
Stat 215 A - Week 3

— Zoe Vernon —

Lab 1 check in

How is it going?

What are people finding difficult?

Any questions?



Source: <http://www.redwoodhikes.com/JedSmith/BoyScout1.jpg>

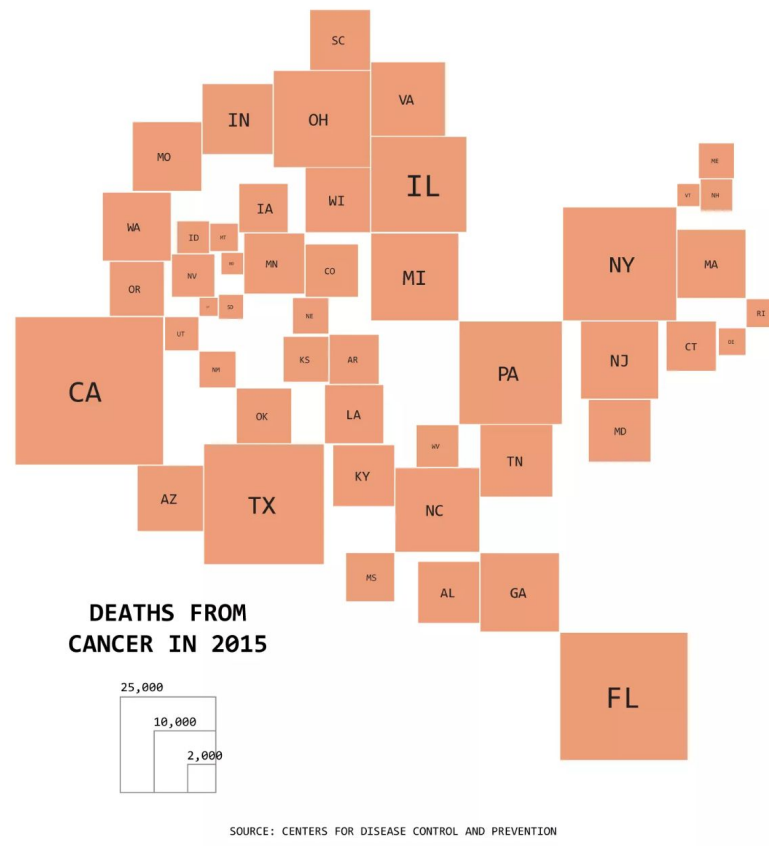
Lab 1 check in

Some thoughts for coming up with findings

- ❑ Use your domain knowledge to come up with questions you may want to answer
- ❑ Look closer at the data
 - ❑ Zoom in on a specific day
 - ❑ Or specific times of day

Flowing data blog

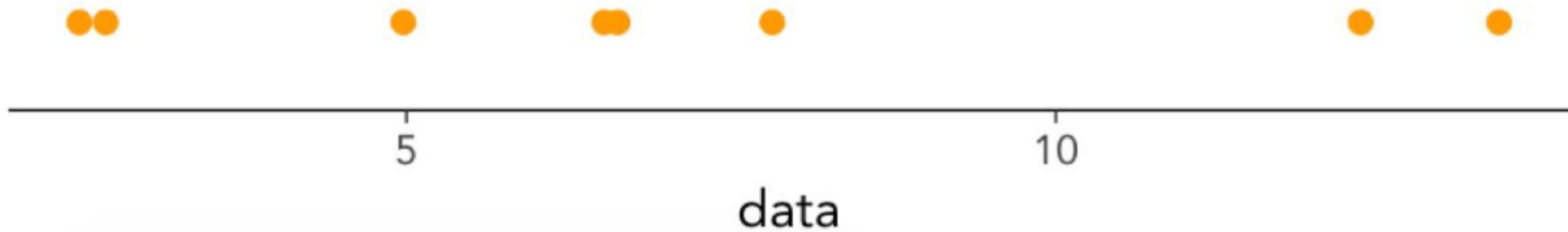
<http://flowingdata.com/2017/08/15/us-less-points-of-comparison/>



