Integrating Statistical Excellence in Nursing Practice: Empowering Research with JASP

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Outline of presentation

- Quick introduction to JASP
- Descriptive statistics
- Comparing two groups
- Comparing more than 2 groups
- Correlation and regression analyses

What is and why JASP?

- Jeffrey's Amazing Statistics Program
- free, multi-platform, and open-source statistics software
- user-friendly: simple drag and drop interface, easy access menus, intuitive analysis with real-time computation and display of all results
- Uses R and C++ in the background







How to get JASP?

https://jasp-stats.org/download





Released January 6th, 2025.

This is a hotfix version of the 0.19.2 version where 2 new modules Bayes Factor Functions and BFPack are added. The classical Meta-Analysis module is also reworked to include Funnel Plot. Effect Size calculation. etc... Computed columns and labels are improved, and many other features and fixes are added. For a full list see. the release notes.

Click here to see the list of known issues for this version.

Download JASP

Entirely for free, no strings attached.

Windows





We recommend to install using the Microsoft Store, it's much faster, especially users in China this should significantly increase download

mac0S



To find out whether you need the Intel

or Apple Silicon version, click the Apple menu d in the upper-left corner This Mac. The window that opens will list the type of chip your device has.

Linux



JASP is available for virtually all Linux distributions through the widely distribution channel for linux

See installation guide for more details

For Chromebook users, you need to

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Integrating Statistical Excellence in Nursing Practice: Empowe



Figure 1: JASP GUI

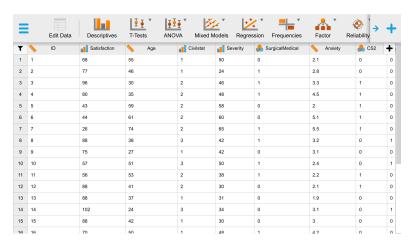


Figure 2: Sample data set

Can easily read (import) data from other softwares

- Can read data from various sources:
 - text files (.txt)
 - SPSS data files (.sav)
 - SAS data files (.sas7bdat, .sas7bcat)
 - Stata data files (.dta)
 - MS Excel files (.csv)



• JASP data files have .jasp file extension

Provides easy mechanism for data management and manipulation

- Editing data
 - JASP already has a built-in data editor
 - JASP spreadsheet is synced with the source CSV file
 - Edit data in the csv file, save, and sync it in the JASP spreadsheet
- Assigning value labels
 - Sometimes data for categorical variables are number-coded during data entry (say, 1=Female, 2=Male)
- Recoding quantitative data into qualitative form
 - Age in years to age categories/groups
 - Reverse coding (1 to 5, 2 to 4, 4 to 2, 5 to 1)
- Creating new variables from existing ones
 - Computing the logarithm of income
- Filtering observations

- Frequency distribution tables (frequency and percent) for qualitative data
- Data visualization (bar charts, histogram, correlation plots) both qualitative and quantitative data
- Summary statistics (mean, median, sd, std. error of the sample mean) for quantitative data

One-way and two-way (crosstab) frequency tables

Frequencies for Sex

Sex	Frequency	Percent	Valid Percent	Cumulative Percent
F	159	50.64	50.64	50.64
M	155	49.36	49.36	100.00
Missing	0	0.00		
Total	314	100.00		

Contingency Tables

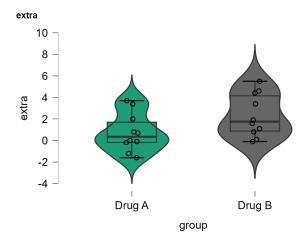
			Overall Satisfaction				
Sex		1	2	3	4	5	Total
F	Count % within row	8.00 5.03 %	22.00 13.84 %	36.00 22.64 %	54.00 33.96 %	39.00 24.53 %	159.00 100.00 %
	70 WILLIII TOW	3.03 %	13.04 %	22.04 %	33.90 %	24.05 %	100.00 %
M	Count	19.00	23.00	37.00	54.00	22.00	155.00
	% within row	12.26 %	14.84 %	23.87 %	34.84 %	14.19 %	100.00 %
Total	Count	27.00	45.00	73.00	108.00	61.00	314.00
	% within row	8.60 %	14.33 %	23.25 %	34.39 %	19.43 %	100.00 %

