

## Fixed Point

\* The user should guarantee first that the function  $f(X)$  is continuous on the interval and that the function  $g(X)$  is smooth and continuous on the interval  $[A,B]$  where the function is so that the method can function properly

- 1) Ask the user for the function  $f(X)$ , and another function  $g(X)$  along with the tolerance.
- 2) Ask the user for the value  $X_0$ , which will be the initial value.
- 3) We evaluate  $X_0$  in the function to obtain  $f(X_0)$ . If  $f(X_0) = 0$  then tell the user that this is the root.
- 4) Now we find the following value of  $X$ , we will store it in the variable  $X_n$  and continue evaluating  $X_0$  in  $g(X)$ . like this we have  $X_n = g(X_0)$ . And we evaluate it in the function  $f(X)$ ... if  $f(X_n) = 0$  then we tell the use that this is the root.
- 5) We find the error with  $\text{error} = |X_0 - X_n|$
- 6) Now we do a cycle ... while the  $\text{error} > \text{tolerance}$ ,  $f(X_n) \neq 0$ , do :
  - a)  $X_0 = X_n$
  - b)  $X_n = g(X_n)$  to say  $X_n$  evulated in the function  $g$ .
  - c)  $\text{Error} = |X_0 - X_n|$
  - d)  $f(X_n)$  = the new value of  $X_n$  evaluated in the function  $f$
- 7) If the  $\text{error} \leq \text{tolerance}$ , tell the user that the root is approximately  $X_n$  (final value) with the error being: \_\_\_\_\_(with the final value of the error)
- 8) If  $f(X_n) = 0$  tell the user that  $X_n$  is the root.