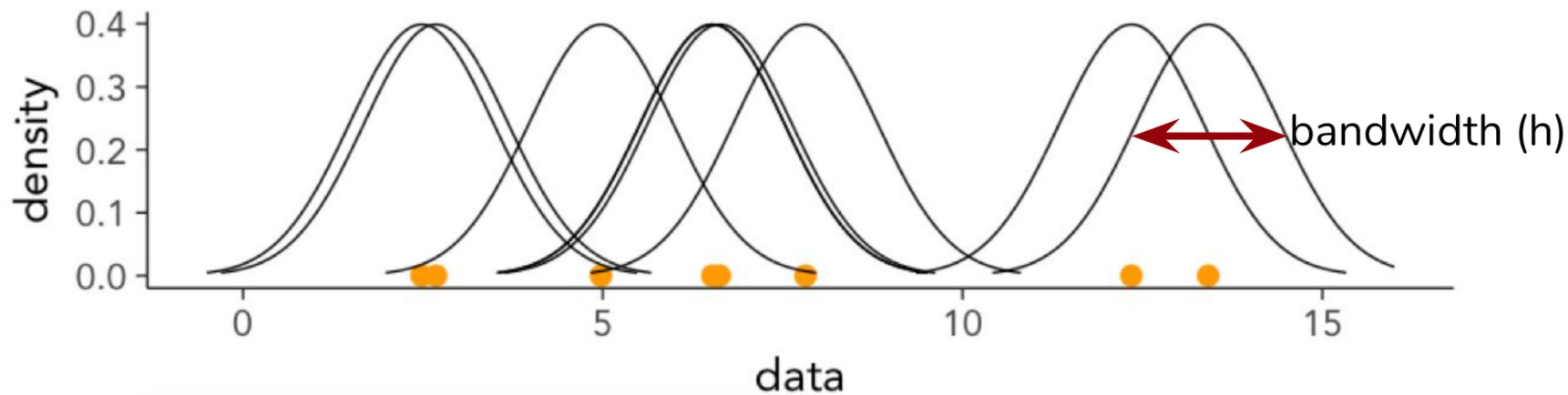
Kernel density estimation

Slides in this section from Rebecca Barter

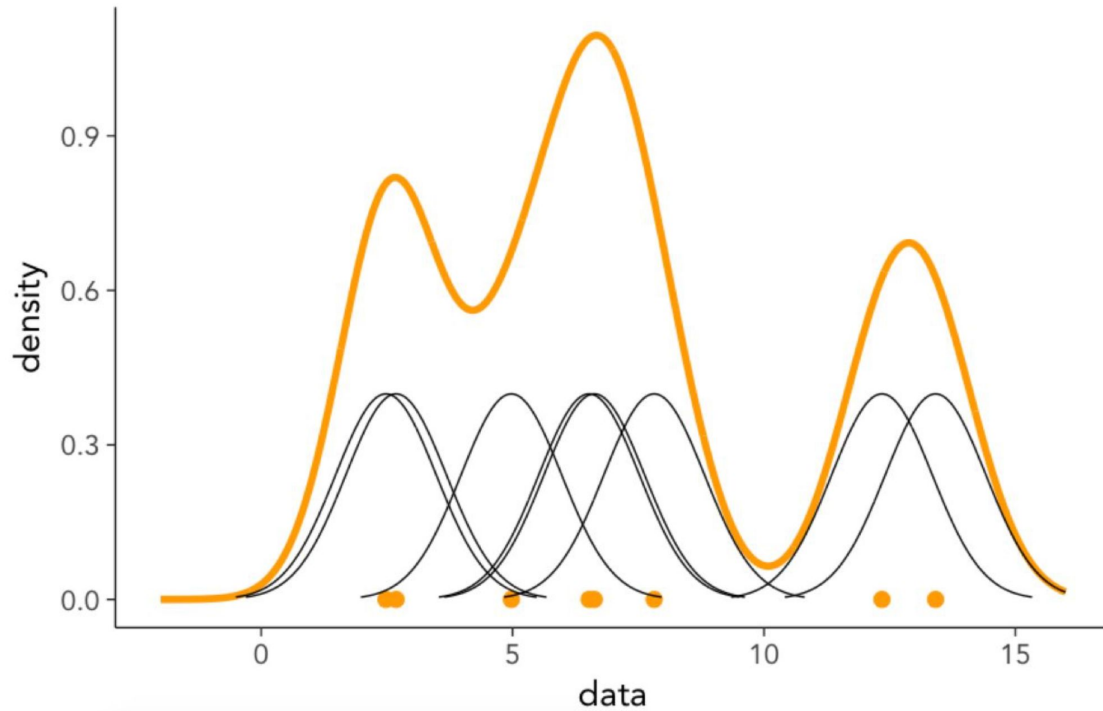
Kernel density estimation



Kernel density estimation



Kernel density estimation



Kernel density estimation

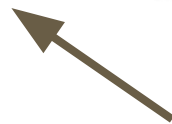
Estimate the density, f , by adding together individual kernel functions

$$\hat{f}_h(x) = \frac{1}{n} \sum_{i=1}^n K_h(x - x_i) = \frac{1}{nh} \sum_{i=1}^n K\left(\frac{x - x_i}{h}\right)$$

