

Detection of Non-Gaussian Data in Mark5 (M5B) Files

The radio astronomy data stored in M5B files are Gaussian white noise. Channel data streams are 4-level quantized to have only 2 binary digits per sample.

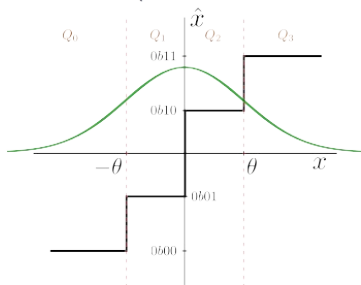
Problem: detect damaged fragments with non-Gaussian distribution. Do it before the correlation on GPU because of high data volumes.

Solution: estimating quantization thresholds from data may indicate non-Gaussianity

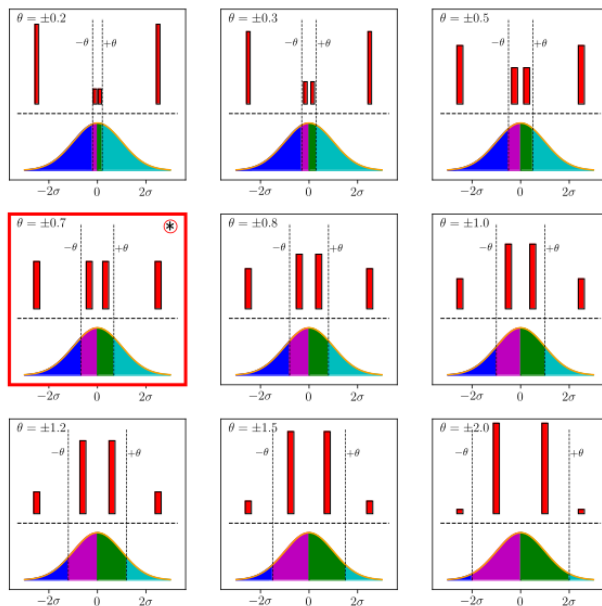
1. Data quantization uses 3 thresholds, $-\theta$, 0 , $+\theta$, so the only statistics are quantiles, Q_0 , Q_1 , Q_2 , and Q_3 , the quantiles of data that fall into intervals (including infinities) between them.

2. Below one can see the limitations on q-threshold values. The four red bars show relative values or the standard Normal probability density function.

4-Level Quantization Pattern



Normal PDF Quantiles Separated by $-\infty, -\theta, 0, +\theta, +\infty$

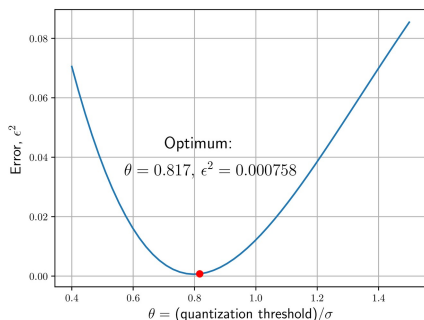


Quantization Thresholds $\pm\theta$: MUST be $|\theta| > 0.6745\sigma$

3. The q-thresholds are not strictly specified and can be varied during operation. It is possible to find the optimal θ that minimizes the error between the standard Normal quantiles and those from data:

$$\epsilon^2 = \sum_{i=0}^3 (\hat{Q}_i - Q_i)^2$$

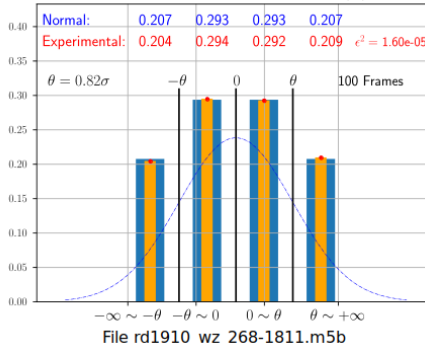
Error b/w M5B Data and Normal Quantiles for Thresholds [0.4 .. 1.5]



4. Two examples of finding the optimal q-threshold. The bars give values of quantiles: blue – Normal, yellow – M5B data.

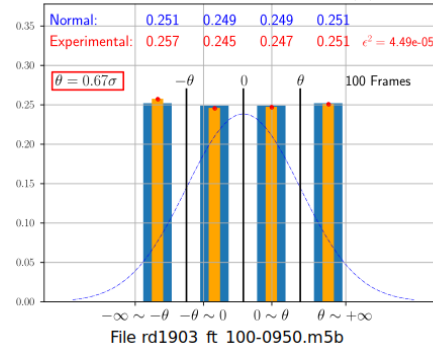
Good data (Normal distribution)

M5B Data vs Normal in Quantiles between $-\theta, 0$, and $+\theta$



GARBAGE (Uniform distribution?)

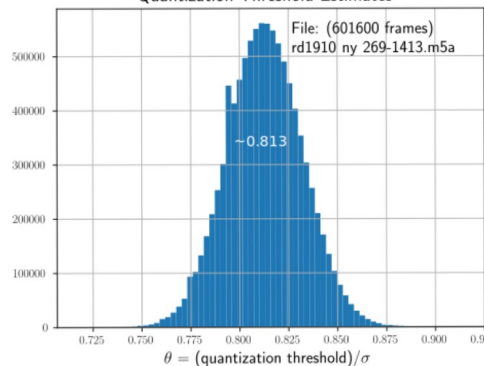
M5B Data vs Normal in Quantiles between $-\theta, 0$, and $+\theta$



5. **SOLUTION.** Statistics of optimal q-threshold estimates. One threshold is found for each 2500 samples in one channel.

Good data ($\theta > 0.67$)

Quantization Threshold Estimates



Bad, non-Gaussian data ($\theta > 0.67$)

Quantization Threshold Estimates

