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> restart:
    #Ben Hoobler
    #Math 435
    #Maple Code
    #The Mathematics of Rumor Propagation
> with(Student[NumericalAnalysis]):
    with(DynamicSystems):
    with (VectorCalculus):
    with (LinearAlgebra):
    with (linalg):
  with(Student[LinearAlgebra]):
> Ldot:= -lambda*kappa*L*S:
> Sdot:= lambda*kappa*L*S-alpha*kappa*S*(S+R):
> Rdot:= alpha*kappa*S*(S+R):
> solve({Ldot=0,Sdot=0,Rdot=0},{L,S,R});
    Equil1 := \{L = L, R = R, S = 0\};
    Equil2 := \{L = 0, R = -S, S = S\};
                            \{L=L, R=R, S=0\}, \{L=0, R=-S, S=S\}
                                  Equil 1 := \{L = L, R = R, S = 0\}
                                 Equil2 := \{L = 0, R = -S, S = S\}
                                                                                                         (1)
> J0 := Jacobian([Ldot,Sdot,Rdot], [L, S, R]);
                    J0 := \begin{bmatrix} -\kappa S \lambda & -\lambda \kappa L & 0 \\ \kappa S \lambda & \lambda \kappa L - \alpha \kappa (S+R) - \alpha \kappa S & -\alpha \kappa S \\ 0 & \alpha \kappa (S+R) + \alpha \kappa S & \alpha \kappa S \end{bmatrix}
                                                                                                         (2)
> J0 EQUIL1 := subs(L = L, R = R, S = 0,J0);
                              J0\_EQUIL1 := \begin{bmatrix} 0 & -\lambda \kappa L & 0 \\ 0 & \lambda \kappa L - \alpha \kappa R & 0 \\ 0 & \alpha \kappa R & 0 \end{bmatrix}
                                                                                                         (3)
=
> EIGEN JEQ1:= eigenvalues(J0_EQUIL1);
                              EIGEN JEQ1 := 0, 0, \lambda \kappa L - \alpha \kappa R
                                                                                                         (4)
> J0 EQUIL2 := subs(L = 0, R = -S, S = S,J0);
                           J0\_EQUIL2 := \begin{bmatrix} -\kappa S \lambda & 0 & 0 \\ \kappa S \lambda & -\alpha \kappa S & -\alpha \kappa S \\ 0 & \alpha \kappa S & \alpha \kappa S \end{bmatrix}
                                                                                                         (5)
> EIGEN JEQ2:= eigenvalues(J0 EQUIL2);
                                   EIGEN JEO2 := -\kappa S \lambda, 0, 0
                                                                                                         (6)
> Num Eigen JEQ1:= subs(lambda=.8,alpha=.3,kappa=.3, L=.99,S=.01,
    R=0,J0 EQUIL1);
    Num Eigen JEQ2:= subs(lambda=.8,alpha=.3,kappa=.3, L=.99,S=.01,
    R=0, J0 EQUIL2);
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$$Num_Eigen_JEQ1 := \begin{bmatrix} 0 & -0.2376 & 0 \\ 0 & 0.2376 & 0 \\ 0 & 0. & 0 \end{bmatrix}$$

$$Num_Eigen_JEQ2 := \begin{bmatrix} -0.0024 & 0 & 0 \\ 0.0024 & -0.0009 & -0.0009 \\ 0 & 0.0009 & 0.0009 \end{bmatrix}$$
(7)

> eigenvalues(Num_Eigen_JEQ1);

> eigenvalues(Num Eigen JEQ2);

> (-Rdot - Ldot) - Sdot; #Spreaders are a linear combination of ignorants and stiflers