



# Point Clouds and Deep Learning

Martin Berger

# Warm up

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Why did the AI refuse to analyze the 3D point cloud?

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Can you tell me a joke about 3D point clouds and AI?

Why did the AI refuse to analyze the 3D point cloud?  
Because it heard the data points were just "plane" boring!

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That's not really funny. Give me another one.

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Why did the AI become a master at processing 3D point clouds?

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That's not really funny. Give me another one.

Why did the AI become a master at processing 3D point clouds?  
Because it knew how to "point" out all the right features!

# Overview

- Why point clouds?
- PointNet
- FoldingNet
- Cluster-Based Autoencoders for Volumetric Point Clouds

# Point Clouds

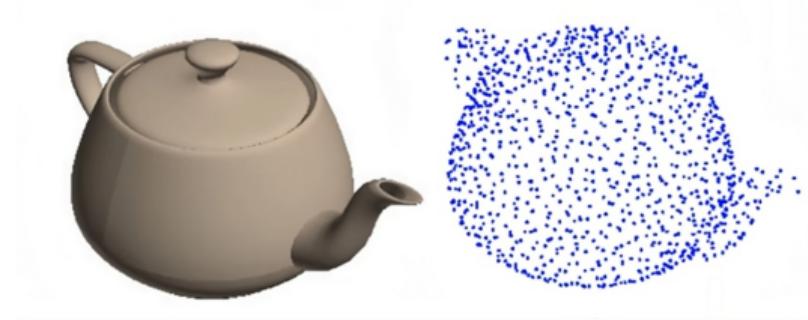
# What are 3D point clouds?



img source: <https://shorturl.at/oHOZ8>

# Why though?

- Simplest representation: only points, no connections
- Collection of  $(x, y, z)$  coordinates



# Why though?

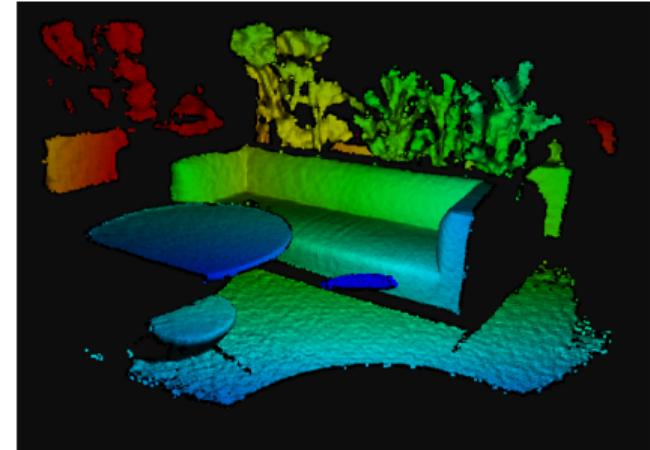
- Laser (LIDAR, StreetView)



source: <https://shorturl.at/hjnzK>

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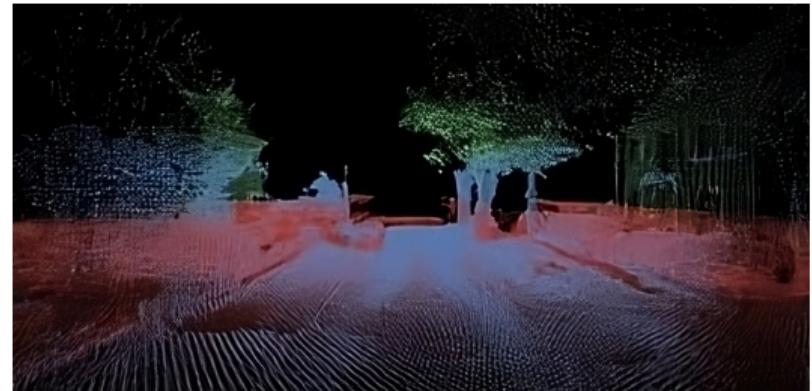
- Laser (LIDAR, StreetView)
- Infrared (Kinect)



source: <https://shorturl.at/owEX9>

# Why though?

- Laser (LIDAR, StreetView)
- Infrared (Kinect)
- Stereo Cameras



source: <https://shorturl.at/nvFP5>

# Challenges from a Data Science POV

- A point cloud is a set of sparse 3D points
- Irregular format is hard to handle

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- A point cloud is a set of sparse 3D points
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First attempts:

- Transform data to regular 3D voxel grids (Volumetric CNNs)
- Turn point clouds into a collection of images (Multiview CNNs)

# PointNet

<https://arxiv.org/abs/1612.00593>

# Observation

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→ **invariance under permutations**

