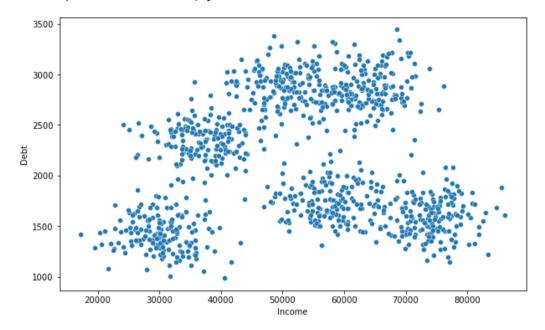
K-Means Clustering

Input Data - Customer Dataset

```
In [1]: # Import the standard modules to be used in this lab
        import pandas as pd
        import numpy as np
        %matplotlib inline
In [2]: # Load the dataset into IPython and rename it into a dataframe
        cust pd = pd.read csv("input/customers.csv")
In [3]: # First five data available in the dataset
        cust pd.head()
Out[3]:
           Income Debt
            30309 1405
             38969 1256
         2 27268 1370
            27970 1074
             56432 1976
In [4]: # The size of the dataset
        cust_pd.shape
Out[4]: (1000, 2)
```

```
In [5]: # Let's plot the data to see if we can see any cluster using a scatter plot of Seaborn library
    from matplotlib import pyplot as plt
    import seaborn as sns
    plt.figure(figsize=(10,6))
    sns.scatterplot(x=cust_pd["Income"], y=cust_pd["Debt"])
```





As we can see, attributes Income and Debt are in very different ranges whereby Income is about 10-20 times larger than Debt. Therefore, before we perform the clustering, we normalize the data to [0-1]. Here, we normalize manually by using min() and max() functions. We can also use MinMaxScaler to normalize data.

Normalization of Data

```
In [6]: # Normalize the data [0-1] using min() and max() function
        cust pd["Income"] = (cust pd["Income"] - cust_pd["Income"].min()) /(cust_pd["Income"].max() - cust_pd["Income"].min())
        cust pd["Debt"] = (cust pd["Debt"] - cust pd["Debt"].min()) / (cust pd["Debt"].max() - cust pd["Debt"].min())
        cust pd.head()
Out[6]:
             Income
                       Debt
         0 0.189918 0.169857
         1 0.315582 0.109165
         2 0.145790 0.155601
         3 0.155977 0.035031
         4 0.568985 0.402444
In [7]: # Normalize the data [0-1] using MinMaxScaler
        from sklearn.preprocessing import MinMaxScaler
        scaler = MinMaxScaler()
        cust pd = scaler.fit transform(cust pd)
        cust pd = pd.DataFrame(cust pd, columns=["Income", "Debt"])
        cust pd.head()
Out[7]:
                       Debt
             Income
         0 0.189918 0.169857
         1 0.315582 0.109165
         2 0.145790 0.155601
         3 0.155977 0.035031
         4 0.568985 0.402444
```

Clustering using K-Means

Now lets import K-means from Scikit-Learn to create an object of K-means. We will set the number of clusters, K=4. Assuming there are 4 clusters.

```
In [8]: # To do a k-means clustering, import K-means from Scikit-Learn
from sklearn.cluster import KMeans
```

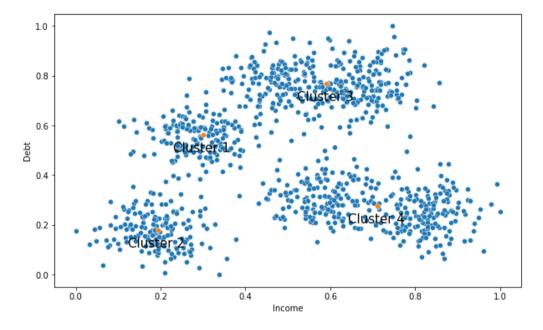
First, we initialize the centroids. Then, we create a KMeans object and set the following arguments. n_clusters is used to specify the number of clusters. init is used to specify the initial centroid. n_init is set to 1 indicating that the K-means algorithm will be run one time.

