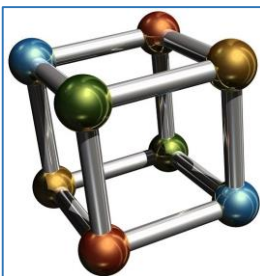


다양한 2차원 그래프



매트랩 이해 및 실습

최병조

임베디드시스템공학과



강의 주제

• Matlab의 역사와 간단한 사용법	• 다항식, 커브 피팅, 인터폴레이션
• 배열, 행렬 만들기과 소리 다루기	• 3차원 그래프 그리기
• 행렬과 그림 다루기	• GUIDE로 GUI 만들기
• 라이브스크립트, 웹 게시, 엑셀 연동	• 애니메이션 GUI
• 2차원 그래프 그리기 기초	• 앱 디자이너로 GUI 만들기
• 다양한 2차원 그래프 그리기	• GUI 프로젝트 발표
• 함수 만들기	• MuPAD로 수학 문제 풀기
• 중간고사	• 기말고사

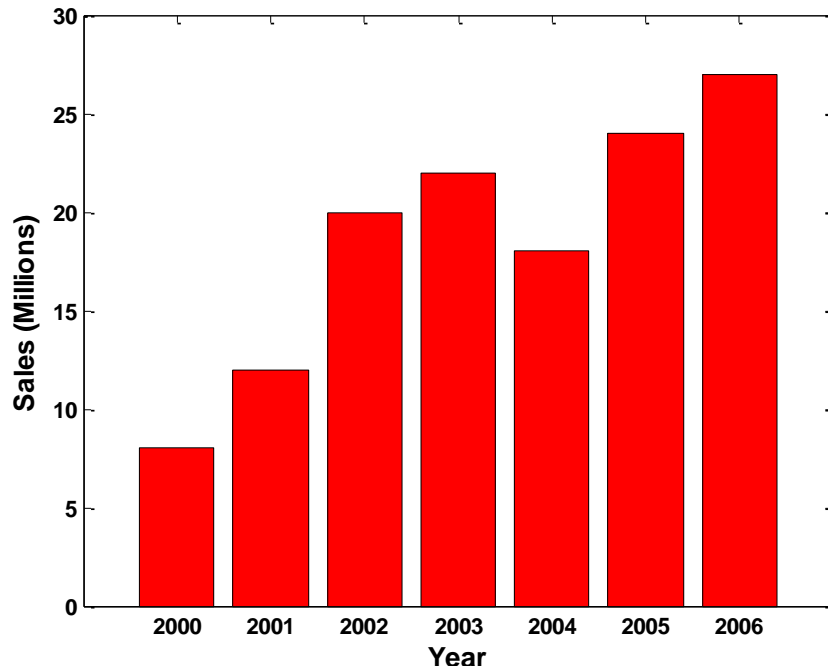
You will be able to

- Visualize data using various plots including bar, stem, stairs, pie, histogram and polar plots,
- Use patch plots with colors,
- Generate an animated graph.

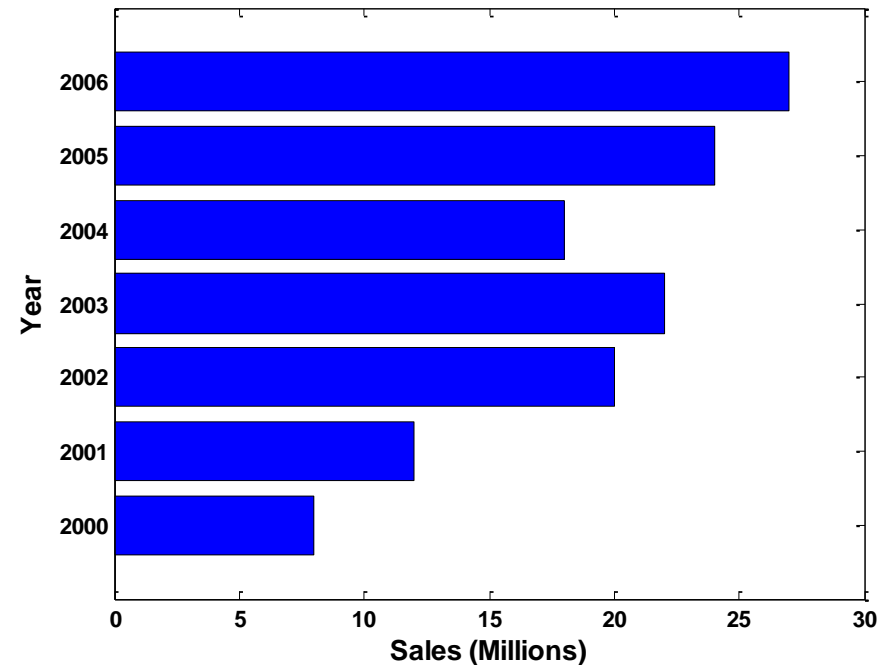
Special Graphs: Bar Charts

```
year = 2000:2006;  
sales = [8 12 20 22 18 24 27];
```

```
bar( year, sales, 'r');  
xlabel('Year');  
ylabel('Sales (Millions)');
```

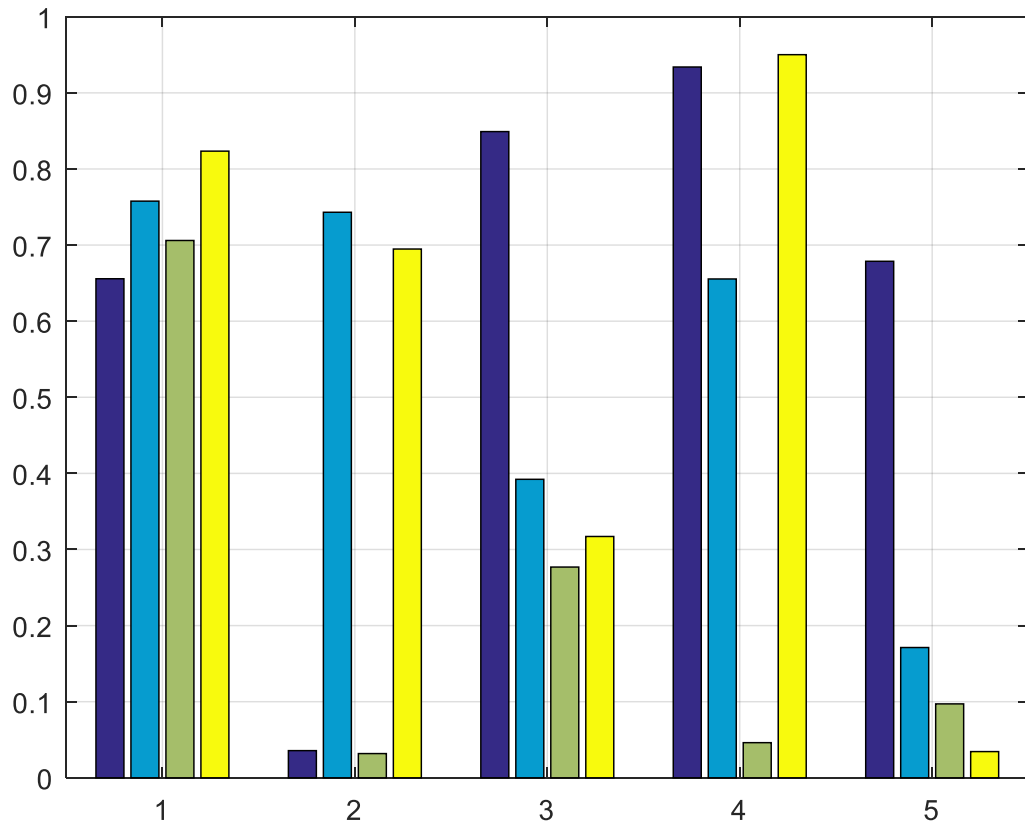


```
barh( year, sales, 'b');  
ylabel('Year');  
xlabel('Sales (Millions)');
```



Multiple Bars

- Each column represents a bar chart.
- Different colors are assigned to different columns.

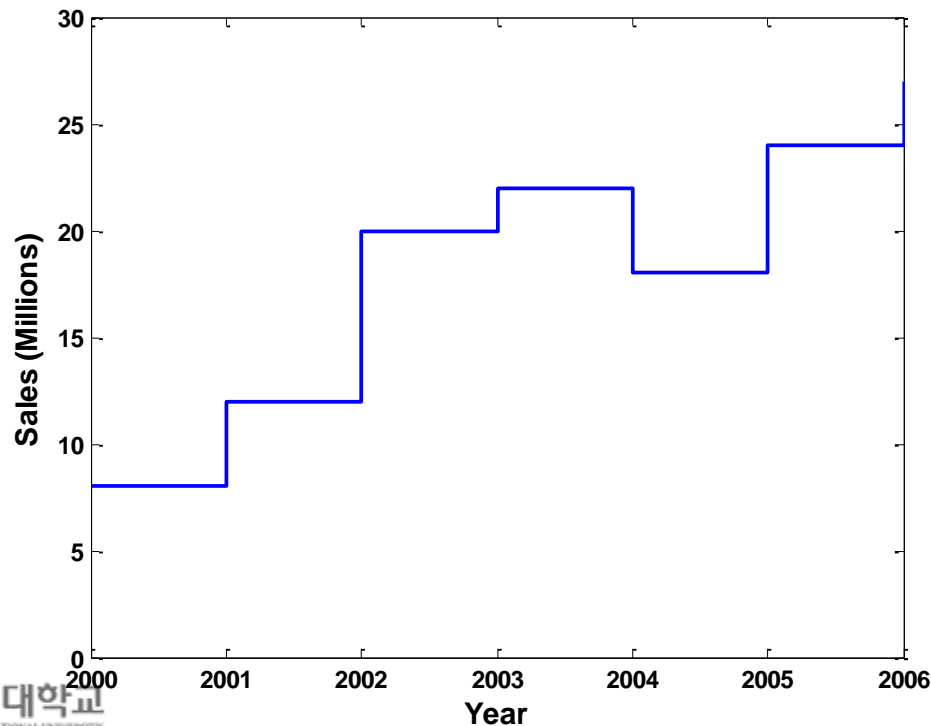


```
a=rand(5,4);  
bar(a);  
grid on;
```

