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import numpy as np
import pdb
import copy
from sklearn.model selection import train test split
This code was based off of code from cs231n at Stanford University, and modified
for ECE C147/C247 at UCLA.
class SVM(object):
      __init__(self, dims=[10, 3073]):
   self.init_weights(dims=dims)
 def init_weights(self, dims):
        Initializes the weight matrix of the SVM. Note that it has shape (C, D)
        where C is the number of classes and D is the feature size.
    self.W = np.random.normal(size=dims)
 def loss(self, X, y):
   Calculates the SVM loss.
   Inputs have dimension D, there are C classes, and we operate on minibatches
   of N examples.
    - X: A numpy array of shape (N, D) containing a minibatch of data.
    - y: A numpy array of shape (N,) containing training labels; y[i] = c means
     that X[i] has label c, where 0 \le c < C.
   Returns a tuple of:
    - loss as single float
   # compute the loss and the gradient
   num_classes = self.W.shape[0]
   num train = X.shape[0]
   loss = 0.0
    for i in np.arange(num_train):
    # YOUR CODE HERE:
         # Calculate the normalized SVM loss, and store it as 'loss'.
        (That is, calculate the sum of the losses of all the training
        set margins, and then normalize the loss by the number of
                 training examples.)
      score = np.dot(X[i],self.W.T)
      for j in range(num_classes):
        if j == y[i]:
         continue
        margin = score[j] - score[y[i]] + 1
       loss = loss + max(np.max(margin), 0)
   loss = loss / num_train
   # END YOUR CODE HERE
    return loss
 def loss_and_grad(self, X, y):
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Same as self.loss(X, y), except that it also returns the gradient.
       Output: grad -- a matrix of the same dimensions as W containing
               the gradient of the loss with respect to W.
   # compute the loss and the gradient
   num classes = self.W.shape[0]
   num train = X.shape[0]
   loss = 0.0
   grad = np.zeros_like(self.W)
   for i in np.arange(num_train):
   # YOUR CODE HERE:
       # Calculate the SVM loss and the gradient. Store the gradient in
      the variable grad.
     score = np.dot(X[i],self.W.T)
     for j in range(num_classes):
       if j != y[i]:
         margin = score[j] - score[y[i]] + 1
         loss = loss + max(np.max(margin), 0)
         if margin > 0:
           grad[j] = grad[j] + X[i].T
           grad[y[i]] = grad[y[i]] - X[i].T
   # END YOUR CODE HERE
   loss /= num train
   grad /= num train
    return loss, grad
 def grad_check_sparse(self, X, y, your_grad, num_checks=10, h=1e-5):
    sample a few random elements and only return numerical
    in these dimensions.
   for i in np.arange(num checks):
     ix = tuple([np.random.randint(m) for m in self.W.shape])
     oldval = self.W[ix]
     self.W[ix] = oldval + h # increment by h
     fxph = self.loss(X, y)
     self.W[ix] = oldval - h # decrement by h
     fxmh = self.loss(X,y) # evaluate f(x - h)
     self.W[ix] = oldval # reset
     qrad numerical = (fxph - fxmh) / (2 * h)
     grad analytic = your grad[ix]
     rel_error = abs(grad_numerical - grad_analytic) / (abs(grad_numerical) + abs
(grad_analytic))
     print('numerical: %f analytic: %f, relative error: %e' % (grad_numerical,
grad_analytic, rel_error))
 def fast_loss_and_grad(self, X, y):
   A vectorized implementation of loss_and_grad. It shares the same
   inputs and ouptuts as loss_and_grad.
   loss = 0.0
   grad = np.zeros(self.W.shape) # initialize the gradient as zero
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num classes = self.W.shape[0]
             num train = X.shape[0]
             YOUR CODE HERE:
                         # Calculate the SVM loss WITHOUT any for loops.
             # END YOUR CODE HERE
             \#loss = np.sum([np.sum([1 - ((np.dot(X[i],self.W[y[i]].T) - np.dot(X[i],self.W[j].T)) + (np.dot(X[i],self.W[y[i]].T)) - (np.dot(X[i],self.W[j].T)) < (np.dot(X[i],self.W[i].T)) < (np.dot(X[i],self.W[i].T)) < (np.dot(X[i],self.W[i].T)) < (np.dot(X[i],self.W[i].T)) < (np.dot(X[
1 else 1) for j in range(num_classes)]) for i in range(num_train)])
              score = np.dot(X,self.W.T)
              #y_belong = np.argwhere(y == 0).T.tolist() + np.argwhere(y == 1).T.tolist() +
 \text{np.argwhere(y == 2).T.tolist() + np.argwhere(y == 3).T.tolist() + np.argwhere(y == 4).T.tolist() + np.argwhere(y == 5).T.tolist() + np.argwhere(y == 6).T.tolist() + np.argwhere(y == 6).T.tolist
np.argwhere(y == 7).T.tolist() + np.argwhere(y == 8).T.tolist() 
9).T.tolist()
             margin_total = (score + 1 - score[:,y].diagonal().reshape(num_train,1))#.T
             np.put_along_axis(margin_total,y.T.reshape(num_train,1),0,axis=1)
             #for i in range(num_classes):
             # margin_total[i,y_belong[i]] = 0
             margin_total[margin_total<0] = 0</pre>
             loss = np.sum(margin total)
             margin total[margin total>0] = 1
             coef neg = np.zeros((num train,num classes))
             coef_neg[range(num_train),y] = np.sum(margin_total,axis=1)
             grad = np.dot(margin_total.T,X) - np.dot(coef_neg.T,X)
                          # =========================== #
             # YOUR CODE HERE:
                          # Calculate the SVM grad WITHOUT any for loops.
             loss /= num train
             grad /= num_train
             # END YOUR CODE HERE
             return loss, grad
      def train(self, X, y, learning_rate=le-3, num_iters=100,
                                        batch size=200, verbose=False):
             Train this linear classifier using stochastic gradient descent.
              - X: A numpy array of shape (N, D) containing training data; there are N
                   training samples each of dimension D.
              - y: A numpy array of shape (N,) containing training labels; y[i] = c
              means that X[i] has label 0 \le c \le C for C classes. - learning_rate: (float) learning rate for optimization.
              - num_iters: (integer) number of steps to take when optimizing
              - batch_size: (integer) number of training examples to use at each step.
              - verbose: (boolean) If true, print progress during optimization.
            Outputs:
             A list containing the value of the loss function at each training iteration.
             num_train, dim = X.shape
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num classes = np.max(y) + 1 # assume y takes values 0...K-1 where K is number
of classes
   self.init weights(dims=[np.max(y) + 1, X.shape[1]]) # initializes the weights
of self.W
   # Run stochastic gradient descent to optimize W
   loss history = []
   for it in np.arange(num_iters):
    X_batch = None
    y_batch = None
    # YOUR CODE HERE:
       Sample batch_size elements from the training data for use in
        gradient descent. After sampling,
         - X_batch should have shape: (dim, batch_size)

    y_batch should have shape: (batch_size,)

           The indices should be randomly generated to reduce correlations in the dataset. Use np.random.choice. It's okay to sample with
           replacement.
     _, X_batch,_, y_batch = train_test_split(X,y,test_size=batch_size/num train,
random_state=int(np.random.randint(0,2**32-1,size=1)))
                    ______ #
    # END YOUR CODE HERE
    # evaluate loss and gradient
    loss, grad = self.fast loss and grad(X batch, y batch)
    loss history.append(loss)
    # ----- #
    # YOUR CODE HERE:
    # Update the parameters, self.W, with a gradient step
    self.W = self.W - learning_rate * grad
         # END YOUR CODE HERE
    if verbose and it % 100 == 0:
      print('iteration {} / {}: loss {}'.format(it, num_iters, loss))
   return loss history
 def predict(self, X):
   - X: N x D array of training data. Each row is a D-dimensional point.
   - y pred: Predicted labels for the data in X. y pred is a 1-dimensional
    array of length N, and each element is an integer giving the predicted
    class.
   y_pred = np.zeros(X.shape[1])
   # YOUR CODE HERE:
   # Predict the labels given the training data with the parameter self.W.
   # ============ #
   y_pred = np.argmax(X.dot(self.W.T), axis=1)
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# END YOUR CODE HERE
# ------ #
return y_pred
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