



# Analyse et manipulation des données

DigitalLab@LaPlataforme\_



# Tools for data pre-processing

- Descriptive and inferential statistics tools
  - Univariate and multivariate analysis
- Data transformations: indexing, grouping and aggregation
- Feature Selection
- Combination of data sets



# Now we add

- Encoding of categorical variables
- Dimensionality reduction with PCA
- Dimensionality reduction with LDA

# Encodings

Machine learning algorithms  
require exclusively numerical  
data

We need to transform our  
categorical variables to some  
numerical format

# One-hot encoding

Id	neighbourhood
1	Saint Vincent
2	Hill of the Roses
3	Maipú
4	Saint Vincent
5	Ituzaingó

Id	neighbourhood =Saint Vincent	neighbourhood =Hill of the Roses	neighbourhood =Maipú	neighbourhood =Ituzaingó
1				
2				
3				
4				
5				

# One-hot encoding

Id	neighbourhood
1	Saint Vincent
2	Hill of the Roses
3	Maipú
4	Saint Vincent
5	Ituzaingó

Id	neighbourhood =Saint Vincent	neighbourhood =Hill of the Roses	neighbourhood =Maipú	neighbourhood =Ituzaingó
1	1	0	0	0
2				
3				
4				
5				



# One-hot encoding

Id	neighbourhood
1	Saint Vincent
2	Hill of the Roses
3	Maipú
4	Saint Vincent
5	Ituzaingó

Id	neighbourhood =Saint Vincent	neighbourhood =Hill of the Roses	neighbourhood =Maipú	neighbourhood =Ituzaingó
1	1	0	0	0
2	0	1	0	0
3	0	0	1	0
4	1	0	0	0
5	0	0	0	1

# The curse of dimensionality

By encoding the data in this way, we generate high-dimensional sparse vectors

- Takes up a lot of memory space
- The resulting vectors are orthogonal.
  - All vectors are the same distance from each other (if they have norm 1)
  - We cannot compute operations like the dot product.

# Dimensionality reduction

# Target

**Reduce the number of  
columns or variables in our  
dataset**



**Preserve as much  
information as possible**

What techniques do we know so far?

# Mathematical formalization

Let's express the data set as a matrix  $X$  with  $n$  rows and  $m$  columns. Each row is a vector  $x_i$  that inhabits a mathematical space with  $m$  dimensions. Each dimension intuitively corresponds to a column.

$$X \in \mathbb{R}^{n \times m}; x_i \in \mathbb{R}^m$$

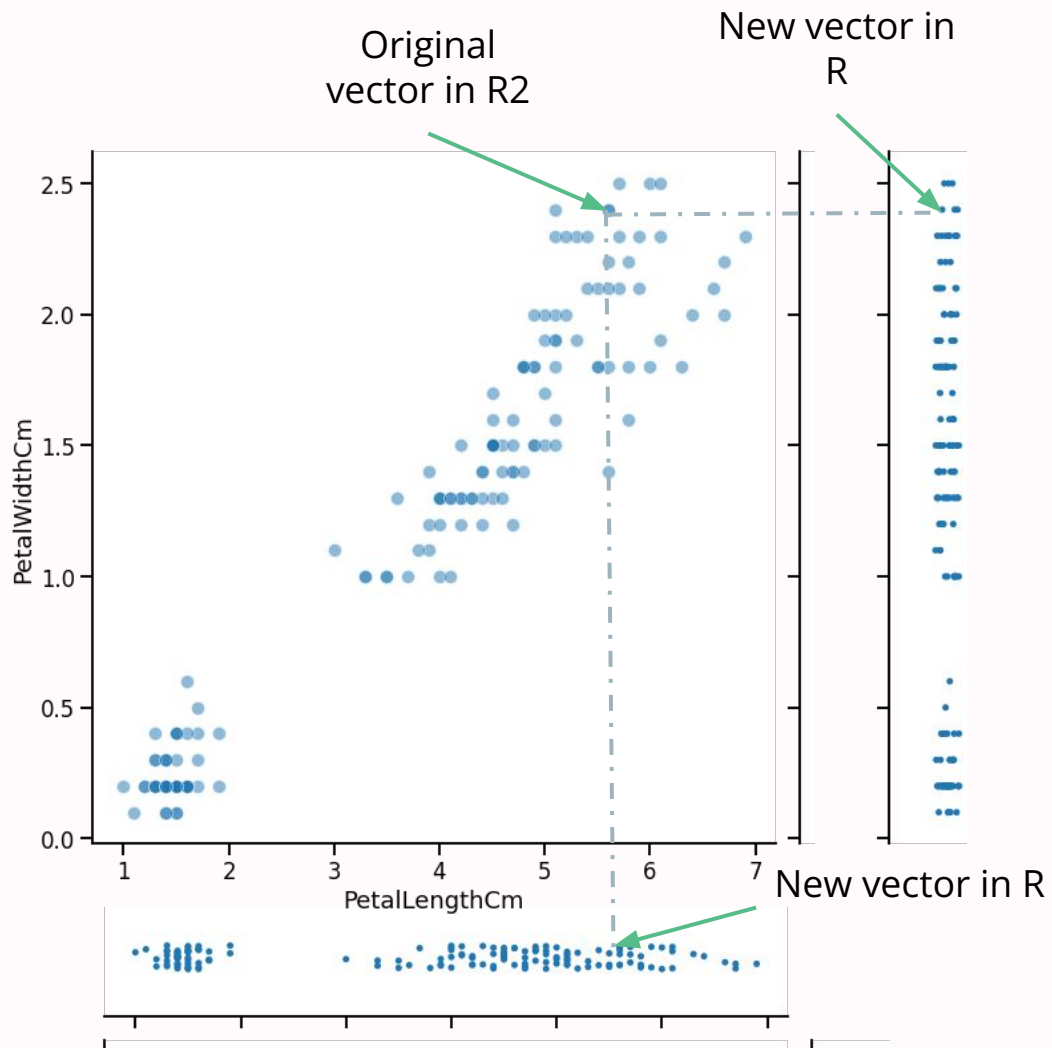
We want to obtain a new matrix  $Z$  that has the same number of rows, but a number of columns  $d$  much smaller than  $m$ .

