In terms of data the decision rule is to assign to population c_i if $(\bar{\mathbf{x}}_1 - \bar{\mathbf{x}}_2)^T S_n^{-1} \bar{\mathbf{x}}_0 > \frac{1}{2} (\bar{\mathbf{x}}_1 - \bar{\mathbf{x}}_2)^T S_n^{-1} (\bar{\mathbf{x}}_1 + \bar{\mathbf{x}}_2)$

else assign to
$$c_2$$
. You can see that this is just Bayes' rule with equal priors. When

Bayes' linear rule holds, Fisher's method gives identical results. When the Bayes

(7.27)