Kernel density estimation

Estimate the density, f , by adding together individual kernel functions

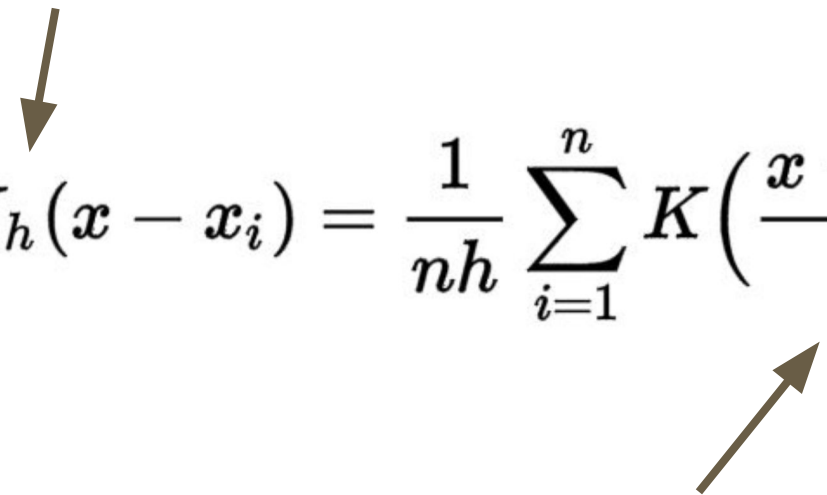
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Each kernel function is centered at a data point

Kernel density estimation

The width of the kernel function is defined by the bandwidth h

$$\hat{f}_h(x) = \frac{1}{n} \sum_{i=1}^n K_h(x - x_i) = \frac{1}{nh} \sum_{i=1}^n K\left(\frac{x - x_i}{h}\right)$$


Kernel density estimation

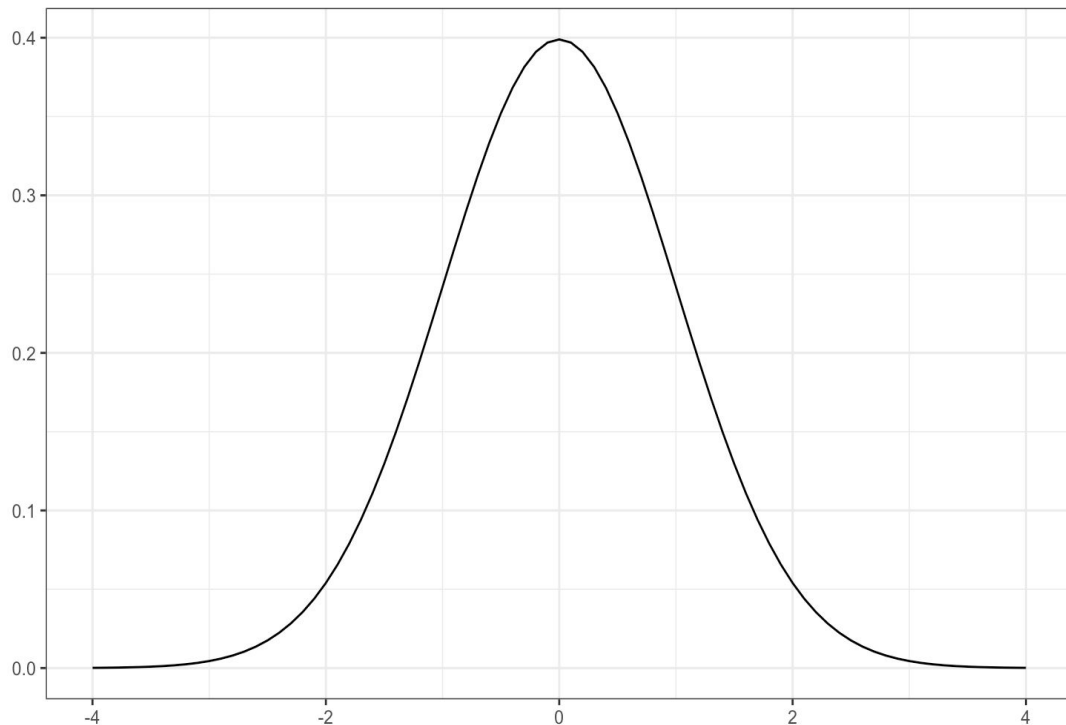
There are many possible Kernel functions that you could use

- ❑ Gaussian
- ❑ Uniform
- ❑ Triangular
- ❑ ...

