# SSH Key File Formats

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# Private Key

- I expect to find (p, q, n, e, d). I took the PEM file and uploaded it to a ASN.1 decoder to get the DER. The output showed 9 INTEGER values corresponding to the version, modulus, public exponent, private exponent, prime1, prime2, exponent1, exponent2, and coefficient (Figure 1).

ASN.1 name	Meaning	Value (decimal)
version	Tells us the format of the data	0
modulus	This is n where n = p x q	$ \begin{array}{l} (3072\ bit) \\ 5335065194301705493845814952787258971514760375775469803879\\ 7709522258445664369858255015035870391915808056077598960729\\ 8393292955564723921068005109047687770896884905650961373845\\ 0089281982793075060790146120689820862474322576090077184085\\ 4833137230042250601611180452861564211033876771567382204658\\ 9759710906679747956088069746913799863420659084213971935676\\ 5953043580237126825142567744166559198603190073173940161280\\ 8033807158234841381049591111783398702854113330422773833412\\ 3327023459232916175257074154169198915626599378449755329902\\ 4235625184410149719731111600578950547008715731317402925590\\ 1459283913890039011355508707962768378670089912271814269939\\ 7029960262048228258868790549517649965467869270073982543218\\ 9898935278604168262401211289885936468994712162687252315224\\ 6913045970727309543777889345840036230236836446154459358910\\ 8808562662807046966191966361168216090659606397372951397511\\ 4328139205403181703561685657975520291419647125462156171 \end{array}$
publicExponent	This is e, public part of key	65537
privateExponent	This is d, secret used to descrypt	$ \begin{array}{c} (3072\ bit) \\ 3931961852845975205734878130438948923251513510083326472026 \\ 4402820309217450214817943688012078303857751269002305680794 \\ 2379029297141030717175118097748025802555662264489480527306 \\ 5257219723986272159409567843743824671229568865644243985359 \\ 6125781792701386183505830707137440117142183529051926817938 \\ 4652696896463654211010724580705303068542674434695195972734 \\ 7182476432687389761222075539176174921826337545575392278102 \\ 8134350360100417680792167787513159600631040907773477561155 \\ 0382903008291662005396657491732428929653132099447168773239 \\ 6001162928093340951084350233547636634884120683393198902702 \\ 1330018968717191318595367228116178939904447412735228934152 \\ 3096780950566384384521241129919214370701496933795679678976 \\ 9829047445733558927343501951262512526357312920719427495740 \\ 5336633073824427604693036449545554456728660954726227622822 \\ 7492793593774913561670308180160797466929634915091701753717 \\ 5129441841983328853836715201947778912164754030713835729 \\ \end{array}$

prime1	This is p (first prime)	(1536 bit) 2324913895176850160063606233905125295037426465028743 1848780387569975535702097066115225568816523496919327 3796488705107942297769169723067694994007419978275345 5767445312391131144929986285986179616785321104096930 3212975866846849403017290404830074888146886344861232 2916870767802570162242650113836826915282820939739169 1406210340111925756509152296597267055270143894542937 9881344213713404476882250112062372724182924458316113 59845477089905679299497542735030637848129003827
prime2	This is q (second prime)	$(1536\ bit)$ $2294736680515164173249039714767750687253002937711786520986$ $8115127011527452155579071698131221245541126957647746380565$ $2787185972196290929290720127706470381260627318068750991105$ $8787690444818549548185021719530062175497386410916325918783$ $7658568651937554378602226782269686255852407809614696470633$ $1120870500428448113327753501965419996742591602357101160600$ $7026571943932666381427875719818656227181457017022938771458$ $866785212758953671092737250966456040400501108718112998473$
exponent1	This is d mod (p-1)	(1535 bit) 6539075305521290110998741735137887691445272446080049914835 4194436327425667448192578536232966870259351810670166109239 8904492848178205488017734186607940483916721261568935192645 2918875934141515308330229322645027482563805996429117076120 5736031977419352664295714954122506047925672151618456284974 2012989518628924456735091485347197508696915226578622418231 3776120726934399794815415587823439009574992990916832092769 68033539713383763052904945092507105989514621472672870707
exponent2	This is d mod (q-1)	$(1536\ bit)$ $1637832109614070210230817426766197814165226748468903463778$ $9202331218871905977224570208459130033132913538473396473706$ $7836083602170586149938244422137080710954836251735415053480$ $7602621545796000330590392846067689828967846357889773123228$ $5492427289363734129018688068838165376867299810832614280640$ $4695207875368739627218502491843302039575071559452763536449$ $0054090502302430728560512606165028360813583676827822206902$ $3597776082520227797890333334623295966336174067494674056129$
coefficient	This is the value that helps combine results (CRT)	(1536 bit) 2247426497706608657575657837612475043955316228875362406968 9476360977488876705660543592426798207404983589047373093954 7470899626218160361830402907094488358499800193334300396650 1946817440902732258986612894381929980125403782269525285737 6620584579450502659793389154101308642676910951132331515913 2534894112778967816004493827647801786499029784361529529153 1206068030024624544714518714762385152673271985126302161580 211687366502408795928376147741522525049392523758925723486