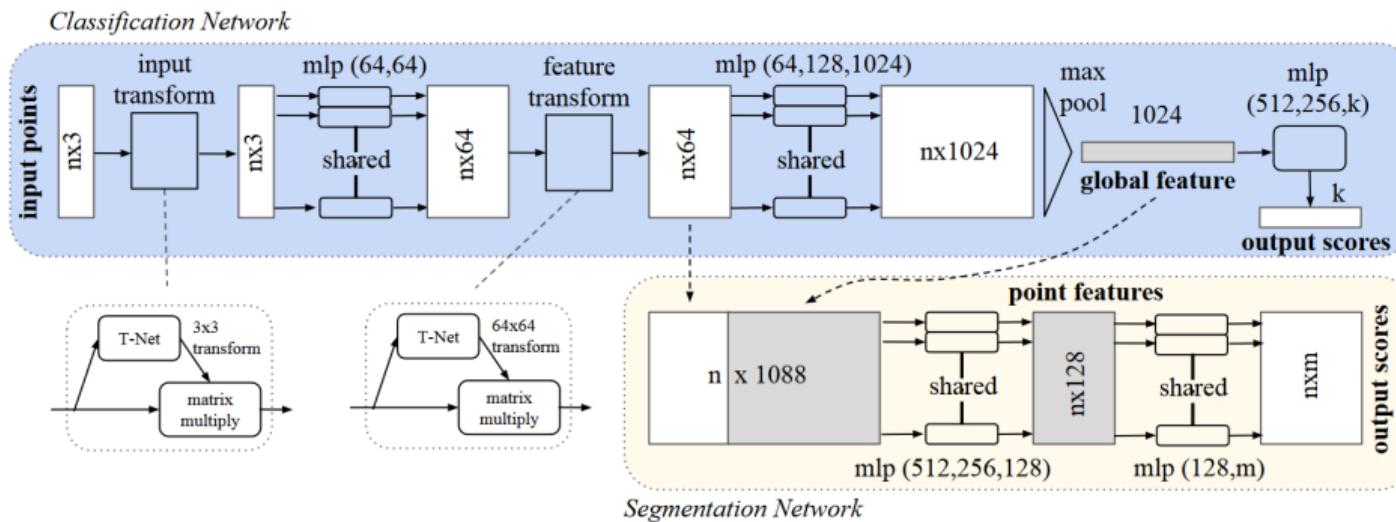
# Observation

- Points are unordered  
→ **invariance under permutations**
- Point clouds don't change after rotations/translations

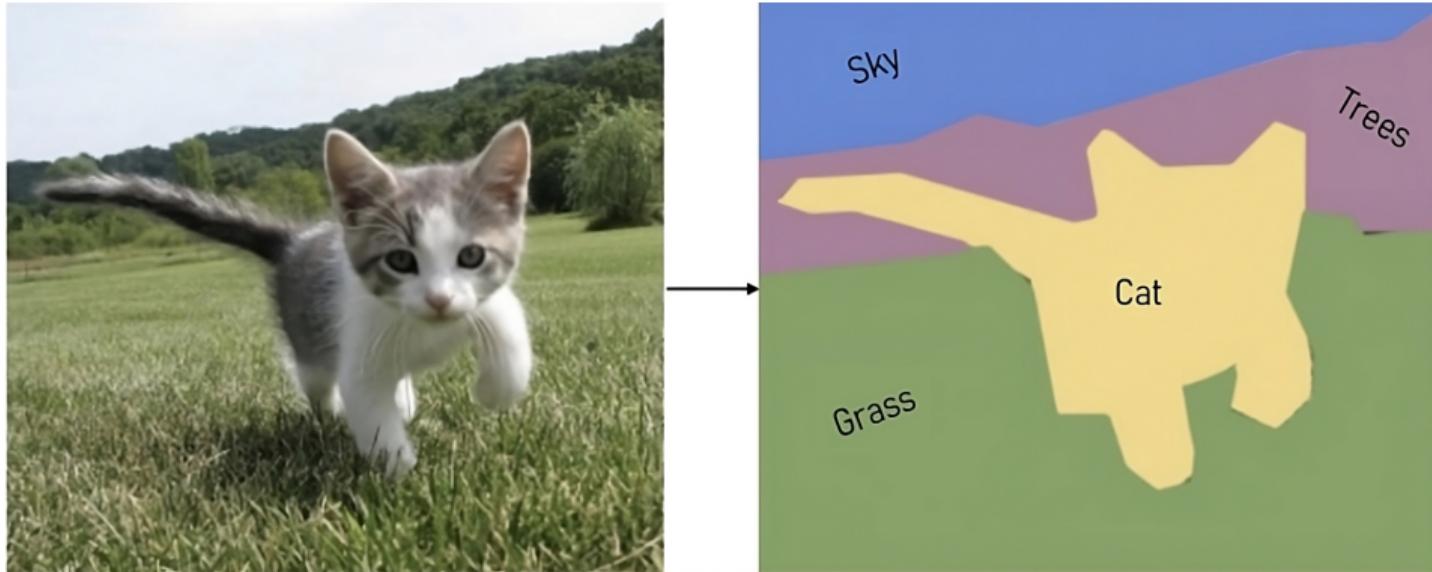
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# PointNet