Summary statistics for numerical data

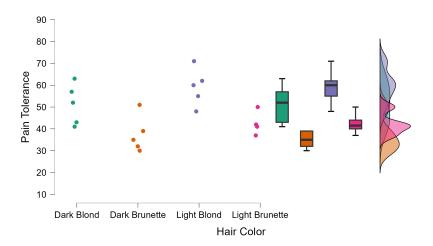
Descriptive Statistics ▼

	extra			
	Drug A	Drug B		
Valid	10	10		
Missing	0	0		
Median	0.350	1.750		
Mean	0.750	2.330		
Std. Deviation	1.789	2.002		
IQR	1.875	3.275		
Minimum	-1.600	-0.100		
Maximum	3.700	5.500		

Graphical display



Graphical display



Reporting results of descriptive analysis

Demographic variables	No. of Students	Percent
Grade Level		
7	77	24.52
8	88	28.03
9	79	25.16
10	70	22.29
Sex		
Male	155	49.36
Female	159	50.64
Age (mean=14.4, sd=1.6)		
12 - 13	106	33.76
14 - 15	124	39.49
16 - 17	70	22.29
18 - 19	14	4.46
General Point Average (mean=81.9, sd=4.	.9)	
Outstanding (90-100)	34	10.83
Very Satisfactory (85-89)	48	15.29
Satisfactory (80-84)	131	41.72
Fairly Satisfactory (75-79)	99	31.53
Did Not Meet Expectations (Below 75)	2	0.64

Objective: Compare means (or medians) of two *independent* or *dependent* groups

- Research question 1: Is there a significant difference in the number of cigarettes smoked per day between males and females?
- Research question 2: Is there a difference in the pain tolerance of blonde-haired and brunette-haired women?
- Research question 3: Is there a significant reduction in the average blood sugar after 6 months of intermittent fasting?

Independent samples: units in one sample are selected independent of the units in the other sample

- For example, random sample of frontline medical personnel in Samar and another random sample of frontline medical personnel in Leyte
- A random sample of brunette-haired women and a separate random sample of blonde-haired women

Dependent (or related) samples: a unit in one sample is *paired* or *matched* with a unit in the other sample

- Use of pairs of twins: a member of a pair is given the experimental drug and the other a placebo
- A group of diabetic men participated in an experiment on the effect of intermittent fasting on blood sugar level: pre-experiment blood glucose vs post-experiment blood glucose
- One group of participants are given a pre-training evaluation and after the training they are given the (similar/parallel) post-training evaluation

T tests: compare the means of two groups/samples (IV); continuous DV

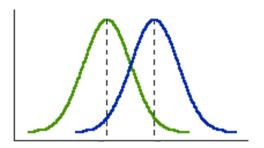
- Independent samples Student's t test: normal distribution and equal variance
- Independent samples Welch's t test: normal distribution, unequal variance
- Paired/dependent samples t test: normally distributed pairwise differences

Nonparametric alternatives to t tests

- Wilcoxon rank sum/Mann Whitney U test: alternative to Student's t test or Welch t test if normality assumption is not meet
- Wilcoxon signed rank test: alternative to paired samples t test if normality assumption about the pairwise difference is not meet

Checking assumptions of t tests

- Normality assumption: histogram, box plot, Shapiro-Wilk test
- Equal variance assumption: Box plot, Levene's test



RQ: What is the effect of smoking on infant's birth weight?

