



Statement: Assume we know or can predic the access pattern of a program (pre-fetch engines, branch-predictors) and m_1, m_2, \dots, m_N are memory addresses (accesses) and $p(m_1), p(m_2), \dots, p(m_N)$ are processor caches - p_1, p_2, \dots, p_3 (accesses of the program). Let $cost_mig(S, d) = distance(S, d) + 1$ (contant proportional to context size- assumed fixed) , $cost_access(S, d) = 2 * distance(S, d)$ - no additional overhead on data access.

Problem: Decide when to migrate to minimize total memory access cost.

Solution: Use dynamic programming
Program at P_i initially, number of processors = Q
Subproblems?
 $DP(k, pi) = cost$ of the optimal solution for the prefix m_1, \dots, m_k of memory accesses and ends at P_i
Subproblems: NQ
 $DP(k + 1, pj) = \{ DP(k, pi) + cost_access(pj, p(m_k+1)) \text{ if } pj \neq p(m_k + 1), MIN_{j=1 \text{ to } Q} (DP(k, pi) + cost_migration(pi, pj)) \text{ if } pi = p(m_k + 1) \}$
Cost: $O(NQ^2)$