$$Z \in \mathbb{R}^{n \times d}; d \ll m$$

# Column deletion

Each row is a vector  $x$  in  $R^2$ , that is, it has two dimensions.

If we remove any of them, we project the points to the direction of the x or y axis



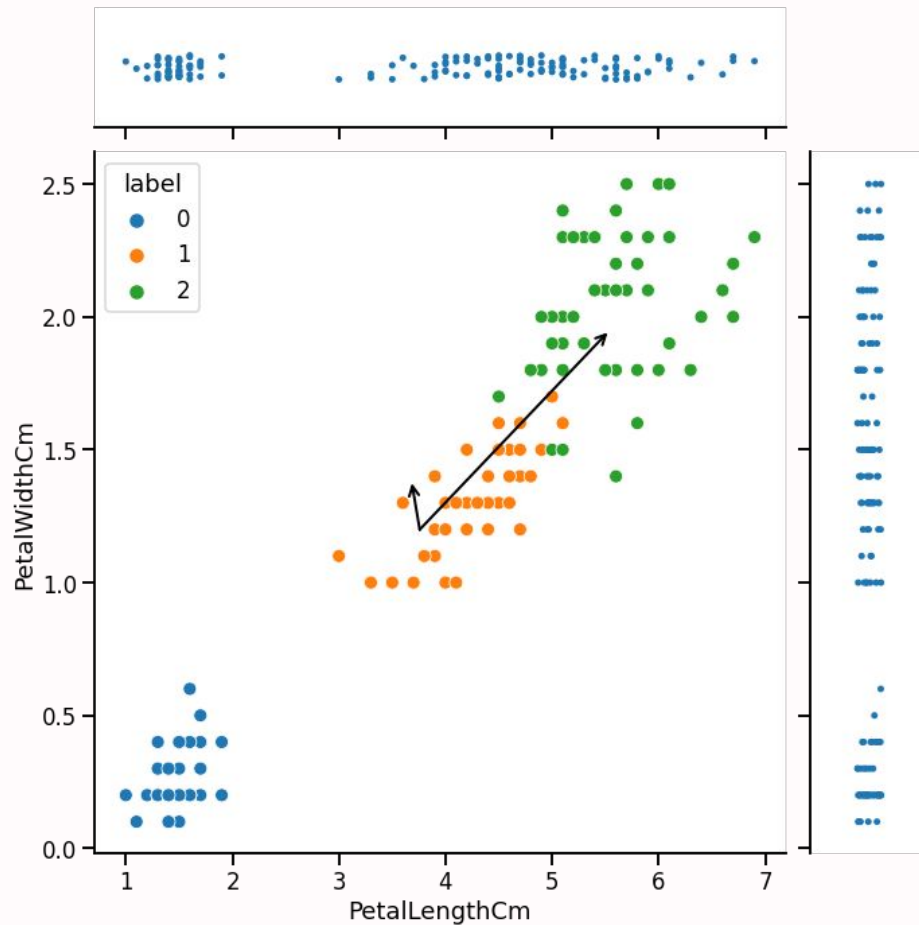
# Principal Component Analysis (PCA)

- Algebraic method (does not depend on domain knowledge).
- Compute a set of addresses called principal components:
  - They are orthogonal (independent)
  - They are ordered according to the variance of the original data they capture.
- The matrix  $X$  is projected in the directions of its principal components
- The first  $k$  dimensions of the new projected matrix are selected.