In a Jupyter environment, please rerun this cell to show the HTML representation or trust the notebook. On GitHub, the HTML representation is unable to render, please try loading this page with nbviewer.org.

```
In [10]: # Generate the centroid values for the final clusters
    centroids = kmeans.cluster_centers_
    print(centroids)

[[0.29983346 0.56387364]
    [0.19310559 0.17907332]
    [0.59123375 0.76930336]
    [0.71086573 0.27637849]]
```

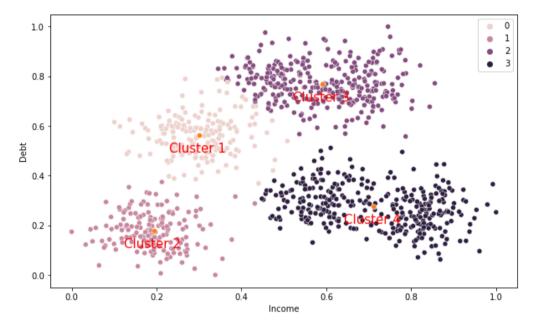
Out[11]: Text(0.6408657344950788, 0.2063784938712781, 'Cluster 4')



The plot shows 4 clusters available for this dataset. The centroids are marked with yellow 'o' which represent 4 centroids for each cluster. We put some annotation to indicate the cluster numbers.

```
In [12]: # Perform a prediction to classify the data points using the K-means
    offset = 0.07
    pred = kmeans.predict(cust_pd)
    fig, ax = plt.subplots(figsize = (10,6))
    sns.scatterplot(x=cust_pd["Income"], y=cust_pd["Debt"], hue=pred)
    sns.scatterplot(x=centroids[:,0], y=centroids[:,1])
    ax.annotate('Cluster 1', xy=(centroids[0,0]-offset,centroids[0,1]-offset),size=15, color = 'red')
    ax.annotate('Cluster 2', xy=(centroids[1,0]-offset,centroids[1,1]-offset),size=15, color = 'red')
    ax.annotate('Cluster 3', xy=(centroids[2,0]-offset,centroids[2,1]-offset),size=15, color = 'red')
    ax.annotate('Cluster 4', xy=(centroids[3,0]-offset,centroids[3,1]-offset),size=15, color = 'red')
```

Out[12]: Text(0.6408657344950788, 0.2063784938712781, 'Cluster 4')

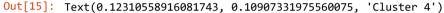


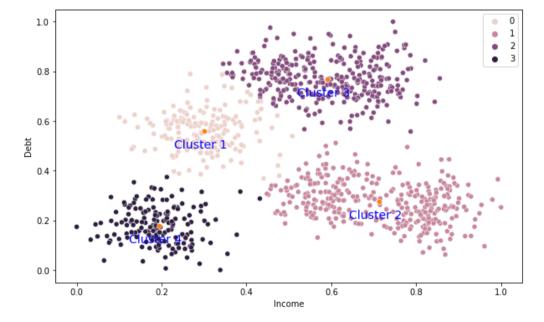
```
In [13]: # Specify the initial centroid using init='k-means++'
kmeans = KMeans(n_clusters=4, init='k-means++')
kmeans.fit(cust_pd)
```

Out[13]: KMeans(n clusters=4)