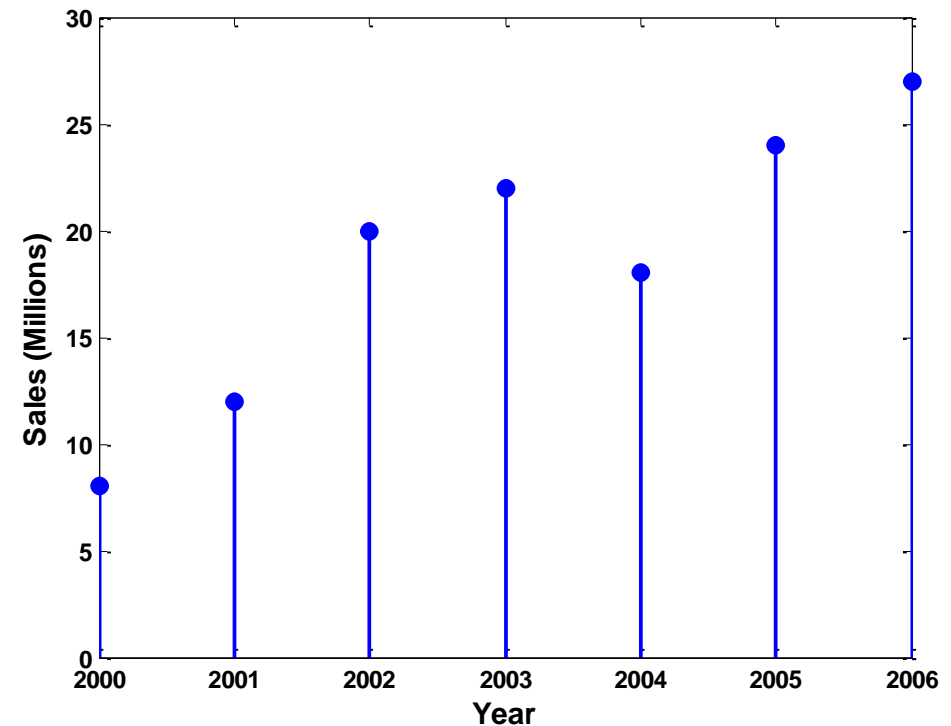
Special Graphs: Stairs & Stem

```
year = 2000:2006;  
sales = [8 12 20 22 18 24 27];
```

```
stairs( year, sales);  
xlabel('Year');  
ylabel('Sales (Millions)');
```

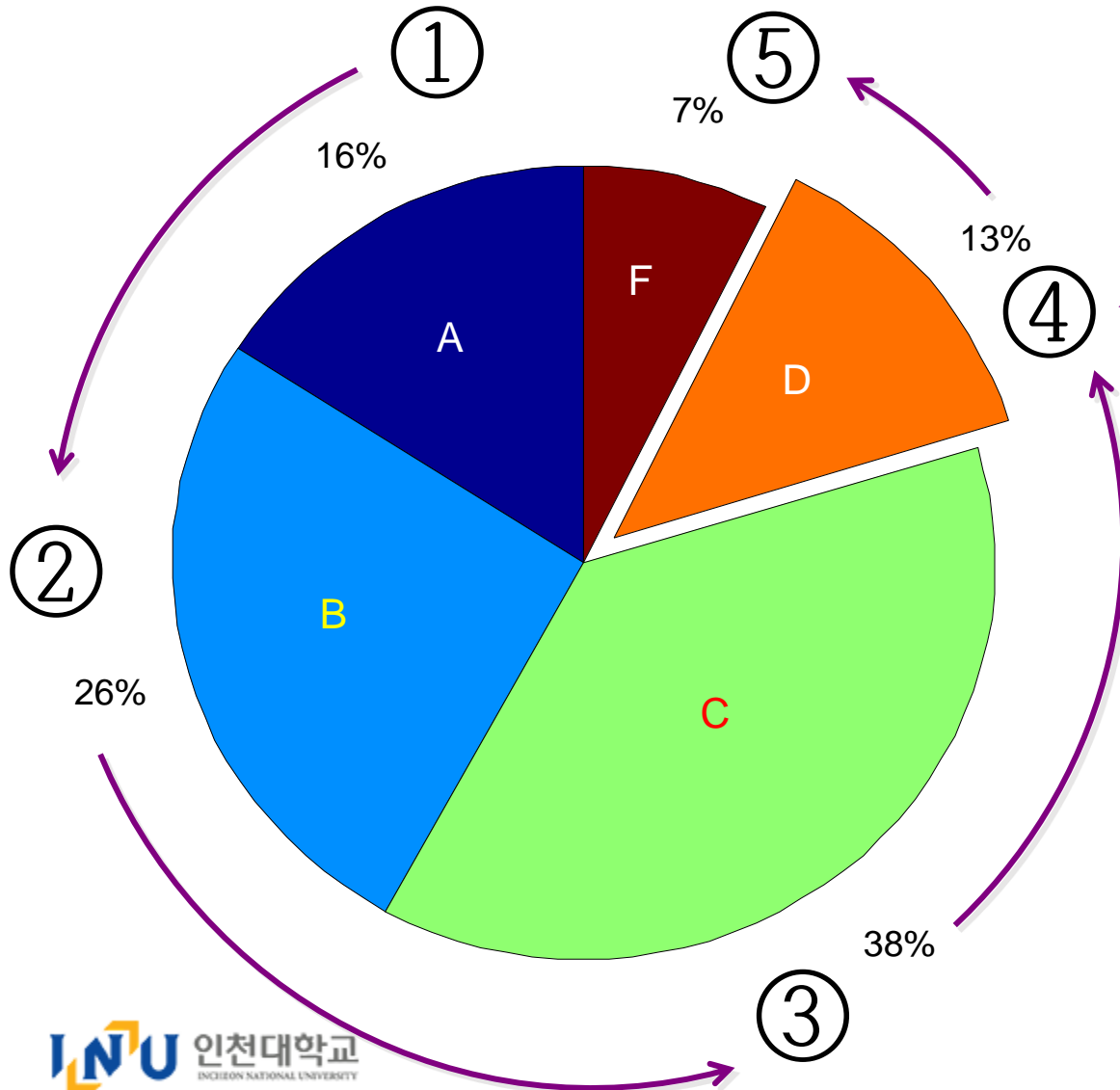


```
stem( year, sales,'filled');  
xlabel('Year');  
ylabel('Sales (Millions)');
```



Pie Chart

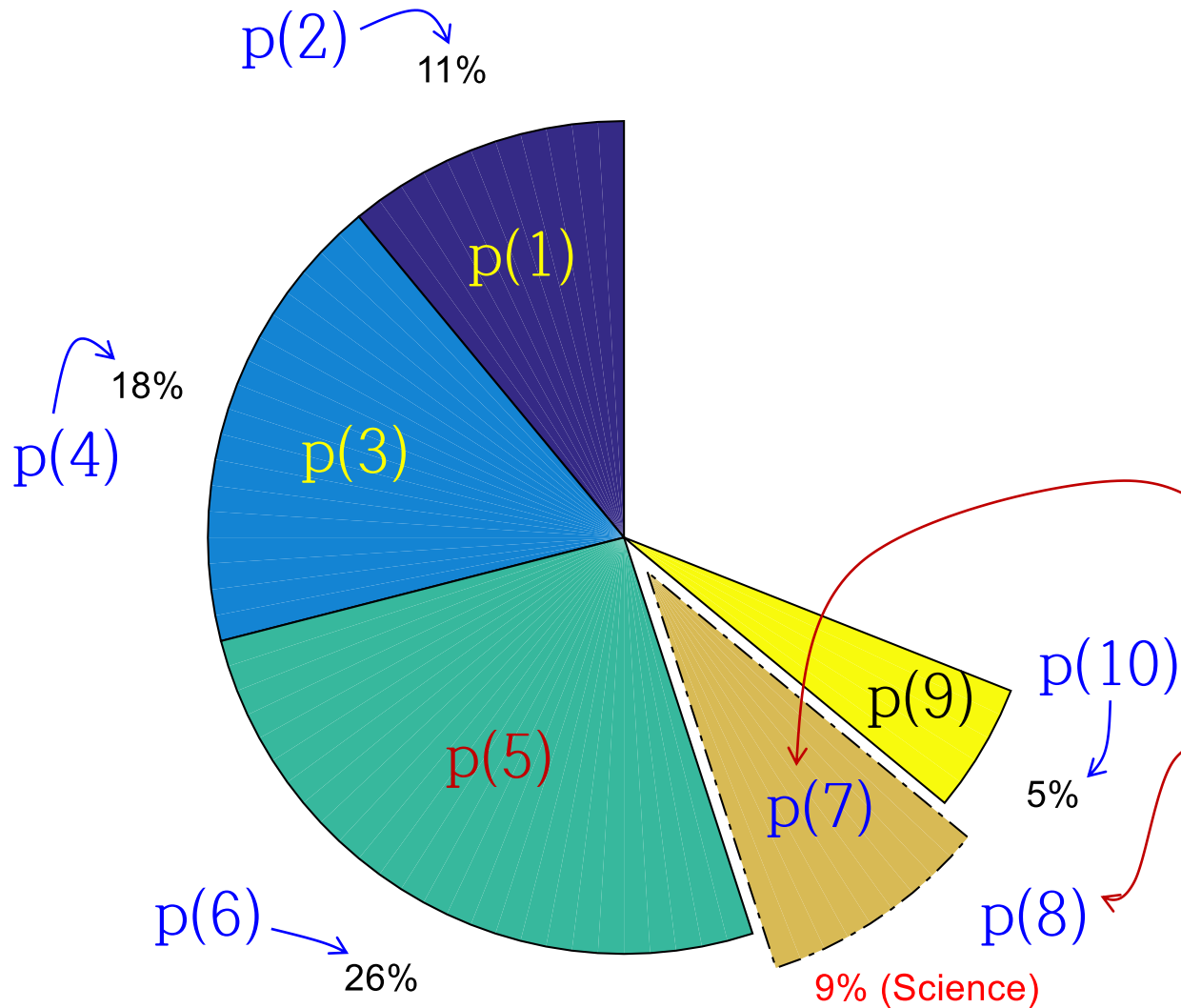
Class Grades



- If the sum of values > 1 , it display percentage.

```
grades = [ 11 18 26 9 5];  
pie(grades, [ 0 0 0 1 0]);  
title('Class Grades');
```