# Principal Components

The principal components of a matrix are the orthogonal directions of greatest variation of the data.

Why don't they "look" orthogonal?

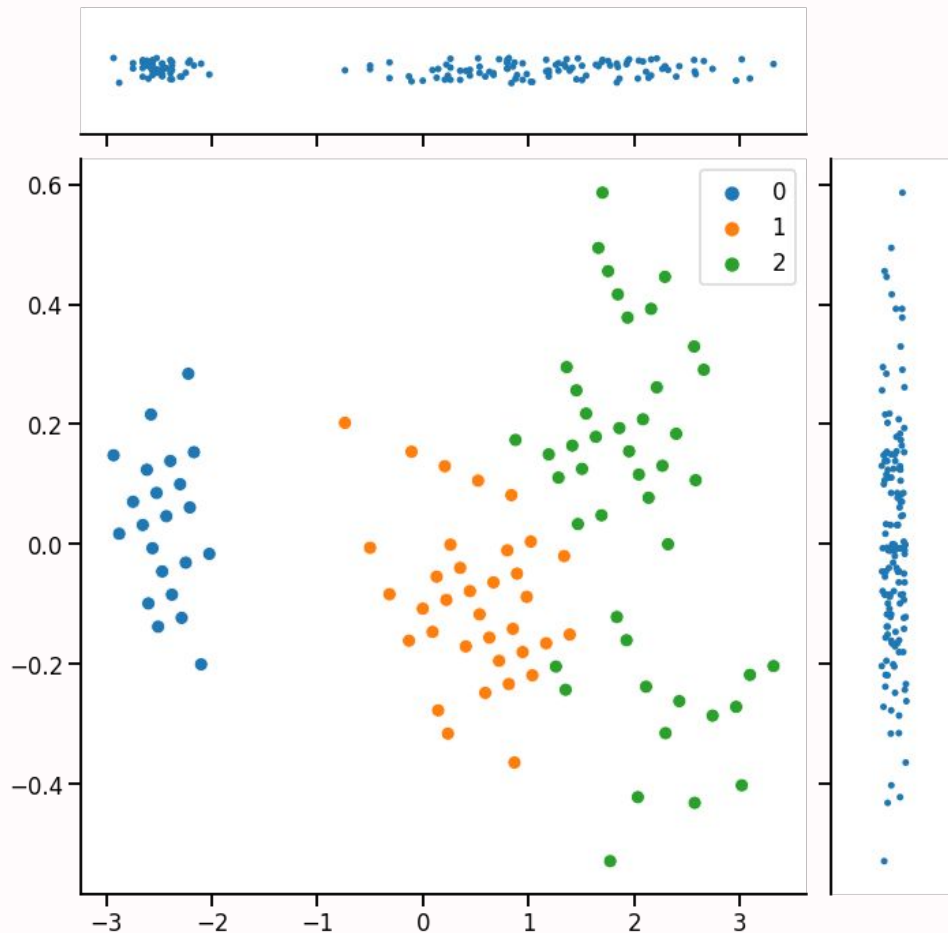




# New projections

We project each of the rows in the directions of the principal components.

Note that both representations of the data have exactly the same information.



