Vapor Correction, Land Measurement Band
B8a		865	20	20	Water Vapor Correction, Land Measurement Band
B9		945	20	60	Water Vapor Correction
B10	SWIR	1380	20	60	Cirrus Detection
B11		1610	90	20	Land Measurement Band
B12		2190	180	20	Aerosol Correction, Land Measurement Band

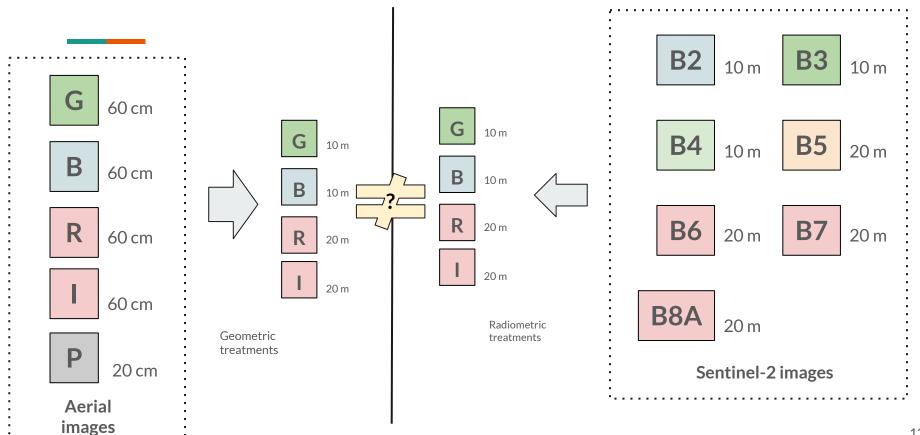


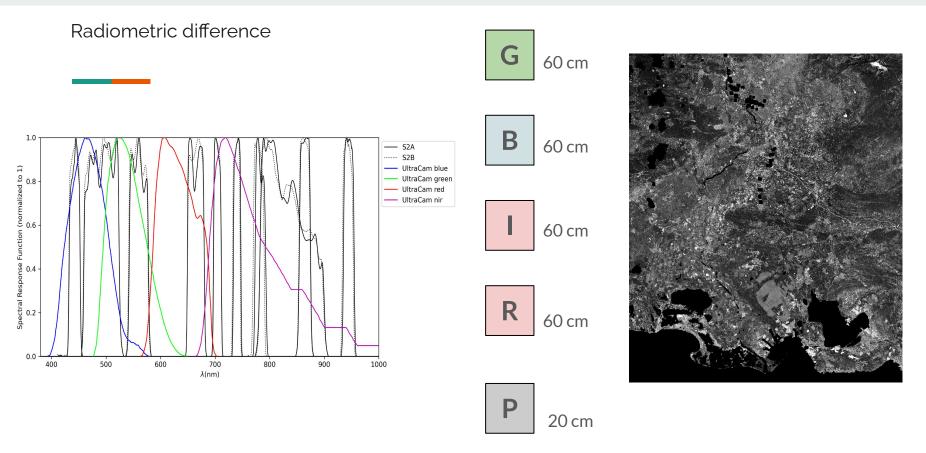


 $20\,m$

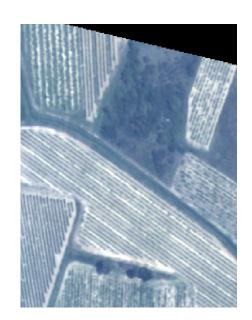




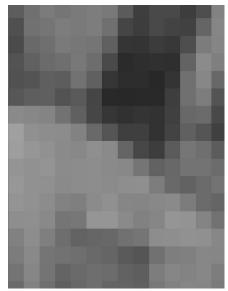




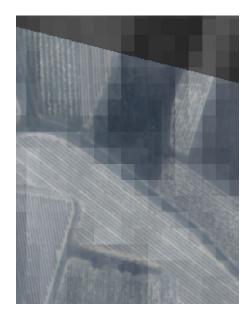
Geometric difference



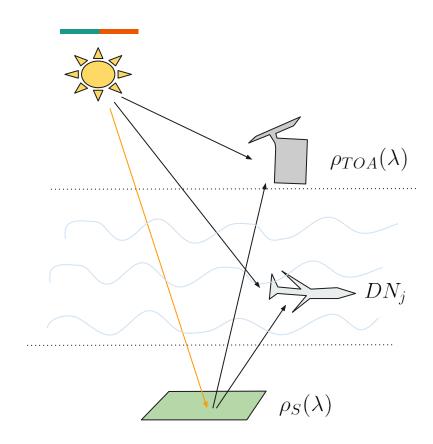
aerial image (60 cm)



satellite image (10 m)



What are we looking for?

