

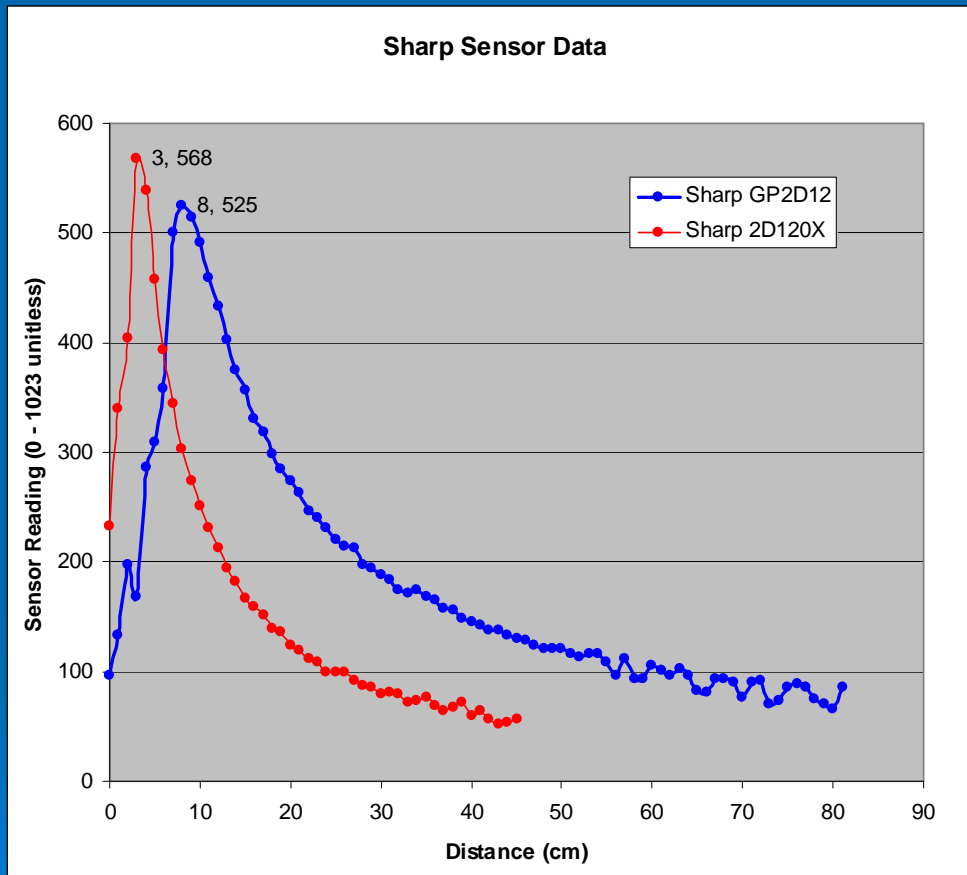
# What to do about Sensor Values that are Nonlinear

Rhine/Pilla

Interactive Robotics 91.120

The background of the slide is a solid blue color. In the bottom right corner, there are several sets of concentric circles, resembling ripples in water, rendered in a lighter shade of blue. These circles are of varying sizes and are positioned in the lower right quadrant of the slide.

# Raw Sensor Data



Specified Operating Range:

➤ **2D120X:** 4 – 30 cm

➤ **GPD2D12:** 10 – 80 cm

As your distance changes, the sensor reading does not change proportionally.

