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CMPE211

Part 1: Sorting Algorithms

Instance 1: Merge Sort performs very well due to its stability and consistent performance it always works in $O(n \log n)$ regardless of input. But on the other hand QuickSort can reduce its performance because of the input. Average complexity is same as merge sort $O(n \log n)$ but if array is already sorted it will be $O(n^2)$ if its nearly sorted again it wont be directly $n \log n$. This happens because of pivot choice consistently results in unbalanced partitions. We can prevent it by randomized pivot selection.

- **Size:** 9
- **Nature:** Nearly sorted list.
- **Input:** {2,3,7,9,10,15,18,13,20}.

Instance 2: Merge Sort performs good but it is slightly slower because of overheads in merging. Quick Sort performs better for random inputs due to efficient partitioning.

- **Size:** 9
- **Nature:** Random.
- **Input:** {4,3,7,0,1,14,12,2,6}.

Sorting Algorithms			
Sort Type	Instance 1 times	Instance 2 times	Average Times
Insertion Sort	718300 ns	8500 ns	363400 ns
Quick Sort	1239100 ns	6100 ns	622600 ns

Part 2: Search Algorithms

Sequence 1:

Since there is a collision due to 2 Put 5 the time complexity of HASH will be $O(n)$ from $O(1)$ but in BST its always $O(\log n)$ so its faster than HASH here.

Put 5

Put 10

Put 5

Get 10

Get 5

Sequence 2:

Generally hash table performs well even with interleaved operations, operations depend on efficient hash computation not structural traversal. Non exist keys like 3 require minimum probing so it is much faster then BST which do full branch traversal. In hash get and put $O(1)$ but for BST its $O(\log n)$ if its balanced, if not $O(n)$

Put 2

Put 4

Put 1

Get 3

Get 4

Put 6

Get 6

Searching Algorithms			
Search Type	Sequence 1 times	Sequence 2 times	Average Times
Binary Search Tree	609600 ns	119600 ns	364600 ns
Hash Table	859800 ns	87500 ns	472750 ns