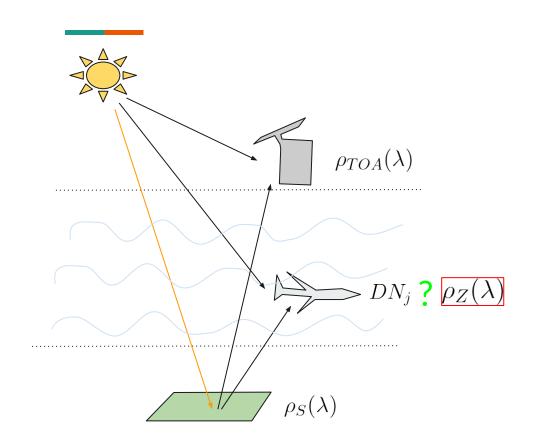


 $ho_{TOA}(\lambda)$: reflectance on Top Of Atmosphere

 DN_j : Digital Numbers for RGB NIR bands

 $ho_S(\lambda)$: ground reflectance

What are we looking for?



 $ho_{TOA}(\lambda)$: reflectance on Top Of Atmosphere

 DN_j : Digital Numbers for RGB NIR bands

 $ho_S(\lambda)$: ground reflectance

What's the link between reflectance, equalization, satellite and aerial images?!

- (+) Airplane Images depends on the atmospheric conditions, ground reflectance, viewing conditions...
- -> ... (-) but the atmosphere conditions changes each day
- (+) Satellite data provides us ground reflectance images and Top Of Atmosphere images
- -> ... (-) but this ground reflectance is in a **very particular condition** (viewing angle, time, atmospheric conditions, solar radiance...)

If we simulate this "very particular condition" for airplane images, we could compare the data!

Hypothesis:

- the sensor is stable and his response is invariant within an acquisition mission
- atmospheric parameters are invariant within a day
- work only on a flat field first

Notations:

Aerial images UltraCam

⇔ UC

Satellite images Sentinel-2 L2A ⇔ S2

Pipeline summary

- 1. Finding aerial images at the same angular conditions than satellite images
- 2. Simulate aerial images at the satellite spatial resolution (60cm -> 10m)
- 3. For the entire satellite acquisition continuous spectrum, simulate atmospheric parameters
- 4. Simulate for every satellite acquisition bande the reflectance at the airplane sensor level
- 5. Convert the reflectance at the aerial spectral resolution (to RGB NIR)
- 6. Calibrate the sensor

1. Finding aerial images

Satellite images acquired at the angular conditions $(heta_v,\phi_v)$ $(heta_s,\phi_s)$

We choose:

$$t_{UC} = t_{S2} \pm 10 minutes$$

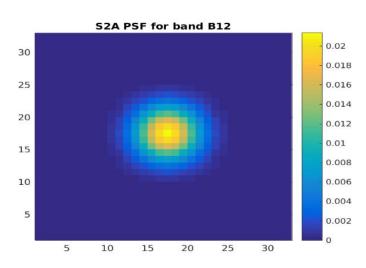
$$\theta_{v,UC} = \theta_{v,S2} \pm 5^{\circ}$$

$$\phi_{v,UC} = \phi_{v,S2} \pm 5^{\circ}$$

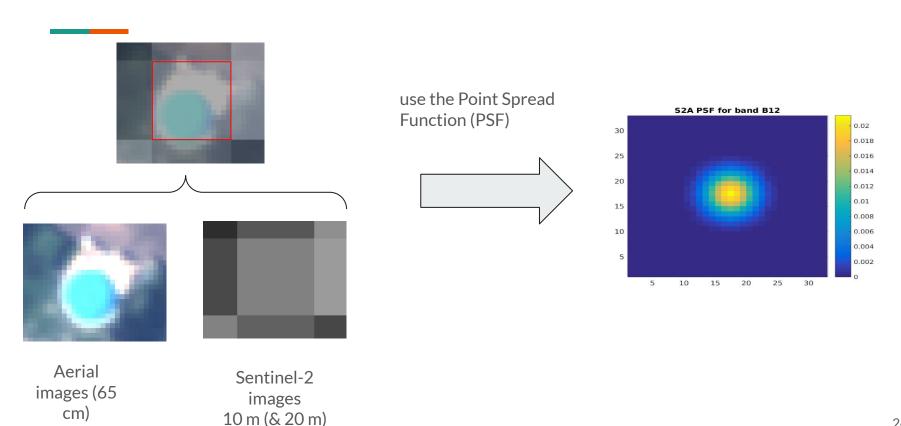
2. Simulate UC images at the satellite spatial resolution