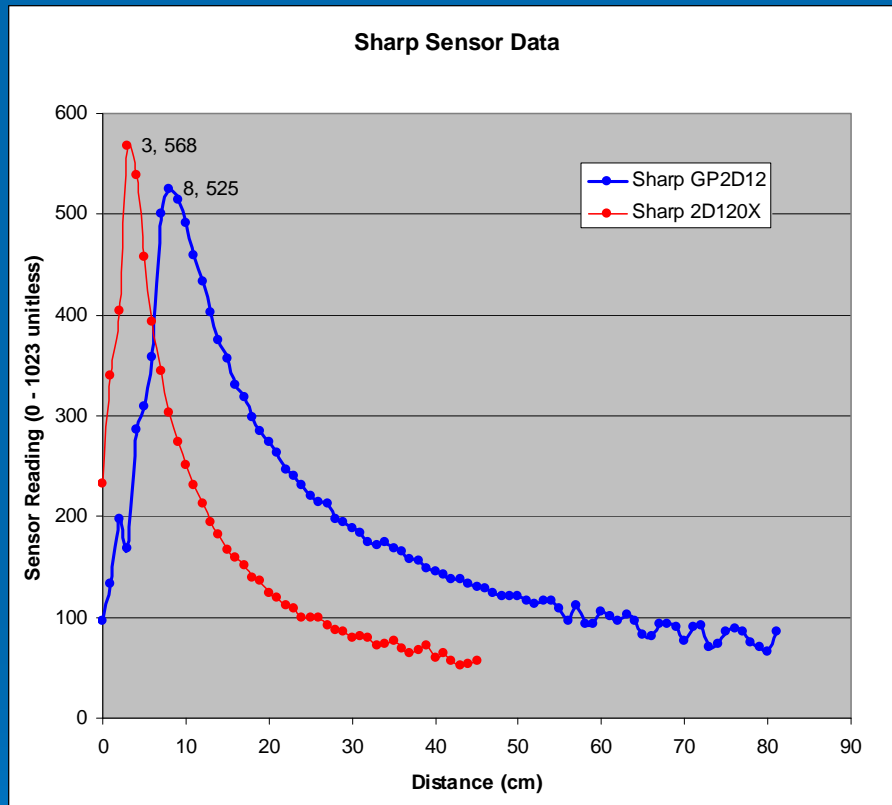
➤ You may find this trend to be useful and capitalize on it in your code (i.e., do nothing)

➤ On the other hand, you might want a more linear result (50% change input = 50% change in output)

# How to make output linear?

- Optimally, if sensor is  $d = 22$  cm from the target
  - Sensor would return a value of 22
  - Alternatively, return a value of  $K \cdot 22$  ( $K$  is a constant of proportionality) (e.g.  $K=10$  could give you a reading in mm)
- In reality, our sensor returns some other values,  $S(d)$  (“Sensor reading is a function of distance”)
- Mathematically if we find the inverse function,  $F(x)$ ,
  - we could use the sensor values,  $S(d)$ , as the inputs to  $F(x)$
  - From algebra,  $F(S(d)) = \underline{\text{???}}$  if  $F$  and  $S$  are inverses of each other? Could also use other operations (e.g. multiply  $F$  &  $S$ )
  - How do you find inverse given raw data? Regression?
- **Constraint:** must use simple algebra
  - WinAVR/CM only allows simple integer math

# Here's what I tried...



K, a, b, and c are constants used to fit the curve above.

## Assumptions:

- Only focus on part of curve inside specified operation range
- Curve could be exponential or logarithmic. Math is too advanced for WinAVR/CM!
- Curve could be hyperbolic – this math uses simple operations. Perhaps the form of  $S(d)$  is...