Test of Normality (Shapiro-Wilk) ▼					
		W	р		
BWT	Nonsmoker	0.987	0.344		
Smoker 0.983 0.410					
Note Signi	ficant regulte guage	et a doviation	from		

Note. Significant results suggest a deviation from normality.

 p > 0.05 indicates that the distributions of birth weights for smokers and nonsmokers are NORMAL

Test of Equality of Variances (Levene's)

	F	df ₁	df ₂	р
BWT	1.508	1	187	0.221

 p > 0.05 indicates that the birth weight distributions for smokers and nonsmokers have EQUAL variances

Independent samples t tests

Group Descriptives

	Group	N	Mean	SD	SE	Coefficient of variation
BWT	Nonsmoker	115	3054.957	752.409	70.163	0.246
	Smoker	74	2773.243	660.075	76.732	0.238

Independent Samples T-Test

	t	df	р	Cohen's d	SE Cohen's d
BWT	2.634	187	0.005	0.392	0.151

Note. For all tests, the alternative hypothesis specifies that group Nonsmoker is greater than group Smoker.

Note. Student's t-test.

• Interpretation: A Student's t test showed that mothers who smoked during pregnancy gave birth to infants who have significantly lower birth weight (M=2773g) than mothers who did not smoke during pregnancy (M=3055g), t(187)=2.63, p=0.005<0.05, Cohen's d=0.39.

Paired-samples t tests

RQ: Is there a significant reduction in body mass after a 4-week diet?

Descri	ptives	•

	N	Mean	SD	SE	Coefficient of variation
Pre diet body mass	78	72.53	8.723	0.988	0.120
Post 4 weeks diet	78	68.74	9.009	1.020	0.131

Test of	Normality	(Shapiro-Wilk)	`▼

			W	р
Pre diet body mass	-	Post 4 weeks diet	0.975	0.124

Note. Significant results suggest a deviation from normality.

• p = 0.124 > 0.05 means that the pairwise differences have normal distribution

Paired-samples t tests

Paired Samples T-Test									
Measure 1		Measure 2	t	df	р	Mean Difference	SE Difference	Cohen's d	SE Cohen's d
Pre diet body mass	-	Post 4 weeks diet	13.04	77	< .001	3.782	0.290	1.476	0.047
Note Student's t-test									

• Interpretation: On average, participants lost 3.78 kg (SE=0.29kg) body mass following a 4-week diet plan. A paired samples t-test showed that this decrease is significant (t(77) = 13.04, p<.001, Cohen's d = 1.48).

- Objective: Compare means (or medians) of three or more independent or dependent populations
- Research question: Is there a significant difference in the average waiting times (in hours) in the emergency room of three hospitals?
- Statistical method: Analysis of Variance (ANOVA)
 - method of partitioning the total variance in the DV into different components which can be attributed to different sources: effect of manipulated factors (Systematic variation), and experimental error (Random variation)
 - Assumptions: Normal distribution, Equal variance, Independence
 - Kruskal-Wallis test: if assumption of normality is not meet, or if DV is in ordinal scale

One-way ANOVA

Descriptive Statistics ▼

	Waiting time			
	Α	В	С	
Valid	20	20	20	
Missing	0	0	0	
Mean	1.150	1.925	1.620	
Std. Deviation	0.495	0.599	0.542	
Shapiro-Wilk	0.952	0.920	0.952	
P-value of Shapiro-Wilk	0.405	0.098	0.394	
Minimum	0.400	0.700	0.300	
Maximum	2.200	2.700	2.400	

Test for Equality of Variances (Levene's)

F	df1	df2	р
0.532	2.000	57.000	0.590

One-way ANOVA

ANOVA - Waiting time

Cases	Sum of Squares	df	Mean Square	F	р	η²
Hospital	6.097	2	3.049	10.198	< .001	0.264
Residuals	17.040	57	0.299			

Note. Type III Sum of Squares

- p<0.001 indicates significant differences in the mean waiting time for the emergency room of three hospitals
- If the ANOVA reports no significant difference you can go no further in the analysis
- If the ANOVA is significant, post hoc testing can now be carried out

Post hoc test

- Researchers might want to answer two additional questions:
 - Which means are different?
 - What is the magnitude of the difference between means?
- ANOVA by itself answers neither of these questions
- There are two approaches to figuring out which means are different and by how much: planned and unplanned comparisons of means
- These procedures are generally referred to as post-hoc tests

Post hoc test

Post Hoc Comparisons - Hospital

		Mean Difference	SE	t	P _{tukey}
Α	В	-0.775	0.173	-4.482	< .001
	С	-0.470	0.173	-2.718	0.023
В	С	0.305	0.173	1.764	0.191

Note. P-value adjusted for comparing a family of 3

- Interpretation: One-way analysis of variance showed that there is a significant difference in the mean waiting times among the three hospitals, F(2,57) = 10.2, p < 0.001, $\eta^2 = 0.26$. Post hoc analysis using Tukey's method indicated that the average waiting time of Hospital A (M = 1.15, SD = 0.49) is significantly lower than Hospital B (M = 1.93, SD = 0.60) and Hospital C (M = 1.62, SD =0.54). Further, there is no significant difference in the mean waiting time between Hospital B and Hospital C.
- Interpretation of η^2 : 0.01 (Small effect size), 0.06 (Medium effect size), 0.14 or higher (Large effect size)

Basic ideas

- Correlation analysis is concerned with the analysis of linear relationship between two or more variables
- It is used to determine the strength and direction, as well as statistical significance, of the correlation between variables
- The correlation between two variables could be positive or negative
- Positive correlation: $X \uparrow$ and $Y \uparrow$ or $X \downarrow$ and $Y \downarrow$
- Negative correlation: $X \uparrow$ and $Y \downarrow$ or $X \downarrow$ and $Y \uparrow$

Scatter plot

- It is a chart of the x-values (X-axis) and y-values (Y-axis)
- It is a visual representation of the relationship of X and Y
- Also known as scatter diagram

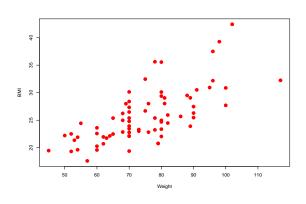
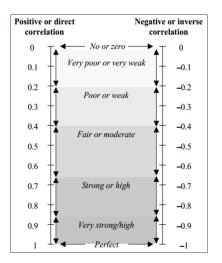


Figure 3: Scatter Plot of Weight and BMI

Correlation Coefficient

- The strength or magnitude of the correlation between variables is measured by a correlation coefficient
 - Pearson r: both variables are measured in at least interval scale: bivariate normal distribution
 - Spearman rho: both variables are measured in at ordinal scale
 - Point-biserial: one variable is binary, the other is interval or ratio
 - Rank-biserial: one variable is binary and the other is ordinal
- ullet The value of a correlation coefficient ranges from -1 to +1
- A zero correlation coefficient indicates that the variables are NOT LINEARLY independent

Guide in interpreting correlation coefficients



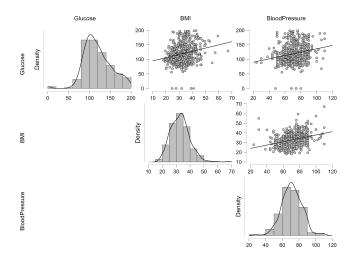
Test of significance of a correlation coefficient

- H_0 : Correlation coefficient is equal to zero. (There is no linear relationship between the variables.) $\Longrightarrow \rho = 0$
- H_1 : Correlation coefficient is not equal to zero. (There is linear relationship between the variables.) $\Longrightarrow \rho \neq 0$
- Test statistic:

$$t = \frac{r\sqrt{n-2}}{\sqrt{1-r^2}}$$

• Reject H_0 if p-value associated with t is less than the significance level (α)

Research question: Is there a significant relationship between blood glucose, blood pressure, and BMI?



Correlation analysis

Research question: Is there a significant relationship between blood glucose, blood pressure, and BMI?

Shapiro-Wilk	Test for	Rivariate	Normality	\blacksquare
SHapilo-vviik	lest loi	Divanale	rionnanty	•

			Shapiro-Wilk	р
Glucose	_	ВМІ	0.976	< .001
Glucose	-	BloodPressure	0.976	< .001
BMI	-	BloodPressure	0.981	< .001

Correlation Table

			Pearson		Spe	arman
			r	р	rho	р
Glucose	-	ВМІ	0.230	< .001	0.234	< .001
Glucose	-	BloodPressure	0.215	< .001	0.237	< .001
BMI	-	BloodPressure	0.310	< .001	0.317	< .001

 Glucose, blood pressure, and BMI have weak but significant correlations.

Regression analysis

- Regression analysis is a technique of studying the dependence of one variable (called dependent variable), on one or more independent variables (called explanatory variables)
- Regression analysis is useful for:
 - Estimating the relationship between the dependent variable and the explanatory variable(s)
 - Determining the effect of each of the explanatory variables on the dependent variable, controlling the effects of all other explanatory variables
 - Predicting the value of the dependent variable for a given value of the explanatory variable

Linear regression model

 In regression analysis we wish to express the relationship between the dependent variable and the explanatory variable in a functional form

$$Y = f(X) + \epsilon$$

 Suppose we observe pairs (X,Y) and the scatterplot shows a fairly linear pattern, then we can let

$$f(X) = \beta_0 + \beta_1 X$$

• Thus, the (simple) linear regression model is given by

$$Y = \beta_0 + \beta_1 X + \epsilon$$

where:

- Y is the response variable
- X is the regressor (predictor)
- β_0 y-intercept
- β_1 slope of the regression line; regression coefficient
- \bullet ϵ is the random error term

Linear regression model

Multiple linear regression model

- Oftentimes, a regression model with a single predictor variable is not enough to provide an adequate description of the response variable
- This occurs when several key variables affect the response variable in important and predictive ways
- The multiple linear regression model is

$$Y = \beta_0 + \beta_1 X_1 + \beta_2 X_2 + \dots + \beta_p X_p + \epsilon$$

where:

- $\beta_0, \beta_1, \cdots, \beta_p$ are the regression coefficients
- ϵ is the random error, $\epsilon \sim N(0, \sigma^2)$

Linear regression model

Assumptions

- Standard assumptions:
 - Y is a continuous random variable
 - $\epsilon_i \sim N(0, \sigma^2), \forall i \Longrightarrow$ normality and homogenous variance assumptions
 - For two different trials, i and j, the error terms ϵ_i and ϵ_j are independent \Longrightarrow independence assumption
- Assumptions on the predictor variables:
 - The predictor variables are assumed fixed or selected in advance.
 - The values of the predictors are assumed to be measured without error.
- Assumption about the observations:
 - Absence of outliers and influential observations

Interpretation of regression parameters

- β₀ is the regression constant or intercept and is the value of Y
 when all X's are equal to zero; must be interpreted with
 caution
- β_1 is the estimated mean response for every 1 unit change in X_1 , holding all other X's constant
- β_2 is the estimated mean response for every 1 unit change in X_2 , holding all other X's constant

:

and so on

Estimation of regression parameters

- The regression parameters β_0 and β_1 are unknown quantities that must be estimated from the data
- The most common and popular method of estimating regression parameters is the Method of Least Squares
- The resulting estimators are called Ordinary Least Squares (OLS) estimators
- The OLS estimators of β_0 , β_1 , β_2 , etc. are $\hat{\beta_0}$, $\hat{\beta_1}$, $\hat{\beta_2}$, etc.

Overall measures of fit

- Coefficient of determination (R^2) :
 - the percentage of variation in Y that can be explained or attributed to its linear relation with X
 - the closer to 1 or 100% the better the fit
 - Use Adjusted R^2 in multiple linear regresssion
- F test of overall effect of all X's: $F = \frac{MSR}{MSE}$
 - A significant F value indicates that Y is significantly with all X's
- Root Mean Square Error (RMSE):
 - standard deviation of the residuals (=difference between the observed Y and the predicted Y based on the equation)
 - the closer to zero the better the fit

Test of the overall significance of the regression

- $H_0: \beta_i = 0, \forall i$
- $H_1: \beta_i \neq 0$, for at least one i
- Test statistic: $F = \frac{MSR}{MSE}$

Test of the significance of each β_i

- $H_0: \beta_i = 0$
- $H_1: \beta_i \neq 0$
- Test statistic: $t = \frac{\beta_i}{\operatorname{se}(\beta_i)}$

Research question: What are the factors that affect blood glucose level in women?

