

Naumaan Nayyar

### **LEARNING OBJECTIVES**

- ▶ Define data modeling and simple linear regression
- ▶ Build a linear regression model using a dataset that meets the linearity assumption using the sci-kit learn library
- ▶ Understand and identify multicollinearity in a multiple regression.

### PRE-WORK

### PRE-WORK REVIEW

- Effectively show correlations between an independent variable x and a dependent variable y
- Be familiar with the get\_dummies function in pandas
- ▶ Understand the difference between vectors, matrices, Series, and DataFrames
- ▶ Understand the concepts of outliers and distance.
- Be able to interpret p values and confidence intervals

### WHERE ARE WE IN THE DATA SCIENCE WORKFLOW?

- Data has been acquired and parsed.
- ▶ Today we'll **refine** the data and **build** models.
- ▶ We'll also use plots to **represent** the results.

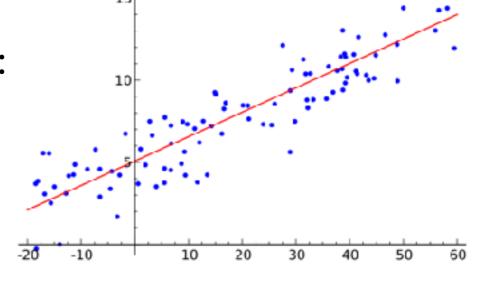
### **INTRODUCTION**

### SIMPLE LINEAR REGRESSION

### **SIMPLE LINEAR REGRESSION**

▶ Def: Explanation of a continuous variable given a series of independent variables

- The simplest version is just a line of best fit:y = mx + b
- Explain the relationship between **x** and **y** using the starting point **b** and the power in explanation **m**.



### **SIMPLE LINEAR REGRESSION**

- ► However, linear regression uses linear algebra to explain the relationship between *multiple* x's and y.
- The more sophisticated version: y = beta \* X + alpha (+ error)
- Explain the relationship between the matrix **X** and a dependent vector **y** using a y-intercept **alpha** and the relative coefficients **beta**.

### SIMPLE LINEAR REGRESSION

- ▶ Linear regression works **best** when:
  - The data is normally distributed (but doesn't have to be)
  - X's significantly explain y (have low p-values)
  - ▶X's are independent of each other (low multicollinearity)
  - Resulting values pass linear assumption (depends upon problem)
- If data is not normally distributed, we could introduce bias.

## REGRESSING AND NORMAL DISTRIBUTIONS

### **DEMO: REGRESSING AND NORMAL DISTRIBUTIONS**

- ▶ Follow along with your starter code notebook while I walk through these examples.
- The first plot shows a relationship between two values, though not a linear solution.
- ▶ Note that lmplot() returns a straight line plot.
- ▶ However, we can transform the data, both log-log distributions to get a linear solution.

# USING SEABORN TO GENERATE SIMPLE LINEAR MODEL PLOTS

### **ACTIVITY: GENERATE SINGLE VARIABLE LINEAR MODEL PLOTS**

### **DIRECTIONS (15 minutes)**



1. Update and complete the code in the starter notebook to use **Implot** and display correlations between body weight and two dependent variables: **sleep\_rem** and **awake**.

### **DELIVERABLE**

Two plots

### INTRODUCTION

## SIMPLE REGRESSION ANALYSIS IN SKLEARN

### SIMPLE LINEAR REGRESSION ANALYSIS IN SKLEARN

- ▶ Sklearn defines models as *objects* (in the OOP sense).
- ▶ You can use the following principles:
  - All sklearn modeling classes are based on the <u>base estimator</u>. This means all models take a similar form.
  - All estimators take a matrix **X**, either sparse or dense.
  - Supervised estimators also take a vector y (the response).
  - Estimators can be customized through setting the appropriate parameters.

### CLASSES AND OBJECTS IN OBJECT ORIENTED PROGRAMMING

- ▶ Classes are an abstraction for a complex set of ideas, e.g. *human*.
- > Specific instances of classes can be created as objects.
  - $\rightarrow john\_smith = human()$
- ▶ Objects have **properties**. These are attributes or other information.
  - ▶john\_smith.age
  - ▶john\_smith.gender
- ▶ Object have methods. These are procedures associated with a class/object.
  - *▶john\_smith.breathe()*
  - ▶john\_smith.walk()

### SIMPLE LINEAR REGRESSION ANALYSIS IN SKLEARN

• General format for sklearn model classes and methods

```
# generate an instance of an estimator class
estimator = base_models.AnySKLearnObject()
# fit your data
estimator.fit(X, y)
# score it with the default scoring method (recommended to use the metrics module in the future)
estimator.score(X, y)
# predict a new set of data
estimator.predict(new_X)
# transform a new X if changes were made to the original X while fitting
estimator.transform(new_X)
```

- ▶ LinearRegression() doesn't have a transform function
- ▶ With this information, we can build a simple process for linear regression.

### SIGNIFICANCE IS KEY

### **DEMO: SIGNIFICANCE IS KEY**

- ▶ Follow along with your starter code notebook while I walk through these examples.
- ▶ What does the residual plot tell us?
- ▶ How can we use the linear assumption?

### **GUIDED PRACTICE**

## USING THE LINEAR REGRESSION OBJECT

### **ACTIVITY: USING THE LINEAR REGRESSION OBJECT**

### **DIRECTIONS (15 minutes)**



- With a partner, generate two more models using the logtransformed data to see how this transform changes the model's performance.
- 2. Use the code on the following slide to complete #1.