Pie Chart



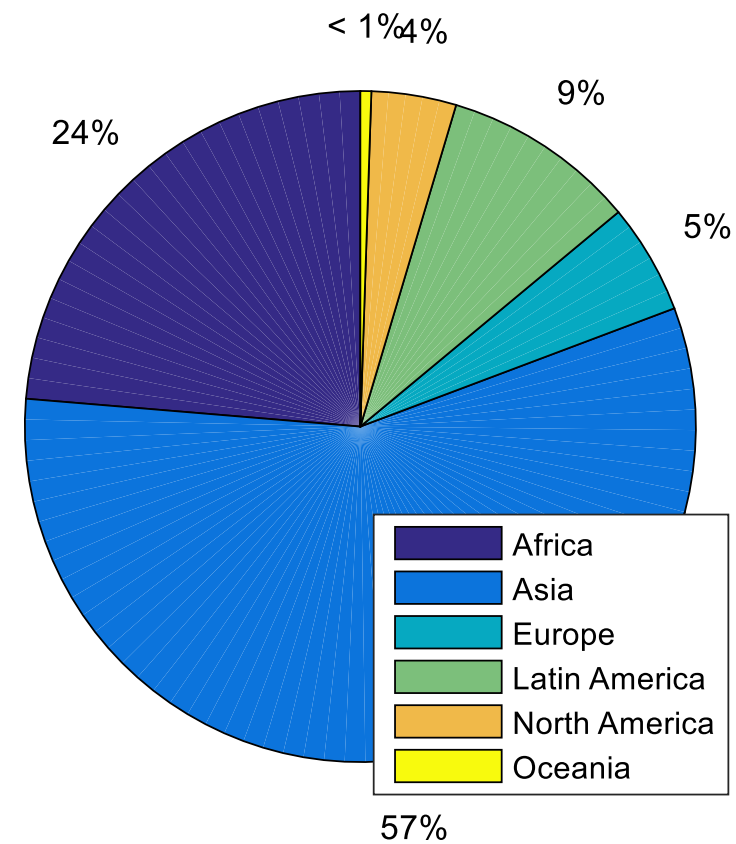
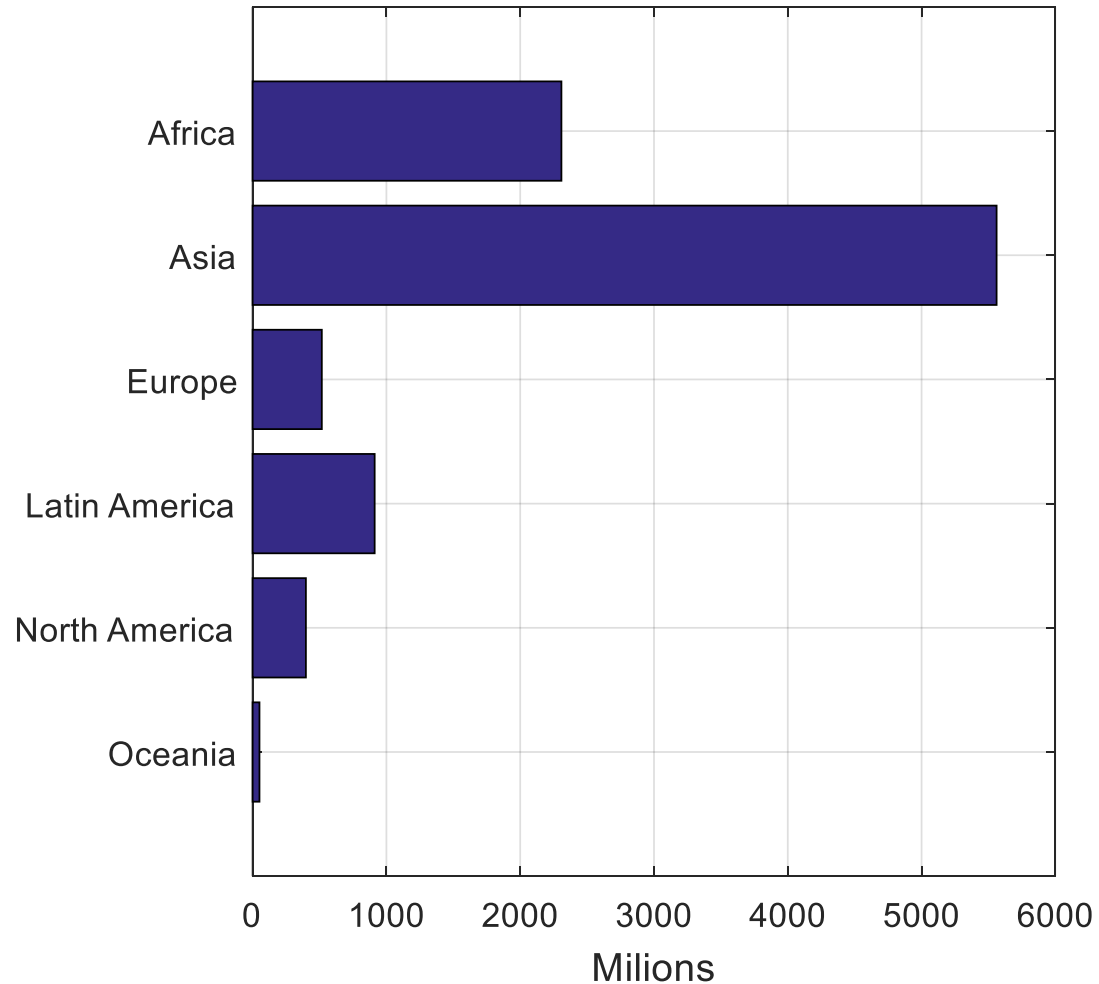
- If the sum of values ≤ 1 , it displays the values.

```
grades = [ 11 18 26 9 5]*0.01;  
figure(2);  
p = pie(grades,[ 0 0 0 1 0]);  
p(7).LineStyle = '-.';  
p(8).String = '9% (Science)';  
p(8).Color = [1 0 0];
```


Example: World Pop. in Y2150

- Represent the predicted world population in year 2150 in a bar chart and a pie chart.
 - Get the raw data from Wikipedia
 - Visit http://en.wikipedia.org/wiki/World_population
 - Draw a bar chart and a pie chart based on the data.
 - Use subplot to place the two charts side by side.
 - Use sensible legend or tick label.

Sample Graph



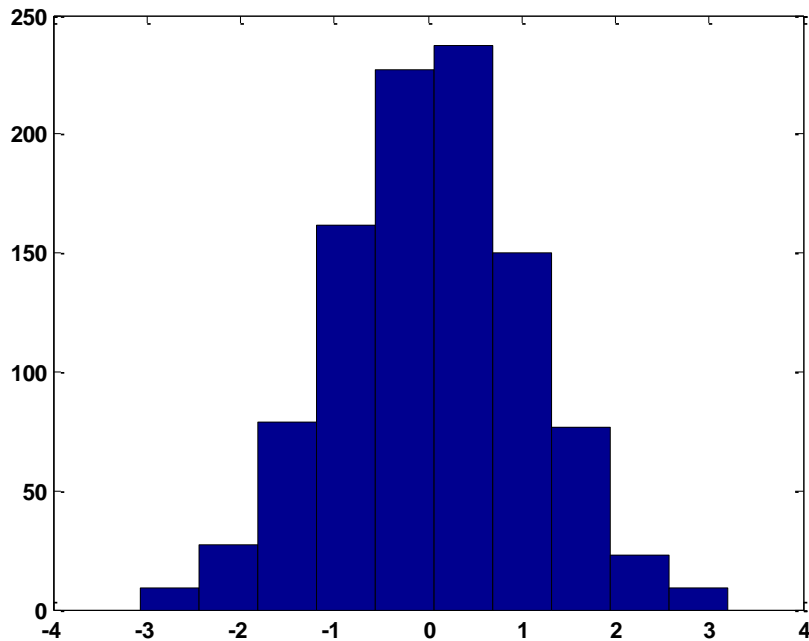
Sample Script

`world_population.m`

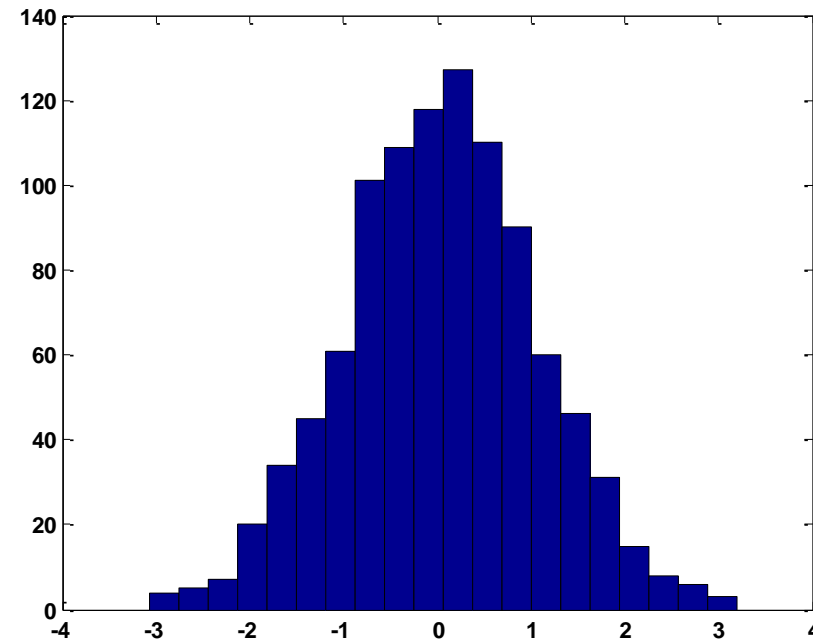
```
PopData = [ 2308, 5561, 517, 912, 398, 51 ];  
figure('Position', [100, 400, 900, 400] );  
subplot(1,2,1); barh(PopData); grid on;  
ax = gca; ax.YTickLabel = {'Africa', 'Asia', 'Europe', 'Latin America', ...  
    'North America', 'Oceania'};  
ax.YDir = 'reverse';  
xlabel('Millions');  
subplot(1,2,2); pie(PopData);  
legend( 'Africa', 'Asia', 'Europe', 'Latin America', 'North America', ...  
    'Oceania', 'Location', 'SouthEast' );
```

Histogram (1/2)

- Number of occurrences in each bin.
- The default number of bins is 10.



