

Ex S-1. ✓✓

$$\frac{7}{7}$$

Ex S-2.

$$\frac{50}{100}$$

7

$$\frac{0}{6}$$

Ex S-3. ✓✓

$$\frac{7}{2}$$

Ex S-4.

What I would do is, I search for interval, and when algorithm successfully finds one, I check lowest number and when it is not we search for we move, if we find we return it. Code could be, we need to modify pseudo code from book,

Interval Search( $T, i$ )

$root = T.root$

    while( $x \neq T.nil$  and  $i$  doesn't overlap  $x.int$  and  $min \neq T.nil$ )

        if ( $x.left \neq T.nil$  and  $x.left.max \geq i, low$ )

$x = x.left$

        else  $x = x.right$

    if ( $min = null$ )

        return  $T.nil$

    else {return  $x$ }

$$\frac{6}{6}$$

6

Ex 5-5. ✓✓  $\frac{7}{7}$

Ex 5-6. ✓

We have the function memoized cut rod from the book,  
So solution would be  
func(p, n, r, or) // or is array passed from some func.

if r[n] ≥ 0  
return or

if n = 0  
q = 0

else q = -∞

for i = 1 to n

q = max(q, sum(pci) + func(p, n-1, r, or))

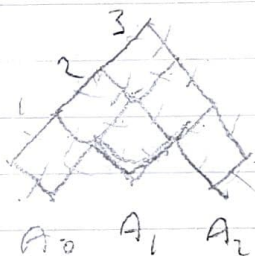
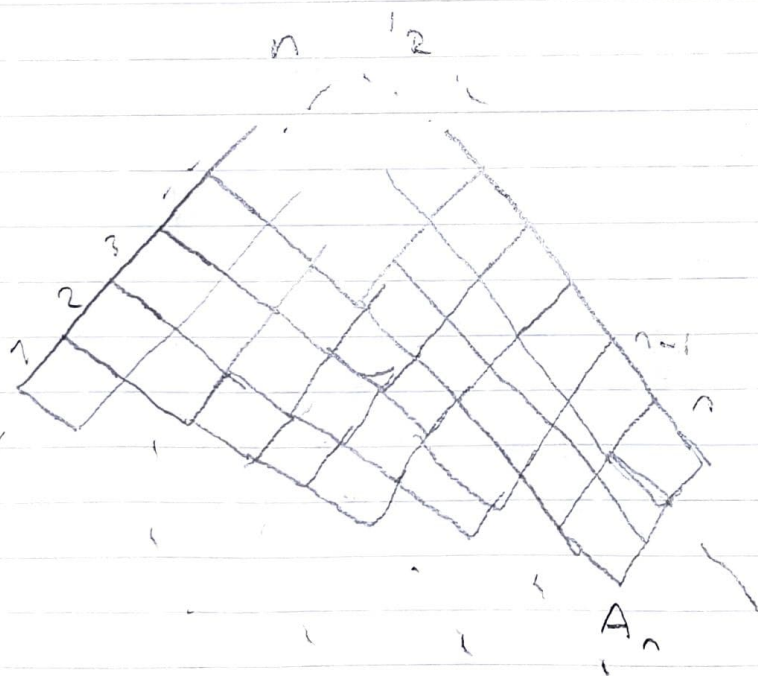
r[n] = q, or.add(q)

return or

$$\frac{2}{b}$$

Ex 5-7.

$$\frac{1, 8}{6}$$



18

$$\text{Edge} = 6n - 1$$

$$\frac{4}{b}$$

Ex 5-8. define set

func(corr, length)

for i = 0 to length

if (corr[i] not in set)

set.add(corr[i])

k = set.get(corr[i])

k++

if (k != set.end()) set.remove(k)

return set;

PS. 1

a)

7  
12

```
finger-search(x, keyx)
while(x.hasUp and x.next.key > keyx)
    x = x.up
while(x.next.key < keyx)
    x = x.next
if(keyx == x.key) return x
while(x.key != keyx)
    if(x.key > keyx)
        x = x.next
    else
        x = x.down
return x
```

b) Since there is ~~an~~ likely log n steps or floors since with fair coin toss, this is the number we can go deep.

3  
6

b) Downrange, this data stores x.down.next value for node x, this way we can decrease one third of operations, since we don't need to go down, get next and turn back etc. each time which will save cost for search ops.

Search → We can look range more easily

Insert → Whenever we insert, we go y.pre.up and change downrange to y.key and check downrange for y and init.

Delete → go to pre.up change downrange to y.next.

c) First, init all ranks,

func init()

if(x.atBottom)

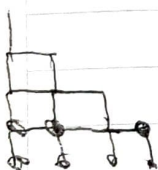
if(x.left == NULL)

rank(x) = rank(x.pre) + 1

else rank(x) = 1

else

rank(x) = rank(x.under)





func rank\_search(x, r)

while (x.up != NULL)

x = x.up

→ while (rank(x.next) < r)

x = x.next

x = x.down

goto

return x

) while

init is  $O(n)$   
but search is  $O(\lg n)$   
naturally.

$$\frac{3,5}{7}$$

PS-2.

count = 0

a) for i = 0 to i = n

if (PC[i] < w)

arr.add(PC[i])

count++

if (count == n)

return arr

this would take

$O(n)$  time as  
each iteration ops  
are const.

$$\frac{2}{4}$$