Conversion: ground pixel from 60cm -> 10m et 20m

- Resample UC à 65cm
- for each UC pixels at the S2 resolution, apply PSF

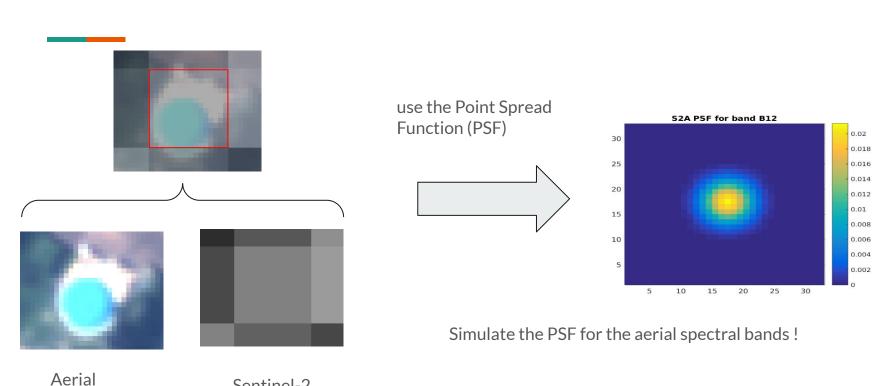


2. Simulate UC images at the satellite spatial resolution



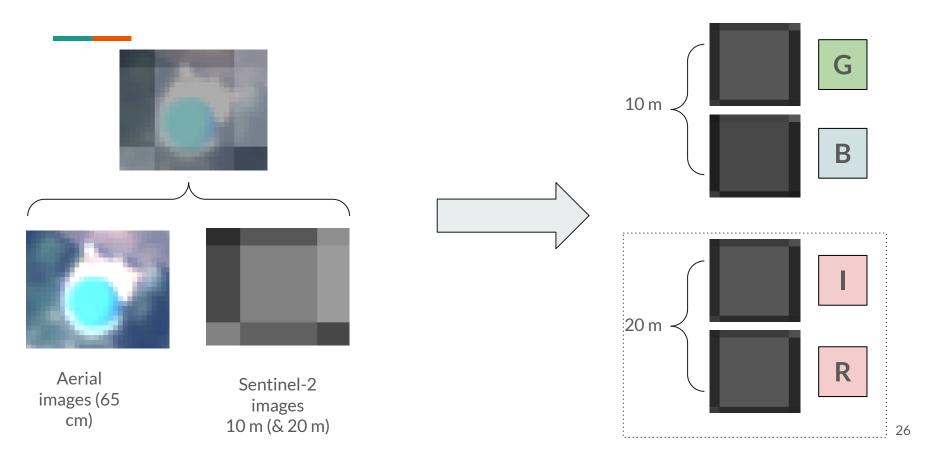
2. Simulate UC images at the satellite spatial resolution

Sentinel-2

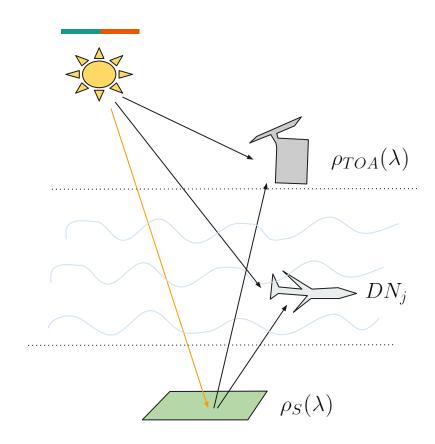


images (65 images cm) 10 m (& 20 m)

2. Simulate UC images at the satellite spatial resolution

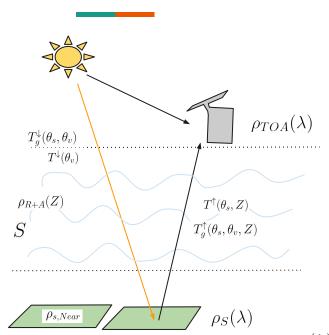


What are we looking for?



 $ho_{TOA}(\lambda)$: reflectance on Top Of Atmosphere DN_j : Digital Numbers for RGB NIR bands $ho_S(\lambda)$: ground reflectance

What are we looking for?



from Vermote et al. (1997)

$$\rho_{TOA}(\theta_s, \theta_v, \phi_s - \phi_v) = T_g(\theta_s, \theta_v) [\rho_{R+A} + T^{\uparrow}(\theta_s) T^{\downarrow}(\theta_v) \frac{\rho_s}{1 - S\rho_s}]$$