Gaussian Kernel

Support: $u \in \mathbb{R}$

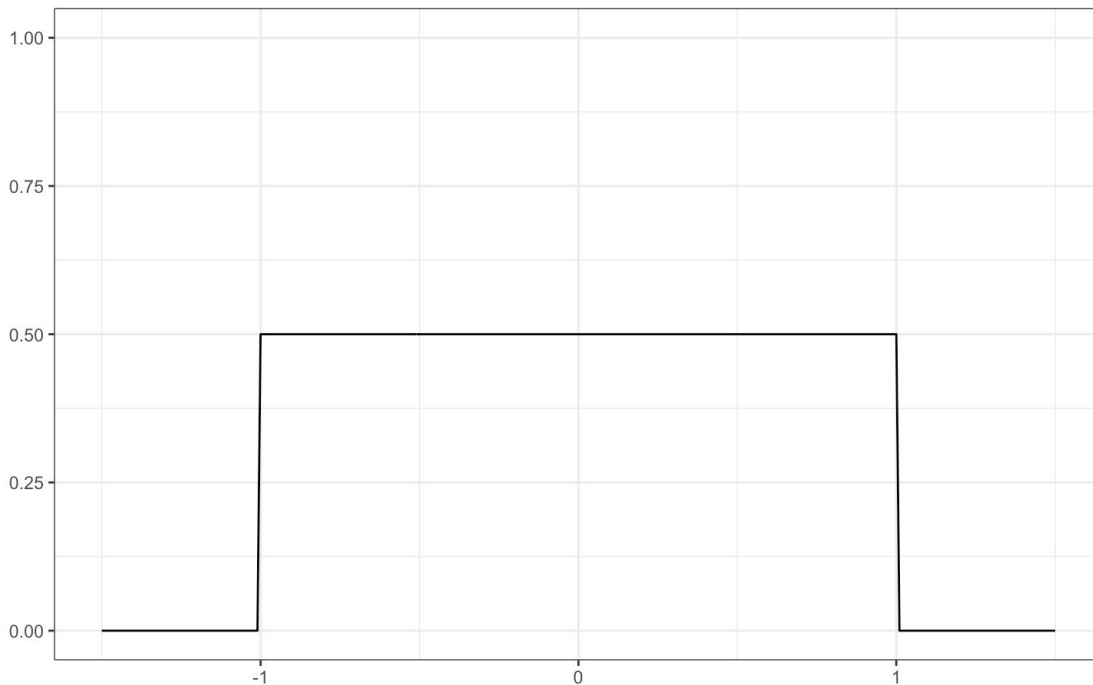
$$K(u) = \frac{1}{\sqrt{2\pi}} e^{-\frac{1}{2}u^2}$$