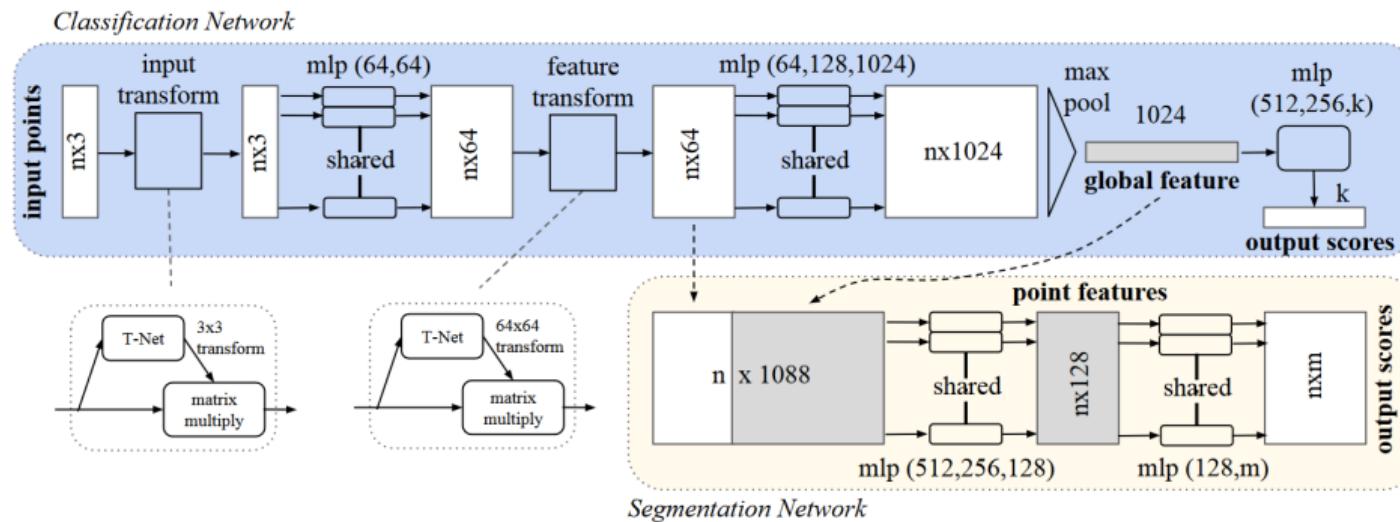


# Semantic Segmentation



source: <https://shorturl.at/bvBQY>

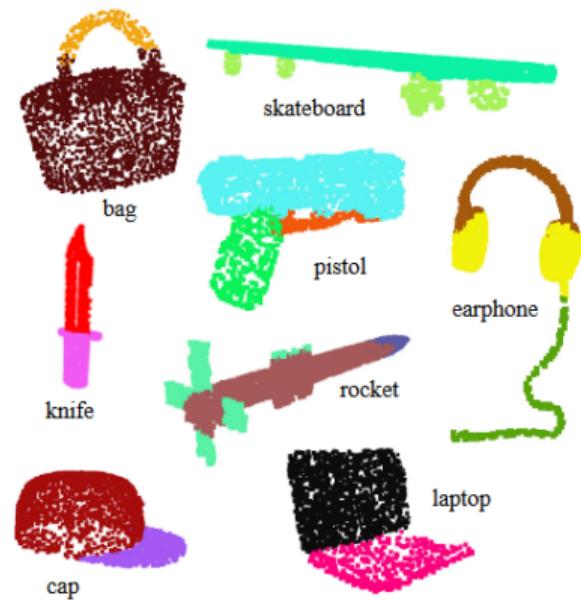
# PointNet



# PointNet - Results Classification

	input	#views	accuracy avg. class	accuracy overall
SPH [11]	mesh	-	68.2	-
3DShapeNets [28]	volume	1	77.3	84.7
VoxNet [17]	volume	12	83.0	85.9
Subvolume [18]	volume	20	86.0	<b>89.2</b>
LFD [28]	image	10	75.5	-
MVCNN [23]	image	80	<b>90.1</b>	-
Ours baseline	point	-	72.6	77.4
Ours PointNet	point	1	86.2	<b>89.2</b>

# PointNet - Results Segmentation



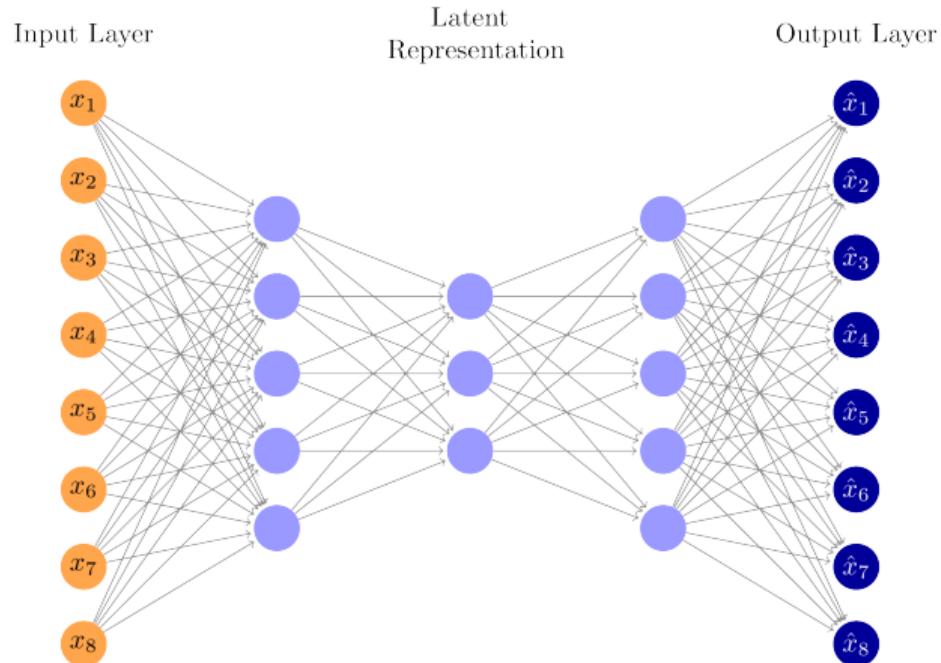
# PointNet - Results Semantic Segmentation