 $ho_{TOA}(\lambda)$: reflectance on Top Of Atmosphere

 DN_j : Digital Numbers for RGB NIR bands

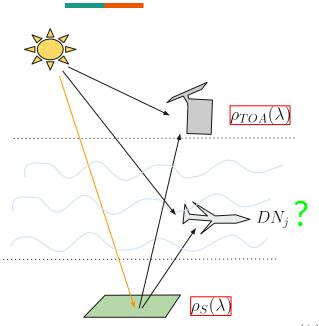
 $ho_S(\lambda)$: ground reflectance

 $T_g^{\uparrow}(heta_s, heta_v,Z)$: ascending gaseous transmission $T_g^{\downarrow}(heta_s, heta_v)$: descending gaseous transmission $T^{\uparrow}(heta_s,Z)$: ascending atmospheric transmittance $T^{\downarrow}(heta_v)$: descending atmospheric transmittance S : total spherical atmospheric albedo

 $ho_{s.Near}$: neighbours reflectance contribution

 $ho_{R+A}(Z)$: intrinsic reflectance of molecular and aerosol layer

What are we looking for?



from Vermote et al. (1997)

$$\rho_{TOA}(\theta_s, \theta_v, \phi_s - \phi_v) = T_g(\theta_s, \theta_v) [\rho_{R+A} + T^{\uparrow}(\theta_s) T^{\downarrow}(\theta_v) \frac{\rho_s}{1 - S\rho_s})$$

 $ho_{TOA}(\lambda)$: reflectance on Top Of Atmosphere

 DN_j : Digital Numbers for RGB NIR bands

 $ho_S(\lambda)$: ground reflectance

 $ho_{R+A}(Z)$: intrinsic reflectance of molecular and aerosol layer $T_q^{\uparrow}(\theta_s,\theta_v,Z)$: ascending gaseous transmission

 $T_a^{\downarrow}(heta_s, heta_v)$: descending gaseous transmission

 $T^{\uparrow}(heta_s,Z)$: ascending atmospheric transmittance

 $T^{\downarrow}(heta_v)$: descending atmospheric transmittance

 S_{\parallel} : total spherical atmospheric albedo

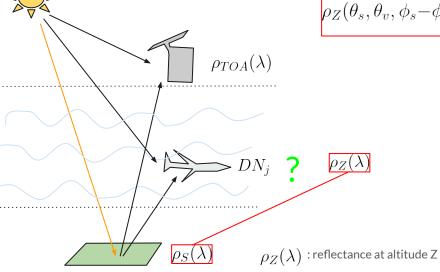
 $ho_{s,Near}$: neighbours reflectance contribution

What are we looking for?

We work at the aerial altitude!

-> the ascending and descending light path are different, so the model becomes:

$$\rho_Z(\theta_s, \theta_v, \phi_s - \phi_v) = T_{g,Z}^{\uparrow}(\theta_v) T_{g,Z}^{\downarrow}(\theta_s) [\rho_{R+A,Z} + T_Z^{\uparrow}(\theta_v) T_Z^{\downarrow}(\theta_s) \frac{\rho_s}{1 - S\rho_{s,Near}})]$$



 $ho_{TOA}(\lambda)$: reflectance on Top Of Atmosphere

 DN_j : Digital Numbers for RGB NIR bands

 $ho_S(\lambda)$: ground reflectance

 $ho_{R+A}(Z)$: intrinsic reflectance of molecular and aerosol layer $T_q^{\uparrow}(heta_s, heta_v,Z)$: ascending gaseous transmission

: descending gaseous transmission

 $T^{\uparrow}(\theta_s,Z)$: ascending atmospheric transmittance

 $T^{\downarrow}(heta_v)$: descending atmospheric transmittance

S: total spherical atmospheric albedo

 $ho_{s.Near}$: neighbours reflectance contribution

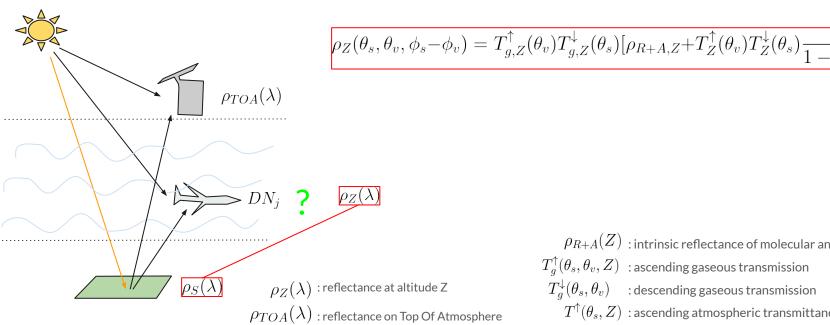
4. Simulate Top Of Atmosphere reflectance for each S2 band

We work at the aerial altitude!

