

# Assignment 2 - Monty Hall - Ben Polasek

January 28, 2019

```
In [1]: import numpy as np
import pandas as pd
import random
import timeit
import matplotlib.pyplot as plt
```

## 0.1 Step 1: Building piece by piece

```
In [2]: #place a car behind one door represented as '1' and goats behind two represented as '0'
doors = [0,0,1]
np.random.shuffle(doors)
doors
```

```
Out[2]: [1, 0, 0]
```

```
In [3]: #choose one door
choice = np.asscalar(np.random.choice(3, 1))
choice
```

```
Out[3]: 0
```

```
In [4]: #open one of the doors with a goat (0) behind it
open_door = [0,1,2]
del open_door[choice]
if doors[choice] == 1:
    #del open_door[choice]
    del open_door[random.randint(0,1)]
else:
    for i in range (0,2):
        if doors[i] == 1:
            del open_door[i]
            #del open_door[random.randint(0,1)]
open_door = open_door[0]
open_door
```

```
Out[4]: 2
```

```
In [5]: #Strategy 1: Don't change doors
win_rate = 0
if doors[choice] == 1:
    win_rate = (win_rate + 1)
    print('Win')
else:
    print('Lose')
```

Win

```
In [6]: #Strategy 2: Change doors
x = 3 - choice - open_door
choice = x
if doors[choice] == 1:
    win_rate = (win_rate + 1)
    print('Win')
else:
    print('Lose')
```

Lose

## 0.2 Step 2: Glue pieces together

```
In [7]: #The stay strategy
n = 10000
doors = [0,0,1]
stay_rate = []
def stay():
    stay_rate.clear()
    win_rate = 0
    for j in range (1,n):
        #shuffle doors
        #doors = [0,0,1]
        np.random.shuffle(doors)

        #pick a random door
        choice = np.asscalar(np.random.choice(3, 1))

        #Monty opens a door with a goat behind it
        open_door = [0,1,2]
        del open_door[choice]
        if doors[choice] == 1:
            #del open_door[choice]
            del open_door[random.randint(0,1)]
        else:
            for i in range (0,2):
                if doors[i] == 1:
```

```

        del open_door[i]
        #del open_door[random.randint(0,1)]
    open_door = open_door[0]

    #We stay with our decision
    if doors[choice] == 1:
        win_rate = (win_rate + 1)

    stay_rate.append(win_rate/j)
    print("The win rate for the stay strategy after", n , "trails is: ", win_rate/j)

```

In [8]: *#The switch strategy*

```

n = 10000
doors = [0,0,1]
switch_rate = []
def switch():
    switch_rate.clear()
    win_rate = 0
    for j in range (1,n):
        #shuffle doors
        #doors = [0,0,1]
        np.random.shuffle(doors)

        #pick a random door
        choice = np.asscalar(np.random.choice(3, 1))

    #Monty opens a door with a goat behind it
    open_door = [0,1,2]
    del open_door[choice]
    if doors[choice] == 1:
        #del open_door[choice]
        del open_door[random.randint(0,1)]
    else:
        for i in range (0,2):
            if doors[i] == 1:
                del open_door[i]
                #del open_door[random.randint(0,1)]
    open_door = open_door[0]

    #We switch doors
    x = 3 - choice - open_door
    choice = x
    if doors[choice] == 1:
        win_rate = (win_rate + 1)

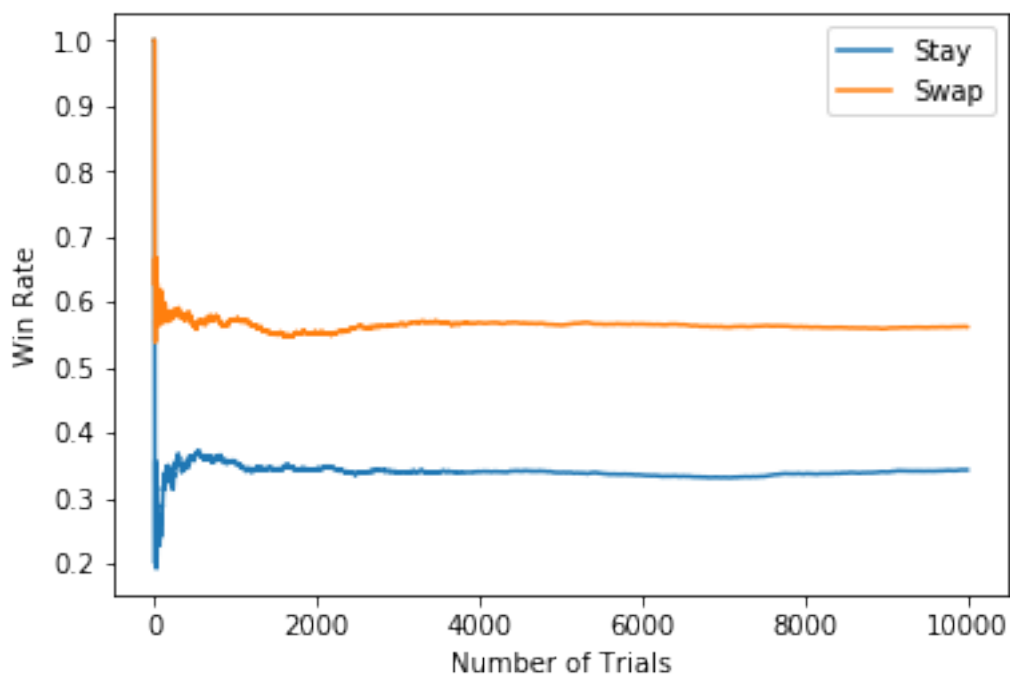
    switch_rate.append(win_rate/j)
    print("The win rate for the switch strategy after",n , "trails is: ", win_rate/j)

```

```
In [11]: stay()
         switch()
         plt.plot(stay_rate, label='Stay')
         plt.plot(switch_rate, label='Swap')
         plt.xlabel('Number of Trials')
         plt.ylabel('Win Rate')
         plt.legend()
         plt.show()
```

The win rate for the stay strategy after 10000 trails is: 0.343034303430343

The win rate for the switch strategy after 10000 trails is: 0.5615561556155616



As we can see, the stay strategy has a win rate of ~35% (approximately 1/3) and the switch strategy has a winrate of about ~56% (approximately 2/3) so we conclude that always switching is the better strategy