Uniform Kernel

Support: $|u| \leq 1$

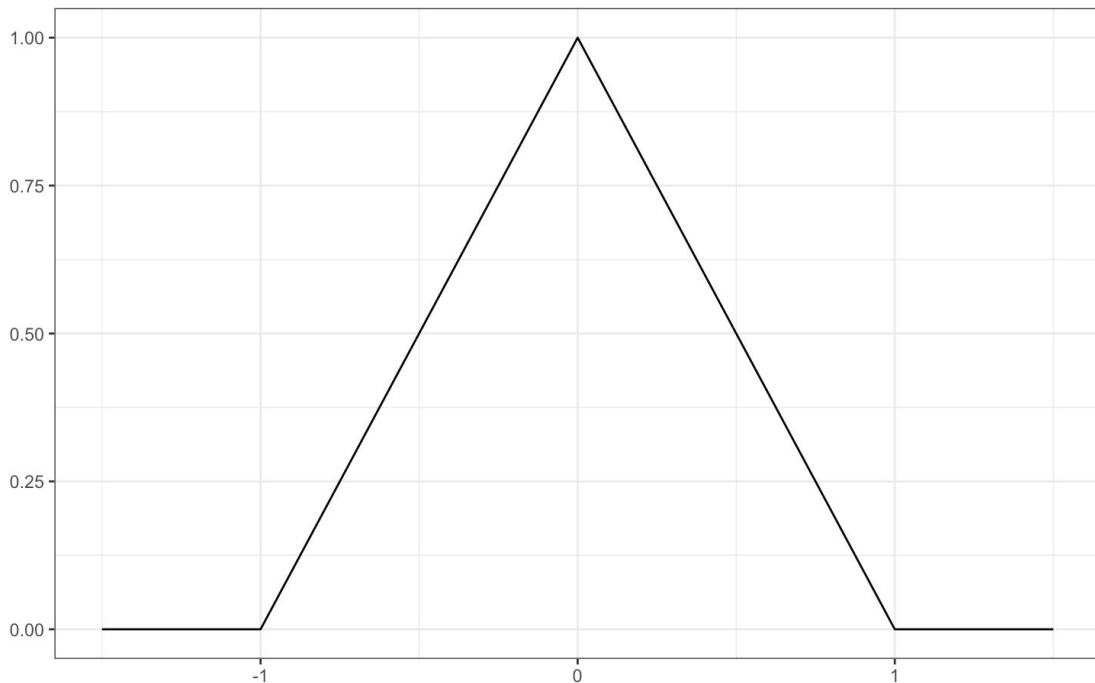
$$K(u) = \frac{1}{2}$$



Triangular Kernel

Support: $|u| \leq 1$

$$K(u) = 1 - |u|$$



Probability Perceptions

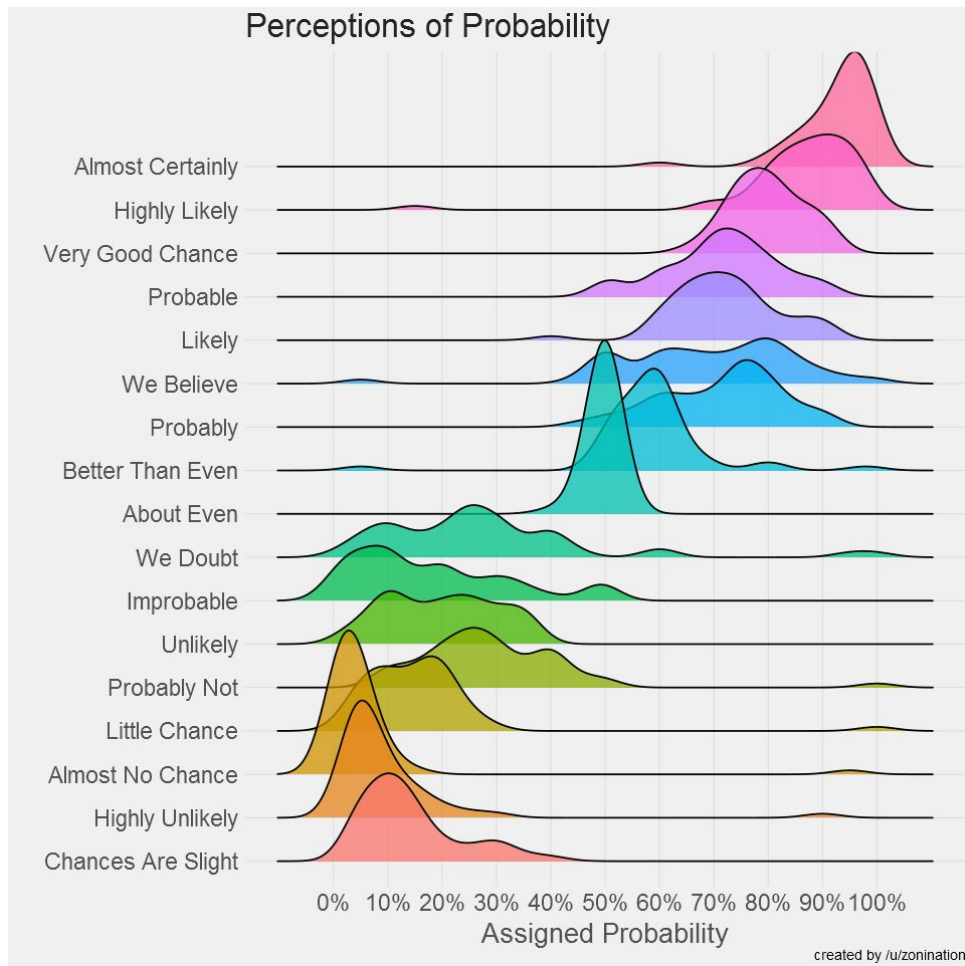
Joyplot

Way to put multiple kernel density estimates on one plot

Is there anything you would change about this plot?