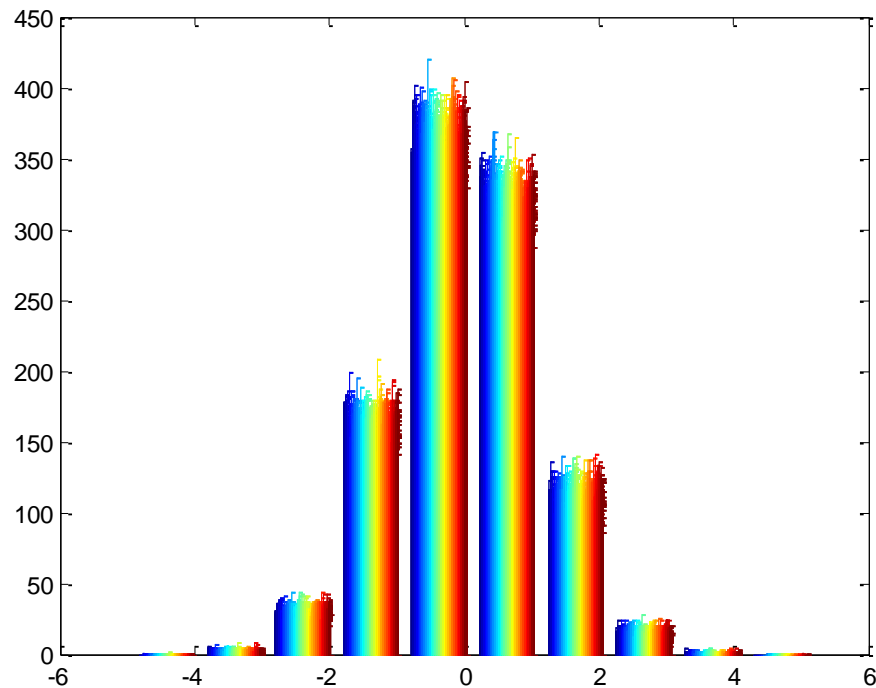
```
s=randn(1,1000);  
hist(s)
```



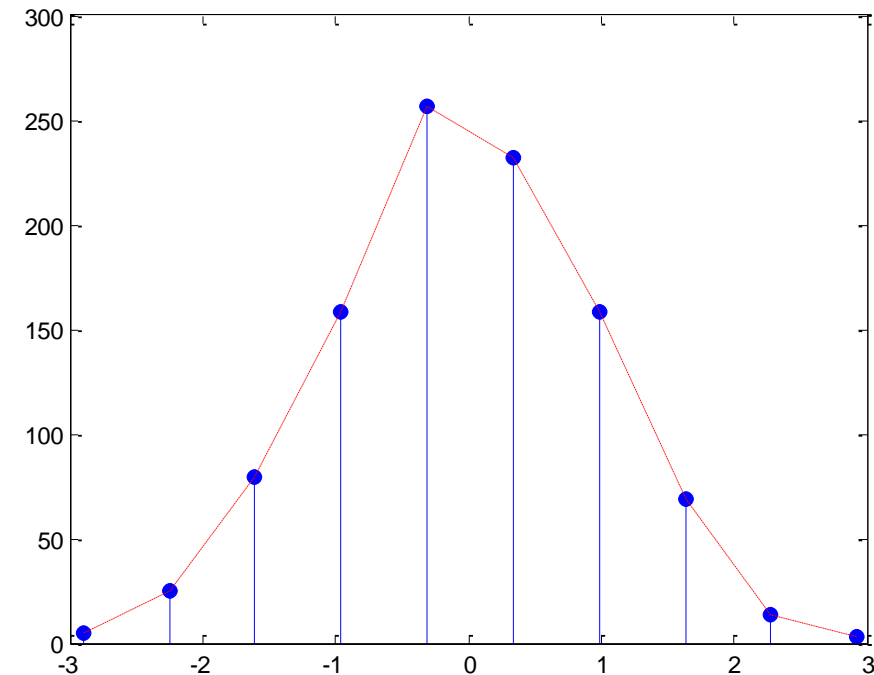
```
s=randn(1,1000);  
hist(s, 20)
```

Histogram (2/2)

- Histogram of a Matrix
- Use of histogram data



```
s=randn(1000);  
hist(s)
```



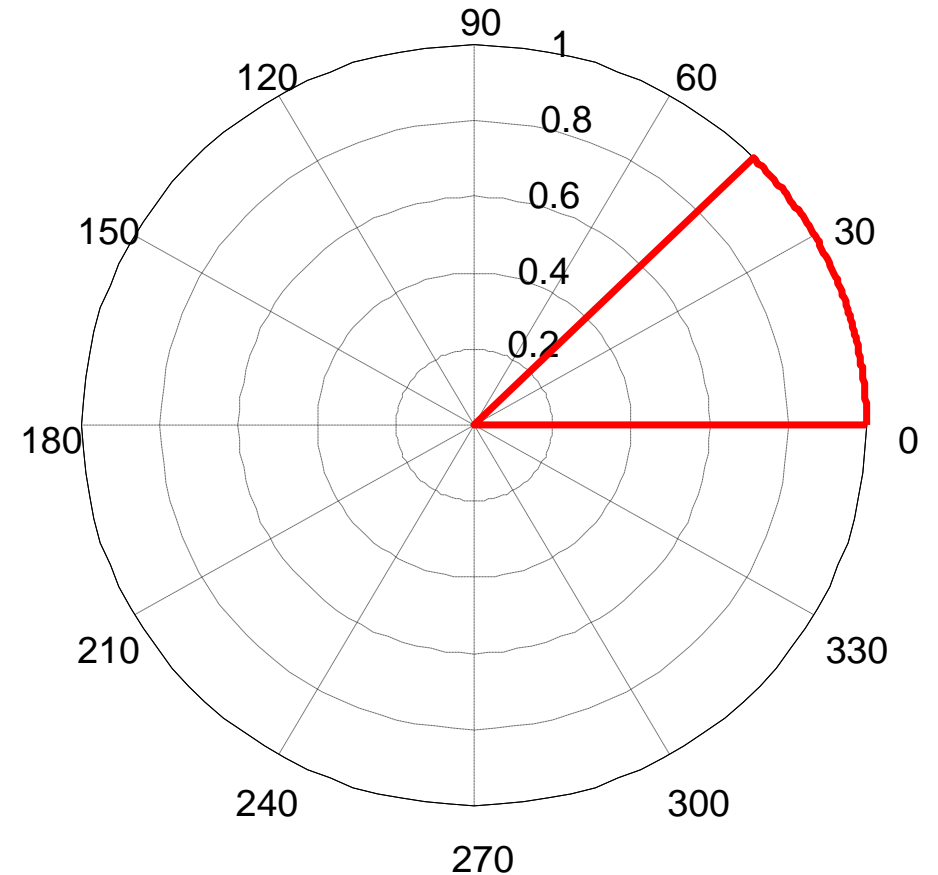
```
s=randn(1,1000);  
[n x] = hist(s);  
stem(x,n,'filled'); hold on;  
plot(x,n,'r-.');
```

Polar Plot

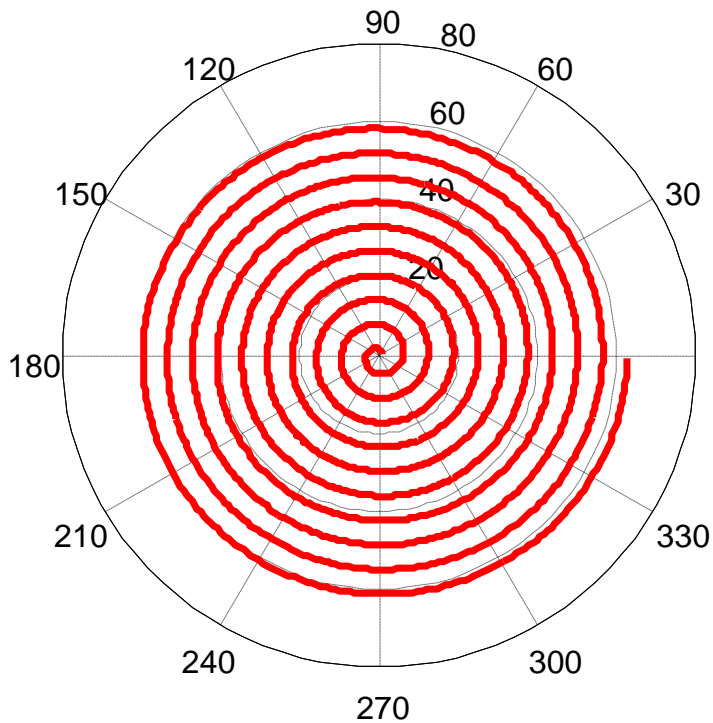
- θ r
`polar(theta, radius, 'line spec')`

`polar_pie.m`

```
t = 0:0.01:pi/4;  
th = [t 0 0];  
r = [ones(1,length(t)) 0 1];  
h = polar(th, r, 'r-');  
set(h, 'LineWidth', 3);
```



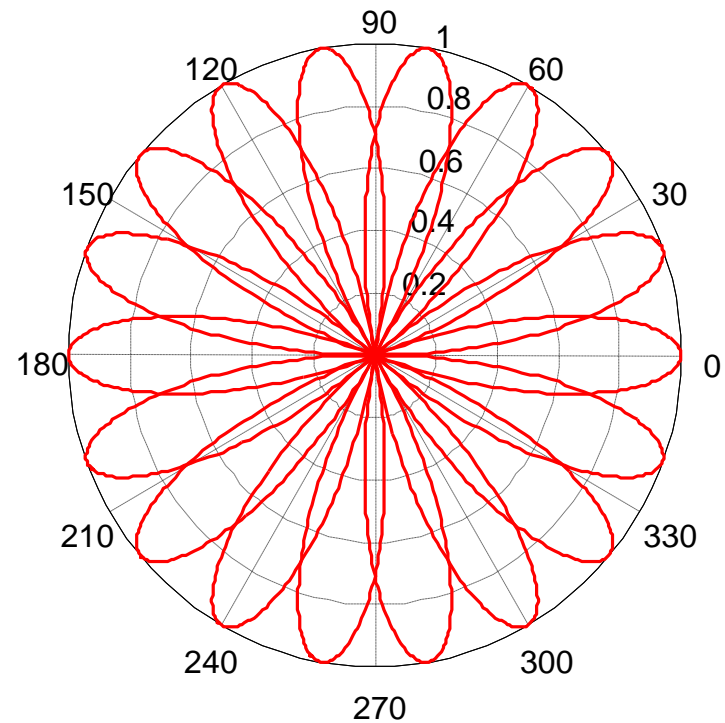
More Polar Plots



$$\theta = 0 \sim 20\pi$$
$$r = \theta$$

polar_spiral.m

```
th = 0:0.01:20*pi;  
h = polar(th,th,'r-');  
set(h, 'LineWidth',3);
```

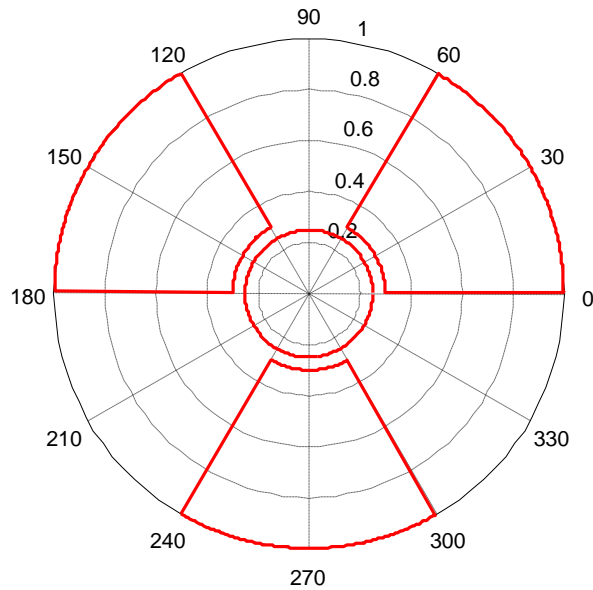


$$\theta = 0 \sim 4\pi$$
$$r = \sin(4.5\theta)$$

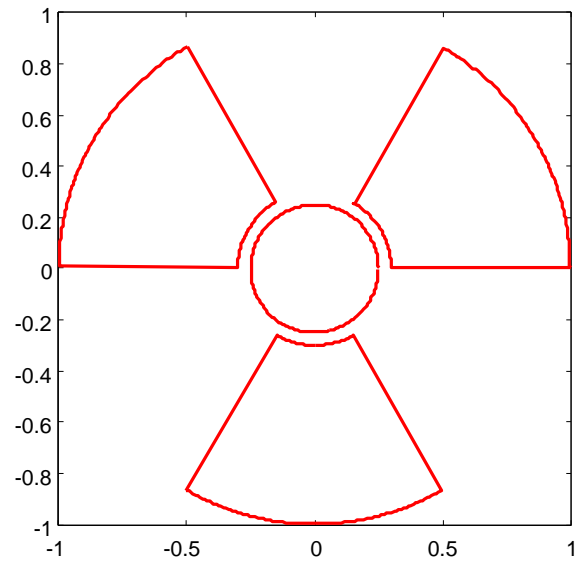
polar_petal.m

```
th = 0:0.01:4*pi;  
r = sin(4.5*th);  
h = polar(th,r,'r-');  
set(h, 'LineWidth',2);
```

