

# Matrix manipulation in Matlab and Mathematica

Symbol definitions:

**i, j, k, l, m, n:** integers.

**A:**  $n \times m$  matrix. (e.g. Matlab:  $A = [1, 2, 3; 4, 5, 6]$ , Mathematica:  $A = \{\{1, 2, 3\}, \{4, 5, 6\}\}$ )

**b:**  $n \times 1$  matrix (column vector). (e.g. Matlab:  $b = [1; -2; 3]$ , Mathematica:  $b = \{1, -2, 3\}$ )

**r:**  $1 \times n$  matrix (row vector). (e.g. Matlab:  $r = [1, 2, -3]$ , Mathematica:  $r = \{1, 2, -3\}$  (Mathematica automatically treat it as column or row vector, the one which is sensible))

**ids:** vector contains indexes. (e.g. Matlab:  $ids = [3, 1, 2]$ , Mathematica:  $ids = \{3, 1, 2\}$ )

**bools:** boolean vector. (e.g. Matlab:  $bools = [\text{false}, \text{true}, \text{true}]$ , Mathematica:  $bools = \{\text{False}, \text{True}, \text{True}\}$ )

Matlab use Column-major order. Mathematica use Row-major order.

MATLAB	MATHEMATICA	MATLAB	MATHEMATICA
$A(i, j)$	$A[[i, j]]$	$b(bools)$	$Pick[b, bools]$
$A(\text{end}-i+1, k)$	$A[[-i, k]]$	$\text{find}(b==1)$	$\text{Position}[b, 1]$
$A(i:j, k)$	$A[[i;;j, k]]$	$b>0$	$\#>0\&/@b, \text{Map}[\#>0\&, b]$
$A(i:l:j, k)$	$A[[i;;j;;l, k]]$	$A>0$	$\text{Map}[\#>0\&, A, \{2\}]$
$b(1:i)$	$b[[:;i]]$	$1*(b>0)$	$1-\text{UnitStep}[-b]$
$b(\text{end}-i+1:\text{end})$	$b[[-i;;]]$	$b(b==1)$	$\text{Select}[b, \#==1\&]$
$A(:, k)$	$A[[:;, k]]$	$r(b>0)$	$Pick[r, \#>0\&/@b]$
$A(j, :)$	$A[[j]]$	$\text{fliplr}(r)$	$\text{Reverse}[r]$
$A(id, k)$	$A[[id, k]]$	$A.'$	$\text{Transpose}[A]$
$A(i)$	??	$\text{permute}(arr, ids)$	$\text{Transpose}[arr, ids]$
$A(:)$	$\text{Flatten}[\text{Transpose}[A]]$	$\sin(A)$	$\text{Sin}[A]$

Table 1: Elementary operations

Note: In Mathematica, Indexing operation can be performed by  $\text{Part}[]$ . e.g.  $A[[i, j]] == \text{Part}[A, i, j]$ , special case is  $b[[i;;j;;l]] == \text{Part}[b, i;;j;;l] == \text{Take}[b, \{i, j, l\}]$ . “;” is called Span.

Matlab	(index)	i	end-i+1	i:j	i:di:j	1:j	end-j+1:end	:	ids	bools
Mathematica( $\text{Part}[]$ )	$[[index]]$	i	-i	$i;;j$	$i;;j;;di$	$;;j$	$-j;;$	$;;$	ids	??
Mathematica(function)		{i}	{-i}	{i,j}	{i,j,di}	j	-j	All	??	??
Python ( <a href="#">numpy.array</a> )	[index]	i-1	-i	i-1:j	i-1:j:di	:j	-j:	:	ids	bools

Table 2: Summary: Indexing of vector (Indexing of one dimension of an array)