 DN_j : Digital Numbers for RGB NIR bands

 $ho_S(\lambda)$: ground reflectance

-> the ascending and descending light path are different, so the model becomes:



from Vermote et al. (1997)

 $ho_{R+A}(Z)$: intrinsic reflectance of molecular and aerosol layer $T_a^{\uparrow}(heta_s, heta_v,Z)$: ascending gaseous transmission : descending gaseous transmission $T^{\uparrow}(\theta_s,Z)$: ascending atmospheric transmittance

> $T^{\downarrow}(\theta_v)$: descending atmospheric transmittance : total spherical atmospheric albedo

 $ho_{s,Near}$: neighbours reflectance contribution

31

What are we looking for?

We work at the aerial altitude!

-> the ascending and descending light path are different, so the model becomes:

$$\rho_Z(\theta_s, \theta_v, \phi_s - \phi_v) = T_{g,Z}^{\uparrow}(\theta_v) T_{g,Z}^{\downarrow}(\theta_s) [\rho_{R+A,Z} + T_Z^{\uparrow}(\theta_v) T_Z^{\downarrow}(\theta_s) \frac{\rho_s}{1 - S\rho_{s,Near}})$$

$$\rho_{TOA}(\theta_s, \theta_v, \phi_s - \phi_v) = T_{g,TOA}^{\uparrow}(\theta_v) T_{g,TOA}^{\downarrow}(\theta_s) [\rho_{R+A,TOA} + T_{TOA}^{\uparrow}(\theta_v) T_{TOA}^{\downarrow}(\theta_s) \frac{\rho_s}{1 - S\rho_{s,Near}}$$

$$ho_{TOA}(\lambda)$$
 $ho_{TOA}(\theta_s, \theta_v, \phi_s - \phi_v)$ $ho_{Z}(\lambda)$ $ho_{Z}(\lambda)$: reflectance at altitude Z

 $ho_{TOA}(\lambda)$: reflectance on Top Of Atmosphere

 DN_j : Digital Numbers for RGB NIR bands

 $ho_S(\lambda)$: ground reflectance

 $\rho_{R+A}(Z)$: intrinsic reflectance of molecular and aerosol layer $T_a^{\uparrow}(heta_s, heta_v,Z)$: ascending gaseous transmission

: descending gaseous transmission $T^{\uparrow}(\theta_s,Z)$: ascending atmospheric transmittance

 $T^{\downarrow}(heta_v)$: descending atmospheric transmittance

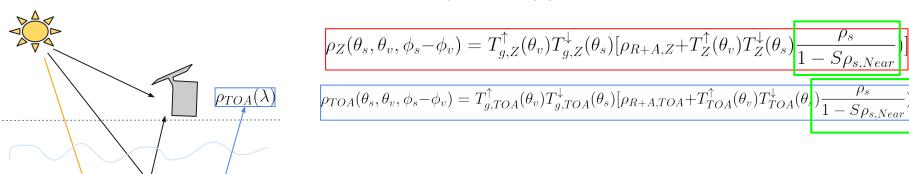
S: total spherical atmospheric albedo

 $ho_{s.Near}$: neighbours reflectance contribution

What are we looking for?

We work at the aerial altitude!

-> the ascending and descending light path are different, so the model becomes :



 $ho_Z(\lambda)$: reflectance at altitude Z

 DN_i

 $ho_{TOA}(\lambda)$: reflectance on Top Of Atmosphere

 DN_j : Digital Numbers for RGB NIR bands

 $ho_S(\lambda)$: ground reflectance

$$ho_{R+A}(Z)$$
: intrinsic reflectance of molecular and aerosol layer $T_a^{\uparrow}(\theta_s,\theta_v,Z)$: ascending gaseous transmission

$$T_q^\downarrow(heta_s, heta_v)$$
 : descending gaseous transmission

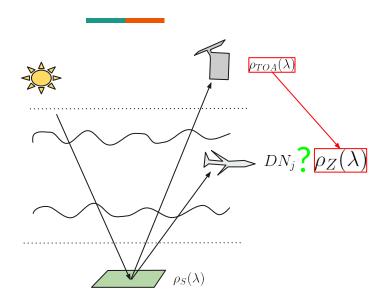
$$T^{\uparrow}(heta_s,Z)$$
 : ascending atmospheric transmittance

$$T^{\downarrow}(heta_v)$$
 : descending atmospheric transmittance

$$S\,$$
 : total spherical atmospheric albedo

 $ho_{s,Near}$: neighbours reflectance contribution

3. Simulate atmospheric parameters



We work at the aerial altitude!

