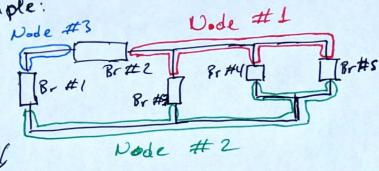


Note: Iel, Vel can be positive and negative?

## Danenclature of Ctt Diagrams: Noders + Branches

exemple:



Dode: Any point on the cht I Br#s where two or more elements intersect (meet)

Brouch: Any cht element apart from wires and open chts

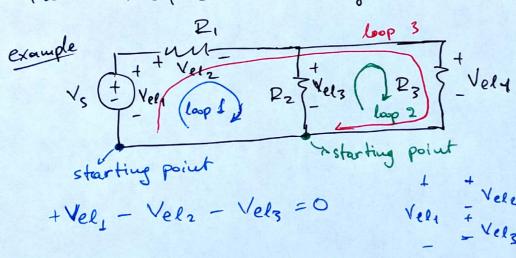
3 Noder

5 Branches

## Rules Claws) for Circuit Analysis:

A Kirchhoff's Voltage Law (KVL):

The sum of element voltages around a loop is equal to O.



Vel3 - Vely = 0 t + Vely Vely

Veli - Velz - Vely =0

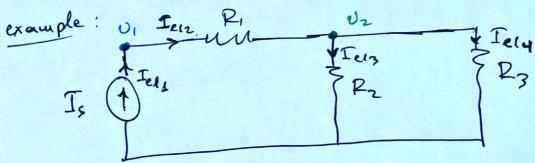
B Circhhoff Current Law (KCL):

The sum of the current entering a node must copial
the sum of current exiting the mode.

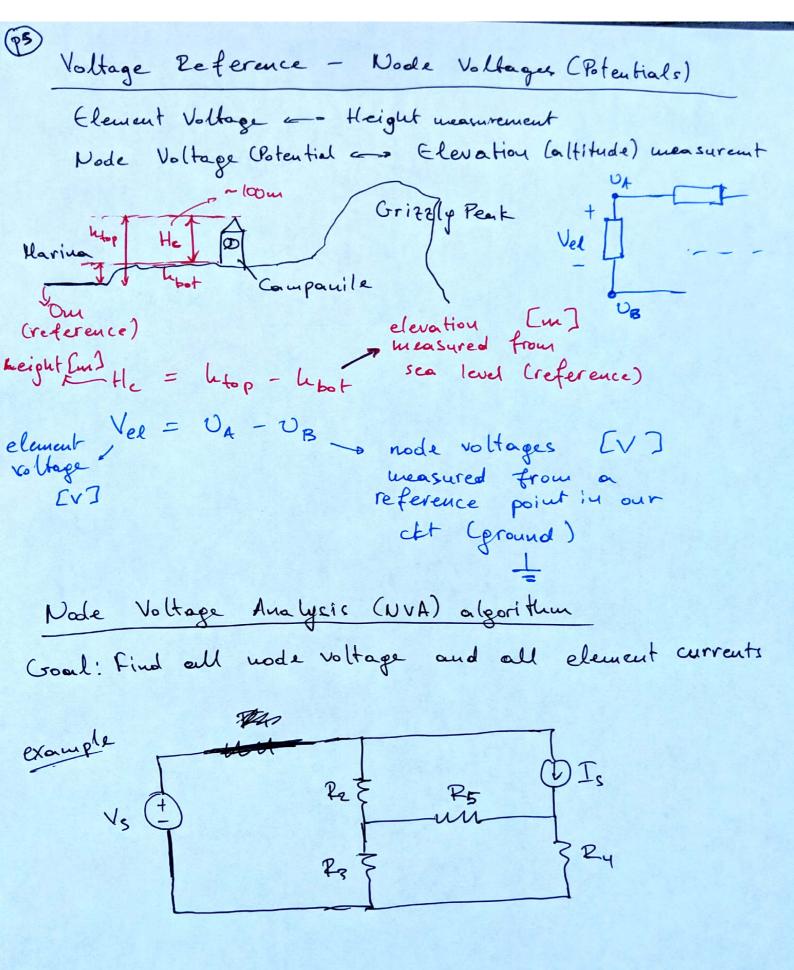
example: Us Iesz Ps.

Tely

Tely



KCL on 
$$v_1$$
:  $Iel_1 = Iel_2$ 
KCL on  $v_2$ :  $Iel_2 = Iel_3 + Iel_4$ 



Step 1: Pick and label a reference mode. (o or grand) Step 2: Label all modes whose voltage is set by Yoltage Sources Step 3: label all remaining modes (rentmann) Step 4: Label all element current and element voltage ges according to passive sign convention. Step 5: Write a FCL equation for every unde with rudnown voltage. U2: IR, = IRy + IR2

Uz: IRy + IIs = IR3

Step 6: Express all element currents as functions of element ut voltages and circuit component characteristics

$$\underline{T}_{R_1} = \frac{V_{R_1}}{R_1}, \quad \underline{T}_{R_2} = \frac{V_{R_2}}{R_2}, \quad \underline{T}_{R_3} = \frac{V_{R_3}}{R_3}, \quad \underline{T}_{R_4} = \frac{V_{R_4}}{R_4}$$
(Ohui's law)

Step 7: Substitute all element voltages with mode voltage in your step 6 commetions.

$$T_{R_{1}} = \frac{V_{R_{1}}}{R_{1}} = \frac{V_{1} - U_{2}}{R_{1}} = \frac{V_{5} - U_{2}}{R_{1}}$$

$$T_{R_{2}} = \frac{V_{R_{2}}}{R_{2}} = \frac{U_{2} - O}{R_{2}} = \frac{U_{2}}{R_{2}}$$

$$T_{R_{3}} = \frac{V_{R_{3}}}{R_{3}} = \frac{U_{3} - O}{R_{3}} = \frac{U_{3}}{R_{3}}$$

$$T_{R_{3}} = \frac{V_{R_{3}}}{R_{3}} = \frac{U_{2} - U_{3}}{R_{3}}$$

$$I_{Ry} = \frac{V_{Ry}}{Ry} = \frac{V_2 - V_3}{Ry}$$

Step 8: Substitute element currents from Step 7 into the KCL equations from Step 5.

$$\widehat{I}_{R_1} = \widehat{I}_{R_1} + \widehat{I}_{R_2} = P \qquad \frac{V_s - V_z}{R_1} = \frac{V_z - V_3}{R_1} + \frac{V_z}{R_2} \qquad (1)$$

$$\widehat{I}_{R_1} + \widehat{I}_{S} = \widehat{I}_{R_3} = P \qquad \frac{V_z - V_3}{R_1} + \widehat{I}_{S} = \frac{V_3}{R_3} \qquad (2)$$

Step 9: Solve Use G.E. to solve the system of equations (11, 12)