MATLAB	MATHEMATICA	MATLAB	MATHEMATICA
<code>1:n</code>	<code>Range[n]</code>	<code>[v, x]</code>	<code>Append[v, x]</code>
<code>m:k:n</code>	<code>Range[m, n, k]</code>	<code>[x, v]</code>	<code>Prepend[v, x]</code>
<code>zeros(m,n)</code>	<code>ConstantArray[0, {m,n}]</code>	<code>[v1, v2]</code>	<code>Join[v1, v2]</code>
<code>ones(m,n)</code>	<code>ConstantArray[1, {m,n}]</code>	<code>[v(1:k-1), x, v(k:end)]</code>	<code>Insert[v, x, k]</code>
<code>eye(n)</code>	<code>IdentityMatrix[n]</code>	<code>v(1:k) = []</code>	<code>Drop[v, k]</code>
<code>rand(m,n)</code>	<code>RandomReal[1, {m,n}]</code>	<code>v(j:k) = []</code>	<code>Drop[v, {j, k}]</code>
<code>f(1:n)</code>	<code>Table[f[i], {i,n}]</code>		
<code>A(:)</code>	<code>Flatten[Transpose[A]]</code>		
<code>reshape(v, d1, d2)</code>	<code>Partition[v, {d1,d2}]</code>	<code>['abc', 'def']</code>	<code>“abc”&lt;&gt;”def”</code>

Table 3: Constructing/destructing a matrix

Note: strictly speaking, `reshape(v,d1,d2)` correspond to `Transpose[Partition[v, {d1,d2}]]`.

MATLAB	MATHEMATICA	MATLAB	MATHEMATICA
<code>A+B</code>	<code>A+B</code>	<code>tr(A)</code>	<code>Tr(A)</code>
<code>A*B</code>	<code>A.B</code>	<code>det(A)</code>	<code>Det[A]</code>
<code>A.*B</code>	<code>A*B</code>	<code>A \ b</code>	<code>LinearSolve[A,b]</code>
<code>A^n</code>	<code>MatrixPower[A,n]</code>	<code>??</code>	<code>LinearSolve[A]</code>
<code>A.^n</code>	<code>A^n</code>	<code>inv(A)</code>	<code>Inverse(A)</code>
<code>A'</code>	<code>ConjugateTranspose[A]</code>	<code>eig(A)</code>	<code>Eigenvalues[A]</code>
<code>A.'</code>	<code>Transpose[A]</code>	<code>[vecs,vals]=eig(A)</code>	<code>{vals,vecs}=Eigensystem[A]</code>
<code>conj(A)</code>	<code>Conjugate[A]</code>	<code>svd(A)</code>	<code>SingularValueList[A]</code>
		<code>[s,v,d]=svd(A)</code>	<code>{s,v,d}=SingularValueDecomposition[A]</code>
<code>b*r</code>	<code>KroneckerProduct[b,r]</code>	<code>null(A)</code>	<code>NullSpace[A]</code>
<code>r*b</code>	<code>r.b, b.r</code>		
<code>diag(A)</code>	<code>Diagonal[A]</code>		
<code>diag(b)</code>	<code>DiagonalMatrix[b]</code>		

Table 4: Common algebra operations

MATLAB	MATHEMATICA	MATLAB	MATHEMATICA
tic; toc;	AbsoluteTiming[]	arrayfun	Thread

Table 5: Other useful functions

## 1 Common Operation Examples

**Save matrix  $A$  to plain text file “abc.txt”, with full precision, in tab-delimited format**

Matlab

```
save('abc.txt', 'A', '-ascii', '-double', '-tabs');
```

Mathematica

```
Export["abc.txt", A, "Table"];
```

Note: you may use “<>” to concatenate path, e.g.

```
NotebookDirectory[] <> "abc.txt"
```

**Load matrix  $A$  from plain text file “abc.txt”**

Matlab

```
A=load('abc.txt');
```

Mathematica

```
A=Import["abc.txt", "Table"];
```

**Generate a meshgrided table**

Matlab

```
[ii,jj]=meshgrid(1:n,1:m);A=f(ii,jj)
```

Mathematica

```
A=Table[f[i,j],{i,n},{j,m}]
```

**Get high precision numbers**

Double to high precision number

```
In[1]:= SetPrecision[1.0/3, 40]
```

```
Out[1]= 0.3333333333333333148296162562473909929395
```

Exact number to high precision number

```
In[1]:= SetPrecision[1/3, 40] == N[1/3, 40]
```

```
Out[1]= True
```

Number in specified base (16), with precision (20)

```
In [1] := 16^^FF.F'20
Out [1] = 255.9375000000000000000000
In [2] := 16^^F.FF'20*^1
Out [2] = 255.9375000000000000000000
```

## 2 Ref

<http://reference.wolfram.com/language/guide/ListManipulation.html>  
Input Syntax  
<http://reference.wolfram.com/language/tutorial/InputSyntax.html>