Demo notebook

03\_PCA\_toy\_example.ipynb

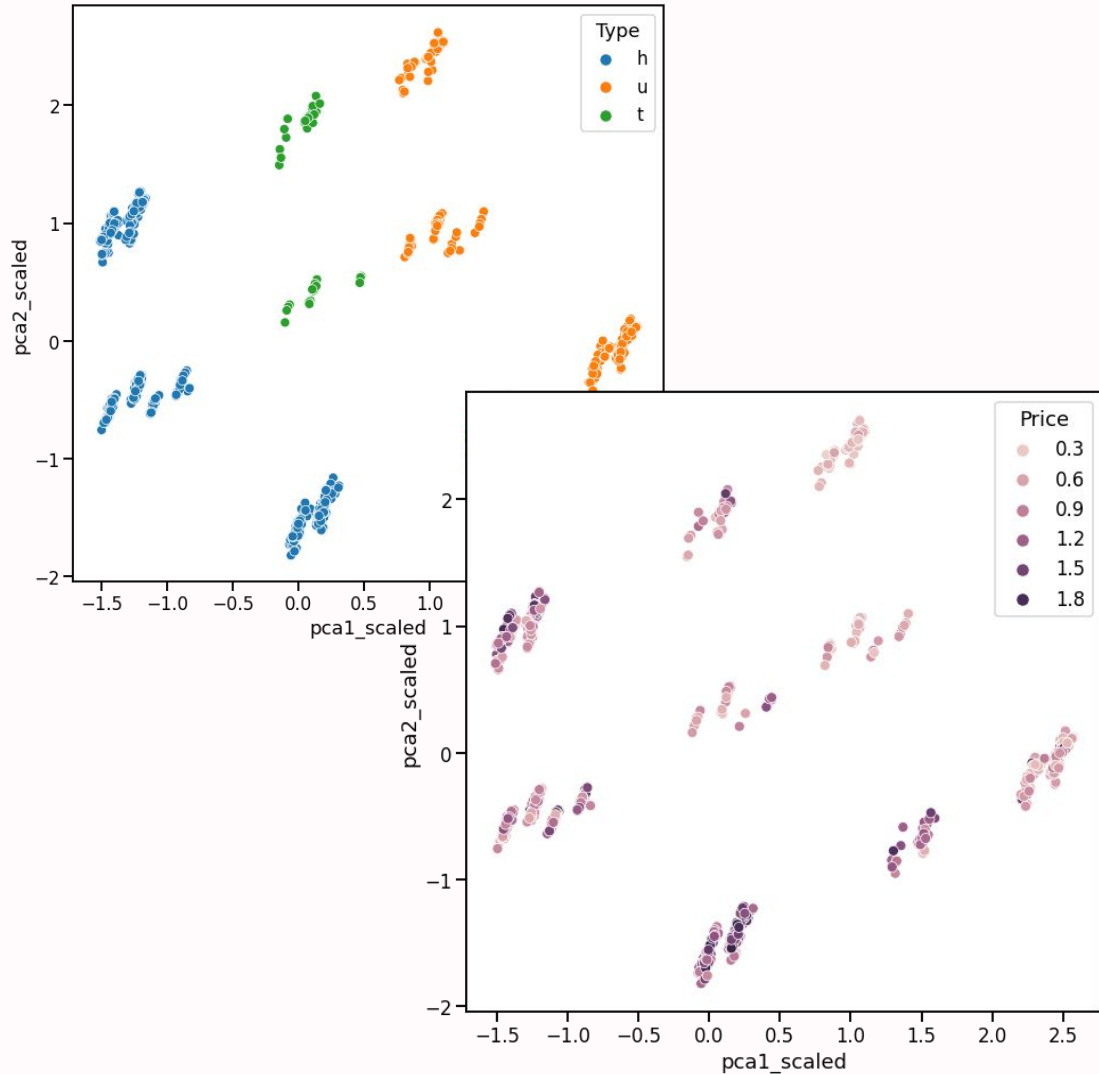
Demo notebook

04\_encodings\_and\_PCA\_in\_Melbourne.ipynb

# Result

In the melbourne data set, the main components separate property types very well, and price to a lesser extent.

If the type is closely related to the components of the PCA, does it help us to add this new information?



When we project we change the properties of the data, we want to project in a way that helps understand/classify



Other possible projections





# Text encoding in bags of words

Id	comment
1	No traffic no
2	Near the airport
3	airport traffic
4	Near the beach

Id	no	traffic	near	the	airport	beach
1	2	1	0	0	0	0
2	0	0	1	1	1	0
3	0	1	0	0	1	0
4	0	0	1	1	0	1

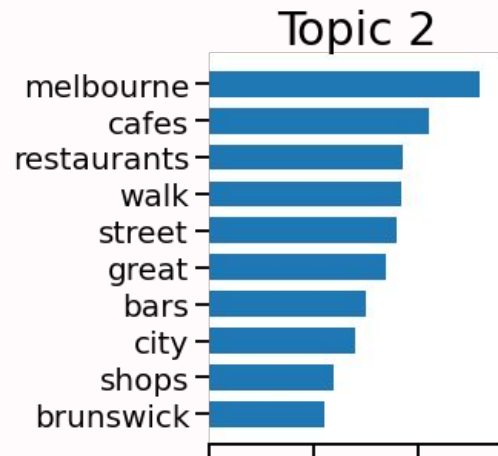


# Topic modeling with LDA

LDA or Latent Dirichlet

Allocation is a model that assumes that each text talks about an unknown subject or topic.

