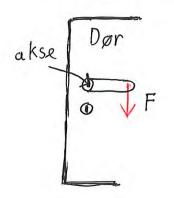
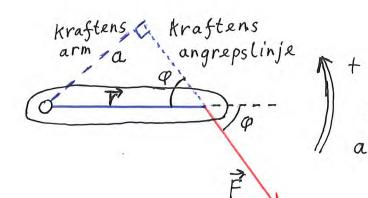
14. Statikk

Likevekt ved rotasjon om en akse





Kraftmoment M av en kraft om en akse er lik arm.kraft, der armen er avstanden a fra aksen til angrepslinja for kraften F

$$M = aF$$
 $(\overrightarrow{M} = \overrightarrow{r} \times \overrightarrow{F})$

$$M = r.F. sin \varphi$$
 [Nm]

94.02,03

Likevektsvilkår for stive legemer

$$\overrightarrow{F_1}$$
 $\overrightarrow{F_2}$ $\overrightarrow{F_2}$ $\overrightarrow{F_2}$

$$\Sigma \vec{F} = 0$$
 og $\Sigma M = 0$

Eks 14.3 $n_1 = 80 \text{ kg}$ $m_2 = 30 \text{ kg}$ $a_2 = 1,20 \text{ m}$ $a_3 = 3$

$$\sum M = 0$$

$$M_1 - M_2 = 0$$

$$a_1 F_1 - a_2 F_2 = 0 \quad og F = mg$$

$$a_1 m_1 g = a_2 m_2 g$$

$$a_1 = a_2 \cdot \frac{m_2}{m_1} = 1{,}20m \cdot \frac{30 kg}{80 kg} = \frac{0{,}45m}{90 kg}$$

14,04

a)
$$S = ?$$
 $\geq M = 0$
 $M_s - M_K + M_T = 0$ og $M_T = 0$
 $a_s : S - a_k \cdot K + 0 = 0$
 $\frac{1}{2} (\cdot \sin 30^\circ \cdot S = \lim_{s \neq 0} \frac{2 \cdot 50 kg \cdot 9.81 \frac{N}{kg}}{\sin 30^\circ} = \frac{2 \cdot 50 kg \cdot 9.81 \frac{N}{kg}}{\sin 30^\circ} = \frac{1962 N}{2.00 kN}$

b)
$$\vec{T} = ?$$
 $\Sigma \vec{F} = 0$
 $\Sigma F_{x} = 0$
 $T_{x} - S_{x} = 0$
 $T_{x} = S \cdot \cos 30^{\circ}$
 $= 1962 N \cdot \cos 30^{\circ}$
 $= 1699 N$

$$\Sigma F_{y} = 0$$

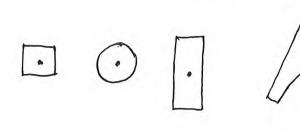
 $T_{y} + S_{y} - K = 0$
 $T_{y} + S \cdot \sin 30^{\circ} - K = 0$
 $T_{y} = mg - S \cdot \sin 30^{\circ}$
 $= 50kg \cdot 9.81 \frac{N}{kg} - 1962N \cdot \sin 30^{\circ}$
 $= -490.5N \quad (ned)$

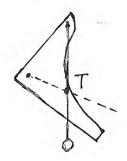
$$T = \sqrt{T_{x}^{2} + T_{y}^{2}} = \sqrt{1699^{2} + (-490.5)^{2}} N = 1.8kN$$

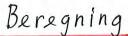
$$tan d = \frac{T_{y}}{T_{x}} = \frac{-490.5N}{1699N}$$

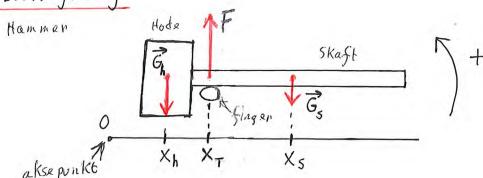
$$d = -16^{\circ}$$

Tyngdepunkt (massemiddelpunkt)









$$M_f - M_h - M_s = 0$$

$$X_{\tau}F - X_{h}G_{h} - X_{s}G_{s} = 0$$

$$X_{T} = \frac{X_{h}G_{h} + X_{s}G_{s}}{G_{h} + G_{s}}$$

fordi
$$F = G_h + G_s$$

Generalt:

fra

finger

$$X_{T} = \frac{X_{1}G_{1} + X_{2}G_{2} + \cdots + X_{n}G_{n}}{G_{1} + G_{2} + \cdots + G_{n}} = \frac{\sum X_{1}G_{1}}{G}$$

$$G_{i} = \text{deltyngde} \qquad \text{og } Y_{T} = \frac{\sum Y_{1}G_{1}}{G}$$

$$G = \text{heltyngde}$$

$$X_{T} = \frac{\sum x_{i} m_{i}}{m}$$
 på jorda

14.10,11