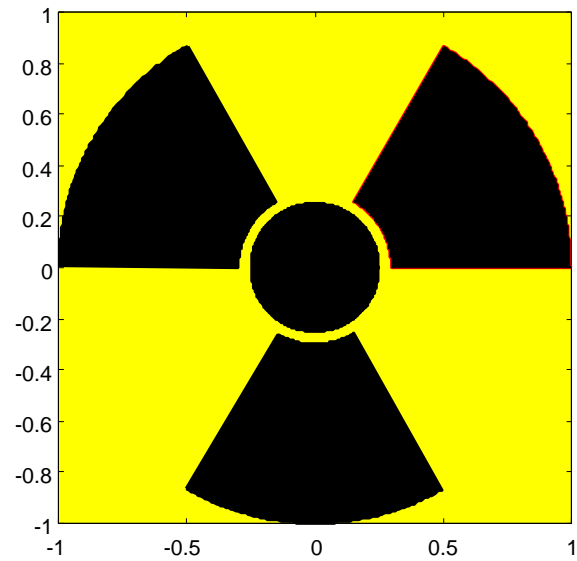
Polar / Plot / Patch



Polar



Plot



Patch

Script for Polar / Plot / Patch

- $\text{polar}(\theta, r) \leftrightarrow \text{plot}(r \cos \theta, r \sin \theta)$
- $\text{patch}(r \cos \theta, r \sin \theta, \text{Color})$

polar_patch_demo.m

```
% Polar, Plot and Patch demo
%% a wing
t1 = 0:0.01:pi/3; % counter-clockwise
tr = t1(end:-1:1); % reverse direction
nt = length(t1);
th = [t1 tr 0];
r1 = [ones(1,nt) 0.3*ones(1,nt) 1];
%% a circle
t2 = 0:0.01:2*pi;
r2 = ones(1,length(t2));

%% Polar
figure(1);
h1 = polar(th, r1, 'r-'); hold on;
h2 = polar(th+2/3*pi, r1, 'r-');
h3 = polar(th-2/3*pi, r1, 'r-');
h0 = polar(t2, 0.25*r2, 'r-');
set([h0 h1 h2 h3], 'LineWidth', 3);
hold off;
```

```
%% Plot
figure(2);
h1 = plot(r1.*cos(th), r1.*sin(th), 'r-'); hold on;
h2 = plot(r1.*cos(th+2/3*pi), r1.*sin(th+2/3*pi), 'r-');
h3 = plot(r1.*cos(th-2/3*pi), r1.*sin(th-2/3*pi), 'r-');
h0 = plot(0.25*r2.*cos(t2), 0.25*r2.*sin(t2), 'r-');
set([h0 h1 h2 h3], 'LineWidth', 3);
axis square;
hold off;

%% Patch - filled polygons
figure(3);
h1 = patch(r1.*cos(th), r1.*sin(th), 'k'); hold on;
h2 = patch(r1.*cos(th+2/3*pi), r1.*sin(th+2/3*pi), 'k');
h3 = patch(r1.*cos(th-2/3*pi), r1.*sin(th-2/3*pi), 'k');
h0 = patch(0.25*r2.*cos(t2), 0.25*r2.*sin(t2), 'k');
set(gca, 'Color', 'yellow');
axis square;
hold off;
```

Basics of Patch

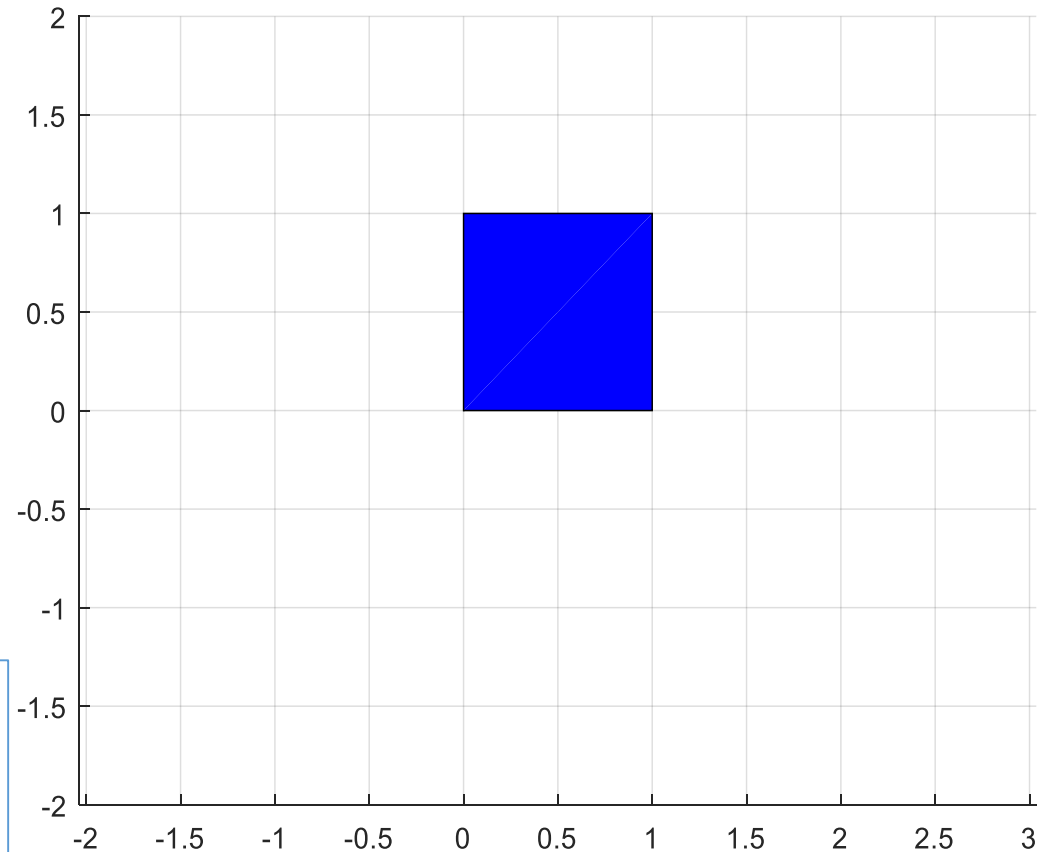
- Blue Square

```
simple_patch.m x +
1 %% Simple Square patch
2 - X = [0 1 1 0]';
3 - Y = [0 0 1 1]';
4 - figure(1); p = patch( X, Y, 'b' );
5 - axis([-2 2 -2 2]); axis equal;
6 - grid on;
7 - p %#ok<+NOPTS>
```

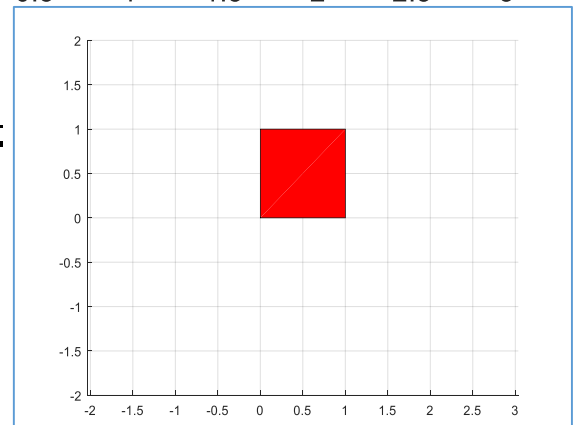
p =
Patch - 속성 있음:

FaceColor: [0 0 1]
FaceAlpha: 1
EdgeColor: [0 0 0]
LineStyle: '-'
Faces: [1 2 3 4]
Vertices: [4x2 double]

[모든 속성 표시](#)



```
>> p.FaceColor = 'r';
```



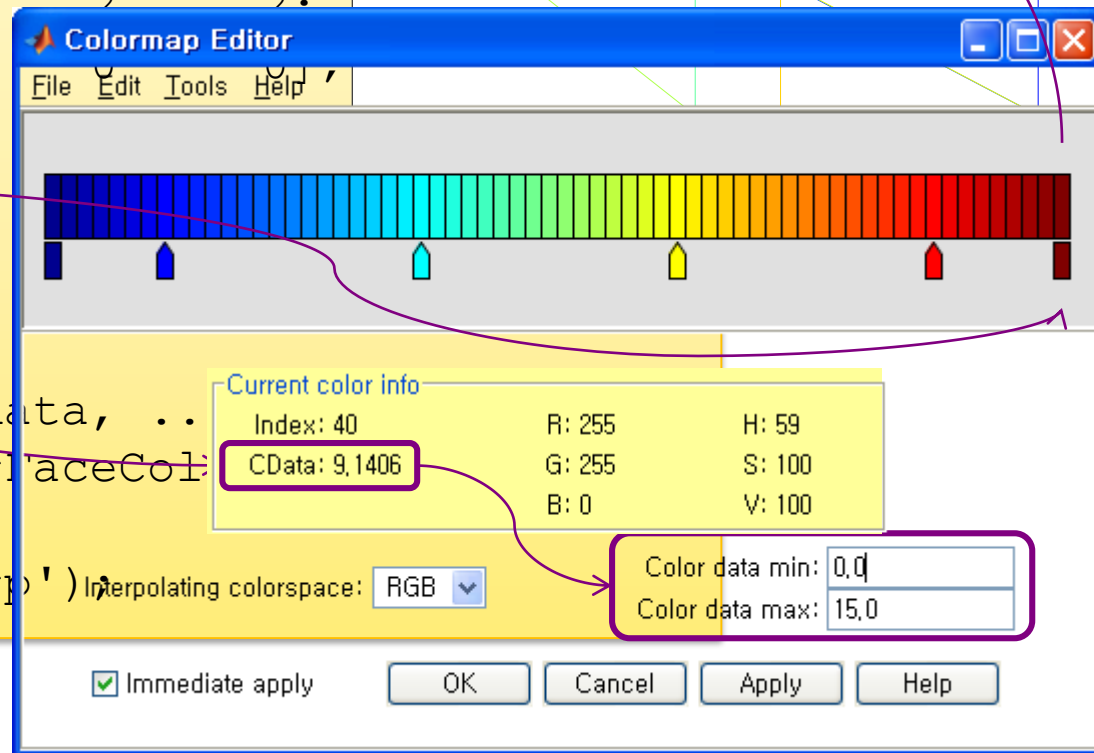
Coloring Patches

patch_demo.m

```
xdata = [2 2 0 2 5;  
         2 8 2 4 5;  
         8 8 2 4 8];  
ydata = [4 4 4 2 0;  
         8 4 6 2 2;  
         4 0 4 2 2];  
cdata = [9 0 4 2 5;  
         15 2 5 2 5;  
         8 3 0 0 0];
```

```
% colormapeditor  
figure(1);  
p = patch(xdata,ydata,cdata, ...  
          'Marker','o','MarkerFaceColor','none');  
set(p,'EdgeColor','interp');
```

colormapeditor



(2,8)

