Tasks:

Part 1

- Choose N when sampling the double slit pair function provided to result in a propagated set of coordinates that is 64mm in extent at L = 10m for an initial region of size 20mm. The scale factor is given by $s = \frac{N\lambda L}{(2l)^2}$. N is the number of samples, L is the distance propagated, and I is half the extent of the initial coordinates
- Compute a Fraunhofer propagation on the samples provided to distance 10m

Part 2

- Use the numpy.convolve function to calculate the true convolution of the 10 millimeter boxcar and the provided intensity. In MATLAB, the function to use is conv, and instead of mode one selects the shape parameter. Then run the code to do a calculation of the circular convolution. The mode/shape argument of numpy.convolve/conv is crucial, you want to pick it so that the number of samples remains N not more not less, so that you can use the same coordinates
- Answer: what differences do you notice between the results of the functions circular_convolve, and numpy.convolve/conv? Where are the differences most prominent?

Circular convolutions (FYI, don't need to know yet):

In class we discussed regular convolutions, where the overlap is taken by simply shifting one of the convolved functions across the other. In the discretized case, one can also define a circular convolution where the function that is swept across the other "wraps around" when it hits a boundary, resulting in periodic effects not seen in a regular convolution. This convolution rarely represents a physical process like observation by a finite sized observer, but is easier to compute by the following:

$$(B_j \circledast A_j)_n = DFT_n^{-1} \{DFT\{B_j\} \cdot DFT\{A_j\}\}$$

Where the encircled star denotes the circular convolution rather than a regular convolution. The dot inside the inverse DFT is just multiplication.

I provide example plots to show what your correct results should look like.