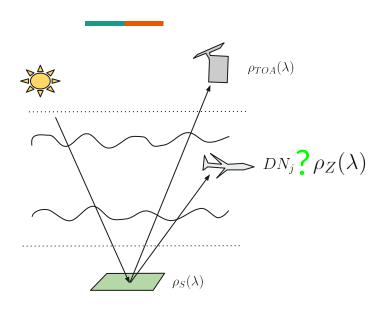
-> the ascending and descending light path are different, so the model becomes :

$$\rho_{Z} = T_{g,Z}^{\uparrow} T_{g,Z}^{\downarrow} (\rho_{R+A,Z} - \frac{T_{Z}^{\uparrow} T_{Z}^{\downarrow}}{T_{TOA}^{\uparrow} T_{TOA}^{\downarrow}} \rho_{R+A,Z}) + \frac{T_{g,Z}^{\uparrow} T_{g,Z}^{\downarrow} T_{Z}^{\uparrow} T_{Z}^{\downarrow}}{T_{g,TOA}^{\uparrow} T_{g,TOA}^{\downarrow} T_{TOA}^{\uparrow} T_{TOA}^{\downarrow}} \rho_{TOA}$$

$$\sim \\ \rho_Z = A * \rho_{TOA} + B$$

- -> Simulate (with 6S tool) all the atmospheric parameters (Tz, Tg,z...) for Z=airplane altitude and Z=satellite altitude
- -> now $\rho_Z(\lambda_{\rm m})$ ust be simulated for the aerial spectral bands (RGB-NIR)

4. Simulate reflectance for each S2 band at the airplane altitude



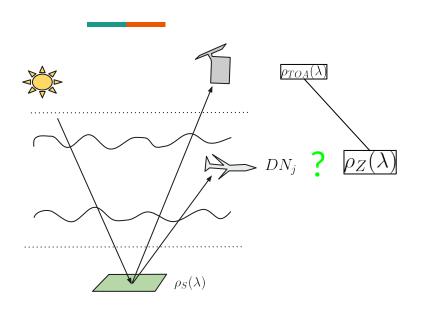
Quick reminder:

We try to compare the DN from airplane with reflectance at the airplane altitude, to calibrate the sensor.

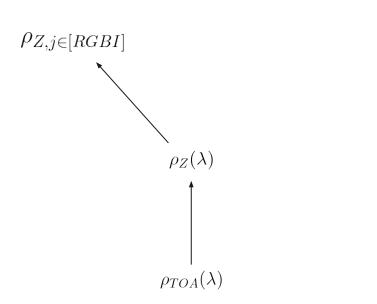
For every pixel, we want the DN to be equal to the reflectance (calibration).

But we have a reflectance for the continuous spectrum, impossible to compare with the DN number (4 spectral bands)

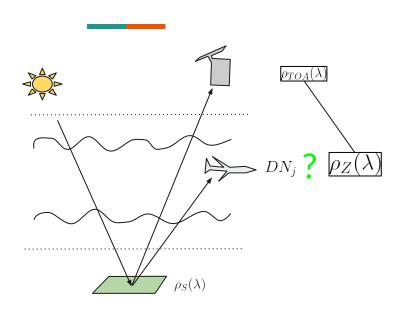
4. Simulate reflectance for each S2 band at the airplane altitude



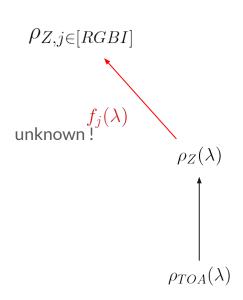
$$\rho_{Z,j\in[RGBI]} = \int \rho_Z(\lambda) * f_j(\lambda) d\lambda$$



4. Simulate reflectance for each S2 band at the airplane altitude



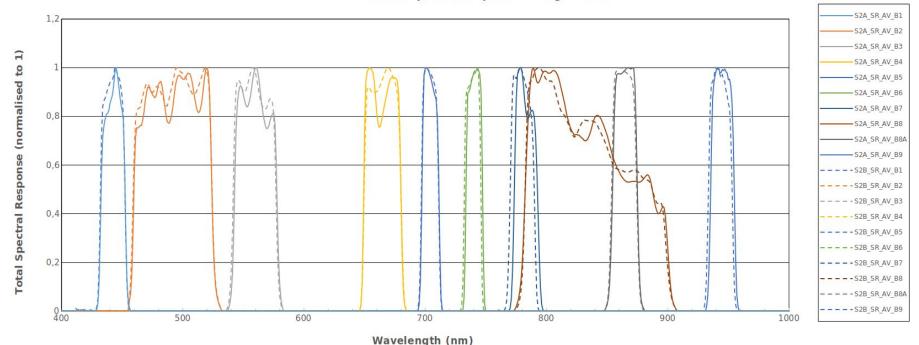
$$-\rho_{Z,j\in[RGBI]} = \int \rho_Z(\lambda) * f_j(\lambda) d\lambda$$



4. Simulate reflectance for each S2 band at the airplane altitude

We can simulate 1 reflectance per Satellite band!