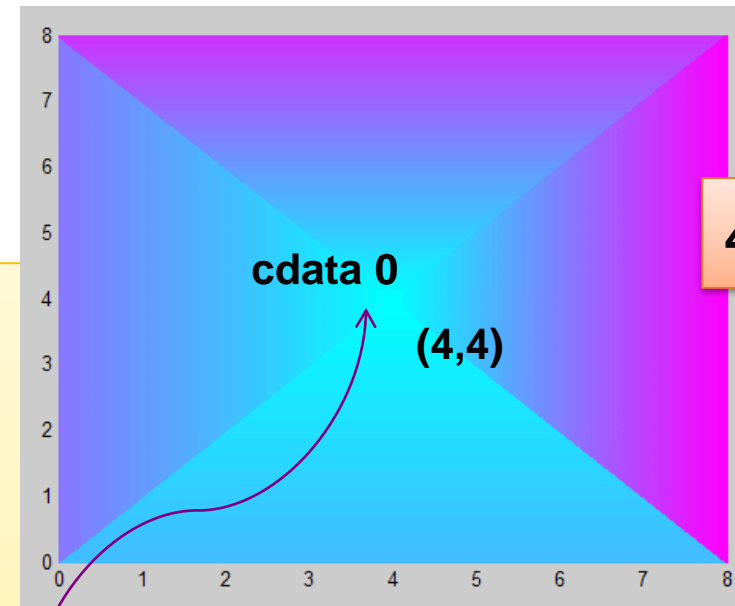
5 Triangles

interp

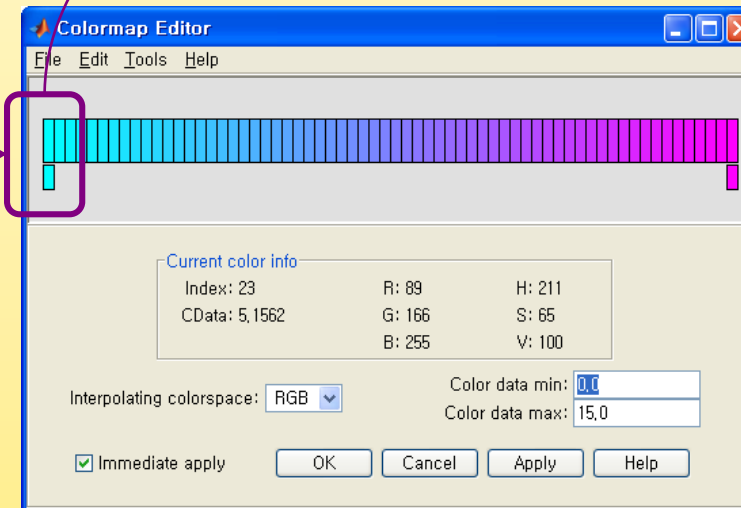
Patch Pyramid

patch_pyramid.m

```
xdata = [0      0      0      8;  
         8      0      8      8;  
         4      4      4      4];  
ydata = [0      0      8      8;  
         0      8      8      0;  
         4      4      4      4];  
cdata = [4      8      12     15;  
         4      8      12     15;  
         0      0      0      0];  
  
% Select the current colormap  
colormap('Cool');  
figure(1);  
p = patch(xdata,ydata,cdata,'FaceColor','interp');  
set(p,'EdgeColor','interp');
```

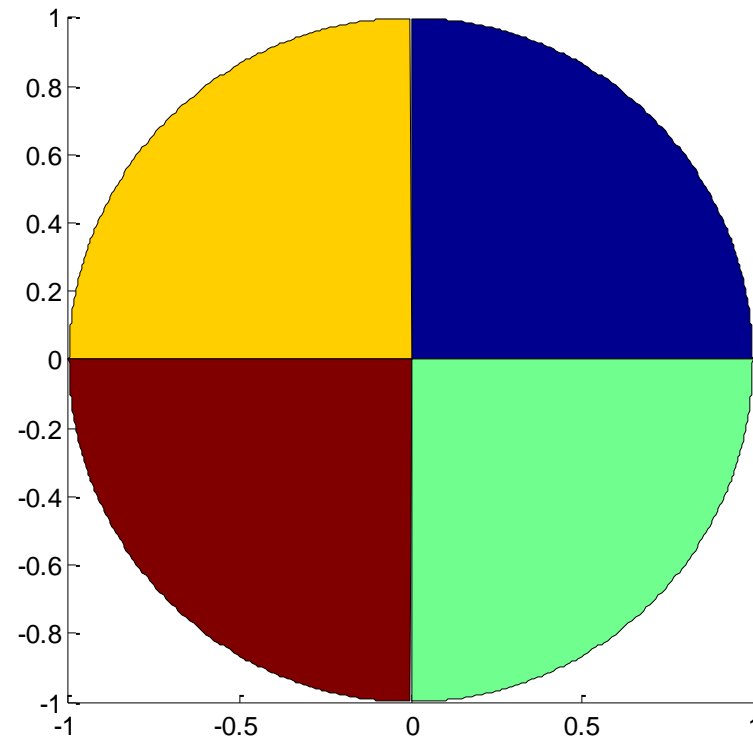


4 Triangles



Exercise: Color Ball

- Write a script for plotting the color ball below using patch.



Your Solution

- Script and Screenshot

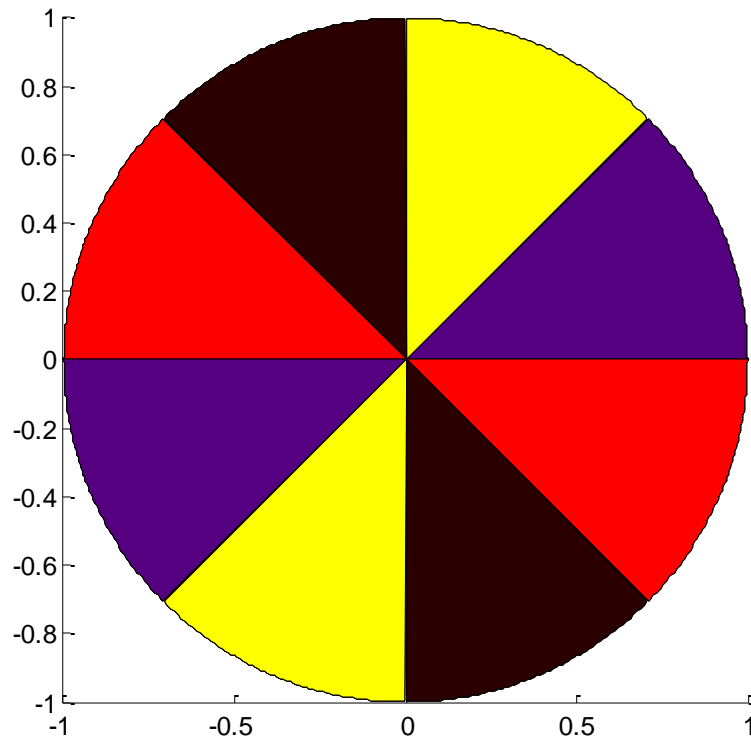
patch_color_ball.m

```
% Color Ball
t0 = 0:0.01:pi/2;  t  = [ 0 t0 ];
N  = length(t);
r  = [ 0 ones(1,N-1) ];
x  = r .* cos(t);      y  = r .* sin(t);
u  = r .* cos(t+pi/2); v  = r .* sin(t+pi/2);
X  = [x' u'      u'  x' ];
Y  = [y' v'     -v'  -y' ];
I  = ones(N,1);

figure(1); colormap('colorcube');
set(gca, 'CLim', [0 64]);
C  = I*[ 55 7 3 49];
colormap('colorcube');
p = patch(X, Y, C, 'FaceColor', 'flat');
axis square;
```

Exercise: Juggling Ball

- Write a script for plotting the color juggling ball below using patch.



Your Solution

- Script and Screenshot

`patch_jcolor_ball.m`

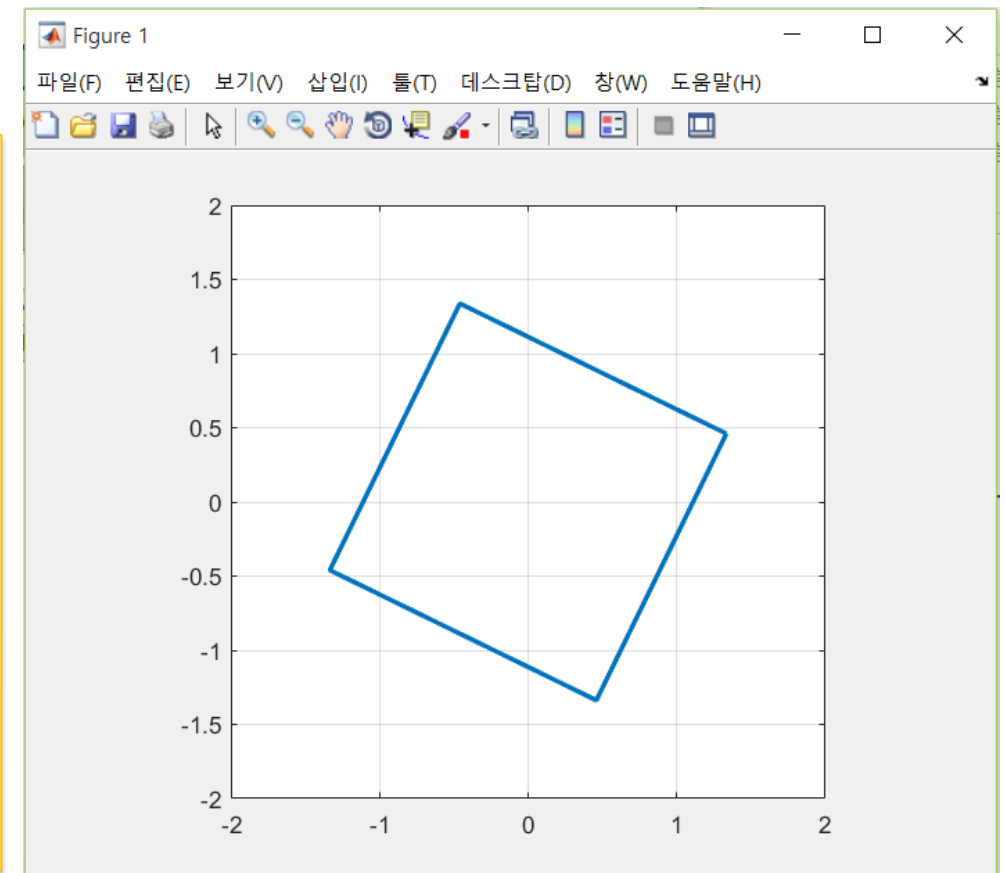


Rotating Square

- Read https://en.wikipedia.org/wiki/Rotation_matrix
- Run the script below.

