

# Stacks and Queues



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CPSC 319 - Data Structures

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# Example (Stack)

- ▷ push(2)
- ▷ push(1)
- ▷ pop() -> ?
- ▷ pop() -> ?
- ▷ push(25)
- ▷ pop() -> ?
- ▷ pop() -> ?
- ▷ push(17)
- ▷ pop() -> ?

# Example (Queue)

- ▷ enqueue(2)
- ▷ enqueue(1)
- ▷ enqueue(25)
- ▷ dequeue() -> ?
- ▷ dequeue() -> ?
- ▷ enqueue(17)
- ▷ dequeue() -> ?
- ▷ dequeue() -> ?
- ▷ enqueue(14)
- ▷ enqueue(7)
- ▷ dequeue() -> ?

# Stack Class in Java

## ▷ Constructor

- `Stack()`: Creates an Empty Stack

## ▷ Methods

- `boolean empty()`: Tests if this stack is empty.
- `E peek()`: Looks at the object at the top of this stack without removing it from the stack.
- `E pop()`: Removes the object at the top of this stack and returns that object as the value of this function.
- `E push(E item)`: Pushes an item onto the top of this stack.
- `int search(Object o)`: Returns the 1-based position where an object is on this stack.

# Queue Interface in Java

## ▷ Methods

- `boolean add(E e)`: Insert if not violate capacity restrictions, true if success, exception if no space is available.
- `Boolean offer(E e)`: Same as add without exception.
- `E element()`: Retrieves, but does not remove, the head of this queue.
- `E peek()`: Retrieves, but does not remove, the head of this queue, or returns null if this queue is empty.
- `E poll()`: Retrieves and removes the head of this queue, or returns null if this queue is empty.
- `E remove()`: Retrieves and removes the head of this queue.

# Queue Interface in Java

## ▷ Implemented Class

- `LinkedList`
  - Keep track of the elements with a simple linked list. The order of operations are  $O(1)$
- `PriorityQueue`
  - Keep track of the elements with more sophisticated data structures (could be also linked list but randomized). The order of `enqueue()` and `dequeue()` is  $O(\log n)$ . It can keep the elements sorted.

# Postfix expressions

- ▷ We are used to infix expressions, such as
  - $A + B * C$
  - $(A+B) * C$
- ▷ Implementing a code that evaluates an infix expression is hard, because of parentheses and different priorities.
- ▷ Postfix expressions:
  - Binary operation is written after the two variables.
  - $A + B \rightarrow A B +$
  - $A + B * C \rightarrow A B C * +$
  - $(A+B) * C \rightarrow A B + C *$

# Postfix expressions

- ▷ There are different ways to convert an infix expression to postfix expression.
- ▷ Evaluating a postfix expression is very easy.
- ▷ One of many applications of stack is to evaluate postfix expressions.



# Example

- ▷ Infix:  $[(2 + 3) * 7] / (1 + 4)$ , postfix:  $2\ 3\ +\ 7\ *\ 1\ 4\ +\ /\$
- $\langle \text{top} \rangle$
  - $\langle \text{top}, 2 \rangle$
  - $\langle \text{top}, 2, 3 \rangle$
  - $\langle \text{top}, 5 \rangle$
  - $\langle \text{top}, 5, 7 \rangle$
  - $\langle \text{top}, 35 \rangle$
  - $\langle \text{top}, 35, 1 \rangle$
  - $\langle \text{top}, 35, 1, 4 \rangle$
  - $\langle \text{top}, 35, 5 \rangle$
  - $\langle \text{top}, 7 \rangle$
  - Answer = 7

# Algorithm

```
evaluate(postfix_expression):  
    S = Stack()  
  
    for elem in postfix_expression:  
        if elem is number:  
            S.push(elem)  
        else:  
            operation = elem  
            //There must be at least two numbers in stack  
            second_operand = S.pop()  
            first_operand = S.pop()  
            S.push(eval(first_operand, second_operand, operation))  
  
    //Stack size must be exactly 1  
    return S.pop()
```