### **DELIVERABLE**

Two new models

### **ACTIVITY: USING THE LINEAR REGRESSION OBJECT**



### **DIRECTIONS (15 minutes)**

```
X =
y =
loop = []
for boolean in loop:
    print 'y-intercept:', boolean
    lm =
linear_model.LinearRegression(fit_intercept=boolean)
    get_linear_model_metrics(X, y, lm)
    print
```

### **DELIVERABLE**

Two new models

### INDEPENDENT PRACTICE

## BASE LINEAR REGRESSION CLASSES

### **ACTIVITY: BASE LINEAR REGRESSION CLASSES**



### **DIRECTIONS (20 minutes)**

- Experiment with the model evaluation function we have (get\_linear\_model\_metrics) with the following sklearn estimator classes.
  - a. linear model.Lasso()
  - b. linear\_model.Ridge()
  - c. linear\_model.ElasticNet()

**Note**: We'll cover these new regression techniques in a later class.

### **DELIVERABLE**

New models and evaluation metrics

### INTRODUCTION

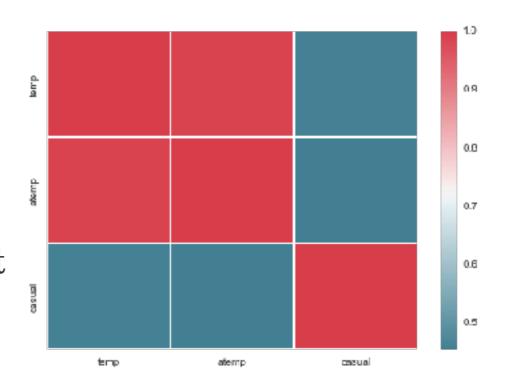
## MULTIPLE REGRESSION ANALYSIS

### **MULTIPLE REGRESSION ANALYSIS**

- Simple linear regression with one variable can explain some variance, but using multiple variables can be much more powerful.
- We want our multiple variables to be mostly independent to avoid multicollinearity.
- Multicollinearity, when two or more variables in a regression are highly correlated, can cause problems with the model.

### **BIKE DATA EXAMPLE**

- We can look at a correlation matrix of our bike data.
- ▶ Even if adding correlated variables to the model improves overall variance, it can introduce problems when explaining the output of your model.
- ▶ What happens if we use a second variable that isn't highly correlated with temperature?



### **GUIDED PRACTICE**

## MULTICOLLINEARITY WITH DUMMY VARIABLES

### **ACTIVITY: MULTICOLLINEARITY WITH DUMMY VARIABLES**

### **DIRECTIONS (15 minutes)**



- 1. Load the bike data.
- 2. Run through the code on the following slide.
- 3. What happens to the coefficients when you include all weather situations instead of just including all except one?

### **DELIVERABLE**

Two models' output

### **ACTIVITY: MULTICOLLINEARITY WITH DUMMY VARIABLES**

### DIRECTIONS (15 minutes)



```
lm = linear_model.LinearRegression()
weather = pd.get_dummies(bike_data.weathersit)
get_linear_model_metrics(weather[[1, 2, 3, 4]], y, lm)
print
# drop the least significant, weather situation = 4
get_linear_model_metrics(weather[[1, 2, 3]], y, lm)
```

### **DELIVERABLE**

Two models' output

### **GUIDED PRACTICE**

## COMBINING FEATURES INTO A BETTER MODEL

### **ACTIVITY: COMBINING FEATURES INTO A BETTER MODEL**

### **DIRECTIONS (15 minutes)**



- 1. With a partner, complete the code on the following slide.
- 2. Visualize the correlations of all the numerical features built into the dataset.
- 3. Add the three significant weather situations into our current model.
- 4. Find two more features that are not correlated with the current features, but could be strong indicators for predicting guest riders.

### **DELIVERABLE**

Visualization of correlations, new models

### **ACTIVITY: COMBINING FEATURES INTO A BETTER MODEL**



### **DIRECTIONS (15 minutes)**

```
lm = linear_model.LinearRegression()
bikemodel_data = bike_data.join() # add in the three weather situations

cmap = sns.diverging_palette(220, 10, as_cmap=True)
    correlations = # what are we getting the correlations of?

print correlations
print sns.heatmap(correlations, cmap=cmap)

columns_to_keep = [] #[which_variables?]
final_feature_set = bikemodel_data[columns_to_keep]

get_linear_model_metrics(final_feature_set, y, lm)
```

### **DELIVERABLE**

Visualization of correlations, new models

### INDEPENDENT PRACTICE

## BUILDING MODELS FOR OTHER Y VARIABLES

### **ACTIVITY: BUILDING MODELS FOR OTHER Y VARIABLES**



### **DIRECTIONS (25 minutes)**

- 1. Build a new model using a new y variable: registered riders.
- 2. Pay attention to the following:
  - a. the distribution of riders (should we rescale the data?)
  - b. checking correlations between the variables and y variable
  - c. choosing features to avoid multicollinearity
  - d. model complexity vs. explanation of variance
  - e. the linear assumption

### **BONUS**

- 1. Which variables make sense to dummy?
- 2. What features might explain ridership but aren't included? Can you build these features with the included data and pandas?

### **DELIVERABLE**

A new model and evaluation metrics

### **CONCLUSION**

### TOPIC REVIEW

### **CONCLUSION**

- You should now be able to answer the following questions:
  - ▶ What is simple linear regression?
  - ▶ What makes multi-variable regressions more useful?
  - ▶ What challenges do they introduce?
  - ▶ How do you dummy a category variable?
  - ▶ How do you avoid a singular matrix?

### **WEEK 3: LESSON 6**

### UPCOMING WORK

### **UPCOMING WORK**

### Week 4: Lesson 8

Project: Final Project, Deliverable 1

Q & A

### EXIT TICKET

DON'T FORGET TO FILL OUT YOUR EXIT TICKET!