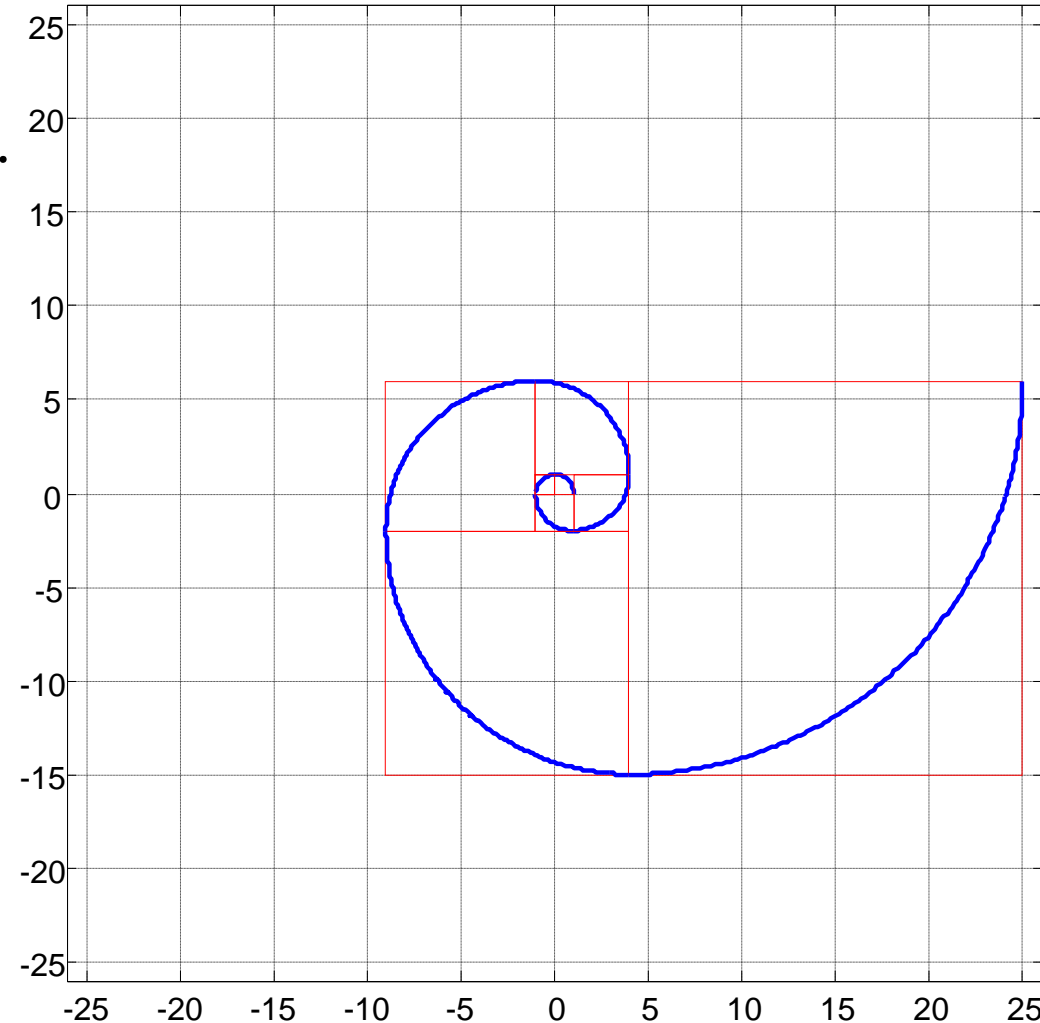
patch_jcolor_ball.m

```
% Rotating Square
x = [1 1 -1 -1 1];
y = [-1 1 1 -1 -1];
figure(1);
for t = 0:0.1:10*pi
    c = cos(t); s = sin(t);
    R = [c -s; s c];
    P = R * [x; y];
    plot( P(1,:), P(2,:), 'LineWidth', 2 );
    axis([-2 2 -2 2]); axis square;
    grid on;
    pause(0.01);
end
```



Exercise: Fibonacci Plot

- Write a script for generating a Fibonacci plot.
 - Refer to Wikipedia for Fibonacci number.
 - Number of arcs N may be arbitrary.
 - Bonus for arbitrary starting direction and rotation control.



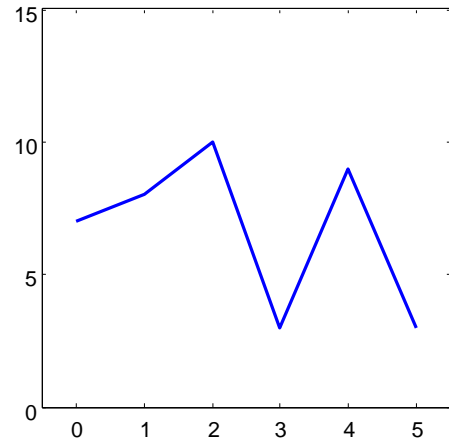
Your Solution

- Script and Screenshot

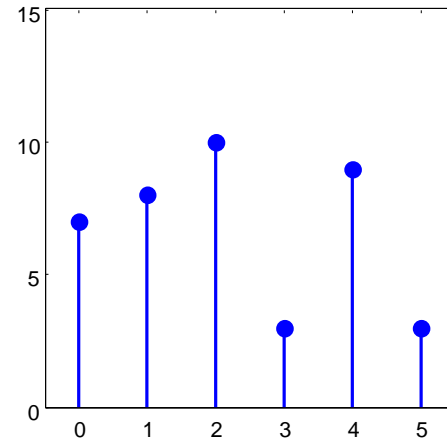
fibonacci_arcs.m



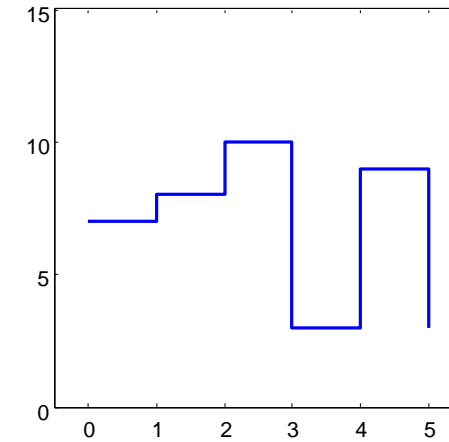
Subplot - Example



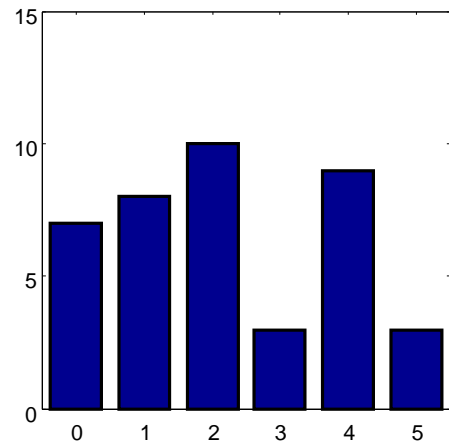
plot



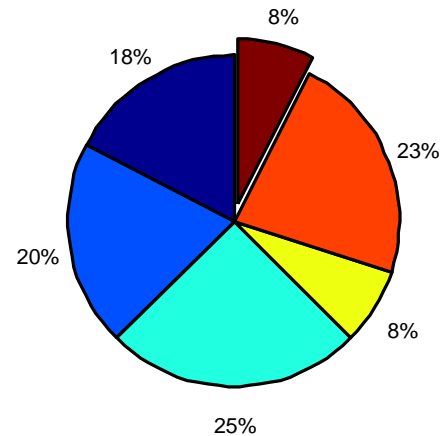
stem



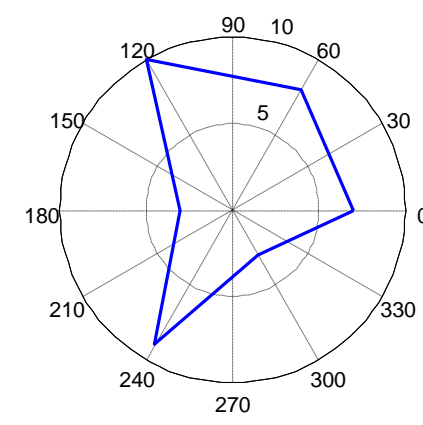
stairs



bar



pie



polar

Subplot - Script

sbuplots.m

```
% Subplot Demo
y = floor(10*rand(1,6))+3;
x = [1:length(y)] - 1;

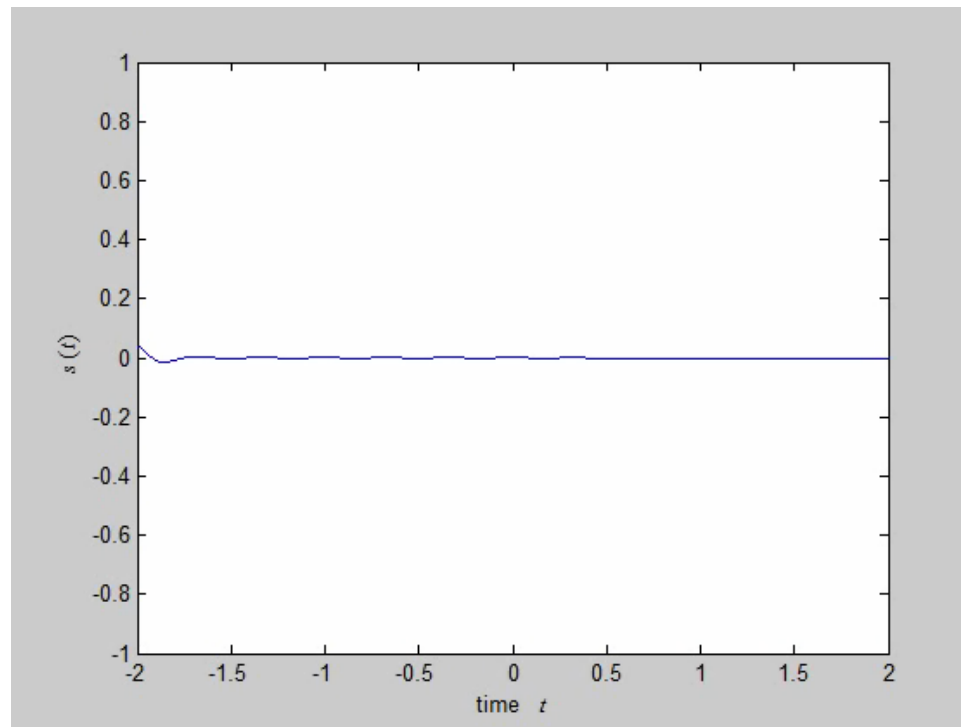
subplot(2,3,1); plot(x,y,'b-'); axis([-0.5 5.5 0 15]);
subplot(2,3,2); stem(x,y,'filled'); axis([-0.5 5.5 0 15]);
subplot(2,3,3); stairs(x,y,'b-'); axis([-0.5 5.5 0 15]);
subplot(2,3,4); bar(x,y,0.75); axis([-0.5 5.5 0 15]);
subplot(2,3,5); pie(y,[0 0 0 0 0 1]);
subplot(2,3,6); polar([x x(1)]*2*pi/6,[y y(1)],'b-');
```