S2A & S2B MSI Spectral Response Average - VNIR



4. Simulate reflectance for each S2 band at the airplane altitude

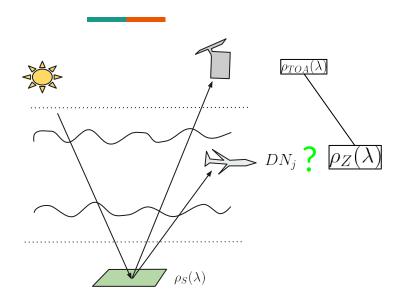


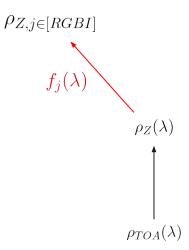
 $ho_{Z,j}$: reflectance at Z altitude for aerial spectral bands (RGB-NIR)

 $ho_{Z,i}$: reflectance at Z altitude for satellite spectral bands

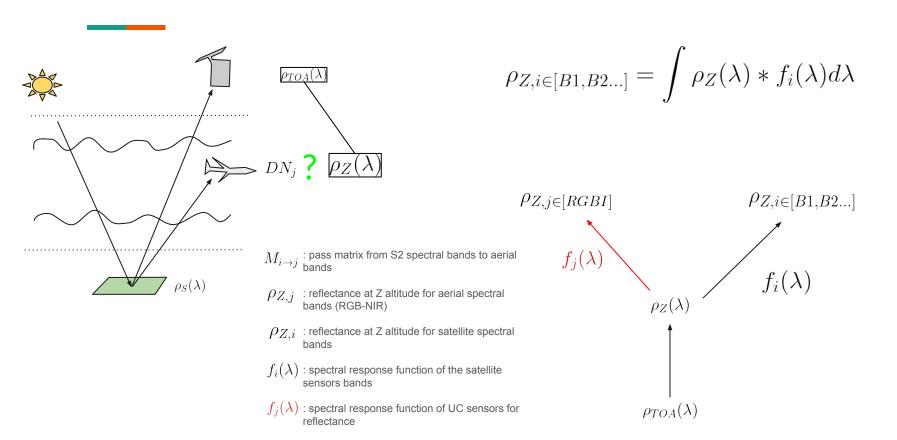
 $f_i(\lambda)$: spectral response function of the satellite sensors bands

 $f_j(\lambda)$: spectral response function of UC sensors for reflectance

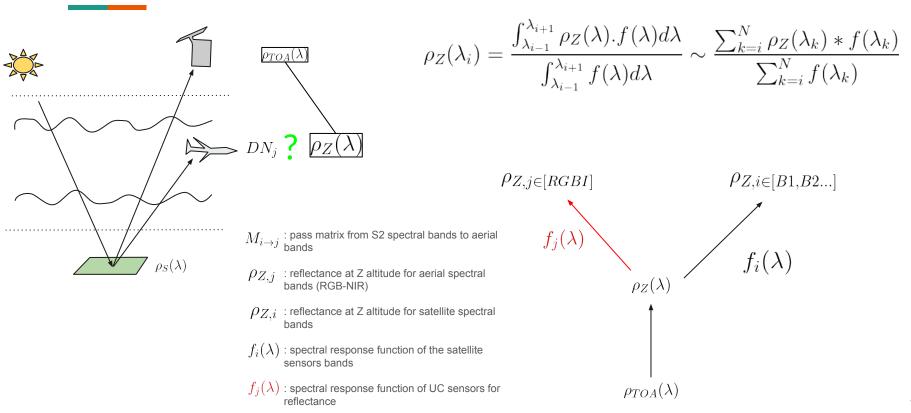




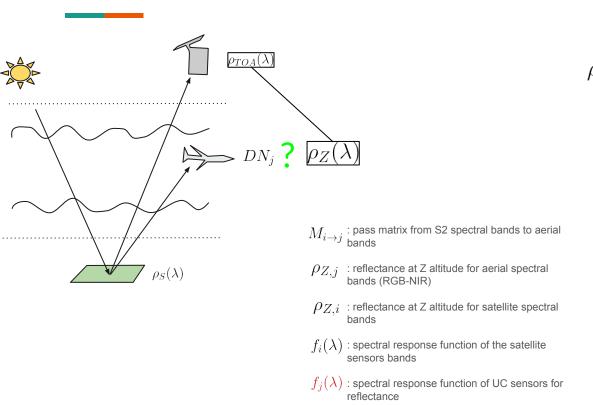
4. Simulate reflectance for each S2 band at the airplane altitude