# FoldingNet

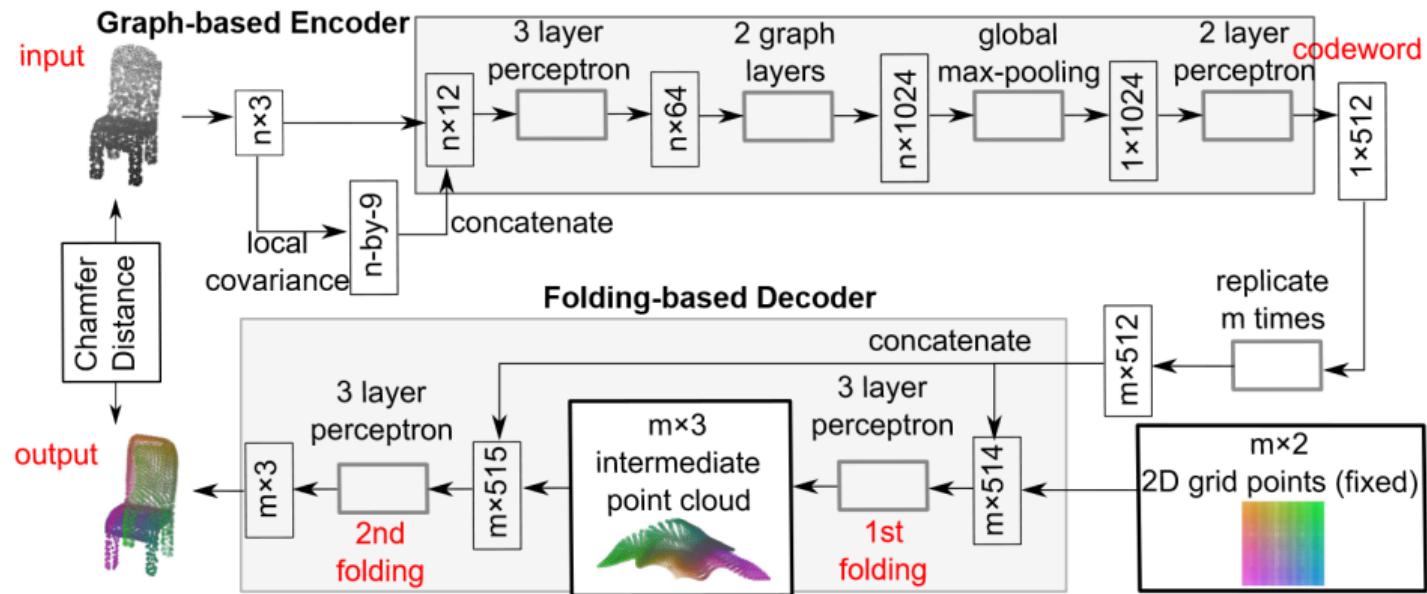
<https://arxiv.org/abs/1712.07262>

# FoldingNet - Autoencoder for Point Clouds



source: <https://shorturl.at/bhDP8>

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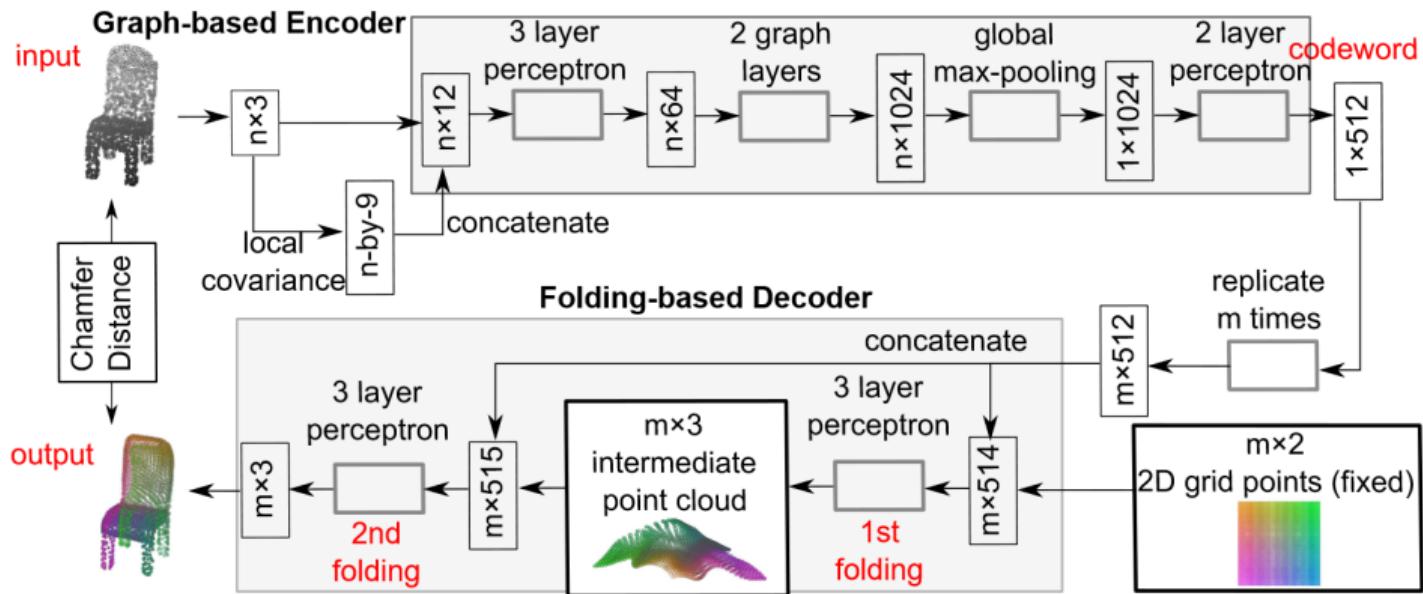
- Let  $P$  be a point in the given point cloud.
- Let  $Q_1, \dots, Q_K$  denote the  $K$  nearest neighbors of  $P$ .
- Compute the centroid  $C$  of the  $K$  points and set  $\tilde{Q}_i = Q_i - C$
- Then