Find the vectors that correspond to the topics that would best explain the data



# Projection with LDA

Then, LDA is used to estimate the conditional probability that a text is talking about each of the topics.

We can now represent each text with a combination of different themes

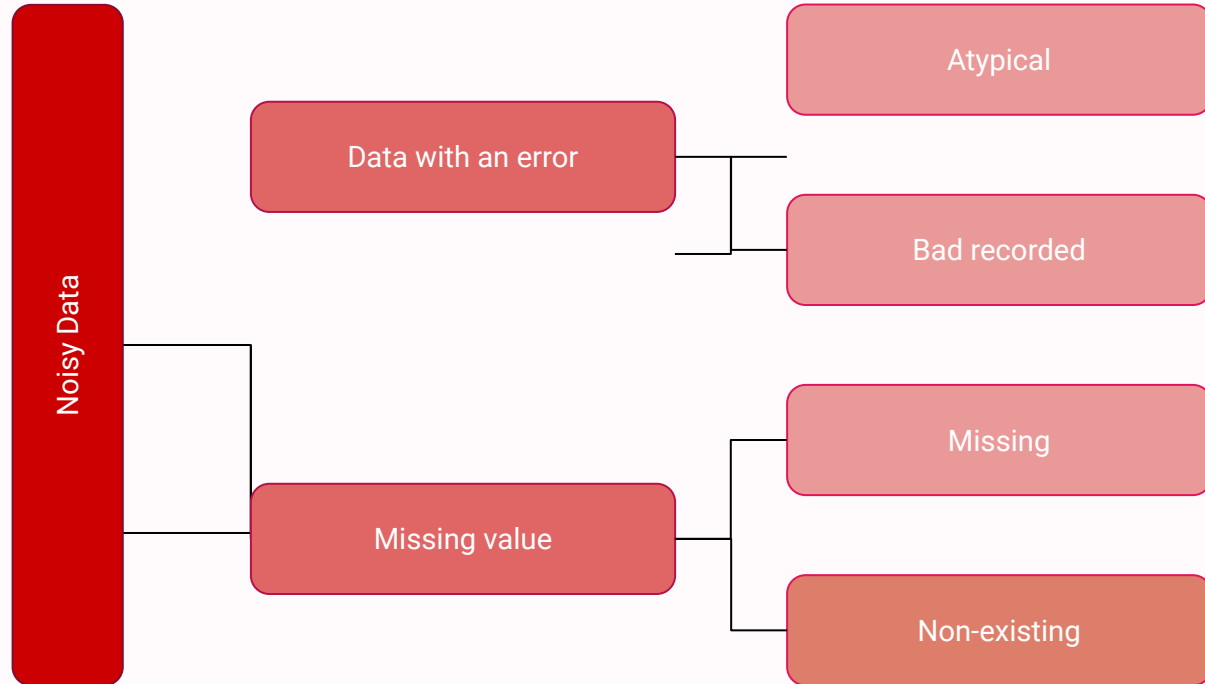
closest_airbnb_neighborhood_overview	topic0	topic1	topic2	topic3
Our house is located in a very small, quiet and safe court in the bayside suburb of Moorabbin, with no through traffic, so you are undisturbed by traffic noise. The local shopping centre and cafes is 10 minute's walk from the house The large Southland (Westfield) Shopping Centre is 2.6Km away and easily accessible by a bus which is a few minutes walk from our home. Chadstone is a bus ride away. Brighton Beach is 6Km from the house and easily accessed by public transport, where you can enjoy a walk or swim, or a meal of fish and chips on the foreshore.	0,001	0,001	0,934	0,062

Demo notebook

05\_encodings\_for\_text\_and\_LDA.ipynb

# Missing Values

# Missing values or noisy data



# Missing values

In statistics

- to predict is to give value to data that has not yet been sampled,
- to impute is to estimate a value that may have been sampled but is not known.

If one manages to make a prediction model with the data that does not have noise ... we impute the missing values by means of predicting that data.

# Dealing with Missing values

Delete it

Imputing

Only the  
missing  
value

Delete  
the  
column

Delete  
the row

General

Matrix

Delete  
only the  
missing  
values

Delete the  
variable with  
missing  
values

Delete  
the whole  
sample

Imputing  
by a  
constant

Imputing by  
the mean,  
mode, or  
median



# Some useful links

- [Scikit-learn tutorial](#) on different types of decompositions
- [Video](#) about PCA.