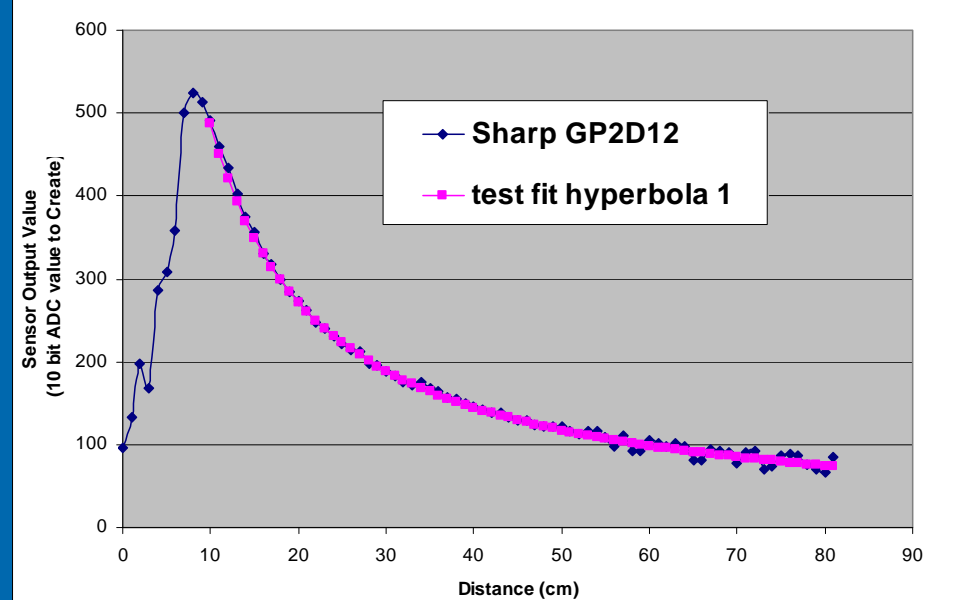
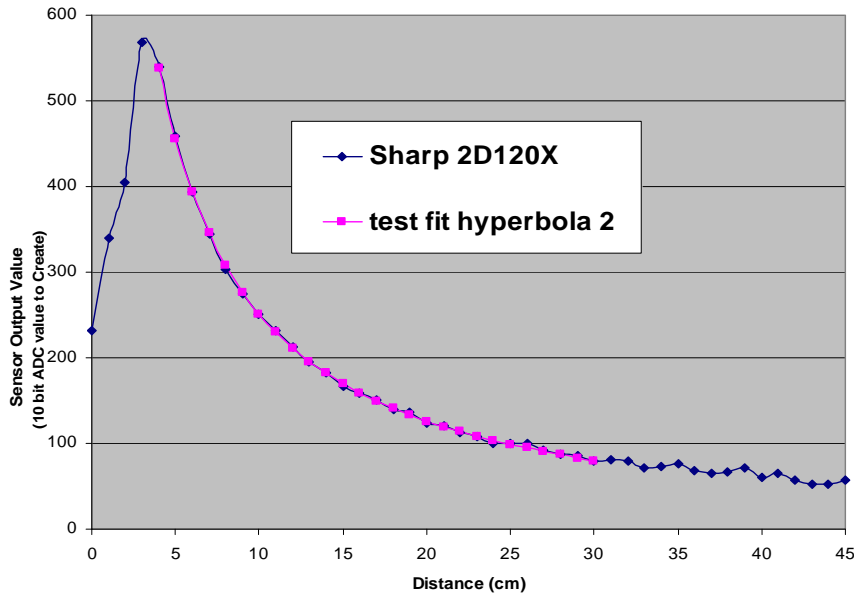
$$S(d) = \frac{k}{ad + b} + c$$

- If so, the inverse,  $F(s)$ , would take the form...

$$F(S) = \frac{k - b(S - c)}{a(S - c)}$$

- Or you could also try multiplying  $S(x)$  by  $F(x) = ax + b$  to make a linear output  $S(x) * F(x) = Kx$