$$A = \begin{bmatrix} \tilde{Q}_1 \\ \vdots \\ \tilde{Q}_K \end{bmatrix} \in \mathbb{R}^{K \times 3}$$

and the covariance matrix is given by

$$A^T A = \begin{bmatrix} \sigma_{xx} & \sigma_{xy} & \sigma_{xz} \\ \sigma_{xy} & \sigma_{yy} & \sigma_{yz} \\ \sigma_{xz} & \sigma_{yz} & \sigma_{zz} \end{bmatrix} \in \mathbb{R}^{3 \times 3}$$

# FoldingNet - Autoencoder for Point Clouds

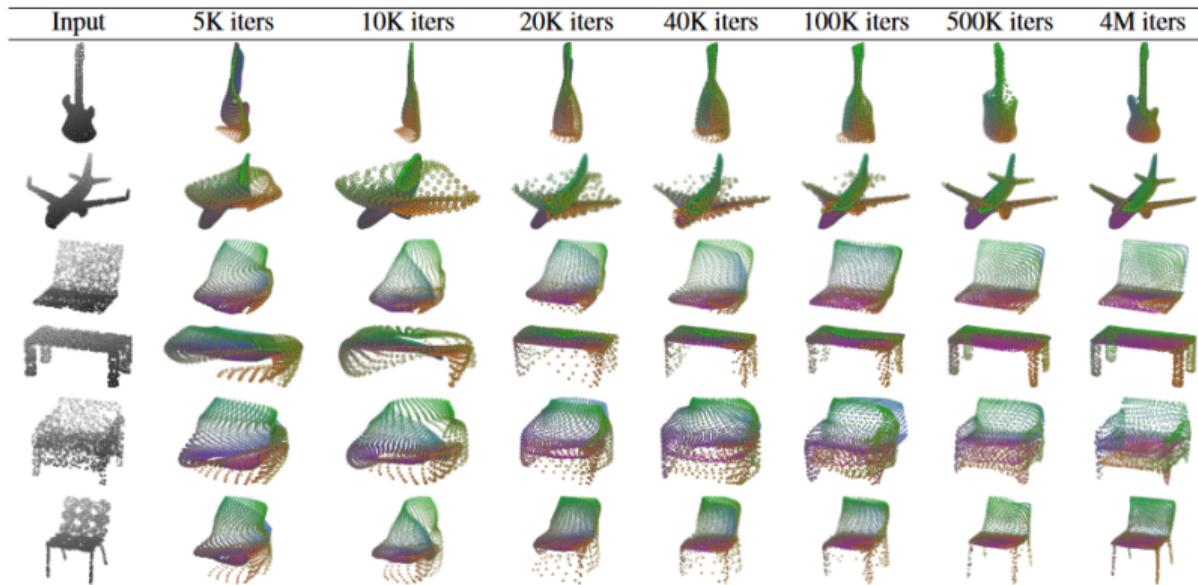


# FoldingNet - Loss

Given two point clouds  $\mathcal{X}, \mathcal{Y}$  their Chamfer distance is

$$d_{CH}(\mathcal{X}, \mathcal{Y}) = \max \left\{ \frac{1}{|\mathcal{X}|} \sum_{x \in \mathcal{X}} \min_{y \in \mathcal{Y}} \|x - y\|_2, \frac{1}{|\mathcal{Y}|} \sum_{y \in \mathcal{Y}} \min_{x \in \mathcal{X}} \|x - y\|_2 \right\}.$$