In a Jupyter environment, please rerun this cell to show the HTML representation or trust the notebook. On GitHub, the HTML representation is unable to render, please try loading this page with nbviewer.org.

```
In [14]: # Generate centroid values for final clusters
         centroids = kmeans.cluster centers
         print(centroids)
         [[0.30013745 0.56044873]
          [0.71158411 0.27606079]
          [0.5898113 0.76940107]
          [0.19310559 0.17907332]]
In [15]: # Display the clusters based on k-means++ initialization method
         offset = 0.07
         pred = kmeans.predict(cust pd)
         fig, ax = plt.subplots(figsize = (10,6))
         sns.scatterplot(x=cust pd["Income"], y=cust pd["Debt"], hue=pred)
         sns.scatterplot(x=centroids[:,0], y=centroids[:,1])
         ax.annotate('Cluster 1', xy=(centroids[0,0]-offset,centroids[0,1]-offset),color='blue', size=14)
         ax.annotate('Cluster 2', xy=(centroids[1,0]-offset,centroids[1,1]-offset),color='blue', size=14)
         ax.annotate('Cluster 3', xy=(centroids[2,0]-offset,centroids[2,1]-offset),color='blue', size=14)
         ax.annotate('Cluster 4', xy=(centroids[3,0]-offset,centroids[3,1]-offset),color='blue', size=14)
```





```
In [16]: # Let's experiment with K=6
kmeans = KMeans(n_clusters=6) # by default: init='k-means++' and n_init=10
kmeans.fit(cust_pd)
```

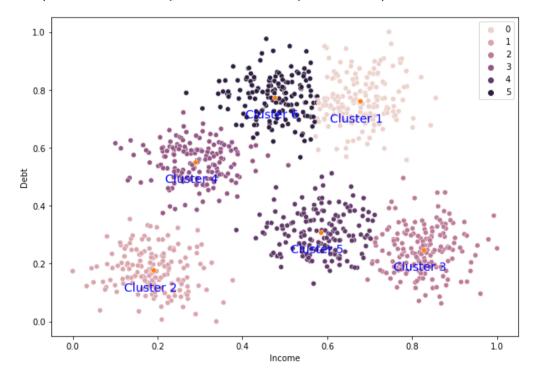
Out[16]: KMeans(n_clusters=6)

In a Jupyter environment, please rerun this cell to show the HTML representation or trust the notebook. On GitHub, the HTML representation is unable to render, please try loading this page with nbviewer.org.

```
In [17]: # Centroids values for the final cluster
    centroids = kmeans.cluster_centers_
    print(centroids)

[[0.67658314 0.76036913]
    [0.1903772 0.17640437]
    [0.82645433 0.24756813]
    [0.28823029 0.55107354]
    [0.58348958 0.30898005]
    [0.47679365 0.77345764]]
```

Out[18]: Text(0.40679365243600946, 0.7034576412695601, 'Cluster 6')



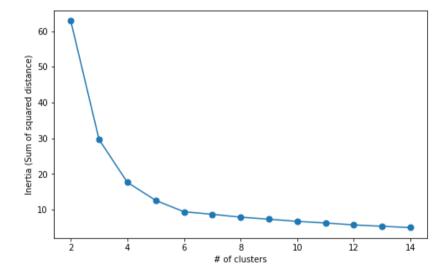
We can categorize the customer dataset into six cluster based on the Income and Debt. The yellow dot represent the centroids for each clusters. As an example, Cluster 2 belongs to the customer with high income and low debt.

Optimal Number of Clusters (Elbow Method)

```
In [19]: # Determine optimal value for number of clusters, use summation of squared, distance (inertia) of different number of clusters
inrt = []
m = 15
for c in range(2,m):
    km = KMeans(n_clusters=c)
    km.fit(cust_pd.iloc[:,0:2])
    inrt.append(km.inertia_)

plt.figure(figsize=(8,5))
plt.plot([c for c in range(2,m)], inrt, marker='.', markersize=14)
plt.xlabel("# of clusters")
plt.ylabel("Inertia (Sum of squared distance)")
```

Out[19]: Text(0, 0.5, 'Inertia (Sum of squared distance)')



The value of inertia decreases as the number of clusters increases. We can see that after 6 clusters the inertia is not reducing significantly. We can conclude that 6 is the optimal number of clusters.

In []: