```
In[143]:= Clear[Vgs];
      i = 0.0005;
      Vp = 5;
      Vn = -5;
      Kn = 0.0005;
      Vtn = 0.8;
      \lambda = 10^{-4};
      c = 100 * 10^{-6};
      Vdsq = 2.5;
      Av = -5;
      Rin = 20000;
      fRin = R3 * R2 / (R2 + R3);
      gm = 2 * Sqrt[Kn * i];
      r0 = 1 / (\lambda * i);
       (1-gm)/-2gm;
      Au = -5;
      Rd = Au / -gm
       (*Vgs=1.7998750234326182;*)
Out[159]= 5000.
In[186]:= Clear[a, b, c, d, e, i1]
       a = Solve [i == Kn (Vgs - Vtn) ^2 * (1 + \lambda * Vdsq), Vgs] // Flatten;
      a = a[[2]]
      Rs = Rd;
      b = Vgs + Rs * i - R3 / (R1 + R2 + R3) * (Vp - Vn) / . a
      vr1 = 3.2;
      vr2 = 2.5;
      vr3 = 4.3;
       Solve[\{i2 * R1 = vr1, i2 * R2 = vr2, i2 * R3 = vr3; fRin = Rin, b = 0\},
        {R1, R2, R3, i2}]
       (*r3=Solve[Rs*i-Rin(Vp-Vn)/R3+Vgs=0,R3]/.a//Flatten
            Vdsq+Rs*i-Rin/R3(Vp-Vn)-(R3+R1)/(R1+R2+R3)+Vgs/.a/.r3//Flatten
            Solve[{fRin,%=0},{R1,R2}]/.r3*)
Out[188]= Vgs \rightarrow 1.79988
Out[190]= 4.29988 - -
                  R1 + R2 + R3
      Solve::ratnz: Solve was unable to solve the system with inexact coefficients. The
            answer was obtained by solving a corresponding exact system and numericizing the result. \gg
Out[194]= {{R1 \rightarrow 40 484.5, R2 \rightarrow 31 628.5, R3 \rightarrow 54 398.2, i2 \rightarrow 0.0000790426}}
```