Model	Summary	/ - Glucose
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Model	R	R²	Adjusted R ²	RMSE
Но	0.000	0.000	0.000	32.975
H ₁	0.546	0.298	0.291	27.760

ANOVA

Model	Sum of Squares		df	Mean Square	F	р
H ₁	Regression	173634.150	5	34726.830	45.064	< .001
	Residual	409190.814	531	770.604		
	Total	582824.965	536			

Note. The intercept model is omitted, as no meaningful information can be shown.

- 29.1% of the variance in blood glucose level can be explained by BMI, blood pressure, age, insulin, and diabetespedigreefunction
 - Residual (unexplained) variance = $100 29.1 = 70.9\% \Rightarrow Very$ High!
- RMSE = 27.76 is quite acceptable but not ideal

Research question: What are the factors that affect blood glucose level in women?

							Collinearity :	Statistics
Model		Unstandardized	Standard Error	Standardized	t	р	Tolerance	VIF
Н₀	(Intercept)	119.903	1.423		84.262	< .001		
H ₁	(Intercept)	49.141	8.172		6.014	< .001		
	BloodPressure	0.321	0.110	0.120	2.925	0.004	0.791	1.264
	BMI	0.426	0.189	0.089	2.256	0.025	0.851	1.175
	DiabetesPedigreeFunction	7.168	3.572	0.075	2.007	0.045	0.954	1.048
	Insulin	0.111	0.010	0.415	11.055	< .001	0.940	1.064
	Age	0.556	0.120	0.181	4.635	< .001	0.866	1.155

- Age and diabetespidegreefunction have the largest effects on blood glucose level
 - Blood glucose level increases by 7.168 points for every point change in diabetespedigreefunction, assuming all else are equal
 - Blood glucose level increases by 0.556 point for every year change in age, assuming all else are equal

Other important activities

- Addition of categorical explanatory variables in the model, say sex and marital status
- Residual analysis: Checking if all assumptions are met
- Checking for outliers and influential points
- Remediation, if issues arise

Logistic regression analysis

Logistic regression model (Logit model)

- A form of regression model where the dependent variable is binary, such whether one is diabetic or not, whether an infant has low birth weight or not, whether a lump is cancerous or not
- Research question: What are the risk factors of heart attack?

Model Summary - Heart Attack										
Model	Deviance	AIC	BIC	df	X ²	р	McFadden R ²	Nagelkerke R ²	Tjur R ²	Cox & Snell R ²
H _o	55.452	57.452	59.141	39						
H ₁	34.195	40.195	45.261	37	21.257	< .001	0.383	0.550	0.446	0.412

- This result suggests a significant relationship $(\chi^2(37)=21.257, p<.001)$ between the outcome (heart attack) and the predictor variables (exercise prescription and stress levels)
- McFadden's $R^2 = 0.383$. It is suggested that a range from 0.2 to 0.4 indicates a good model fit

Logistic regression analysis

Coefficients ▼

					Wald Test		
	Estimate	Standard Error	Odds Ratio	z	Wald Statistic	df	р
(Intercept)	-4.368	2.550	0.013	-1.713	2.933	1	0.087
Stress level	0.089	0.041	1.093	2.159	4.662	1	0.031
Exercise (1)	-2.043	0.890	0.130	-2.295	5.268	1	0.022

Note. Heart Attack level '1' coded as class 1.

- Both stress level and exercise prescription are significant predictor variables (p = 0.031 and p = 0.022, respectively)
- For stress level OR = 1.093, p < 0.05 suggests that high-stress levels are significantly related to an increased probability of having a heart attack
- Having an exercise intervention is related to a significantly reduced probability of a heart attack.
 - OR = 0.130 can be interpreted as only having a 13% probability of heart attack if undergoing an exercise intervention