

Graph Compactification for Efficient Program Comprehension and Analysis

Suresh C. Kothari

Richardson Professor

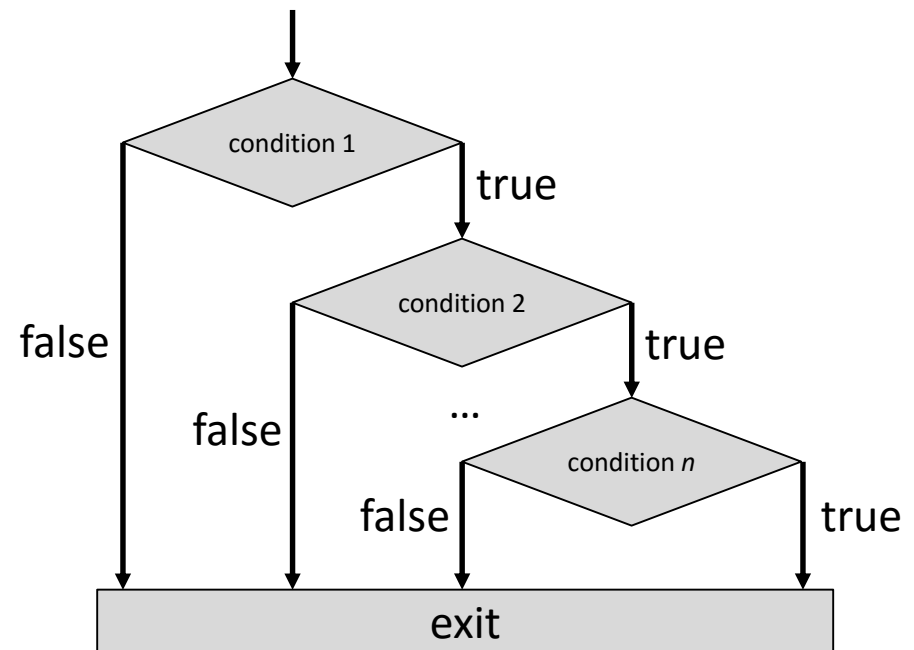
Department of Electrical and Computer Engineering

Ben Holland, Iowa State University

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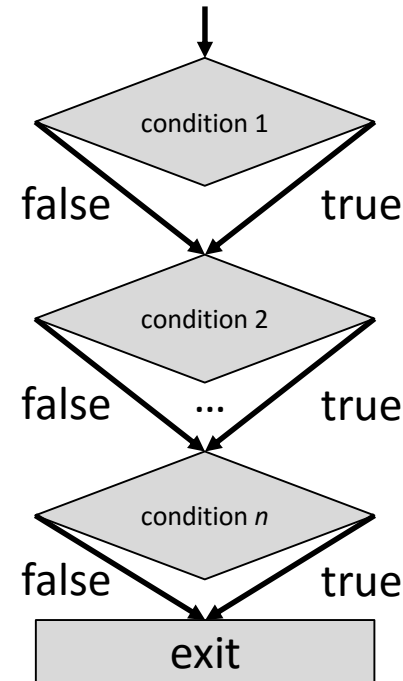
Counting Paths

- How many paths are possible for n nested conditions?
 - Answer: $n+1$ paths



Counting Paths

- How many paths are possible for n non-nested conditions?
 - Answer: 2^n paths

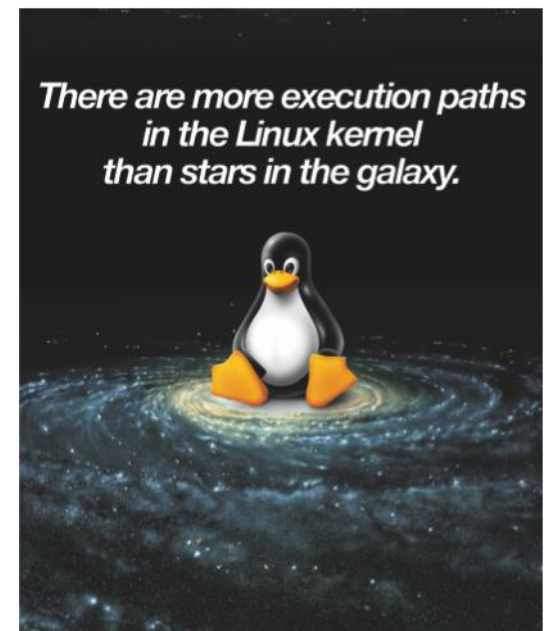


Counting Paths

- How many paths are *feasible* if $c1 == c2$?
 - i.e. How many paths could produce valid runtime execution traces?
 - More or less?

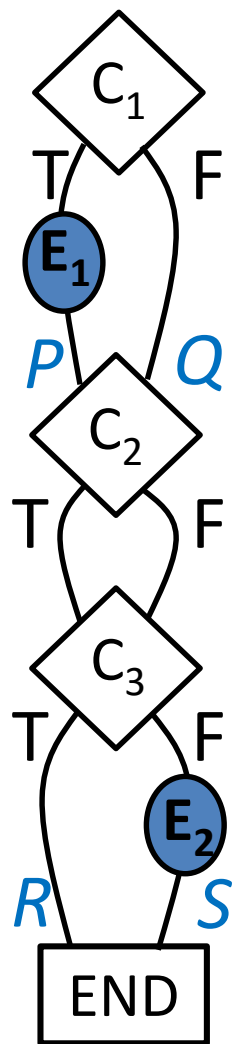
Counting Paths

- In the worst case all conditions are non-nested and all paths are feasible.
 - Number of paths to consider in software is exponential!
 - In reality the number of feasible paths is much smaller.

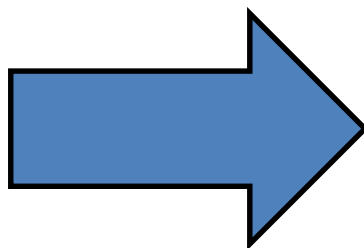


Intuition: Efficient Path-Sensitive Analysis

- A large number of paths could be partitioned into a small number of groups.
- All Paths in a group are equivalent – have the same execution behavior w.r.t. the property to be verified.
- Efficient computation by examining only one path from each group.
- Challenge: How can the groups be formed without examining each path at least once?

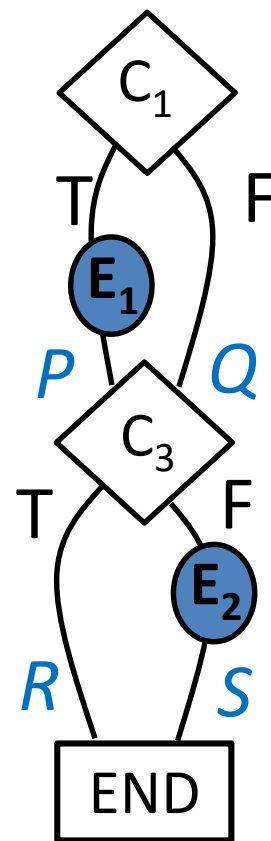


C_2 irrelevant to path-sensitive analysis w.r.t. E_1 and E_2



Remove the irrelevant branch conditions to avoid unnecessary path explosion & simplify the path feasibility check.

paths reduced from 8 to 4



conditions for feasibility check reduced from 3 to 2