# FoldingNet - Results



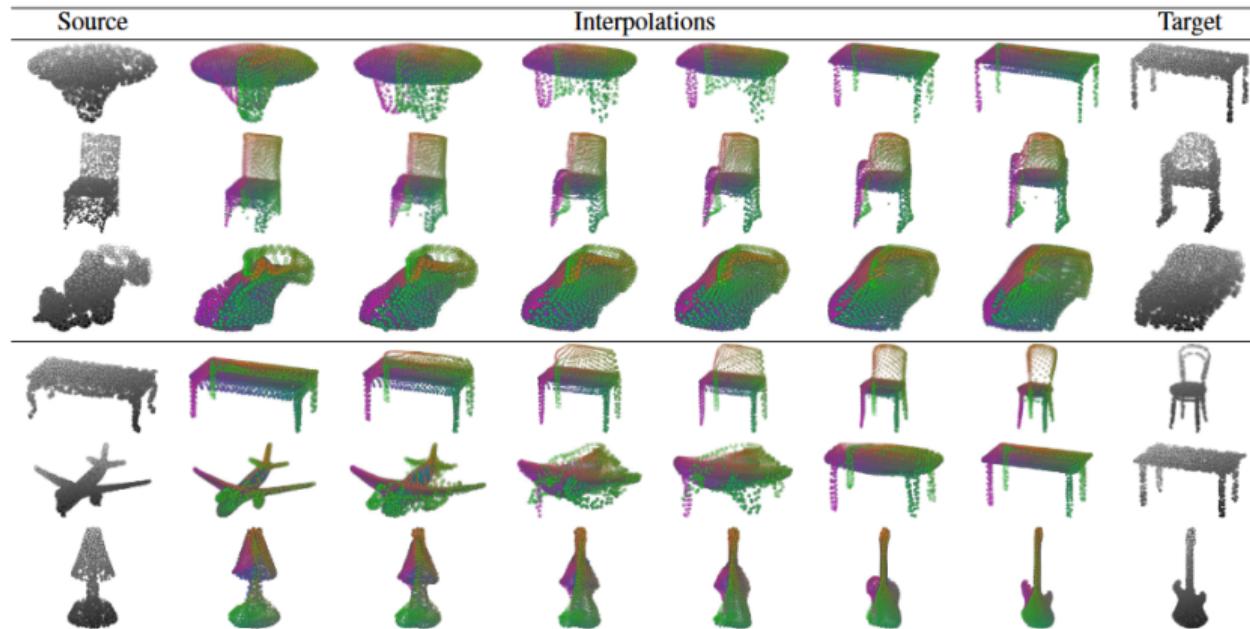
# Blending between Datapoints

Given two point clouds  $P_1, P_2$ , encode them by codewords  $C_1, C_2$  within the feature space then decode

$$\lambda C_1 + (1 - \lambda) C_2$$

for some  $\lambda \in [0, 1]$  with the decoder.

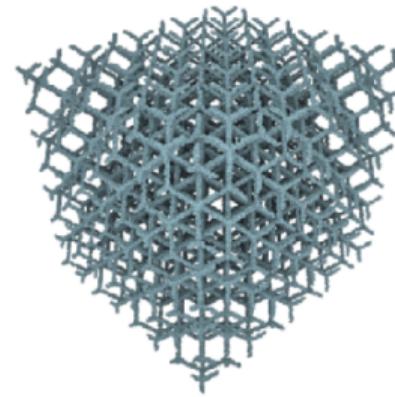
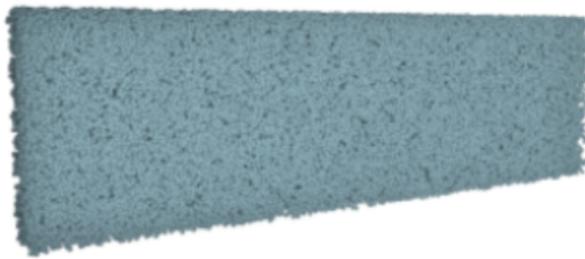
# FoldingNet - Results