Table 1: Field results for RSA private key

### Public Key

- I expect to get the e and n. I took the OpenSSL format file and converted the pub file to a PEM form so that I can use the ASN.1 decoder. I got 2 elements: Version and modulus.

ASN.1 name	Meaning	Value
modulus	This is n	$ \begin{array}{c} (3072\ bit) \\ 533506519430170549384581495278725897151476037577546980387977 \\ 095222584456643698582550150358703919158080560775989607298393 \\ 292955564723921068005109047687770896884905650961373845008928 \\ 198279307506079014612068982086247432257609007718408548331372 \\ 300422506016111804528615642110338767715673822046589759710906 \\ 679747956088069746913799863420659084213971935676595304358023 \\ 712682514256774416655919860319007317394016128080338071582348 \\ 413810495911117833987028541133304227738334123327023459232916 \\ 175257074154169198915626599378449755329902423562518441014971 \\ 973111160057895054700871573131740292559014592839138900390113 \\ 555087079627683786700899122718142699397029960262048228258868 \\ 7905495176499654678692700739825432189889893527860416826240121 \\ 128988593646899471216268725231522469130459707273095437778893 \\ 458400362302368364461544593589108808562662807046966191966361 \\ 168216090659606397372951397511432813920540318170356168565797 \\ 5520291419647125462156171 \\ \end{array}$
publicExpon ent	This is e	65537

### Sanity Check

To confirm that the values we got using the two files are exactly the same if we would've used RSA, we can verify each of the properties. To check we could see if the modulus, n, are the same for the public and private keys and see if p x q = n. We can also check if the  $\lambda(n)=\text{lcm}(p-1,q-1)$  and can verify it using  $e\cdot d=1(\text{mod}\lambda(n))e=1\ \text{mod}\{\lambda(n)\}e\cdot d=1(\text{mod}\lambda(n))$ . After calculations, we can verify that by multiplying p with q this gives us modulus , n, exactly and that the public exponent ,e, and private exponent ,d, are multiplicative inverse of mod lambda n . We also know from the experiment that the private key and public key share the n and e Therefore, we can conclude that the private and public key form a valid RSA key pair.

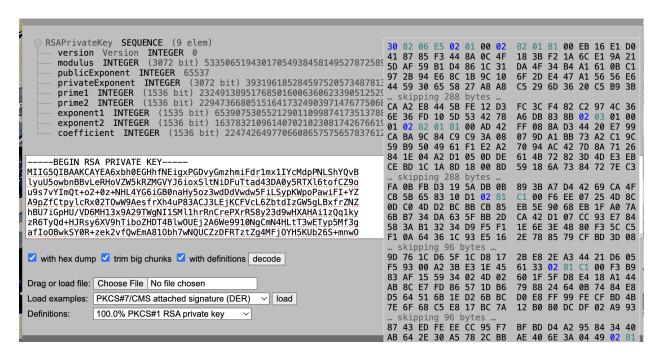


Figure 1: Results of the RSA Private Key insertion io the ASN.1 decoder