Image and data source:

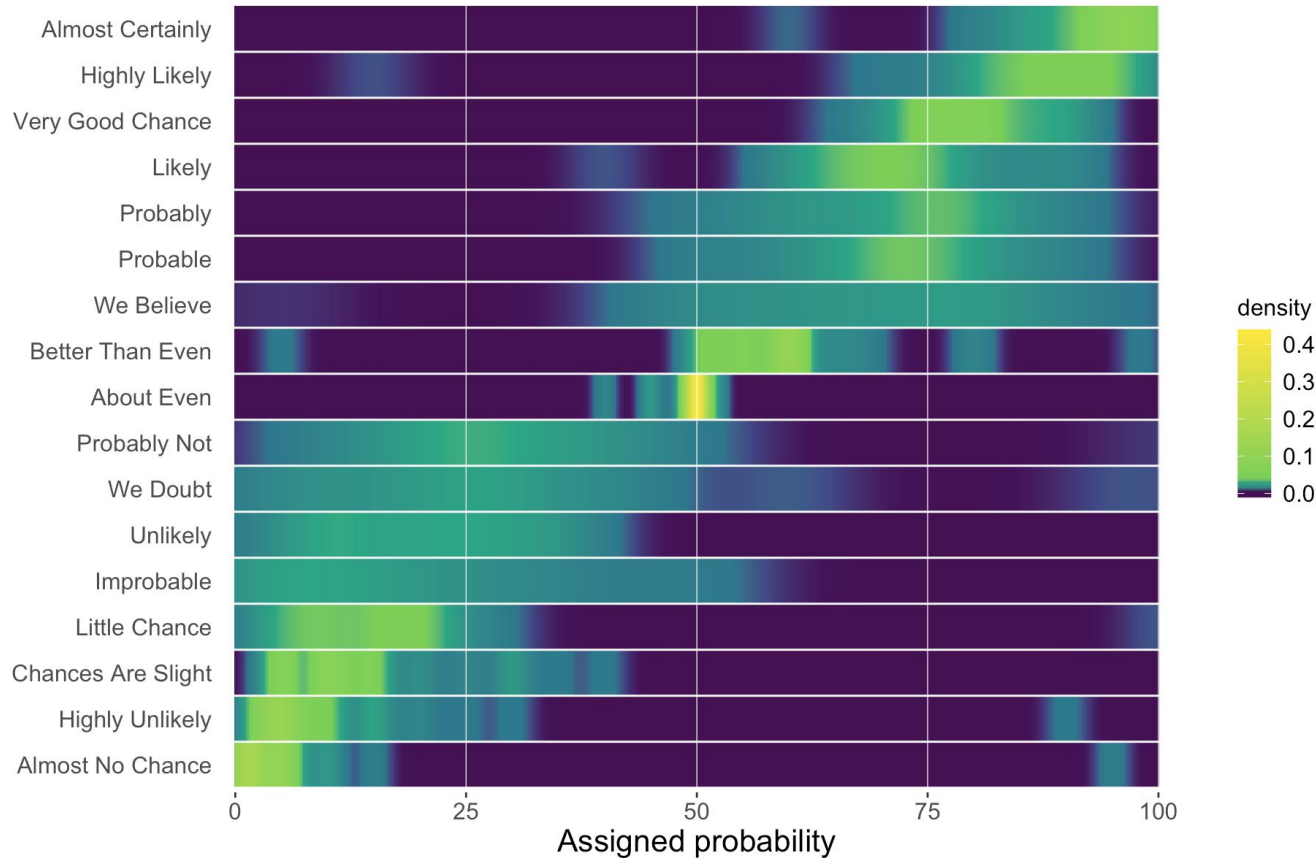
<https://github.com/zonination/perceptions>