# Cluster-Based Autoencoders for Volumetric Point Clouds

<https://arxiv.org/abs/2211.01009>

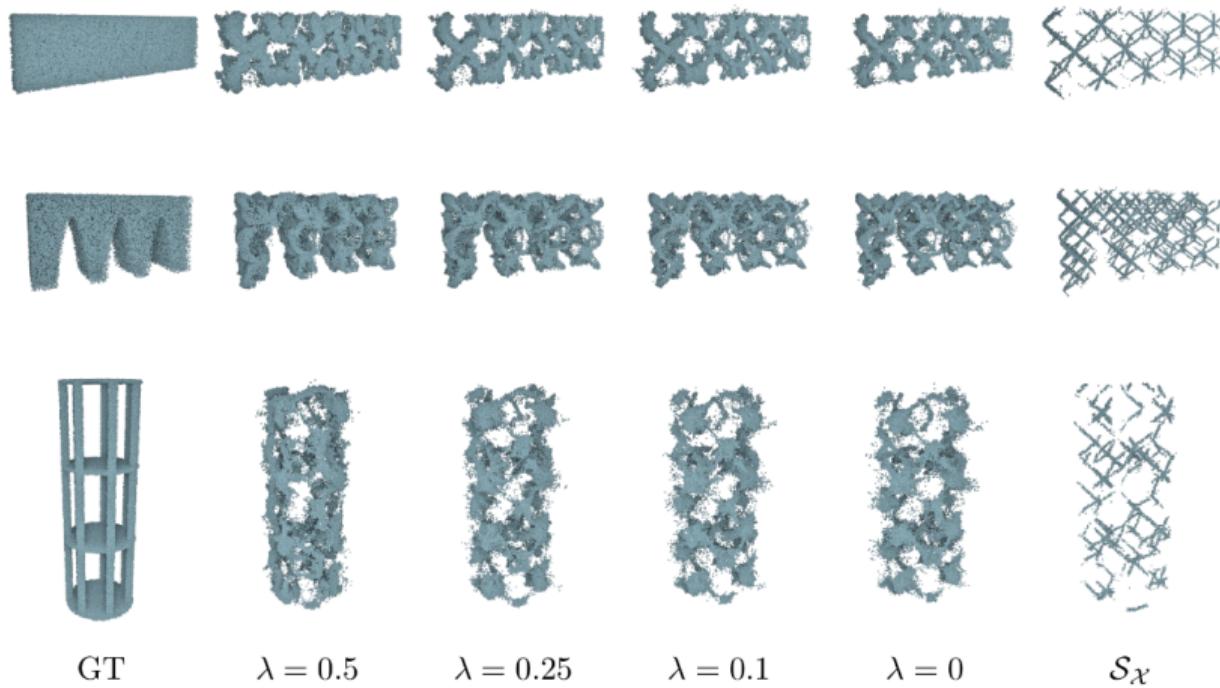
# Density based Style Transfer



# Density based Style Transfer

- Given a point cloud  $\mathcal{X}$  and a style point cloud  $\mathcal{S}$ .
- Assume  $\mathcal{X}$  was sampled according to the density  $f_{\mathcal{X}}$ .
- Sample a point cloud  $\mathcal{S}_{\mathcal{X}}$  from  $\mathcal{S}$  according to  $f_{\mathcal{X}}$ .
- Use the autoencoder to blend between  $\mathcal{X}$  and  $\mathcal{S}_{\mathcal{X}}$ .

# Density based Style Transfer



# Cluster Based AC

- FoldingNet only works for small point clouds
- In practice resolution is much higher

# Cluster Based AC

**Idea:**

# Cluster Based AC

## Idea:

- Split point clouds into smaller pieces

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- Split point clouds into smaller pieces
- Feed the smaller point clouds into the autoencoder

# Cluster Based AC

## Idea:

- Split point clouds into smaller pieces
- Feed the smaller point clouds into the autoencoder
- Reassemble

# Cluster Based AC

- Given two point clouds  $\mathcal{X}$  and  $\mathcal{Y}$

# Cluster Based AC

- Given two point clouds  $\mathcal{X}$  and  $\mathcal{Y}$
- Cluster  $\mathcal{X}$  into  $k$  clusters  $\mathcal{X}_1, \dots, \mathcal{X}_k$

# Cluster Based AC

- Given two point clouds  $\mathcal{X}$  and  $\mathcal{Y}$
- Cluster  $\mathcal{X}$  into  $k$  clusters  $\mathcal{X}_1, \dots, \mathcal{X}_k$
- Cluster  $\mathcal{Y}$  into  $k$  clusters  $\mathcal{Y}_1, \dots, \mathcal{Y}_k$

# Cluster Based AC

- Given two point clouds  $\mathcal{X}$  and  $\mathcal{Y}$
- Cluster  $\mathcal{X}$  into  $k$  clusters  $\mathcal{X}_1, \dots, \mathcal{X}_k$
- Cluster  $\mathcal{Y}$  into  $k$  clusters  $\mathcal{Y}_1, \dots, \mathcal{Y}_k$
- Blend between  $\mathcal{X}_i$  and  $\mathcal{Y}_i$  for  $i = 1, \dots, k$