Exercise: Wave-packet

- Plot the following moving graph using the following equation.

$$s(t) = \cos(6\pi(t-d)) \exp(-\pi(t-d)^2), d = -3 \sim 3$$

Play



for

pause

Your Solution

- Script and Screenshot

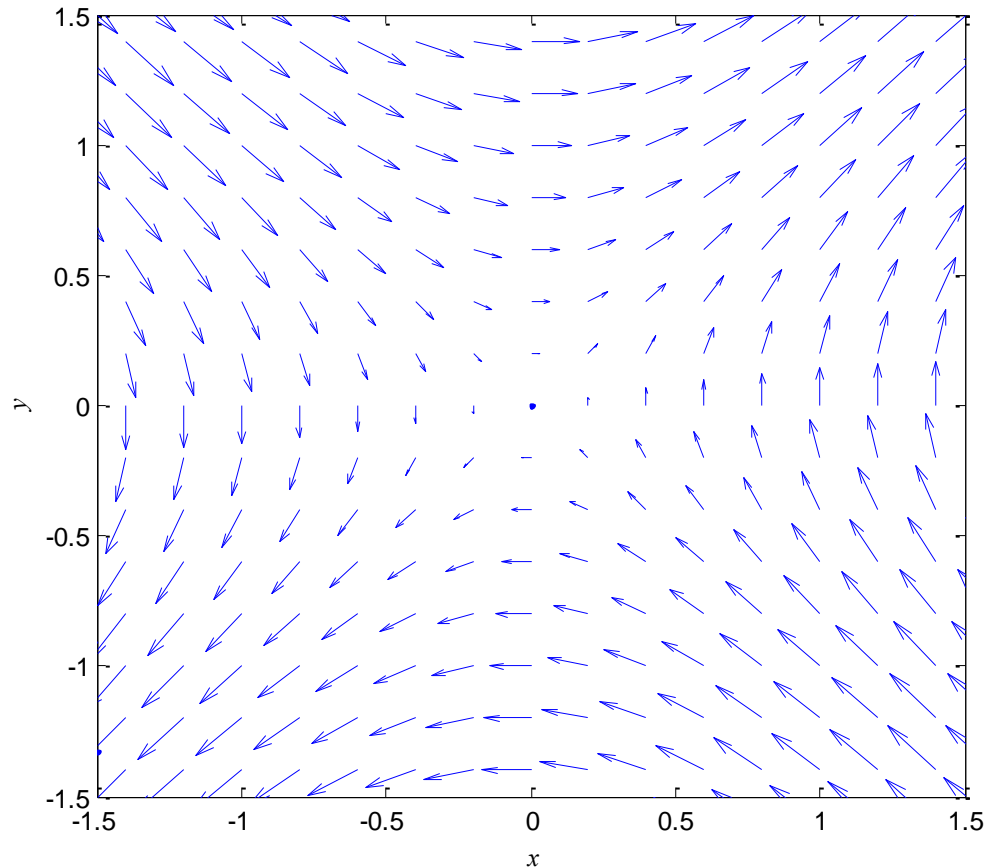
wavepacket.m

```
t = -5:0.0001:5;
y = cos(2*pi*3*t) .* exp( -pi*t.^2 );
figure(1); plot( t-3, y );
xlabel('time $t$', 'Interpreter', 'latex');
ylabel('$s(t)$', 'Interpreter', 'latex');
axis([-2 2 -1 1]);
d = -3:0.05:3;
szD = length(d);
for di = 1:szD
    plot(t+d(di), y );
    xlabel('time $t$', 'Interpreter', 'latex');
    ylabel('$s(t)$', 'Interpreter', 'latex');
    axis([-2 2 -1 1]);
    pause(0.05);
end
```

Exercise: Vector Field

- Plot a vector field corresponding to the following differential equation.

$$\frac{dy}{dx} = \frac{\sin(x)}{\sin(y)}$$



meshgrid

quiver

Sample Solution

- Script and Screenshot

vectorfield.m

```
[X, Y] = meshgrid(-2:0.2:2);  
Dx = sin(Y);  
Dy = sin(X);  
figure(1), quiver(X, Y, Dx, Dy );  
R = 1.5;  
axis([-1 1 -1 1]*R);  
xlabel('$x$', 'Interpreter', 'latex');  
ylabel('$y$', 'Interpreter', 'latex');
```

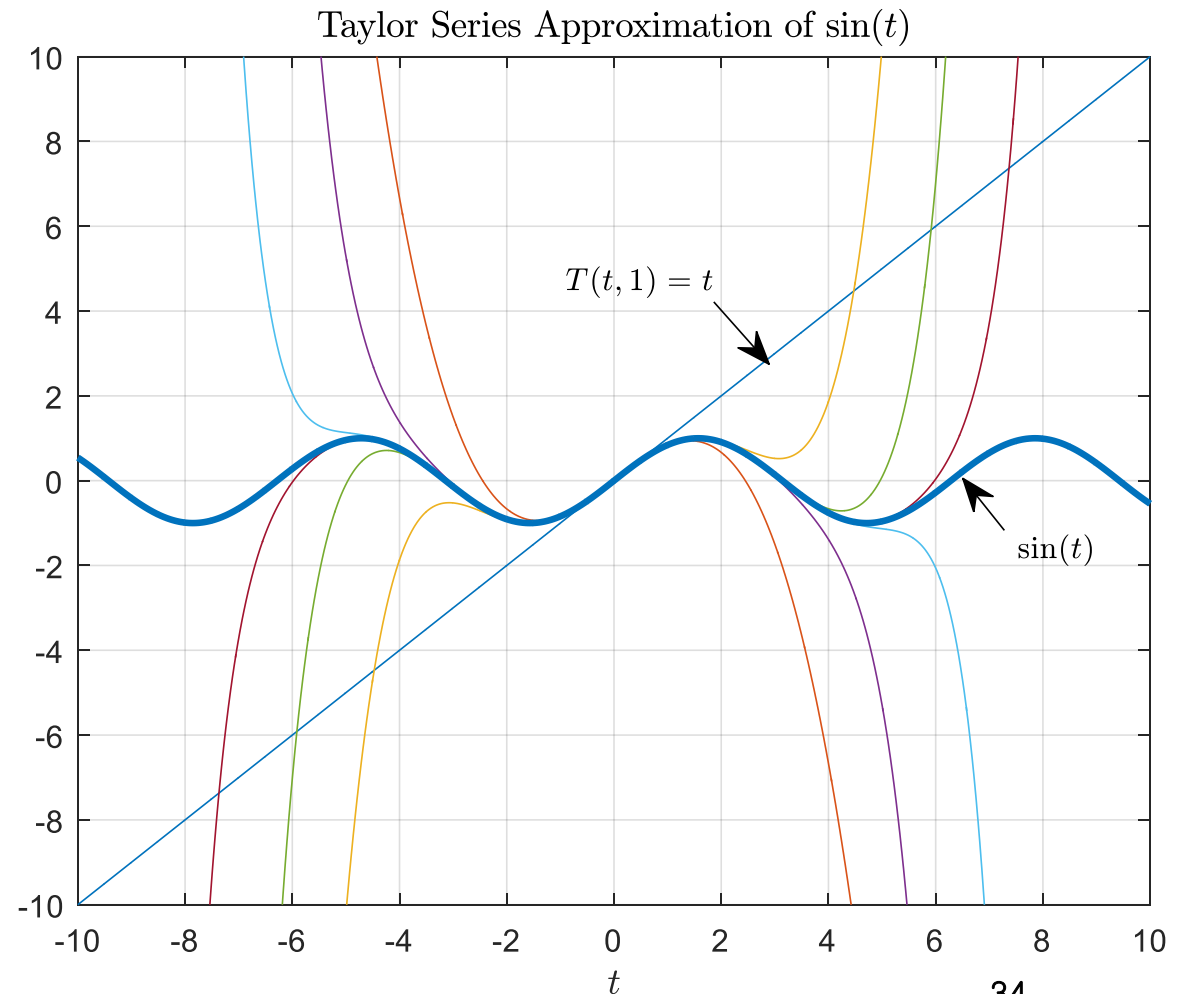
Exercise - Taylor Series

- The Taylor series expansions of $\sin(t)$ may be written as;

$$\sin(t) \cong T(t, N)$$

$$= \sum_{n=1}^N (-1)^{n-1} \frac{t^{2n-1}}{(2n-1)!}$$

- Plot $T(t, N)$ along with $\sin(t)$ for $N = 1 \sim 7$.
- Add annotations and a title, as shown on the right graph.



Sample Solution

- Script and Screenshot

Taylor_of_sin.m

```
k = (1:2:13)';
nK = length(k);
s = (-1).^(0:nK-1);
t = -10:0.01:10;
nT = length(t);

X = zeros(nK+1, nT);
x = s(1) * t.^ k(1) / factorial(k(1));
X(1,:) = x;
for ki=2:nK
    x = s(ki) * t.^ k(ki) ...
        / factorial(k(ki));
    X(ki,:) = X(ki-1,:) + x;
end
X(nK+1,:) = sin(t);
```

```
f = figure(1);
h = plot( t, X' ); set( h(nK+1), 'LineWidth', 2 );
ylim([-10 10] ); grid on;
xlabel( '$t$', 'Interpreter', 'latex' );

title('Taylor Series Approximation of  $\sin(t)$ ', ...
      'Interpreter', 'latex');

annotation(f, 'textarrow', ...
    [0.8 0.77], [0.47 0.52], ...
    'TextEdgeColor','none', ...
    'String',{' $\sin(t)$ '}, 'Interpreter', 'latex');
annotation(f, 'textarrow', ...
    [0.59 0.63], [0.69 0.63], ...
    'TextEdgeColor','none', ...
    'String',{' $T(t,1)=t$ '}, 'Interpreter', 'latex');
```

Summary

- Recognize the following commands?

```
h = plot(x,y,'r-o');
```

```
set( h, 'LineWidth',2)
```

```
hold on
```

```
figure
```

```
figure(1)
```

```
set(gca, 'Color', 'yellow')
```

```
grid
```

```
axis square
```

```
title('KOSPI');
```

```
xlabel('{\it t}');
```

```
barh(X)
```

```
stem(t,y,'filled')
```

```
stairs(x,y)
```

```
polar(theta,rho)
```

```
box off
```

```
pie(data, [0 0 1 0])
```

```
patch(x,y,'k');
```

```
colormap('Cool')
```

```
legend('Theory','Data');
```

```
ezplot('cos(x)')
```

```
reshape(M,1,[])
```

```
repmat(N,2,1)
```

```
[s xbin] = hist(X)
```