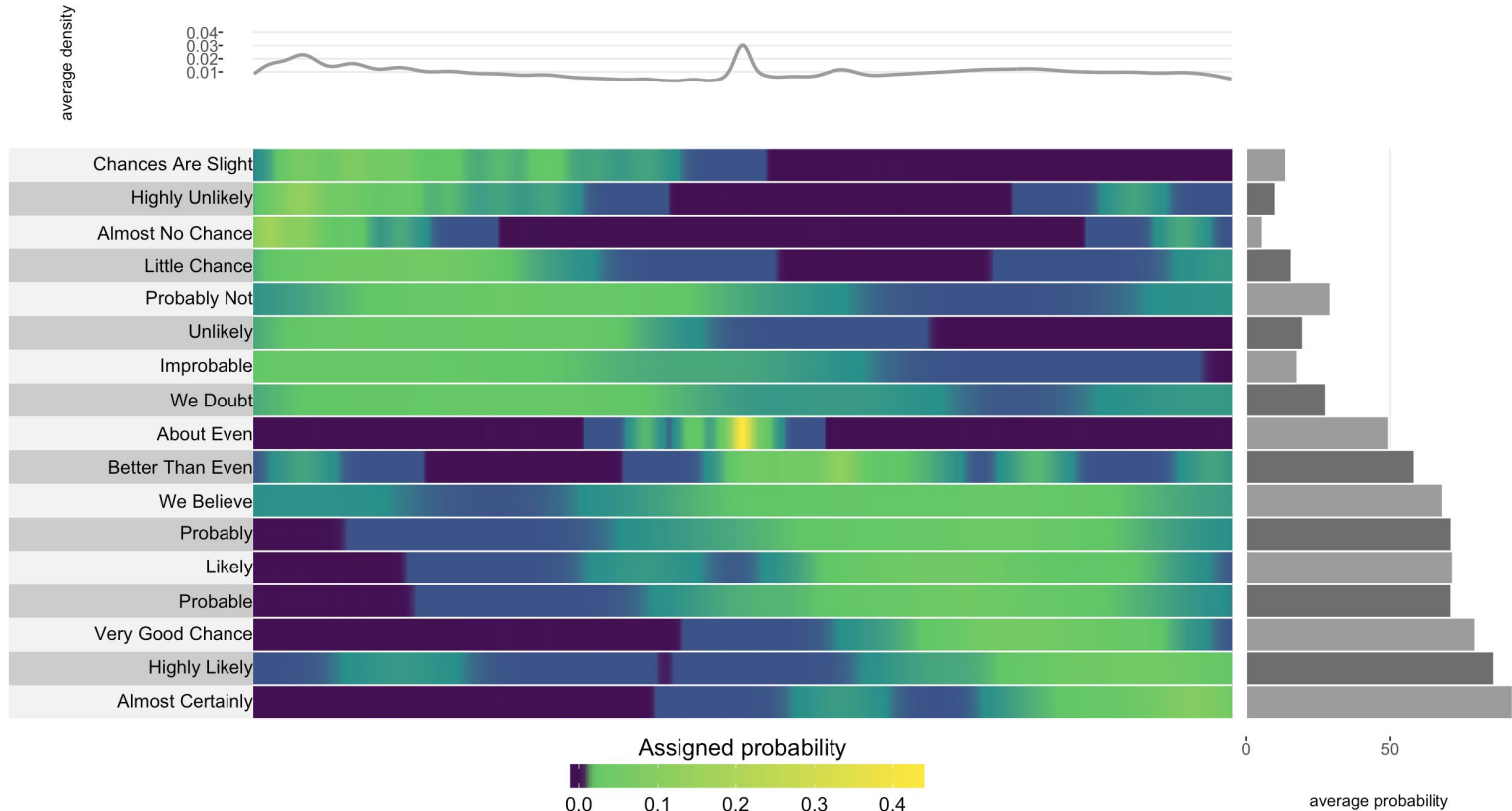
Exercise 1

1. Write a function that calculates the density of a vector of numbers.
2. Plot the density estimate of the “chances are slight” probability interpretations.
3. Make a plot that displays the bias-variance tradeoff for different bandwidths