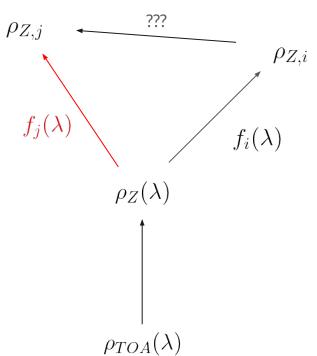


4. Simulate reflectance for each S2 band at the airplane altitude

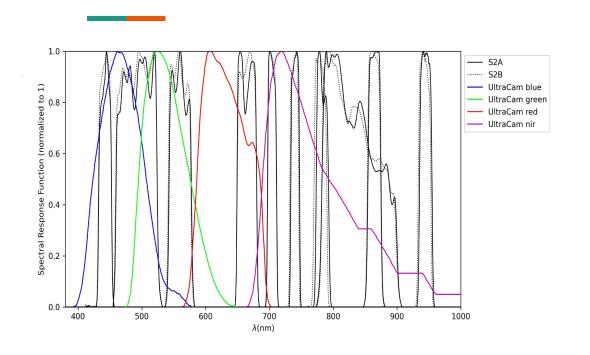


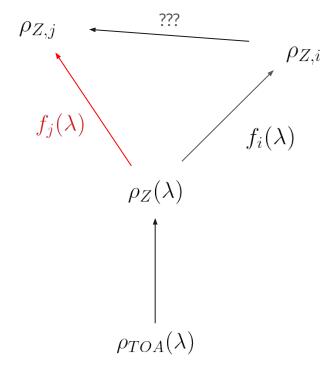
5. Convert the reflectance at the airplane spectral resolution (to RGBI)





5. Convert the reflectance at the airplane spectral resolution (to RGBI)





5. Convert the reflectance at the airplane spectral resolution (to RGBI)

sensors bands

To calibrate the UC sensor, we need the S2 reflectance map to be at the same resolution:

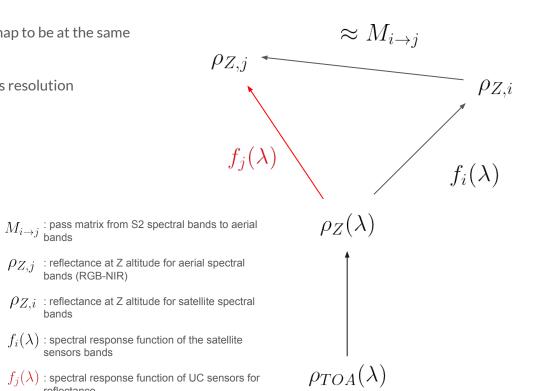
-> We simulate the S2 reflectance at the 4 spectral bands resolution

$$\rho_{Z,BLUE} = \sum_{i}^{N} a_{BLUE,i} * \rho_{Z,B_i}$$

$$\rho_{Z,GREEN} = \sum_{i}^{N} a_{GREEN,i} * \rho_{Z,B_i}$$

$$\rho_{Z,RED} = \sum_{i}^{N} a_{RED,i} * \rho_{Z,B_i}$$

$$\rho_{Z,NIR} = \sum_{i}^{N} a_{NIR,i} * \rho_{Z,B_i}$$



6. Sensor calibration

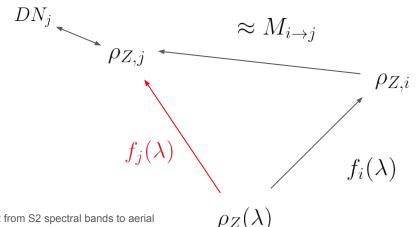
We suppose

$$\forall \lambda \in [G, B, R, NIR], \exists (C_{\lambda}, B_{\lambda}, A_{\lambda}) \in \mathbb{R}^3$$

$$DN_{\lambda} = C_{\lambda} \cdot \rho_{TOA,\lambda} + B_{\lambda}$$

or

$$DN_{\lambda} = C_{\lambda}^{2} \cdot \rho_{TOA,\lambda} + B_{\lambda} \cdot \rho_{TOA,\lambda} + A_{\lambda}$$



- $M_{i\rightarrow j}$: pass matrix from S2 spectral bands to aerial bands
- $\rho_{Z,j}$: reflectance at Z altitude for aerial spectral bands (RGB-NIR)
- $ho_{Z,i}$: reflectance at Z altitude for satellite spectral bands
- $f_i(\lambda)$: spectral response function of the satellite sensors bands
- $f_j(\lambda)$: spectral response function of UC sensors for reflectance



4. Results

TODO

thank you for listening:)