

B	Zeros	
	Time Limit	1 second
	Memory Limit	32 MB

Let L be an infinite set of bit strings defined by the following recursive definition:

- 0 is in L
- If $0X$ is in L , then $\underline{0}1X$ is also in L
- If $1X$ is in L , then $\underline{0}0X$ is also in L
- If $X0$ is in L , then $X1\underline{0}$ is also in L
- If $X1$ is in L , then $X0\underline{0}$ is also in L
- If $X00Y$ is in L , then $X1\underline{0}1Y$ is also in L
- If $X01Y$ is in L , then $X1\underline{0}0Y$ is also in L
- If $X10Y$ is in L , then $X0\underline{0}1Y$ is also in L
- If $X11Y$ is in L , then $X0\underline{0}0Y$ is also in L

, where X and Y are any bit strings (can be empty string). For example, all members of L having length less than four are listed here: 0 , 01 , 10 , 000 , 001 , 011 , 100 and 110 .

Let Z_N be a bit string of length N containing **only zeros**. For any given positive integer N_c , is Z_{N_c} a member of L ?

INPUT

Input will consist of many test cases (no more than 10^4 test cases), each on a separate line. Each line will consist of a positive integer N_c ($N_c \leq 10^4$). Input will be terminated by a line containing zero (0), and this line should not be processed.

OUTPUT

Output for each test case is a line “Case #c: A” where c is the test case number and A is “YES” if Z_{N_c} is in L , otherwise “NO”.



EXAMPLE

Sample Input	Sample Output
1 2 3 100 0	Case #1: YES Case #2: NO Case #3: YES Case #4: YES