Alternative view of data: heatmap



Alternative view of data: superheat



Color choice



Choosing color palettes

Don't always use the default in R

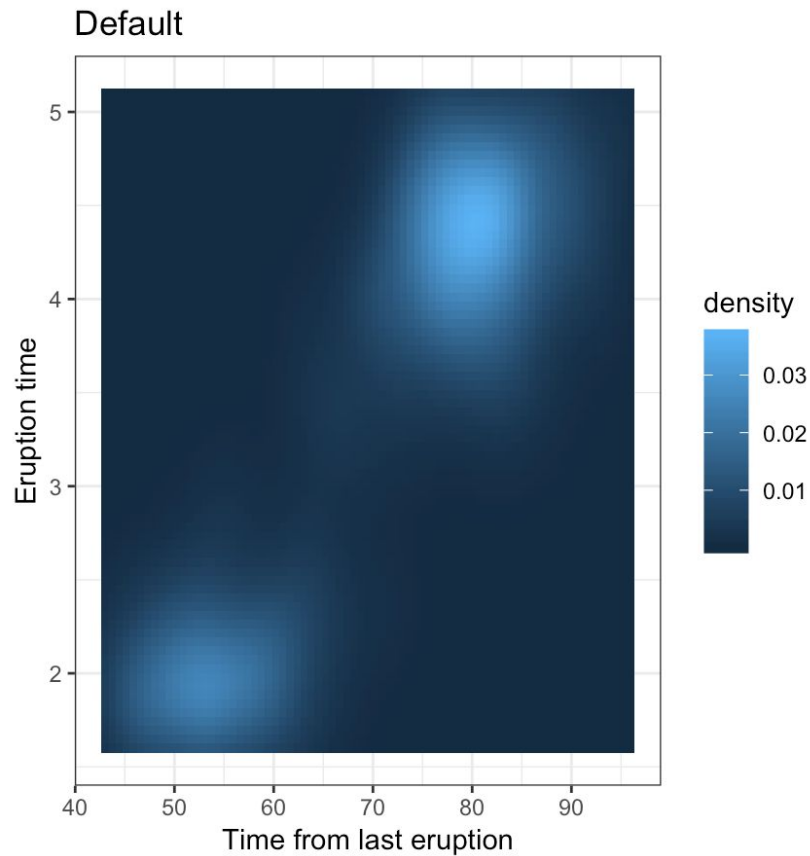
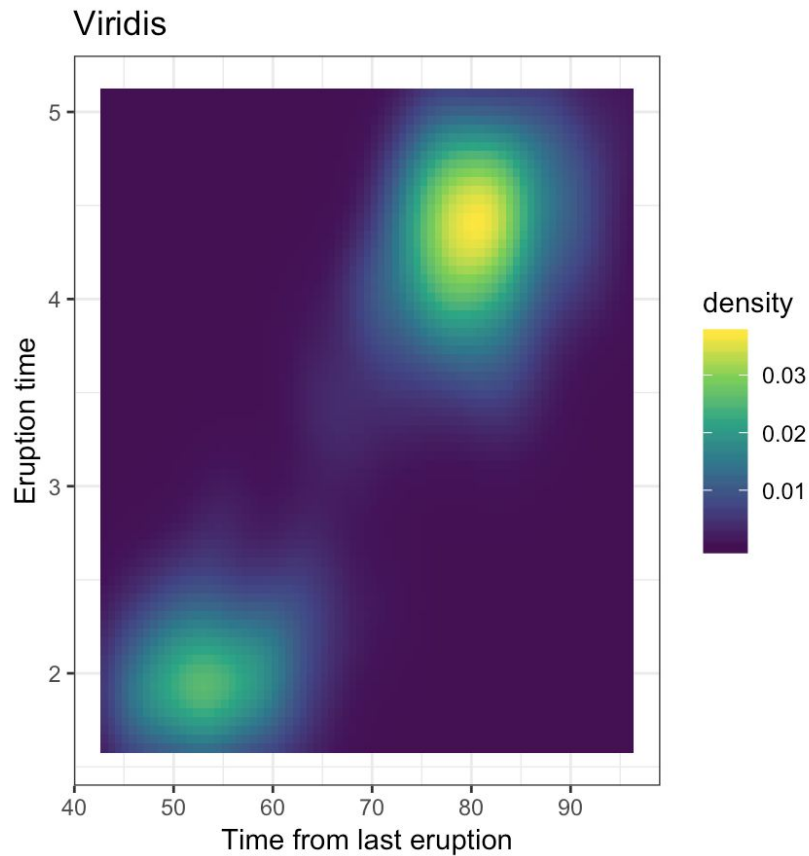
Think about what you are trying to convey in the plot

Color choices can affect the way we perceive the plot

Two helpful websites

1. <https://coolers.co/app>
2. <http://colorbrewer2.org/>

Viridis color scheme



Viridis color scheme

Reasons to use viridis

1. Makes pretty plots!
2. Perceptually uniform colors (meaning changes in the data should be accurately decoded by our brains)
 - a. Another colormap with the quality is ColorBrewer
3. Perceived by most common forms of color blindness

Exercise 2

Come up with your own visualization of the perception data.

Be creative!

Interactive plots

Exercise 3

Come up with your own **interactive** visualization of the perception data.

Useful R packages

1. plotly: <https://plot.ly/r/>
2. crosstalk: <https://rstudio.github.io/crosstalk/>
3. Highcharter: <http://jkunst.com/highcharter/>
4. Shiny: <https://shiny.rstudio.com/gallery/>