# Here are the test fit hyperbolas...

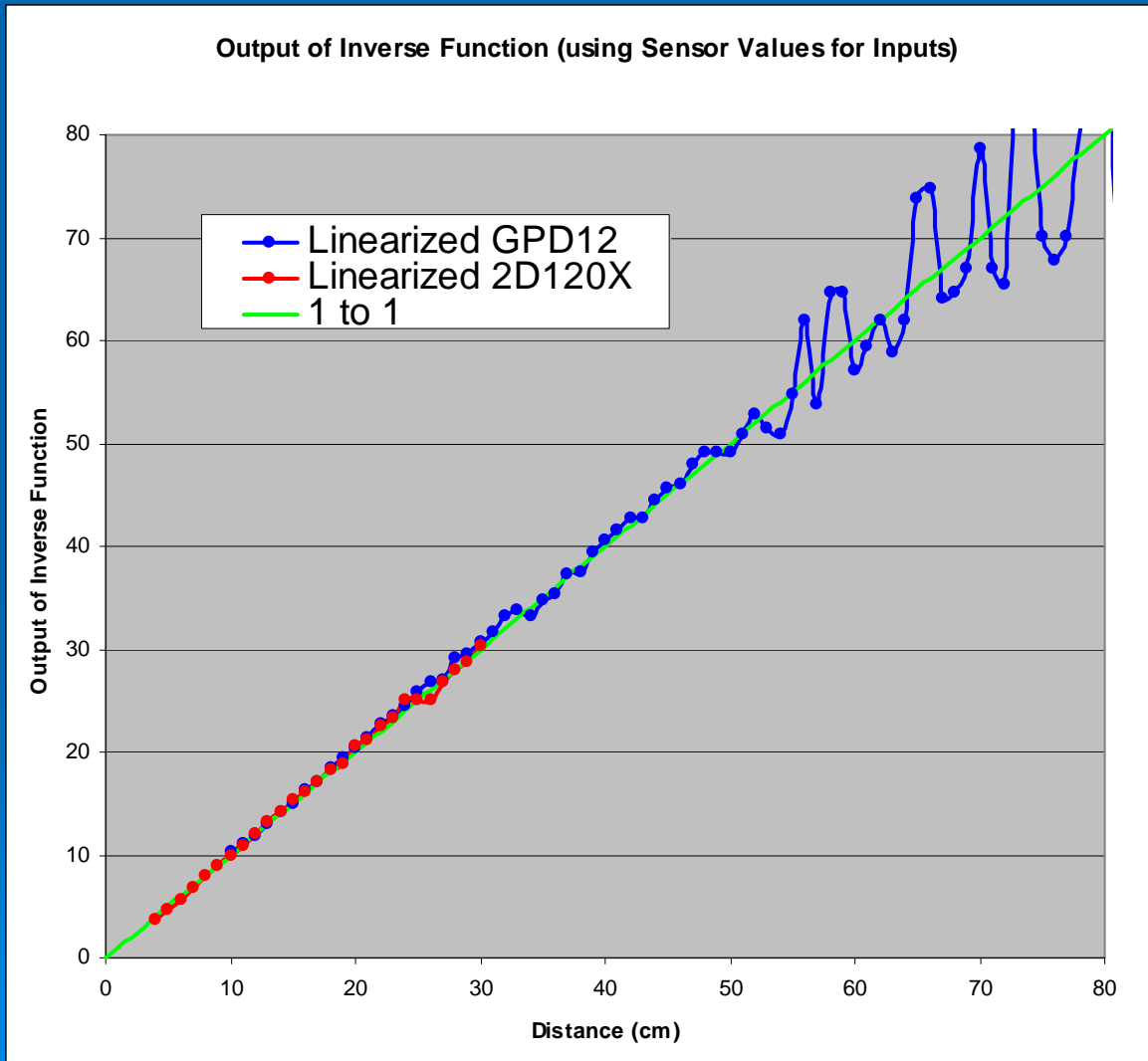


$$S(d) = \frac{k}{ad + b} + c$$

k, a, b, and c are constants used to fit the curve above.

| Test Fit Hyperbola Constants: |        |        |
|-------------------------------|--------|--------|
|                               | GP2D12 | 2D120X |
| a                             | 3      | 3      |
| b                             | 8      | 5      |
| c                             | 0      | -20    |
| k                             | 18500  | 9500   |

# And here is the final result... $F(S(d))$



$$F(S) = \frac{k - b(S - c)}{a(S - c)}$$

Test Fit Hyperbola  
Constants:

|   | GP2D12 | 2D120X |
|---|--------|--------|
| a | 3      | 3      |
| b | 8      | 5      |
| c | 0      | -20    |
| k | 18500  | 9500   |