# Programming Language Concepts Homework 3

Due Wednesday Oct 2; Joseph Sepich (jps6444)

# 1 Problem 1

#### 1.1 Part 1

L(R) = (a|b)(a|b)(a|b)

- 1. "aaa"
- 2. "aab"
- 3. "aba"
- 4. "abb"
- 5. "baa"
- 6. "bab"
- 7. "bba"
- 8. "bbb"

## 1.2 Part 2

L(R) = a(aa|bb)\*b

This set will be infinite, so I will write down the 7 shortest.

- 1. "ab"
- 2. "aaab"
- 3. "abbb"
- 4. "aaaaab"
- 5. "aaabbb"
- 6. "abbbbb"
- 7. "aaaaaaab"

# 2 Problem 2

#### 2.1 Part 1

Write a regular expression with non empty binaries that start and end with the same digit.

$$L(R) = ((1(1|0)*1)|(0(1|0)*0))$$

#### 2.2 Part 2

Write a regular expression for declartions of variables of type int.

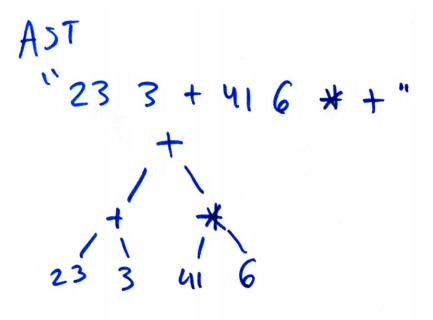
$$L(R) = int sID(,ID)*=N(,(ID|N))*$$

## 3 Problem 3

## 3.1 Part a

Expr -> Expr Expr - | Expr Expr + | Expr Expr \* | Expr Expr / | N

#### 3.2 Part b



## 3.3 Part c

Expr -> Expr Expr + -> Expr Expr Expr \* + -> Expr Expr N \* + ->
Expr N N \* + -> Expr Expr + N N \* + -> Expr N + N N \* + ->
N N + N N \* + -> N N + N 6 \* + -> N N + 41 6 \* + ->
N 3 + 41 6 \* + -> 23 3 + 41 6 \* +

# 4 Problem 4

Paren ->  $\epsilon$  | Paren () | () Paren | ( Paren )

## 5 Paroblem 5

## 5.1 Part a

This language is ambigious. The definition of F has it on either side of an operator. A revised unambigous grammar would be:

```
E -> E + F | F
F -> F * G
G -> Id | (E)
```

This creates a left associativity in the grammar for both the + and \* multipliers, and the + multiplier has a lower precedence.

## 5.2 Part 2

This language is unambigous. The union operator has a lower precendence than the intersenction operator. The union operator has right associativity and the intersection operator has a left associativity.