# Cluster Based AC



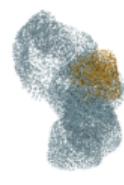
GT



$\lambda = 0.1$



$\lambda = 0.25$



$\lambda = 0.5$

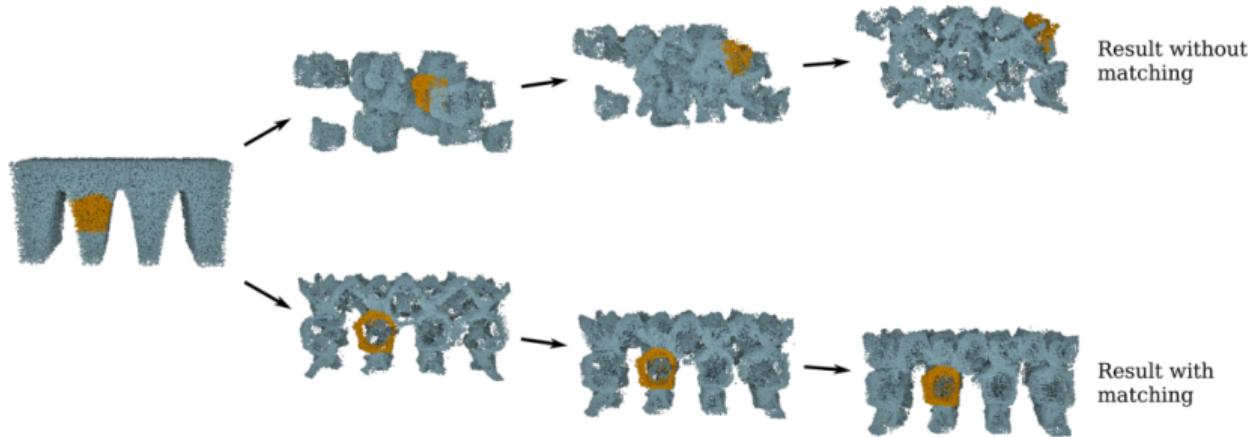


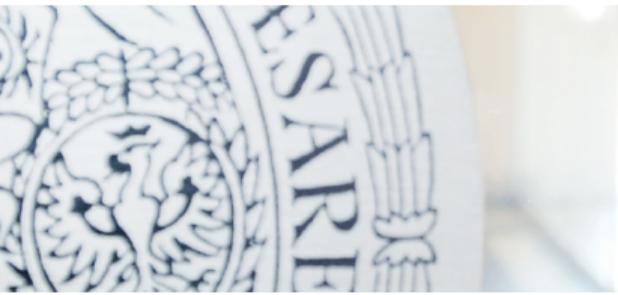
$\lambda = 0.75$

# Cluster Based AC

- Given two point clouds  $\mathcal{X}$  and  $\mathcal{Y}$ .
- Cluster  $\mathcal{X}$  into  $k$  pieces and let  $C_1, \dots, C_k$  denote the centroids of these clusters.
- Cluster  $\mathcal{Y}$  into  $k$  clusters with centers  $C_1, \dots, C_k$ .
- Blend between  $\mathcal{X}_i$  and  $\mathcal{Y}_i$  for  $i = 1, \dots, k$

# Cluster Based AC



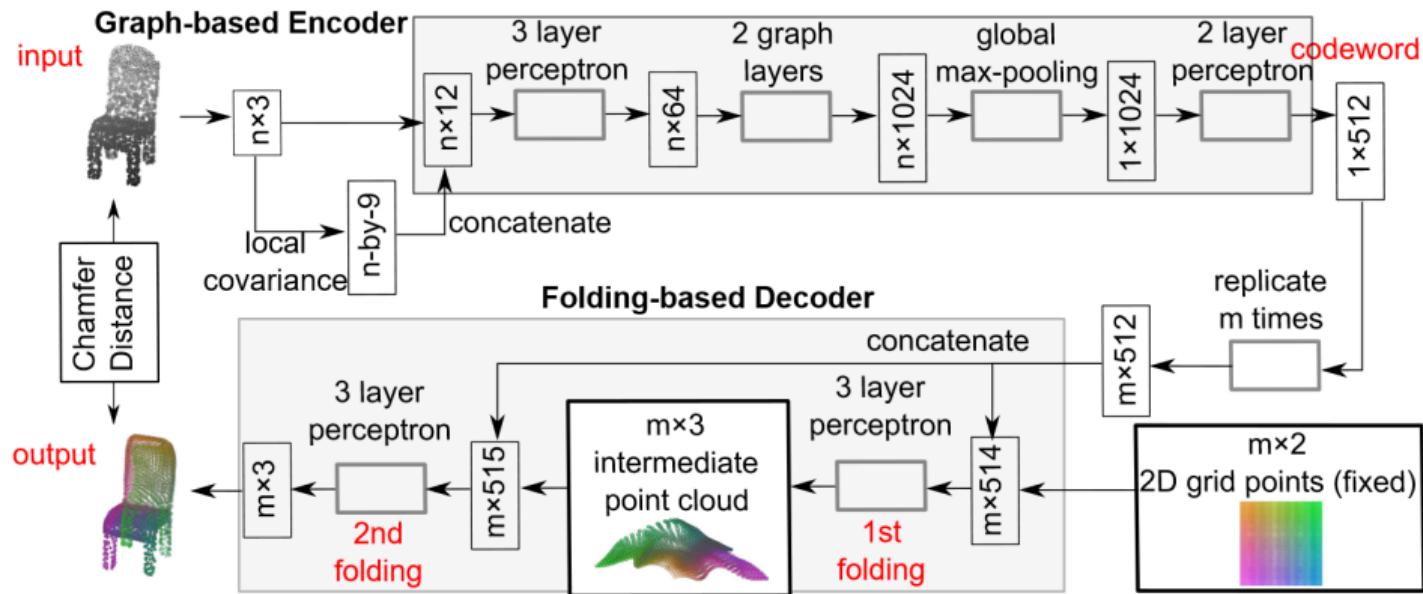


Thank you!

# References I

-  Stephan Antholzer, Martin Berger, and Tobias Hell.  
Cluster-based autoencoders for volumetric point clouds, 2022.
-  Charles Ruizhongtai Qi, Hao Su, Kaichun Mo, and Leonidas J. Guibas.  
Pointnet: Deep learning on point sets for 3d classification and segmentation.  
*CoRR*, abs/1612.00593, 2016.
-  Yaoqing Yang, Chen Feng, Yiru Shen, and Dong Tian.  
Foldingnet: Point cloud auto-encoder via deep grid deformation, 2018.

# Appendix - Graph Layer



## Appendix - Graph Layer

- Let  $X$  denote the input of the Graph layer.
- Create a matrix  $A$  via

$$A_{ij} = \text{ReLU}\left(\max_{k \in \mathcal{N}(i)} x_{kj}\right)$$

where  $\mathcal{N}(i)$  denotes the  $K$  nearest neighbors of  $i$ th row of  $X$ .

- Then the output is given via

$$A \cdot M$$

where  $M$  is the feature mapping matrix.