Introduction to Python Exercises

L2 - Exercises

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Run the basic commands introduced during the lecture and experience their effects.

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- 1.5 Code the simple exponential decay model (L2, page 80), produce different solutions using different values for the time decay parameter, plot the results...

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- 4.6 Plot both s(t) and n(t) and s(t) + n(t) (i.e. the total number of individuals) in the same panel; after how many days does the model reach steady-state?