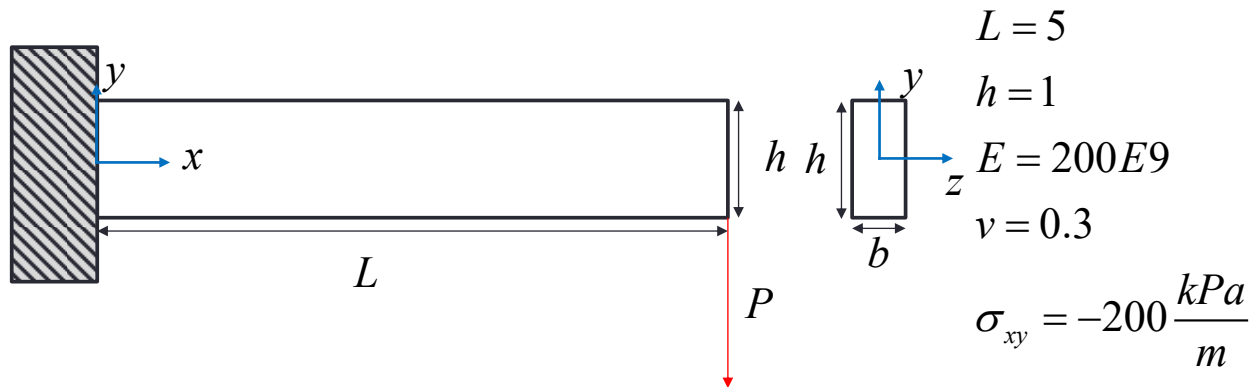


**HOMEWORK 7****ASSIGNED: 11/06/25****DUE: 11/13/25 on ELC (MATLAB script and PDF with results, sketch of selected nodal/element numbering and work done by hand), before class**

Solve for the deflection at the end of the beam of length  $L=5\text{m}$ , width  $b$  (unspecified), and height  $h=1\text{m}$ . Assume plane stress,  $E=200\text{GPa}$ , and  $\nu=0.3$ . The left-hand side of the beam is fixed (no displacement allowed in  $x$  or  $y$ ). A uniform stress  $\sigma_{xy}$  is applied on the right-hand face (ignoring constraints on equilibrium), such that the total tip load  $P$  may be expressed as a function of the geometry and  $\sigma_{xy}$  like so:

$$P = \int_{-0.5b}^{0.5b} \int_{-0.5h}^{0.5h} \sigma_{xy} dy dz = \sigma_{xy} (b)(h)$$

Note that this stress will be directed in the  $y$  direction – this will not be normal to the surface. You should provide this as an input using:

$$[\tau] = \begin{bmatrix} 0 \\ -200E3 \end{bmatrix}$$

Discretize the geometry as a single four-node element. Calculate the deflection of each node in the beam in both  $x$  and  $y$  with the assigned boundary conditions and material properties, assuming plane stress.